



#ASLI ENGINEERING

Internal structure of a Hash Table



BY

ARPIT BHAYANI

Internal Structure of Hash Tables

Hash Tables → One of the most widely used data structures

Every language has its own implementation

↳ Python - Dictionary

↳ Java - HashMap

↳ Javascript - Object

↳ Golang - Map

Hash Tables are also used as building block for constructing

- Classes and its members

- Variable lookup Tables

Hash Tables are designed to provide

constant time → insertions
↘ deletion
↘ lookups

key → value

| | | | |
|--|--------|----|--|
| | apple | 5 | |
| | banana | 15 | |
| | cat | 2 | |
| | dog | 3 | |

Two ideas to construct Hash Table

1. application key to hash key $[0, N)$

apple → 12762179

2. hash key to a smaller range $[0, m)$

12762179 → 17

1. Application keys to Hash Keys

We cannot put anything as a key in hash table

It is limited to a specific set of types

eg. string, int, tuple, etc

We can also use custom types as keys if they implement

the 'hash' function that spits out an integer for the object

* For some native types, the hash function is internally implemented

Hash keys have a larger range say $[0, 2^{32})$

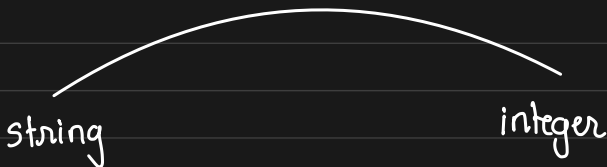
and a hash function converts the object to this int range

apple \longrightarrow f \longrightarrow 12762179

banana \longrightarrow f \longrightarrow 51962

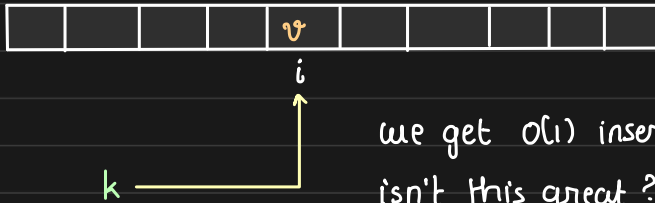
cat \longrightarrow f \longrightarrow 72

dog \longrightarrow f \longrightarrow 1962719



Naive implementation

Because we are already getting $\text{int}(i)$ from key (k) ,
what if we store the value (v) at index i ?



we get $O(1)$ insert, update, and lookup
isn't this great?

This approach works well, only when N is small

Space required for holding array when

$$N = 10 \rightarrow 4 \times 10 = 40B$$

$$N = 100 \rightarrow 4 \times 100 = 400B$$

$$N = 1000 \rightarrow 4 \times 1000 \approx 4KB$$

$$N = 1m \rightarrow 4 \times 1m \approx 4MB$$

$$\text{if } N = \text{int32 range} \rightarrow 4 \times 4 \text{ billion} \approx 16GB$$

Challenges:

1. Finding this big chunk of memory is tough
2. lot of slots would remain empty

2. Mapping hash key to smaller range

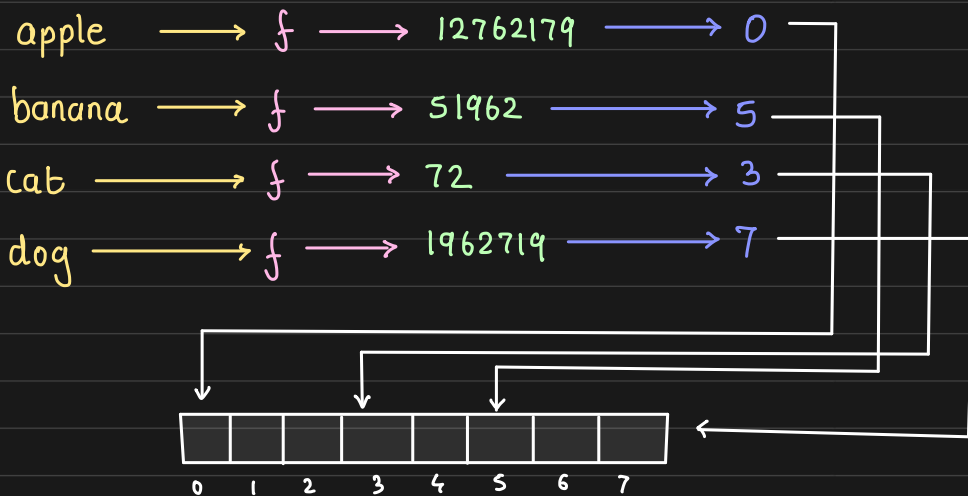
If we are planning to store k keys in the hash table, we have to have array of size m such that

$$m \in O(k)$$

This requires us to have a second step that reduces Hash key from range to smaller bin range

$$[0, N) \longrightarrow [0, m)$$

Say, we are planning to store 4 keys in hash table we can have a bin (array) of length 8



Adding more keys

If we add more keys to our hash table,

the holding array would have to be resized

$$m \rightarrow 2 \times m$$

* No need to alter the first hash function \rightarrow large N
as it hashed key to int range $[0, 2^{32})$

Why are we even hashing string to int?

The first step is simplifying our problem statement

for the second step, making it easier to

optimize $\text{Int} \rightarrow \text{int distribution}$

The first step also allows us to give great abstraction

$\text{object} \rightarrow \text{INT32}$

enabling us to support complex data types as keys