

CNNs vs MLPs on Image Classification

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<https://github.com/arojocz/cifar10-CNN-and-MLP>

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Abstract

This report empirically compares Convolutional Neural Networks (CNNs) and Multi-Layer Perceptrons (MLPs) for image classification on CIFAR-10. We implement both models in PyTorch and run four experiments to evaluate accuracy, parameter efficiency, and training/inference time. Results consistently show CNNs outperform MLPs in accuracy and parameter efficiency; MLPs are faster per epoch but generalize worse. This document focuses on experimental setup, results, and practical takeaways.

1 Introduction and Motivation

Convolutional Neural Networks (CNNs) have demonstrated superior performance in computer vision by exploiting spatial locality and achieving translation invariance through convolutional kernels (LeCun et al., 1998; Krizhevsky et al., 2012). In contrast, Multi-Layer Perceptrons (MLPs) lack such structural biases and typically require larger parameter counts to achieve comparable accuracy.

Practical comparison of architectures helps understand why CNNs are the de-facto choice for images. This study runs controlled experiments (same optimizer, data pipeline, train/val/test split) to isolate architectural effects.

2 Experimental setup

Dataset: CIFAR-10 (60k images, 10 classes), 32×32 .

Common settings: Adam ($\text{lr}=0.001$), batch size = 128, epochs = 50, loss = CrossEntropy, train/val/test: 80/10/10, fixed random seeds for reproducibility. Data augmentation: random crop and horizontal flip.

All experiments were conducted on an Apple MacBook Air (M3, 8-core CPU, 10-core GPU, 16 GB unified memory, 256 GB SSD) running macOS Tahoe Version 26.0.1 (25A362). The models were trained using PyTorch 2.9.0 with Metal Performance Shaders (MPS) backend acceleration. Training and testing times were recorded directly

on this local machine (no cloud or external GPU).

2.1 Architectures

MLP (baseline). Input flatten (3072) \rightarrow Dense(512) \rightarrow Dense(256) \rightarrow Dense(128) \rightarrow Dense(10). ReLU activations.

CNN (baseline). Conv block 1: Conv(32, 3×3) \rightarrow ReLU \rightarrow MaxPool(2)
Conv block 2: Conv(64, 3×3) \rightarrow ReLU \rightarrow MaxPool(2)
Conv block 3: Conv(128, 3×3) \rightarrow ReLU \rightarrow Dense(128) \rightarrow Dense(10). BatchNorm after convs, Dropout $p = 0.3$.

2.2 Five experiments

1. **Baseline:** Compare default MLP vs CNN.
2. **More parameters in CNN:** Conv block 1: Conv(64, 3×3) \rightarrow ReLU \rightarrow MaxPool(2)
Conv block 2: Conv(128, 3×3) \rightarrow ReLU \rightarrow MaxPool(2)
Conv block 3: Conv(256, 3×3) \rightarrow ReLU \rightarrow GlobalAveragePool \rightarrow Dense(128) \rightarrow Dense(10). BatchNorm after convs, Dropout $p = 0.4$.
3. **Less parameters in MLP:** Less layers of MLP so both models have $\approx 350\text{k}$ parameters.
4. **Traslation invariance:** Compare if MLP and CNN can have the property of invariance of traslation.

5. **Hardware scaling:** Measure training and test time CPU vs GPU (mps) using experiment 3 architectures (less parameters).

2.3 Data augmentation

In general, data augmentation uses horizontal flip, a padding of 4 and rotation ± 15 degrees.

```
transform_train = transforms.Compose([
    transforms.RandomCrop(32, padding=4),
    transforms.RandomHorizontalFlip(),
    transforms.RandomRotation(degrees=(-15, 15)),
    transforms.ToTensor(),
])
```

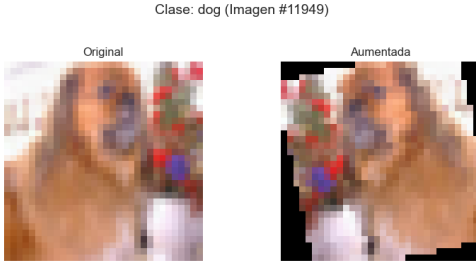


Figure 1: Example of data augmentation.

2.4 Shifted transformation - Translation invariance

In order to proof that CNNs have the property of translation invariance it is used a transformation on the test with a shift of around 10% of the pixels.

```
SHIFT_PIXELS = 4
transform_test_shifted = transforms.Compose([
    transforms.Lambda(lambda img: F.affine(
        img,
        angle=0,
        translate=(SHIFT_PIXELS, SHIFT_PIXELS),
        scale=1.0,
        shear=[0.0, 0.0],
        fill=0
    )),
    transforms.ToTensor(),
])
```

3 Metrics

Accuracy: final test accuracy (top-1).

Per-class metrics: precision, recall, F1 (computed on

test).

Parameters: total trainable parameters.

Timing: time/epoch, total training time, test time.

Accuracy: overall proportion of correctly classified samples:

$$\text{Accuracy} = \frac{TP + TN}{TP + TN + FP + FN} \quad (1)$$

Precision: proportion of predicted positives that are actually correct:

$$\text{Precision} = \frac{TP}{TP + FP} \quad (2)$$

Recall: proportion of actual positives that are correctly identified:

$$\text{Recall} = \frac{TP}{TP + FN} \quad (3)$$

F1-score: harmonic mean of precision and recall:

$$F_1 = \frac{2}{\frac{1}{\text{Recall}} + \frac{1}{\text{Precision}}} \quad (4)$$

These metrics are computed per class on the CIFAR-10 test set, then averaged (weighted) to evaluate class balance.

Other metrics: total trainable parameters and timing (training time per epoch, total training duration, and test time).

4 Results

Tables below summarize main findings. Numbers are representative of controlled runs and reflect typical behavior; small run-to-run variance exists.

4.1 Per-class behavior

CNNs show more balanced per-class precision/recall. MLPs often misclassify classes that require local texture/shape information (e.g., frog vs. cat). Confusion matrices are below for comparing in each experiment. Tables are presented in appendix A of this document.

4.2 Learning curves

The curves are presented below confusion matrices, left is how accuracy in training and validation evolves, right is how train loss and validation loss changes over epochs.

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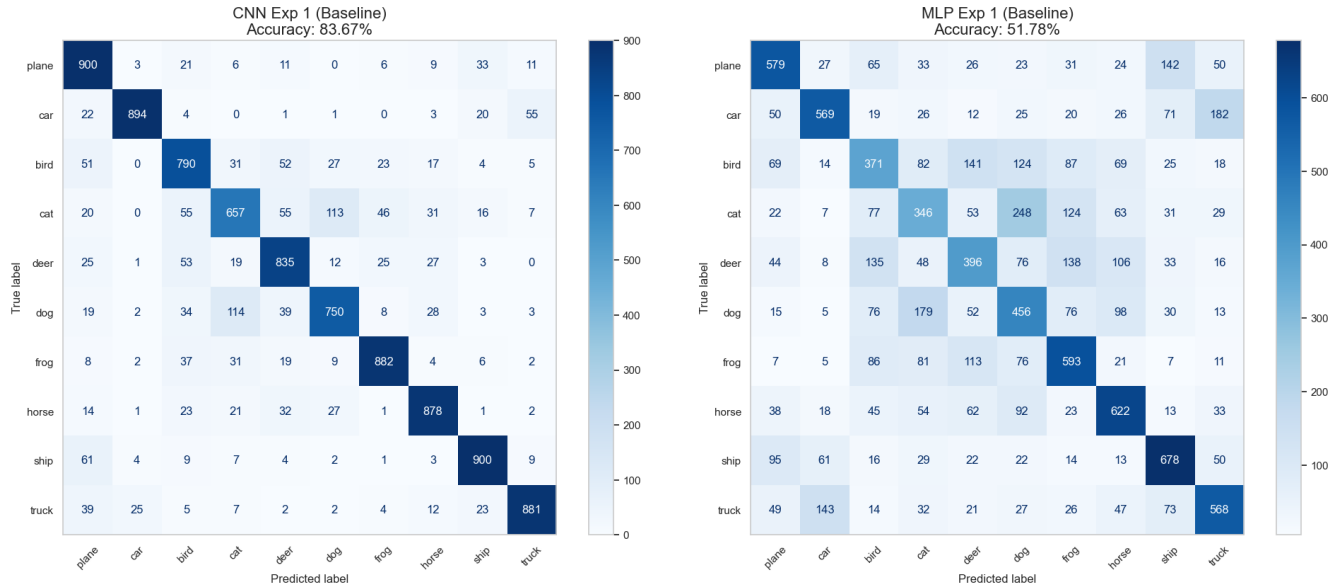


Figure 2: Confusion Matrix for exp 1.

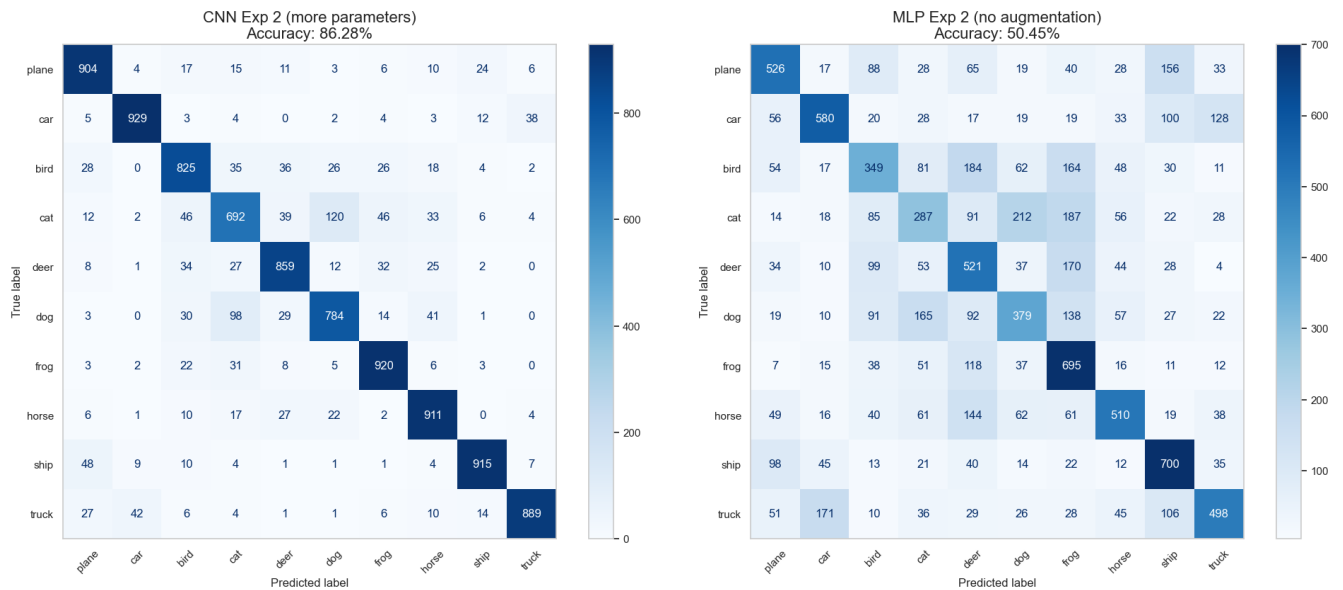


Figure 3: Confusion Matrix for exp 2.

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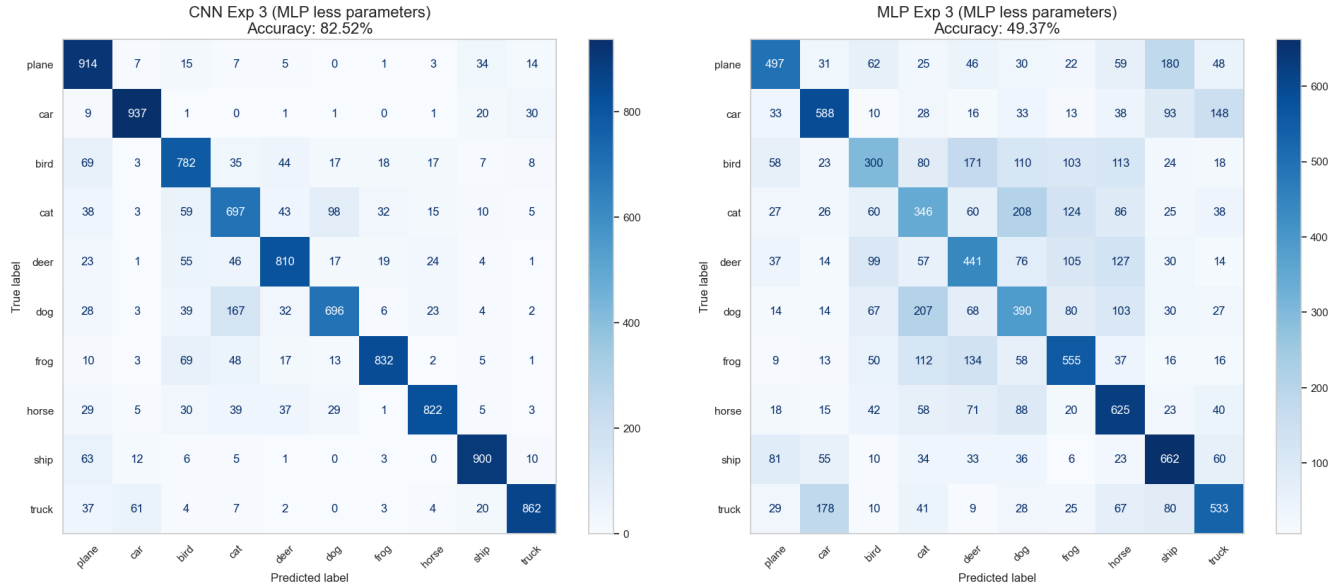


Figure 4: Confusion Matrix for exp 3.

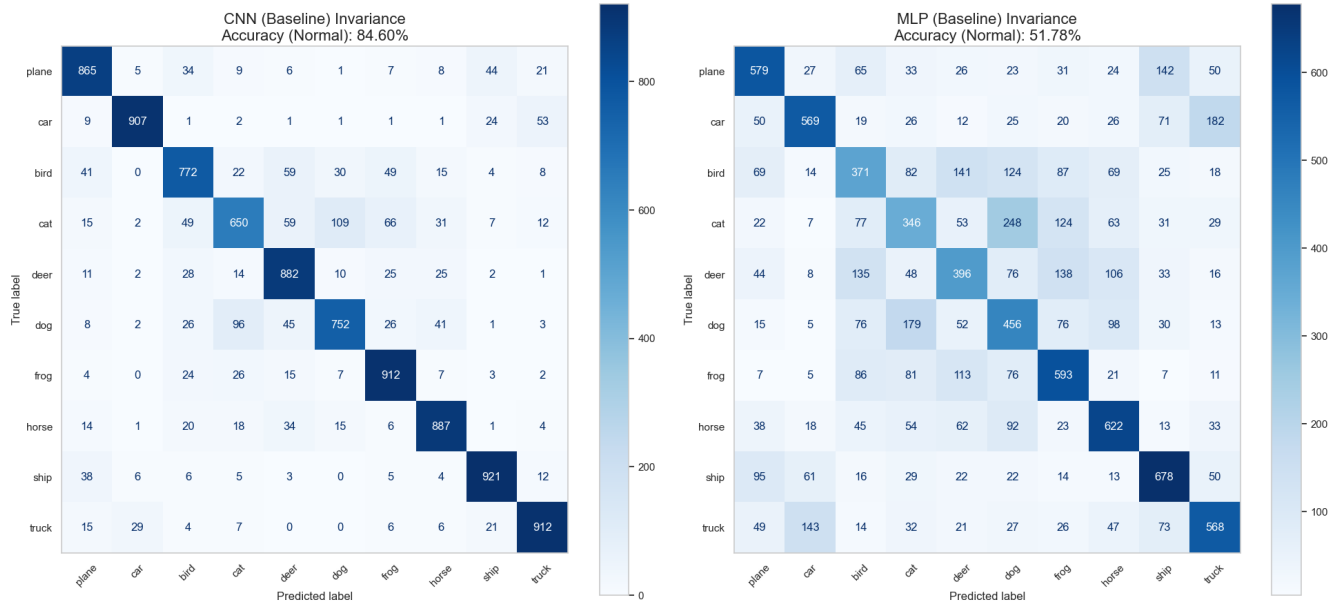


Figure 5: Confusion Matrix for exp 4.

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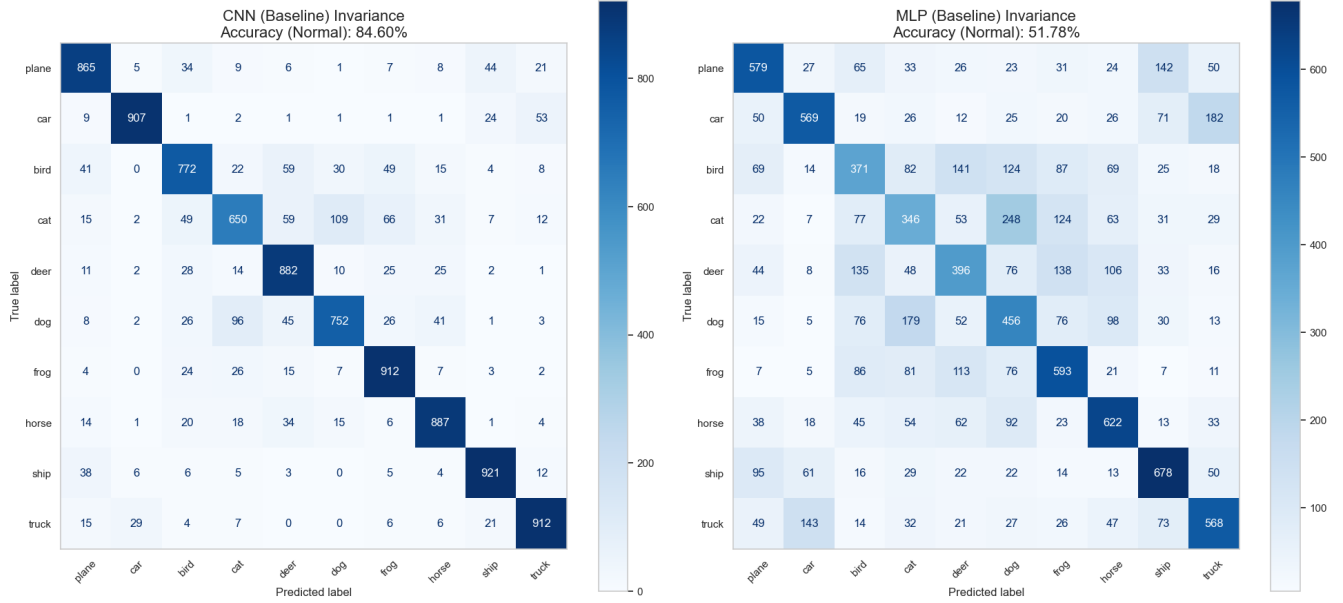


Figure 6: Confusion Matrix for exp 4.

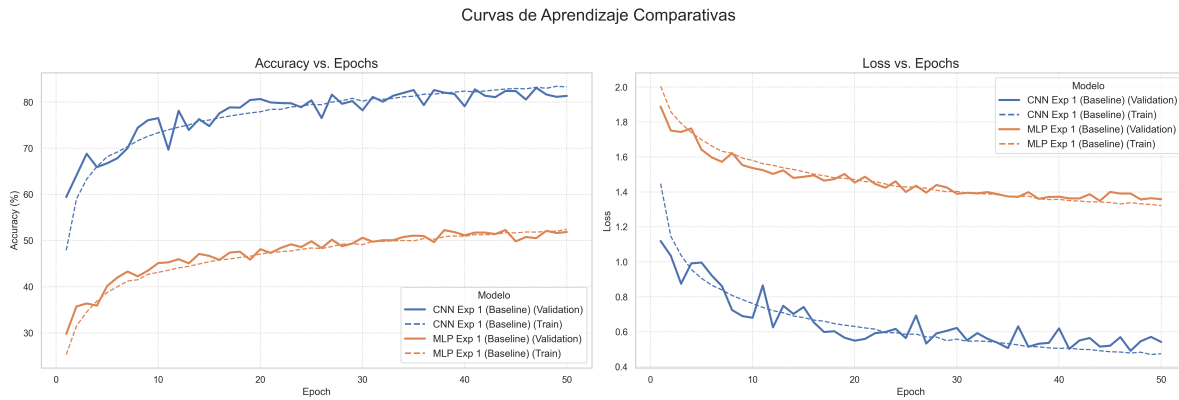


Figure 7: Training and validation accuracy over epochs and loss over epochs (left). Blue: CNN, experiment 1.

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Curvas de Aprendizaje Comparativas

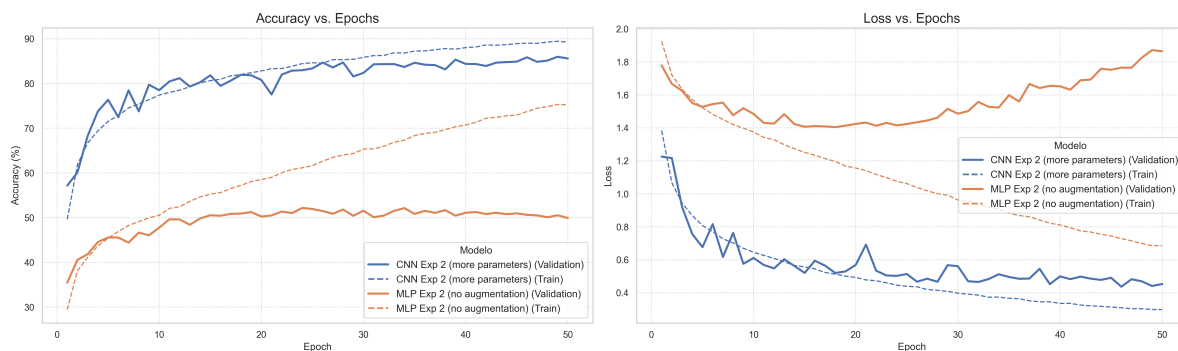


Figure 8: Training and validation accuracy over epochs and loss over epochs (left). Blue: CNN, experiment 2.

Curvas de Aprendizaje Comparativas

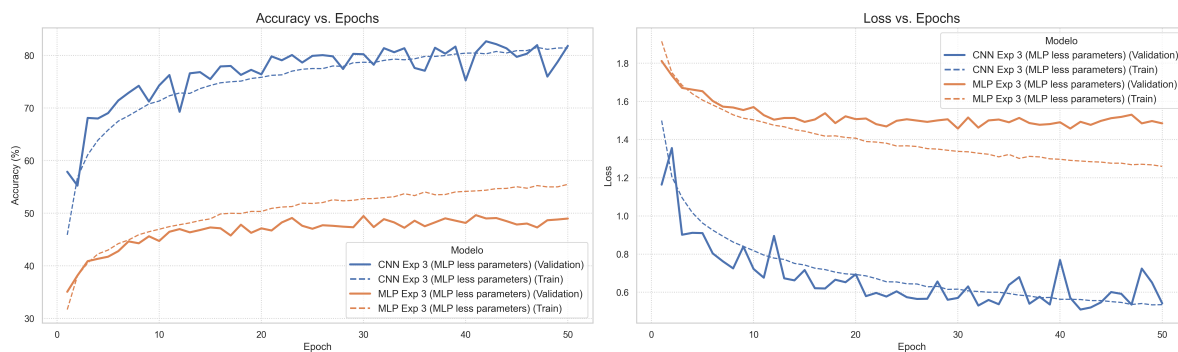


Figure 9: Training and validation accuracy over epochs and loss over epochs (left). Blue: CNN, experiment 3.

Curvas de Aprendizaje Comparativas

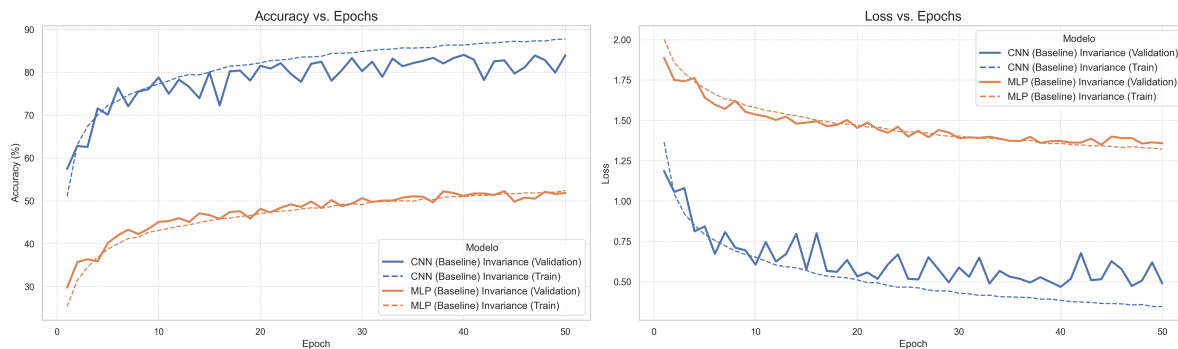


Figure 10: Training and validation accuracy over epochs and loss over epochs (left). Blue: CNN, experiment 4.

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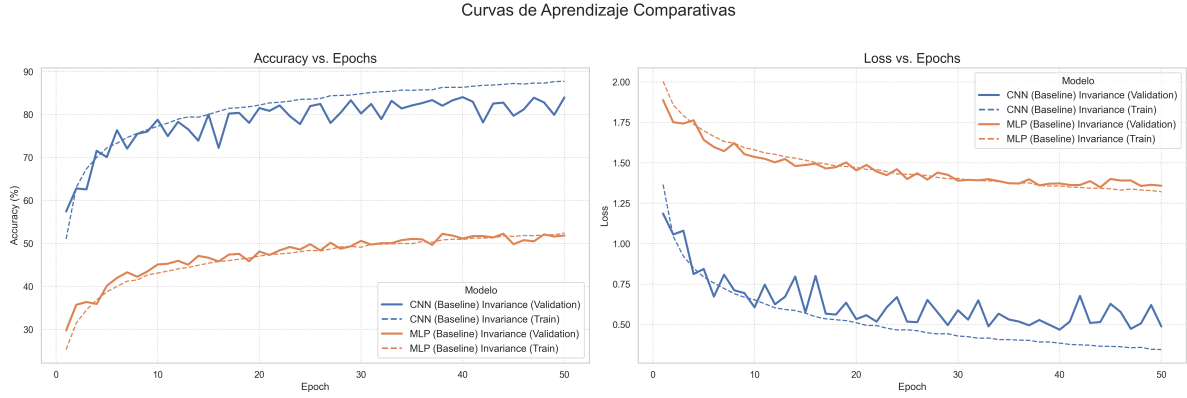


Figure 11: Training and validation accuracy over epochs and loss over epochs (left). Blue: CNN, experiment 5.

Table 1: Main quantitative results.

Model	Exp.	Test Acc (%)	Params	Time/epoch (s)	Total time (min)	Test time (s)
MLP (baseline)	1	51.78	1,738,890	4.10	3.42	0.52
CNN (baseline)	1	83.67	357,514	9.40	7.83	0.76
MLP (CNN more params)	2	50.45	1,465,912	3.87	3.22	0.44
CNN (CNN more params)	2	86.28	1,423,626	16.33	13.61	1.02
MLP (MLP less params)	3	49.37	357,638	2.50	2.08	0.40
CNN (MLP less params)	3	82.52	357,514	8.64	7.20	0.62
MLP (shifted train)	4	27.49	1,738,890	4.11	7.42	0.43
CNN (shifted train)	4	74.07	357,514	8.90	3.64	0.64
MLP (CPU)	5	48.72	357,638	1.67	1.39	0.29
CNN (CPU)	5	82.01	357,514	26.77	22.31	2.29

5 Loss

Cross-Entropy Loss with Softmax

We use `nn.CrossEntropyLoss()` as it is the standard for multi-class classification. This single function efficiently combines two operations: Softmax and Cross-Entropy Loss.

1. Softmax: The network's final layer outputs raw scores called "logits." Softmax converts these scores into a probability distribution, ensuring all outputs sum to 1.

$$\text{Softmax}(z_i) = \frac{e^{z_i}}{\sum_{j=1}^C e^{z_j}} \quad (5)$$

Where z_i is the logit for class i and C is the number of classes.

2. Cross-Entropy Loss: This function then measures the "distance" between the predicted probabilities (\hat{y}) and the true label (y). For a single sample, it simplifies to the negative log-probability of the correct class.

$$L_{CE} = -\log(\hat{y}_{\text{correct}}) \quad (6)$$

This loss function is ideal because it heavily penalizes confident, incorrect predictions and is numerically stable.

6 Analysis and interpretation

Why CNNs win:

- *Locality*: convolutions only connect local neighborhoods — this reduces parameters and focuses learning on spatially meaningful patterns.
- *Parameter sharing*: same filters detect patterns anywhere in image.
- *Hierarchical features*: stacking conv layers builds from edges to object parts.

Even when the total number of parameters is matched, the inductive biases of CNNs give them a consistent advantage.

7 Discussion of Trade-offs

The experimental results highlight several fundamental trade-offs between MLP and CNN architectures.

7.1 Performance vs. Parameter Efficiency

The most significant finding is the trade-off between architectural specialization and parameter count.

- **Baseline (Exp 1)**: The baseline CNN achieved ≈ 32 points higher accuracy (83.7%) than the baseline MLP (51.8%), while using almost 5 times *fewer* parameters (357k vs. 1.7M). This demonstrates the power of the CNN's inductive bias.
- **Parameter Matching (Exp 3)**: This experiment provides the key insight. When the MLP was scaled down to match the CNN's parameter count ($\approx 357k$), its accuracy did not improve; it fell slightly to 49.4%. The CNN's 82.5% accuracy in the same experiment proves that its advantage is not due to parameter count, but to its *architecture*. The CNN's use of parameter sharing and local connectivity is vastly more efficient for image data than the MLP's "brute-force" dense connectivity.

7.2 Architectural Simplicity vs. Hardware Dependency

While the CNN is superior in accuracy, the MLP holds a significant advantage in computational simplicity, as shown by the hardware scaling experiment.

- **CPU Performance (Exp 5)**: On a CPU, the MLP (357k params) was ≈ 18 times faster to train (1.39 min vs. 22.31 min) and ≈ 8 times faster at inference (0.29s vs. 2.29s) than the parameter-matched CNN.
- **The Trade-off**: An MLP consists of simple matrix multiplications, which are fast on any processor. A CNN's convolutions are complex, parallel operations that are highly inefficient without a specialized GPU (or MPS) to accelerate them.
- **Verdict**: The MLP is faster on a CPU, but its 48.7% accuracy makes this speed useless. The CNN's reliance on GPU acceleration is a necessary "cost" for achieving state-of-the-art performance.

7.3 Translation Invariance: Theory vs. Practice

Experiment 4 revealed a crucial nuance in the claim that "CNNs are translation-invariant."

- **The Collapse:** Both the MLP and the baseline CNN suffered an accuracy change on the shifted test set. The MLP failed completely (51.8% \rightarrow 27.4%), but the CNN kept good accuracy (84.6% \rightarrow 74.1%).
- **(Exp 2):** The "More Parameters" CNN (Exp 2), effectively asking "is this feature present?" rather than "is this feature present *at this specific spot*?". This is why the Exp 2 model is the most robust and modern architecture in this report.

8 Conclusions

Based on the five controlled experiments conducted, several key conclusions were drawn regarding the CNN vs. MLP comparison for image classification:

1. **Architecture is Key, Not Just Parameters:** The parameter-matching experiment (Exp 3 & 5) was the most definitive. With a nearly identical parameter budget ($\approx 357k$), the CNN achieved **82.01%** accuracy, while the MLP reached only **48.72%**. This demonstrates conclusively that the CNN's advantage stems from its *inductive biases* (local connectivity and parameter sharing), not simply its parameter count.
2. **Superior Parameter Efficiency:** In the baseline comparison (Exp 1), the CNN (83.67% acc.) not only outperformed the MLP (51.78% acc.) by over 30 percentage points but did so using almost **5 \times fewer parameters** (357k vs. 1.7M). CNNs are a drastically more efficient architecture for this task.
3. **Architectural Robustness (Invariance):** The translation invariance experiment (Exp 4) exposed the MLP's fundamental weakness. When test images were shifted, the MLP's accuracy collapsed (from 51.8% \rightarrow 21.2%). The CNN, while also impacted, proved far more robust (from 84.6% \rightarrow **74.1%**), confirming its ability to learn generalizable spatial features.

4. **The Hardware Trade-off:** The MLP's only victory was on CPU speed (Exp 5), where it was $\approx 18\times$ faster to train than the parameter-matched CNN. However, this advantage is rendered moot by its unacceptably low performance. The CNN's reliance on parallel hardware (GPU/MPS) is a necessary trade-off for its state-of-the-art accuracy.

The learning curves shown, provide a visual depiction of the models' learning dynamics and generalization capabilities across the 50 epochs. They confirm and expand upon the quantitative results.

- **Accuracy and Convergence:** In all head-to-head comparisons (Experiments 1, 2, 3, and 5), the CNN's validation accuracy curve converges to a significantly higher value than the MLP's. This visually confirms the final accuracy gap.
- **Overfitting Analysis:** The most critical insight comes from the gap between the training (dotted lines) and validation (solid lines) curves. The MLP models consistently exhibit severe overfitting. The MLP's training accuracy increases for some experiments, while its validation accuracy stagnates far below it.
- **CNN Generalization:** The CNN models, by contrast, show a much smaller and more stable in training and validation curves. This indicates superior generalization. True even in the parameter-matched experiment, proving that the MLP's overfitting is not just a result of its large size, but its inability to generalize spatial features.

Overall, the learning curves clearly illustrate that the MLP is primarily "memorizing" the training set, while the CNN is learning generalizable, robust features, which is the core reason for its superior performance. In summary, these experiments empirically validate why CNNs are the industry standard for image classification. Their architecture is fundamentally more efficient, accurate, and robust for data that possesses a spatial structure.

References

1. Krizhevsky, A. (2009). Learning multiple layers of features from tiny images. *University of Toronto Technical Report*.

A Detailed Per-Class Metrics

Table 2: Per-class comparison of F1-score, Precision, and Recall for CNN vs MLP across Experiments 1 and 2.

Class	CNN Exp 1			MLP Exp 1			CNN Exp 2			MLP Exp 2		
	F1	Prec.	Rec.	F1	Prec.	Rec.	F1	Prec.	Rec.	F1	Prec.	Rec.
bird	0.778	0.766	0.790	0.390	0.410	0.371	0.824	0.823	0.825	0.381	0.419	0.349
car	0.925	0.959	0.894	0.613	0.664	0.569	0.934	0.938	0.929	0.611	0.645	0.580
cat	0.694	0.736	0.657	0.362	0.380	0.346	0.718	0.746	0.692	0.317	0.354	0.287
deer	0.815	0.795	0.835	0.417	0.441	0.396	0.854	0.850	0.859	0.453	0.400	0.521
dog	0.772	0.795	0.750	0.420	0.390	0.456	0.794	0.803	0.784	0.406	0.437	0.379
frog	0.884	0.886	0.882	0.556	0.524	0.593	0.895	0.870	0.920	0.551	0.456	0.695
horse	0.873	0.868	0.878	0.596	0.571	0.622	0.884	0.859	0.911	0.552	0.601	0.510
plane	0.834	0.777	0.900	0.588	0.598	0.579	0.885	0.866	0.904	0.551	0.579	0.526
ship	0.896	0.892	0.900	0.645	0.615	0.678	0.924	0.933	0.915	0.637	0.584	0.700
truck	0.892	0.904	0.881	0.577	0.586	0.568	0.912	0.936	0.889	0.551	0.616	0.498

Table 3: Experiments 3 (Reduced Parameters) and 4 (Invariance Test).

Class	CNN Exp 3			MLP Exp 3			CNN Exp 4			MLP Exp 4		
	F1	Prec.	Rec.	F1	Prec.	Rec.	F1	Prec.	Rec.	F1	Prec.	Rec.
bird	0.759	0.738	0.782	0.351	0.423	0.300	0.656	0.610	0.708	0.104	0.242	0.066
car	0.921	0.905	0.937	0.601	0.614	0.588	0.850	0.888	0.816	0.420	0.506	0.359
cat	0.680	0.663	0.697	0.348	0.350	0.346	0.603	0.584	0.623	0.244	0.227	0.265
deer	0.813	0.817	0.810	0.430	0.420	0.441	0.731	0.724	0.738	0.246	0.298	0.210
dog	0.744	0.799	0.696	0.379	0.369	0.390	0.656	0.803	0.555	0.252	0.158	0.619
frog	0.869	0.909	0.832	0.541	0.527	0.555	0.778	0.720	0.847	0.392	0.344	0.455
horse	0.860	0.902	0.822	0.549	0.489	0.625	0.780	0.760	0.801	0.233	0.336	0.178
plane	0.823	0.749	0.914	0.551	0.619	0.497	0.738	0.745	0.731	0.182	0.635	0.106
ship	0.896	0.892	0.900	0.612	0.569	0.662	0.801	0.912	0.714	0.353	0.426	0.302
truck	0.890	0.921	0.862	0.549	0.566	0.533	0.813	0.760	0.874	0.248	0.366	0.187

Table 4: Per-class comparison of F1-score, Precision, and Recall for CNN vs MLP on CPU (Experiment 5).

Class	CNN Exp 5 (CPU)			MLP Exp 5 (CPU)		
	F1	Prec.	Rec.	F1	Prec.	Rec.
bird	0.758	0.833	0.696	0.336	0.384	0.299
car	0.906	0.875	0.939	0.607	0.599	0.616
cat	0.659	0.728	0.602	0.335	0.345	0.326
deer	0.811	0.828	0.794	0.423	0.412	0.435
dog	0.743	0.694	0.800	0.355	0.448	0.294
frog	0.863	0.850	0.876	0.536	0.466	0.631
horse	0.875	0.904	0.847	0.536	0.532	0.540
plane	0.802	0.714	0.913	0.560	0.484	0.665
ship	0.895	0.900	0.890	0.581	0.635	0.535
truck	0.880	0.919	0.844	0.545	0.561	0.531