Introduction to R

Statistical analysis

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1 Descriptive statistics

Statistical functions

```
rivers
                            mtcars
min(rivers)
                            cor(mtcars$hp, mtcars$disp)
max(rivers)
                            cor(mtcars)
 range(rivers)
 quantile(rivers)
 sum(rivers)
mean(rivers)
median(rivers)
 sd(rivers)
 var(rivers)
Loess smoother
\verb|plot(dist| \sim \verb|speed|, data=cars|)
lofit <- loess(dist \sim speed, data=cars)$fit
lines(cars$speed, lofit, lwd=2, col="red")
```

2 Significance tests

```
t.test
t.test(x1, x2)
?t.test
chisq.test
chisq.test(obs, exp)
?chisq.test
```

3 Linear models

Linear regression

 $\label{eq:lm} $$\lim(\text{formula, data})$$$ $\lim(y\sim x)$$$ $\lim(y\sim x1+x2)$$$ $\lim(\text{dist}\sim \text{speed, data=cars})$$$

?lm

Formula syntax

~	is a function of	$y \sim x$
+	and	y \sim x1 + x2
:	interaction term	$y \sim x1 + x2 + x1:x2$
I	do not interpret	$y \sim x1 + I(x2+x3)$
*	both terms and their interaction	y \sim x1 * x2
-	but not this term	y \sim x1 * x2 - x2
	all terms, or update	y \sim . + x3

Fixing the intercept or slope

```
lm(y \sim 1)
                                estimate intercept only, null model
 lm(y \sim -1 + x)
                                estimate slope, fix intercept at 0
                                                                    ?formula
                               estimate slope, fix intercept at 3
 lm(offset(y-3) \sim -1 + x)
 lm(y \sim offset(3*x))
                                estimate intercept, fix slope at 3
aov
aov(formula, data)
?aov
glm
glm(formula, data, family, link)
?glm
?family
   • gaussian
   • binomial
   • poisson
     . . .
```

Modelling tools

```
coef(model)
                             coefficient
predict(model)
                             predictions
fitted(model)
                             fitted values
residuals(model)
                             residuals
                             estimates, SE, p values, R^2
summary(model)
anova(model)
                             p values
                             AIC value
AIC(model)
update(model, formula)
                             modify
add1(model, candidates)
                             add one term
drop1(model, candidates)
                             drop one term
                             add and drop iteratively
step(model, candidates)
```

4 Examples

```
Chick weights (t.test)
chick2 <- split(chickwts$weight,</pre>
                 chickwts$feed)[c("linseed", "soybean")]
chick2
boxplot(chick2)
t.test(chick2$linseed, chick2$soybean)
   • Assume equal variance in both groups? var.equal=T
   • Don't use functions like black box; do once by hand if possible
Plant growth (aov)
PlantGrowth
{\tt boxplot(weight \sim group, data=PlantGrowth)}
aov(weight \sim group, data=PlantGrowth)
summary(aov(weight \sim group, data=PlantGrowth))
Car stopping distance (simple lm)
cars
head(cars)
\verb|plot(dist| \sim \verb|speed|, data=cars|)
\texttt{mylm} \; \mathrel{<-} \; \texttt{lm(dist} \sim \texttt{speed, data=cars)}
abline(mylm)
summary(mylm)
par(mfrow=c(2,2))
plot(mylm)
Car stopping distance (simple lm)
Try log-log transformation
par(mfrow=c(1,1))
\verb|plot(log(dist)| \sim \verb|log(speed)|, data=cars|)
mylog <- lm(log(dist) \sim log(speed), data=cars)
abline(mylog)
summary(mylog)
```

```
Car stopping distance (simple lm)
Model comparison: visualize fit
\verb|plot(dist$ \sim \verb|speed, data=cars, main="normal")|
abline(mylm)
dev.new()
plot(log(dist) \sim log(speed), data=cars,
      main="log-log")
abline(mylog)
Car stopping distance (simple lm)
Model comparison: diagnostic plots
par(mfrow=c(2,2))
plot(mylm, main="normal")
dev.new()
par(mfrow=c(2,2))
plot(mylog, main="log-log")
Car stopping distance (simple lm)
Model comparison: \mathbb{R}^2 and AIC
summary(mylm)
summary(mylog)
names(summary(mylm))
summary(mylm)$r.s
summary(mylog)$r.s
AIC(mylm, mylog)
Tooth growth (ancova lm)
ToothGrowth
head (ToothGrowth)
summary(ToothGrowth)
boxplot(len \sim supp, data=ToothGrowth)
\verb|plot(len| \sim \verb|dose|, data=ToothGrowth|)|
```

```
Tooth growth (ancova lm)
library(lattice)
xyplot(len \sim log(dose) | supp, data=ToothGrowth,
        panel=function(...){panel.xyplot(...);
        panel.lmline(...)})
Same line, different intercept, different slope, or both different
lm(len \sim log(dose), data=ToothGrowth) # coefs 2
lm(len \sim log(dose) + supp, data = ToothGrowth) # 3
lm(len \sim log(dose): supp, data=ToothGrowth) # 3
lm(len \sim log(dose)*supp, data=ToothGrowth) # 4
Tooth growth (ancova lm)
Forward selection
add1(lm(len \sim 1, data=ToothGrowth),
      . \sim \log(\text{dose})*\text{supp}, test="F")
\verb|add1(lm(len \sim \log(\texttt{dose}), \texttt{data=ToothGrowth}),|\\
      . \sim \log(\text{dose})*\text{supp}, test="F")
add1(lm(len \sim log(dose) + supp, data = ToothGrowth),
      . \sim \log(\text{dose})*\text{supp}, test="F")
Tooth growth (ancova lm)
Backward selection
drop1(lm(len \sim log(dose)*supp,
           data=ToothGrowth), test="F")
anova(lm(len \sim log(dose)*supp,
           data=ToothGrowth))
Tooth growth (ancova lm)
Plot model predictions
mylm <- lm(len \sim log(dose)*supp,
             data=ToothGrowth)
\verb|plot(len| \sim \log(\texttt{dose})|, | \texttt{data=ToothGrowth}|,
      subset=supp=="OJ", ylim=c(0,35),
      pch=16, col="orange")
points(len \sim \log(\text{dose}), data=ToothGrowth,
         subset=supp=="VC", pch=16, col="blue")
```

```
Tooth growth (ancova lm)
Plot model predictions
d \leftarrow c(0.5, 1, 2)
ojfit <- predict(mylm,</pre>
                  data.frame(dose=d, supp=factor("OJ")))
vcfit <- predict(mylm,</pre>
                  data.frame(dose=d,
                  supp=factor("VC")))
lines(log(d), ojfit, lwd=2, col="orange")
lines(log(d), vcfit, lwd=2, col="blue")
Tooth growth (ancova lm)
Other approaches
example(boxplot)
anova(lm(len \sim factor(dose)*supp,
           data=ToothGrowth))
Should dose be a linear term or a factor?
The question is whether we're interested only in 0.5/1/2 mg doses, or also in predicting the effect
of other doses
Nonlinear models might be more appropriate
Fuel efficiency (multiple lm)
Stepwise selection: starting from null model
mylm1 <- step(lm(I(1/mpg) \sim 1, data=mtcars),
                  . \sim \text{cyl+disp+hp+drat+wt+qsec}
                 +factor(vs)+factor(am)+gear+carb)
Stepwise selection: starting from full model
mylm2 <- step(lm(I(1/mpg) \sim cyl+disp+hp+drat+wt
                     +qsec+factor(vs)+factor(am)
                     +gear+carb, data=mtcars))
Fuel efficiency (multiple lm)
Model comparison: AIC
summary(mylm1)
summary(mylm2)
```

AIC(mylm1, mylm2)

```
Extra credit
```

```
Now repeat the lm() examples
using the linest() function in Excel
Horse kicks
kick <- read.table("c:/shop/kick.txt",</pre>
                       header=T)
kick
head(kick)
xtabs(N \sim Corps + Year, data=kick)
tapply(kick$N, kick$Corps, sum)
barplot(tapply(kick$N, kick$Corps, sum))
Horse kicks
IX is before V, fix that
lev <- c("G", as.character(as.roman(c(1:11,14,15))))</pre>
kick$Corps <- ordered(kick$Corps, levels=lev)</pre>
barplot(tapply(kick$N, kick$Corps, sum))
Horse kicks (chisq.test)
Does the "deaths-due-to-horse-kicks" rate very between corps?
chisq.test(tapply(kick$N, kick$Corps, sum))
Does the "deaths-due-to-horse-kicks" rate very between years?
barplot(tapply(kick$N, kick$Year, sum))
```

chisq.test(tapply(kick\$N, kick\$Year, sum))