STAT 414 - Part 2 Update

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Introduction

Every fall, monarch butterflies migrate from the western United States to coastal California in search of forested areas where they cluster in large numbers. It is hypothesized that the butterflies seek these habitats or groves because they offer a particular microclimate regarding temperature, humidity, and light. Within each grove, butterflies often cluster at stations are or the same tree (and even branch), year after year, spurring scientists to hypothesize that these areas are selected for their microclimatic characteristics over other areas within the same grove. Saniee and Villablanca (2022) tested this hypothesis directly by installing weather station 'arrays' at the butterfly clustering sites ('cluster') and four orthogonal positions from the butterflies (NW, NE, SW, SE). They repeated these weather station will include pictuarrays at eight overwintering groves along an N-S gradient along the California coast.

Our research question investigates whether climatic conditions are significantly different at the cluster site compared to the four controls (NW, NE, SW, SE) and whether they are consistent across groves at cluster sites.

```
df <- suppressMessages(read csv('allgr array KianaRawdat.csv'))
head(df)
# A tibble: 6 \times 21
 ...1 array month.day temp.avg hum.avg dew.pt.avg light.avg light.min
 <dbl> <chr> <chr>
                        <dbl> <dbl> <dbl>
                                                <dbl>
                                   -1.45
   1 Cluster 01-01
                       11.7
                                                       0
                             46.6
                                            26005.
   2 Cluster 01-02
                       9.36 57.2
                                    -0.605 25292.
                                                        0
  3 Cluster 01-03
                       10.4
                             62.5
                                    1.62
                                           25430.
                                                       0
4 4 Cluster 01-04
                       10.6
                             71.1
                                     3.56
                                            22243.
                                                       0
5 5 Cluster 01-05
                       9.77
                             88.7
                                     7.71
                                             766.
                                                      0
6 6 Cluster 01-06
                       12.4
                             94.5
                                     10.9
                                            12197.
# i 13 more variables: light.max <dbl>, temp.min <dbl>, temp.max <dbl>,
# temp.std <dbl>, light.std <dbl>, dew.pt.std <dbl>, hum.std <dbl>,
# hum.max <dbl>, hum.min <dbl>, dp.max <dbl>, dp.min <dbl>, daynum <dbl>,
# grove <chr>
```

Weight observations based on time of season

The monarch overwintering season occurs from the beginning of October through the end of February. Weather can be unpredictable at the beginning and end of the season (fall and spring), and butterflies either arrive at groves or leave to begin breeding; thus, they generally occur in low numbers. The highest counts of butterflies occur around

Thanksgiving and Christmas, or approximately in the middle of the season. Scientists are usually most "concerned" about storms during this time.

One idea to account for this is to weigh observations based on how far away they are from the middle of the season. We could derive day of the season (seasonDay) from the date column (10/1 = 1, 10/2 = 2), then grand mean center our seasonDay variable. If we take the own idea or fol absolute value of seasonDay, days near the middle of the season would be small, and days toward the beginning or end would be large. We could weigh by dividing one by seasonDay.

weighting the data or weighted least squares? Why not just trim the ends of the time interval? We are presenting this idea to see if it is worth pursuing or if it is a route we should take with caution.

Not the worst idea :) Can always do both ways and compare. Miç

Unequal samples across groves

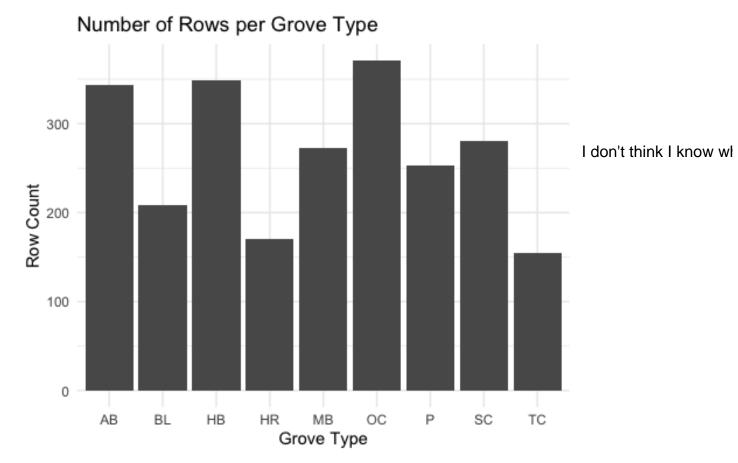
Since not all groves have the same number of observations throughout the overwintering season, should we restrict our analysis to dates where the groves have data? A benefit is that it may provide a better comparison of conditions across sites, but it could also reduce our sample size and miss important data in grove specific conditions on unmonitored dates.

```
grove_counts <- df %>%
count(grove)

Need to clarify level 1 unit and r

# Plot the counts as a bar chart
ggplot(grove_counts, aes(x = grove, y = n)) +
geom_bar(stat = "identity") +
labs(title = "Number of Rows per Grove Type", x = "Grove Type", y = "Row Count") +
theme minimal()
```

Do you mean grove type or just grove (name)?



Exploratory plots of response variables

('stat boxplot()').

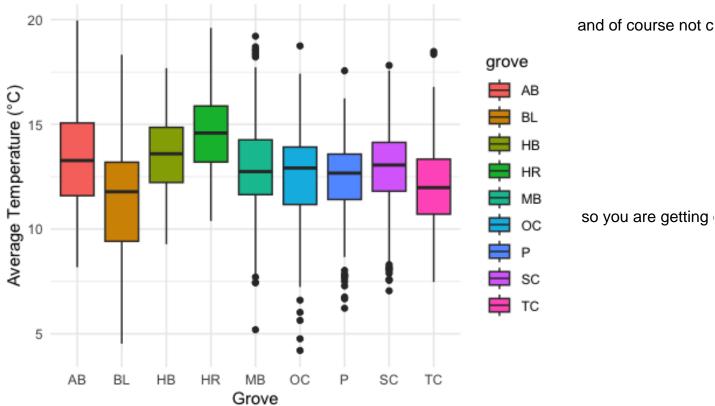
Below are box plots of the response variables we plan to test by grove.

```
#Reponse variables by Grove

# Boxplot for Average Temperature by Grove
ggplot(df, aes(x = grove, y = temp.avg, fill = grove)) +
geom_boxplot() +
labs(title = "Boxplot of Average Temperature by Grove",
x = "Grove", y = "Average Temperature (°C)") +
theme_minimal()

Warning: Removed 31 rows containing non-finite outside the scale range
```

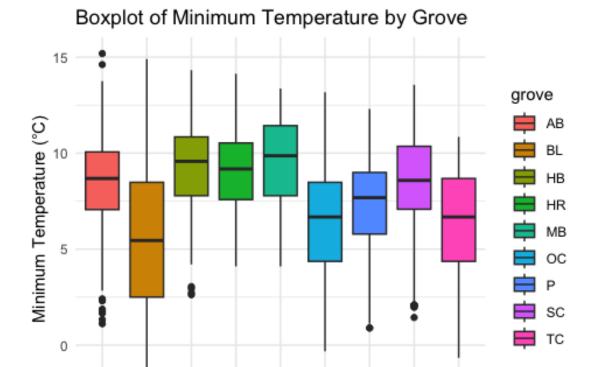




so you are getting

```
# Boxplot for Minimum Temperature by Grove
ggplot(df, aes(x = grove, y = temp.min, fill = grove)) +
 geom boxplot() +
 labs(title = "Boxplot of Minimum Temperature by Grove",
    x = "Grove", y = "Minimum Temperature (°C)") +
 theme_minimal()
```

Warning: Removed 31 rows containing non-finite outside the scale range (`stat_boxplot()`).



BL

HB

AB

HR

MB

Grove

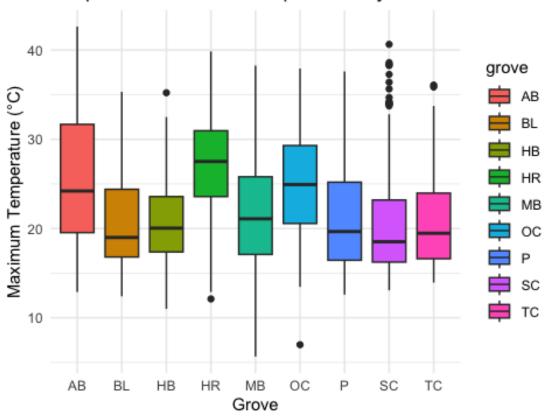
OC

Ρ

SC

TC

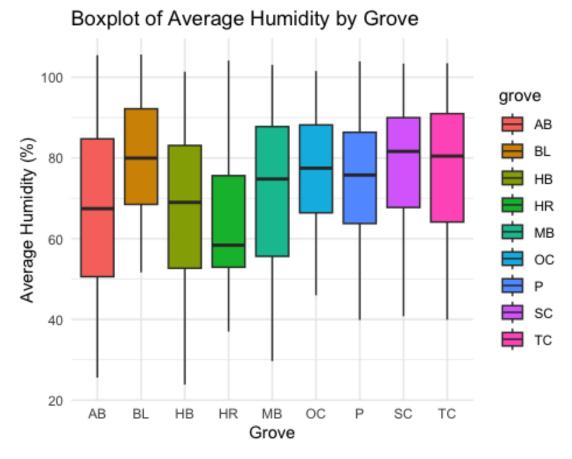


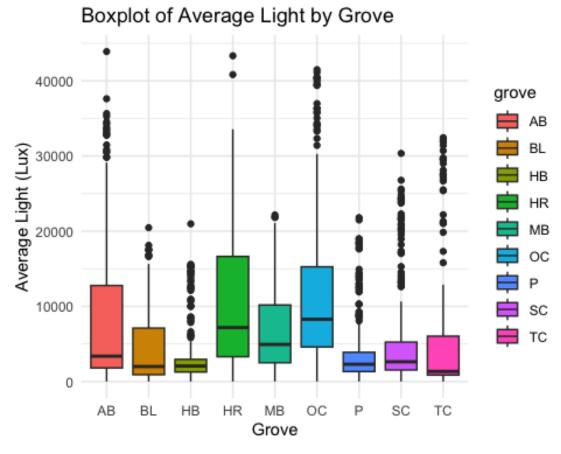


```
# Boxplot for Average Humidity by Grove
ggplot(df, aes(x = grove, y = hum.avg, fill = grove)) +
geom_boxplot() +
labs(title = "Boxplot of Average Humidity by Grove",
x = "Grove", y = "Average Humidity (%)") +
theme_minimal()

Warning: Removed 618 rows containing non-finite outside the scale range
```

Warning: Removed 618 rows containing non-finite outside the scale range ('stat_boxplot()').



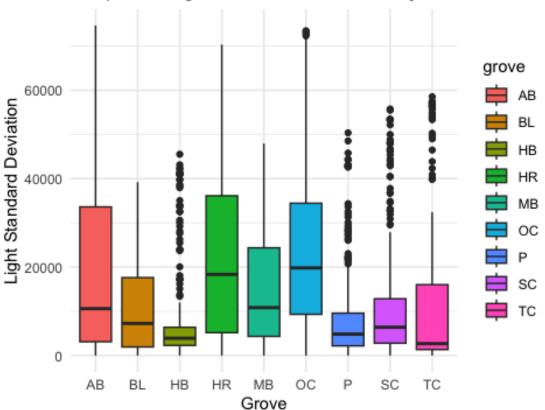


```
# Boxplot for Light Variability (Std Dev) by Grove
ggplot(df, aes(x = grove, y = light.std, fill = grove)) +
geom_boxplot() +
labs(title = "Boxplot of Light Standard Deviation by Grove",
x = "Grove", y = "Light Standard Deviation") +
theme_minimal()

Warning: Removed 109 rows containing non-finite outside the scale range
```

('stat_boxplot()').





Ooh, do have an S

Preliminary models

Below are a few preliminary models to test our questions. These likely will change in the final report, but we provide them here to give a sense of how we plan to approach the investigation.

Arrays as fixed effect

 $\label{eq:model1} $$\operatorname{model1} < -\operatorname{lmer}(\operatorname{temp.avg} \sim \operatorname{array} + (1 \mid \operatorname{grove}), \, \operatorname{data} = \operatorname{df})$$ what is array? $$\operatorname{summary}(\operatorname{model1}, \operatorname{corr} = \operatorname{FALSE})$$ Linear mixed model fit by REML ['lmerMod']$

Formula: temp.avg ~ array + (1 | grove)
Data: df

REML criterion at convergence: 10386.3

Scaled residuals:

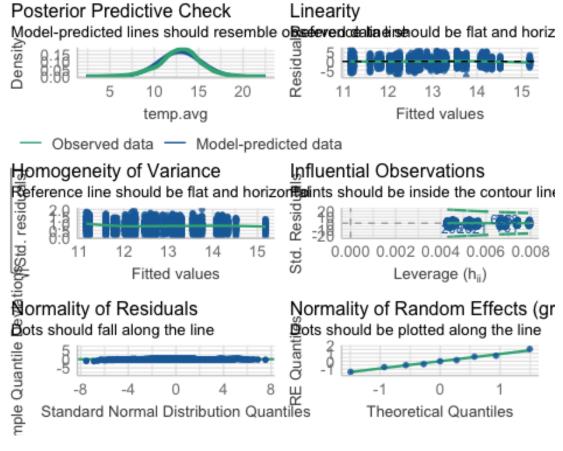
Min 1Q Median 3Q Max -3.9984 -0.6595 0.0637 0.6528 3.3479

Random effects:

Groups Name Variance Std.Dev. grove (Intercept) 0.7796 0.8829

so basically you are trying to see whether the

```
4.5834 2.1409
Residual
Number of obs: 2373, groups: grove, 9
Fixed effects:
      Estimate Std. Error t value
(Intercept) 12.9618
                   0.3104 41.763
arrayNE
           -0.3667
                    0.1391 -2.636
arrayNW
           -0.4395
                   0.1378 -3.190
arraySE
           0.6640
                    0.1388 4.782
arraySW
           -0.4016
                    0.1390 -2.889
check model(model1)
```



Grove as fixed effect

 $model2 <- lmer(temp.avg \sim grove + (1 \mid array), \frac{data}{data} = df) \\ summary(model2, \frac{corr}{data} = \frac{FALSE}{data})$

Linear mixed model fit by REML ['lmerMod']

Formula: temp.avg \sim grove + (1 | array)

Data: df

REML criterion at convergence: 10370

Scaled residuals:

Min 10 Median 30 Max -3.9835 -0.6658 0.0623 0.6524 3.3600 Random effects: Groups Name Variance Std.Dev. array (Intercept) 0.208 0.4561 Residual 4.583 2.1409 Number of obs: 2373, groups: array, 5 Fixed effects: Estimate Std. Error t value (Intercept) 13.4506 0.2344 57.392 groveBL -2.0033 0.1923 -10.420 groveHB 0.1209 0.1639 0.738 groveHR 1.0124 0.2007 5.044 groveMB -0.4655 0.1735 - 2.682-0.9669 0.1607 -6.017 groveOC groveP -1.1043 0.1780 -6.206 groveSC -0.6006 0.1722 -3.489 groveTC -1.3787 0.2071 -6.657 check model(model2)

