

Latex CBD representations

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1 DerivatorBlock

$$\left\{ \begin{array}{lcl} b7.OUT1(i) & = & 1/b7.IN1(i) \\ b11.OUT1(i) & = & b11.IN1(i - 1) \\ b15.OUT1(i) & = & -b15.IN1(i) \\ b18.OUT1(i) & = & b18.IN1(i) + b18.IN2(i) \\ b30.OUT1(i) & = & b30.IN1(i) \cdot b30.IN2(i) \\ b48.OUT1(i) & = & b48.IN1(i) + b48.IN2(i) \\ b52.OUT1(i) & = & -b52.IN1(i) \\ b62.OUT1(i) & = & b62.IN1(i) \cdot b62.IN2(i) \\ OUT1(i) & = & b30.OUT1(i) \\ b7.IN1(i) & = & delta.t.OUT1(i) \\ b11.IN1(i) & = & IN1.OUT1(i) \\ b11.IC(i) & = & b48.OUT1(i) \\ b15.IN1(i) & = & b11.OUT1(i) \\ b18.IN2(i) & = & IN1.OUT1(i) \\ b18.IN1(i) & = & b15.OUT1(i) \\ b30.IN1(i) & = & b18.OUT1(i) \\ b30.IN2(i) & = & b7.OUT1(i) \\ b48.IN2(i) & = & IN1.OUT1(i) \\ b48.IN1(i) & = & b62.OUT1(i) \\ b52.IN1(i) & = & delta.t.OUT1(i) \\ b62.IN2(i) & = & b52.OUT1(i) \\ b62.IN1(i) & = & IC.OUT1(i) \\ b11.OUT1(0) & = & b11.IC(0) \end{array} \right.$$

2 IntegratorBlock

$$\left\{ \begin{array}{lcl} a - 6.OUT1(i) & = & a - 6.IN1(i - 1) \\ a - 11.OUT1(i) & = & a - 11.IN1(i) \cdot a - 11.IN2(i) \\ a - 17.OUT1(i) & = & a - 17.IN1(i) + a - 17.IN2(i) \\ a - 22.OUT1(i) & = & a - 22.IN1(i - 1) \\ b - 1.OUT1(i) & = & 0 \\ b - 6.OUT1(i) & = & 1/b - 6.IN1(i) \\ b - 10.OUT1(i) & = & b - 10.IN1(i) \cdot b - 10.IN2(i) \\ OUT1(i) & = & a - 17.OUT1(i) \\ a - 6.IN1(i) & = & IN1.OUT1(i) \\ a - 6.IC(i) & = & b - 10.OUT1(i) \\ a - 11.IN2(i) & = & delta.t.OUT1(i) \\ a - 11.IN1(i) & = & a - 6.OUT1(i) \\ a - 17.IN2(i) & = & a - 11.OUT1(i) \\ a - 17.IN1(i) & = & a - 22.OUT1(i) \\ a - 22.IN1(i) & = & a - 17.OUT1(i) \\ a - 22.IC(i) & = & b - 1.OUT1(i) \\ b - 6.IN1(i) & = & delta.t.OUT1(i) \\ b - 10.IN1(i) & = & IC.OUT1(i) \\ b - 10.IN2(i) & = & b - 6.OUT1(i) \\ a - 6.OUT1(0) & = & a - 6.IC(0) \\ a - 22.OUT1(0) & = & a - 22.IC(0) \end{array} \right.$$

3 FactorialBlock

$$\left\{ \begin{array}{lcl} a - 7.OUT1(i) & = & a - 7.IN1(i) \cdot a - 7.IN2(i) \\ a - 12.OUT1(i) & = & a - 12.IN1(i - 1) \\ a - 18.OUT1(i) & = & a - 18.IN1(i) \leftrightarrow a - 18.IN2(i) \\ a - 22.OUT1(i) & = & 0 \\ a - 27.OUT1(i) & = & a - 27.IN1(i) + a - 27.IN2(i) \\ a - 35.OUT1(i) & = & 1 \\ b - 6.OUT1(i) & = & i(i) \\ OUT1(i) & = & a - 27.OUT1(i) \\ a - 7.IN2(i) & = & a - 12.OUT1(i) \\ a - 7.IN1(i) & = & b - 6.OUT1(i) \\ a - 12.IN1(i) & = & a - 27.OUT1(i) \\ a - 12.IC(i) & = & a - 35.OUT1(i) \\ a - 18.IN1(i) & = & a - 22.OUT1(i) \\ a - 18.IN2(i) & = & b - 6.OUT1(i) \\ a - 27.IN1(i) & = & a - 18.OUT1(i) \\ a - 27.IN2(i) & = & a - 7.OUT1(i) \\ a - 12.OUT1(0) & = & a - 12.IC(0) \end{array} \right.$$

4 Forward DerivatorBlock

$$\left\{ \begin{array}{lcl} a - 6.OUT1(i) & = & a - 6.IN1(i - 1) \\ a - 10.OUT1(i) & = & a - 10.IN1(i) + a - 10.IN2(i) \\ a - 14.OUT1(i) & = & a - 14.IN1(i) + a - 14.IN2(i) \\ a - 18.OUT1(i) & = & a - 18.IN1(i) \cdot a - 18.IN2(i) \\ a - 22.OUT1(i) & = & -a - 22.IN1(i) \\ OUT1(i) & = & a - 14.OUT1(i) \\ a - 6.IC(i) & = & a - 10.OUT1(i) \\ a - 6.IN1(i) & = & a - 14.OUT1(i) \\ a - 10.IN1(i) & = & IC.OUT1(i) \\ a - 10.IN2(i) & = & a - 22.OUT1(i) \\ a - 14.IN2(i) & = & a - 18.OUT1(i) \\ a - 14.IN1(i) & = & a - 6.OUT1(i) \\ a - 18.IN1(i) & = & IN1.OUT1(i) \\ a - 18.IN2(i) & = & delta_t.OUT1(i) \\ a - 22.IN1(i) & = & a - 18.OUT1(i) \\ a - 6.OUT1(0) & = & a - 6.IC(0) \end{array} \right.$$

5 Trapezoid Integrator

$$\left\{ \begin{array}{ll}
 a - 0.OUT1(i) & = b - 0.IN1(i) + b - 0.IN2(i) \\
 a - 4.OUT1(i) & = b - 4.IN1(i - 1) \\
 a - 8.OUT1(i) & = b - 8.IN1(i) \cdot b - 8.IN2(i) \\
 a - 12.OUT1(i) & = 2 \\
 a - 14.OUT1(i) & = 1/a - 14.IN1(i) \\
 a - 25.OUT1(i) & = b - 25.IN1(i) \cdot b - 25.IN2(i) \\
 a - 31.OUT1(i) & = b - 31.IN1(i) + b - 31.IN2(i) \\
 a - 37.OUT1(i) & = b - 37.IN1(i - 1) \\
 a - 44.OUT1(i) & = 0 \\
 c - 39.OUT1(i) & = TrapezoidInitialCondition(c - 39.delta.t(i), c - 39.IC(i), c - 39.IN1(i)) \\
 OUT1(i) & = a - 31.OUT1(i) \\
 a - 0.IN2(i) & = a - 4.OUT1(i) \\
 a - 0.IN1(i) & = IN1.OUT1(i) \\
 a - 4.IC(i) & = c - 39.OUT1(i) \\
 a - 4.IN1(i) & = IN1.OUT1(i) \\
 a - 8.IN1(i) & = a - 14.OUT1(i) \\
 a - 8.IN2(i) & = a - 0.OUT1(i) \\
 a - 14.IN1(i) & = a - 12.OUT1(i) \\
 a - 25.IN2(i) & = delta.t.OUT1(i) \\
 a - 25.IN1(i) & = a - 8.OUT1(i) \\
 a - 31.IN2(i) & = a - 25.OUT1(i) \\
 a - 31.IN1(i) & = a - 37.OUT1(i) \\
 a - 37.IN1(i) & = a - 31.OUT1(i) \\
 a - 37.IC(i) & = a - 44.OUT1(i) \\
 c - 39.delta.t(i) & = delta.t.OUT1(i) \\
 c - 39.IC(i) & = IC.OUT1(i) \\
 c - 39.IN1(i) & = IN1.OUT1(i) \\
 a - 4.OUT1(0) & = b - 4.IC(0) \\
 a - 37.OUT1(0) & = b - 37.IC(0)
 \end{array} \right.$$

6 Simpson

$$\left\{ \begin{array}{lcl}
 a - 36.OUT1(i) & = & i(i) \\
 a - 61.OUT1(i) & = & MUX(a - 61.IN1(i), a - 61.IN2(i), a - 61.select(i)) \\
 a - 71.OUT1(i) & = & a - 71.IN1(i - 1) \\
 a - 75.OUT1(i) & = & a - 75.IN1(i - 1) \\
 a - 81.OUT1(i) & = & 0 \\
 b - 7.OUT1(i) & = & 0 \\
 b - 10.OUT1(i) & = & b - 10.IN1(i) + b - 10.IN2(i) \\
 b - 14.OUT1(i) & = & b - 14.IN1(i - 1) \\
 b - 22.OUT1(i) & = & -b - 22.IN1(i) \\
 b - 26.OUT1(i) & = & b - 26.IN1(i) + b - 26.IN2(i) \\
 b - 37.OUT1(i) & = & SimpsonFormula(b - 37.IN1(i), b - 37.IN2(i), b - 37.IN3(i)) \\
 b - 45.OUT1(i) & = & b - 45.IN1(i) + b - 45.IN2(i) \\
 b - 52.OUT1(i) & = & MUX(b - 52.IN1(i), b - 52.IN2(i), b - 52.select(i)) \\
 b - 60.OUT1(i) & = & b - 60.IN1(i) \mod b - 60.IN2(i) \\
 b - 66.OUT1(i) & = & 2 \\
 c - 37.OUT1(i) & = & TrapezoidFormula(c - 37.IN1(i), c - 37.IN2(i), c - 37.delta.t(i)) \\
 c - 49.OUT1(i) & = & c - 49.IN1(i) \cdot c - 49.IN2(i) \\
 OUT1(i) & = & a - 61.OUT1(i) \\
 a - 61.IN1(i) & = & IC.OUT1(i) \\
 a - 61.select(i) & = & a - 36.OUT1(i) \\
 a - 61.IN2(i) & = & b - 52.OUT1(i) \\
 a - 71.IN1(i) & = & IN1.OUT1(i) \\
 a - 71.IC(i) & = & IC.OUT1(i) \\
 a - 75.IC(i) & = & a - 81.OUT1(i) \\
 a - 75.IN1(i) & = & a - 71.OUT1(i) \\
 b - 10.IN1(i) & = & b - 14.OUT1(i) \\
 b - 10.IN2(i) & = & c - 37.OUT1(i) \\
 b - 14.IN1(i) & = & a - 61.OUT1(i) \\
 b - 14.IC(i) & = & b - 7.OUT1(i) \\
 b - 22.IN1(i) & = & c - 37.OUT1(i) \\
 b - 26.IN1(i) & = & b - 14.OUT1(i) \\
 b - 26.IN2(i) & = & b - 22.OUT1(i) \\
 b - 37.IN1(i) & = & IN1.OUT1(i) \\
 b - 37.IN3(i) & = & a - 75.OUT1(i) \\
 b - 37.IN2(i) & = & a - 71.OUT1(i) \\
 b - 45.IN1(i) & = & b - 26.OUT1(i) \\
 b - 45.IN2(i) & = & c - 49.OUT1(i) \\
 b - 52.IN1(i) & = & b - 10.OUT1(i) \\
 b - 52.IN2(i) & = & b - 45.OUT1(i) \\
 b - 52.select(i) & = & b - 60.OUT1(i) \\
 b - 60.IN1(i) & = & a - 36.OUT1(i) \\
 b - 60.IN2(i) & = & b - 66.OUT1(i) \\
 c - 37.delta.t(i) & = & delta.t.OUT1(i) \\
 c - 37.IN1(i) & = & IN1.OUT1(i) \\
 c - 37.IN2(i) & = & a - 71.OUT1(i) \\
 c - 49.IN1(i) & = & delta.t.OUT1(i) \\
 c - 49.IN2(i) & = & b - 37.OUT1(i) \\
 a - 71.OUT1(0) & = & a - 71.IC(0) \\
 a - 75.OUT1(0) & = & a - 75.IC(0) \\
 b - 14.OUT1(0) & = & b - 14.IC(0)
 \end{array} \right.$$

7 LookUpTableBlock

$$\left\{ \begin{array}{ll}
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 4.OUT1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 4.IN1(i) < \mathcal{J} - YlHAasBxaOKrxFiZ4 - 9.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 9.OUT1(i) & = 10 \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 20.OUT1(i) & = MUX (\\
 \mathcal{I} - YlHAasBxaOKrxFiZ4 - 20.IN1(i), \\
 \mathcal{I} - YlHAasBxaOKrxFiZ4 - 20.IN2(i), \\
 \mathcal{I} - YlHAasBxaOKrxFiZ4 - 20.select(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 26.OUT1(i) & = 0 \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 34.OUT1(i) & = 170 \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 36.OUT1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 36.IN1(i) < \mathcal{J} - YlHAasBxaOKrxFiZ4 - 42.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 42.OUT1(i) & = MUX (\\
 \mathcal{I} - YlHAasBxaOKrxFiZ4 - 42.IN1(i), \\
 \mathcal{I} - YlHAasBxaOKrxFiZ4 - 42.IN2(i), \\
 \mathcal{I} - YlHAasBxaOKrxFiZ4 - 42.select(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 49.OUT1(i) & = 10 \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 56.OUT1(i) & = 200 \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 58.OUT1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 58.IN1(i) < \mathcal{J} - YlHAasBxaOKrxFiZ4 - 62.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 62.OUT1(i) & = MUX (\\
 \mathcal{I} - YlHAasBxaOKrxFiZ4 - 62.IN1(i), \\
 \mathcal{I} - YlHAasBxaOKrxFiZ4 - 62.IN2(i), \\
 \mathcal{I} - YlHAasBxaOKrxFiZ4 - 62.select(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 67.OUT1(i) & = 8 \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 76.OUT1(i) & = i(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 78.OUT1(i) & = 260 \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 80.OUT1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 80.IN1(i) < \mathcal{J} - YlHAasBxaOKrxFiZ4 - 84.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 84.OUT1(i) & = MUX (\\
 \mathcal{I} - YlHAasBxaOKrxFiZ4 - 84.IN1(i), \\
 \mathcal{I} - YlHAasBxaOKrxFiZ4 - 84.IN2(i), \\
 \mathcal{I} - YlHAasBxaOKrxFiZ4 - 84.select(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 89.OUT1(i) & = 18 \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 138.OUT1(i) & = 12 \\
 OUT1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 20.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 4.IN2(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 9.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 4.IN1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 76.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 20.select(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 4.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 20.IN1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 26.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 20.IN2(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 42.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 36.IN2(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 34.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 36.IN1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 76.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 42.select(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 36.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 42.IN1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 49.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 42.IN2(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 62.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 58.IN2(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 56.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 58.IN1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 76.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 62.select(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 58.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 62.IN1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 67.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 62.IN2(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 84.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 80.IN1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 76.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 80.IN2(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 78.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 84.select(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 80.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 84.IN1(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 89.OUT1(i) \\
 \mathcal{J} - YlHAasBxaOKrxFiZ4 - 84.IN2(i) & = \mathcal{J} - YlHAasBxaOKrxFiZ4 - 138.OUT1(i)
 \end{array} \right.$$