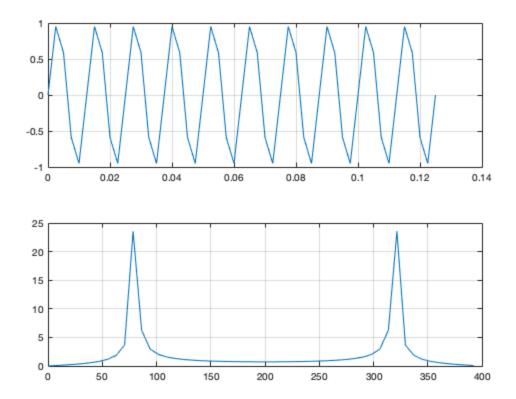
BME 306 Lab 4 - Fourier Analysis Introduction

Table of Contents

Question 1	I
Question 2	2
Question 3	4
Question 4	4
Question 5	5
Question 6	7
Question 7	
Question 8	9
Question 9	13
Question 10	13
Question 11	14
Question 12	15

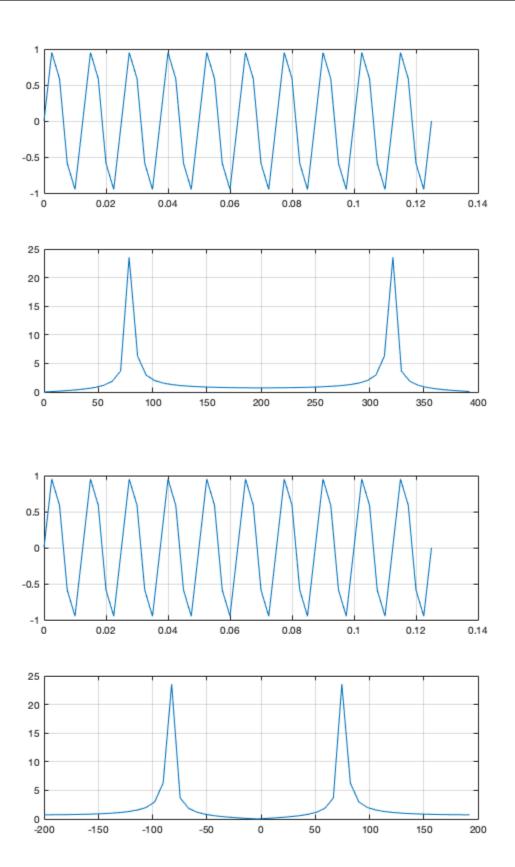
Alexander Ross 10/14/19

```
fs = 400;
t = 0:1/fs:0.125;
s = sin(2*pi*80*t);
DTF = abs(fft(s));
N = length(t)
t2 = 0:(fs/N):(400-(400/N));
figure();
subplot(2,1,1)
plot(t,s);
grid on
hold on
subplot(2,1,2)
plot(t2,DTF)
grid on
% Frequencies of the peaks: 78.4314, 321.5686
N =
    51
```

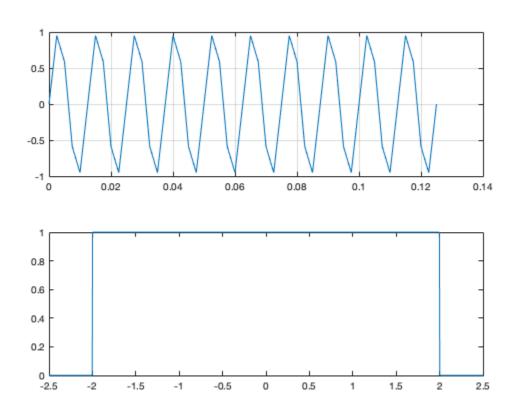


```
fs = 400;
t = 0:1/fs:0.125;
s = sin(2*pi*80*t);
DTF = fftshift(abs(fft(s)));

N = length(DTF);
t2 = (-fs/2):(fs/N):400/2-400/N;
figure();
subplot(2,1,1)
plot(t,s);
grid on
hold on
subplot(2,1,2)
plot(t2,DTF)
grid on
% Answer: -82.3529, 74.5098
```



```
t = -2.5:1/500:2.5;
s = rectangularPulse(-2,2,t);
plot(t,s);
```

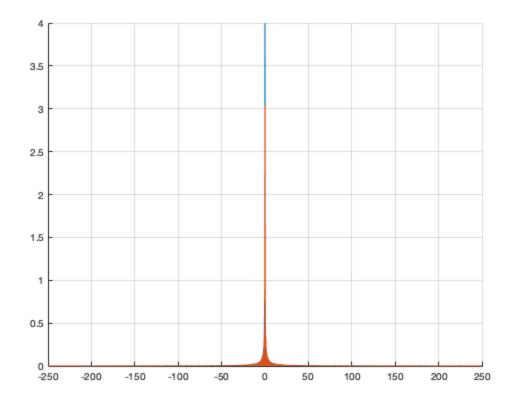


```
fs = 500;
t = -2.5:1/500:2.5;
s = rectangularPulse(-2,2,t);

N = length(t);
t2 = (-fs/2):(fs/N):500/2-500/N;

s2 = abs(4*sinc(4*t2));
s3 = 1/fs*fftshift(abs(fft(s)));

figure();
hold on
plot(t2,s3);
plot(t2,s2)
grid on
hold off
```



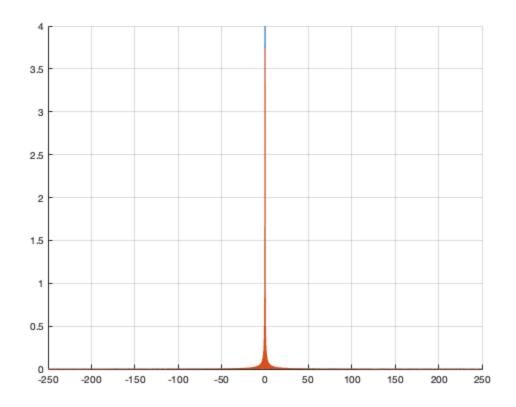
```
fs = 500;
t = -5:1/500:5;
s = rectangularPulse(-2,2,t);
N = length(t);
t2 = (-fs/2):(fs/N):500/2-500/N;
s2 = abs(4*sinc(4*t2));
s3 = 1/fs*fftshift(abs(fft(s)));
figure();
hold on
plot(t2,s3);
plot(t2,s2)
grid on
hold off
% -----
fs = 500;
t = -10:1/500:10;
s = rectangularPulse(-2,2,t);
```

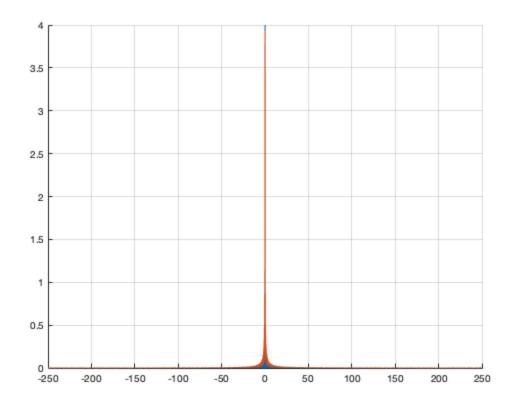
```
N = length(t);
t2 = (-fs/2):(fs/N):500/2-500/N;

s2 = abs(4*sinc(4*t2));
s3 = 1/fs*fftshift(abs(fft(s)));

figure();
hold on
plot(t2,s3);
plot(t2,s2)
grid on
hold off

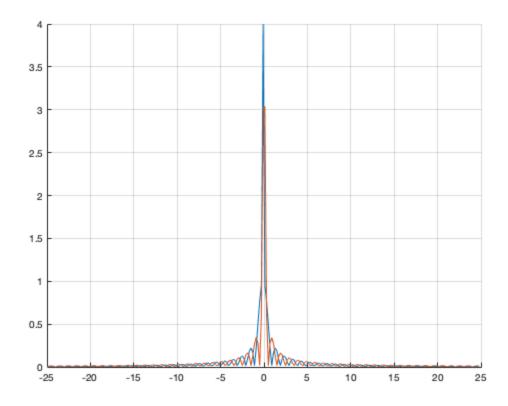
% Answer: Increasing the length of the time vector makes the amplitude of
% the plots closer together. The analytical solution becomes more
% accurate as the time vector.
```

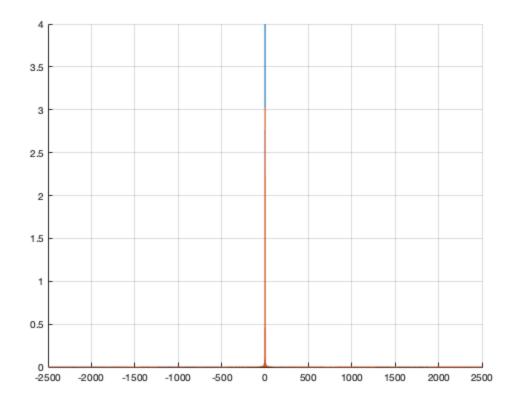




```
fs = 50;
t = -2.5:1/50:2.5;
s = rectangularPulse(-2,2,t);
N = length(t);
t2 = (-fs/2):(fs/N):50/2-50/N;
s2 = abs(4*sinc(4*t2));
s3 = 1/fs*fftshift(abs(fft(s)));
figure();
hold on
plot(t2,s3);
plot(t2,s2)
grid on
hold off
% -----
fs = 5000;
t = -2.5:1/5000:2.5;
s = rectangularPulse(-2,2,t);
```

```
N = length(t);
t2 = (-fs/2):(fs/N):5000/2-5000/N;
s2 = abs(4*sinc(4*t2));
s3 = 1/fs*fftshift(abs(fft(s)));
figure();
hold on
plot(t2,s3);
plot(t2,s2)
grid on
hold off
% Comparison: The plot of 50Hz is more accurate, while 5000Hz is less
accurate for the
% analytical solution than at 500Hz. The amplitude overlap of the two
% functions is significantly increased at 50Hz, and is reduced at
% Additionally, the time vector from the previous problem
% changed, so the dimensions of the plotted function are different.
```





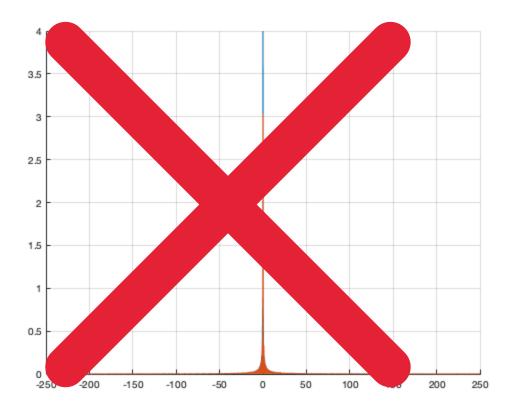
```
\mbox{\ensuremath{\upsigma}} The spectra from Question 5 with the longest time vector showed the most
```

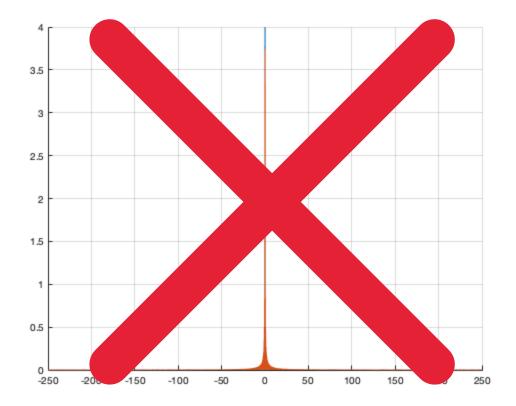
% accurate depiction of the continious-time signal. Longer time vector is

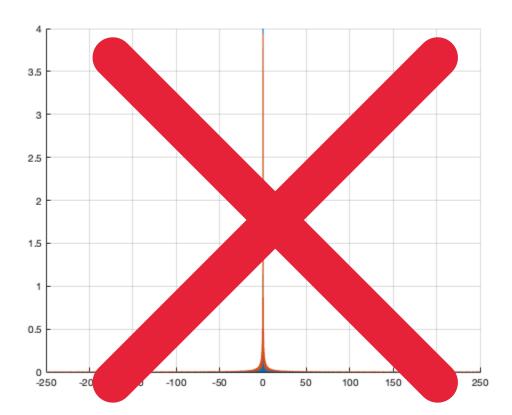
% directly related to how well the analytical solution matches the
% continous time signal

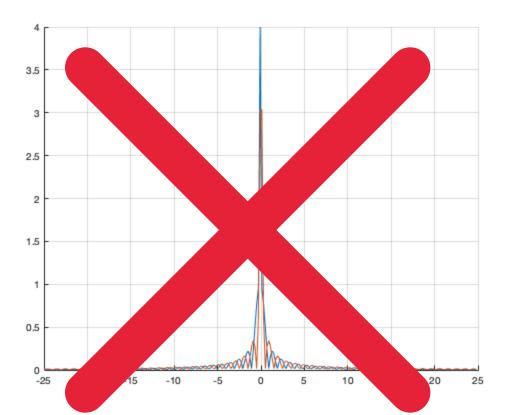
```
t = 20;
myVoice = audiorecorder;
pause(2);
% Define callbacks to show when
% recording starts and completes.
myVoice.StartFcn = 'disp(''Start speaking.'')';
recordblocking(myVoice,t);
myVoice.StopFcn = 'disp(''End of recording.'')';
doubleArray = getaudiodata(myVoice);
```

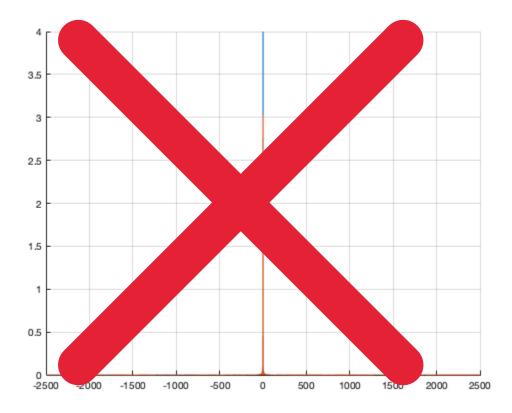
Start speaking.











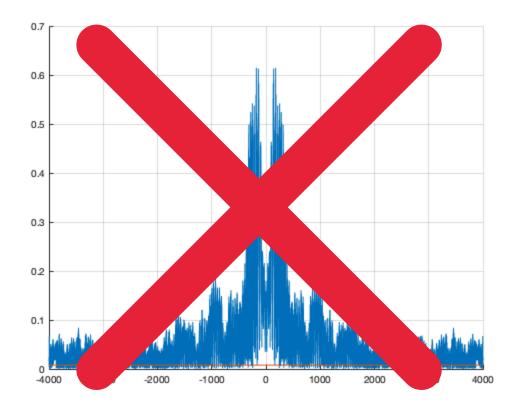
```
t = 20;
myVoice2 = audiorecorder;
pause(2);
% Define callbacks to show when
% recording starts and completes.
myVoice2.StartFcn = 'disp(''Start speaking.'')';
recordblocking(myVoice2,t);
myVoice2.StopFcn = 'disp(''End of recording.'')';
doubleArray2 = getaudiodata(myVoice2);
Start speaking.
```

```
fs = 8000;
t = (0:1/40:fs/2)';

N = length(t)-1;
t2 = (-(fs/2):(fs/(N)):(8000/2-8000/N))';

s1 = fftshift(abs(fft(doubleArray)));
s2 = fftshift(abs(fft(doubleArray2)));

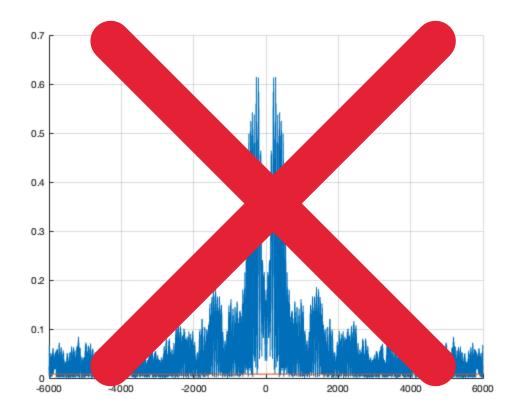
figure();
hold on
plot(t2,s1);
plot(t2,s2)
grid on
hold off
```



```
cuttoff1 = 0.05*max(s1);
cuttoff2 = 0.05*max(s2);
width1 = [];
width2 = [];
for ii = 1:length(s1)
    if s1(ii) >= cuttoff1
        width1 = [width1, t2(ii)];
    end
end
for jj = 1:length(s2)
    if s2(jj) >= cuttoff2
        width2 = [width2, t2(jj)];
    end
end
fprintf('The bandwidth spans from %f. Hz to %f. Hz\n', width1(1),
width1(length(width1)));
fprintf('The bandwidth spans from %f. Hz to %f. Hz\n', width2(1),
width2(length(width2)));
```

```
% Output:
%The bandwidth spans from -1057.650000. Hz to 1057.650000. Hz
%The bandwidth spans from -1040.800000. Hz to 1040.800000. Hz
The bandwidth spans from -3999.800000. Hz to 3999.800000. Hz
The bandwidth spans from -4000.000000. Hz to 3999.950000. Hz
```

```
fs = 12000;
t = (0:1/26.6666664:fs/2)';
N = length(t);
t2 = (-(fs/2):(fs/(N)):12000/2-12000/N)';
s1 = fftshift(abs(fft(doubleArray)));
s2 = fftshift(abs(fft(doubleArray2)));
figure();
hold on
plot(t2,s1);
plot(t2,s2)
grid on
hold off
% Answer: The amplitude of the spectra at frequencies of about 4000Hz
% approxmiately 10-20 units. It is not important to capture these
 frequencies
% in the cochlear implant program because these frequencies are beyond
 the
% range of human hearing. This can be seen in the attached graph, as
% amplitude of frequencies beyond 4000Hz is not significant to the
broader
% spectra
```



Published with MATLAB® R2019a

