

The Beattie-Bridgeman equation of state

$$P = \frac{RT}{V} + \frac{a}{V^2} + \frac{b}{V^3} + \frac{c}{V^4}$$

is a three-parameter extension of the ideal gas law, where P is the pressure, V is the volume, the temperature $T = 270^\circ$, $R = 0.082$, $a = -1.06$, $b = 0.057$, and $c = -0.001$.

If we multiply both sides by V^4 , the equation becomes

$$PV^4 = RTV^3 + aV^2 + bV + c$$

You can use this version of the equation to calculate V . It is completely equivalent to the equation at the top of the page.

Write a MATLAB program as follows:

- 1) P will go from 2 atm to 12 atm in steps of 2 atm.
Use an outer for loop to generate the values of P . The statements to calculate V and print a line of output will be inside this outer for loop.
- 2) For each value of P , call a function that uses Newton's Method to calculate the value of V that satisfies the second equation from the top. Name this function `Newton`. Use 10 as the initial guess for V and $1e-7$ as the accuracy factor. Print P and V .

The output of this program should look like this:

```
P= 2   V=11.02215
P= 4   V= 5.48718
P= 6   V= 3.64221
P= 8   V= 2.71974
P=10   V= 2.16627
P=12   V= 1.79731
```