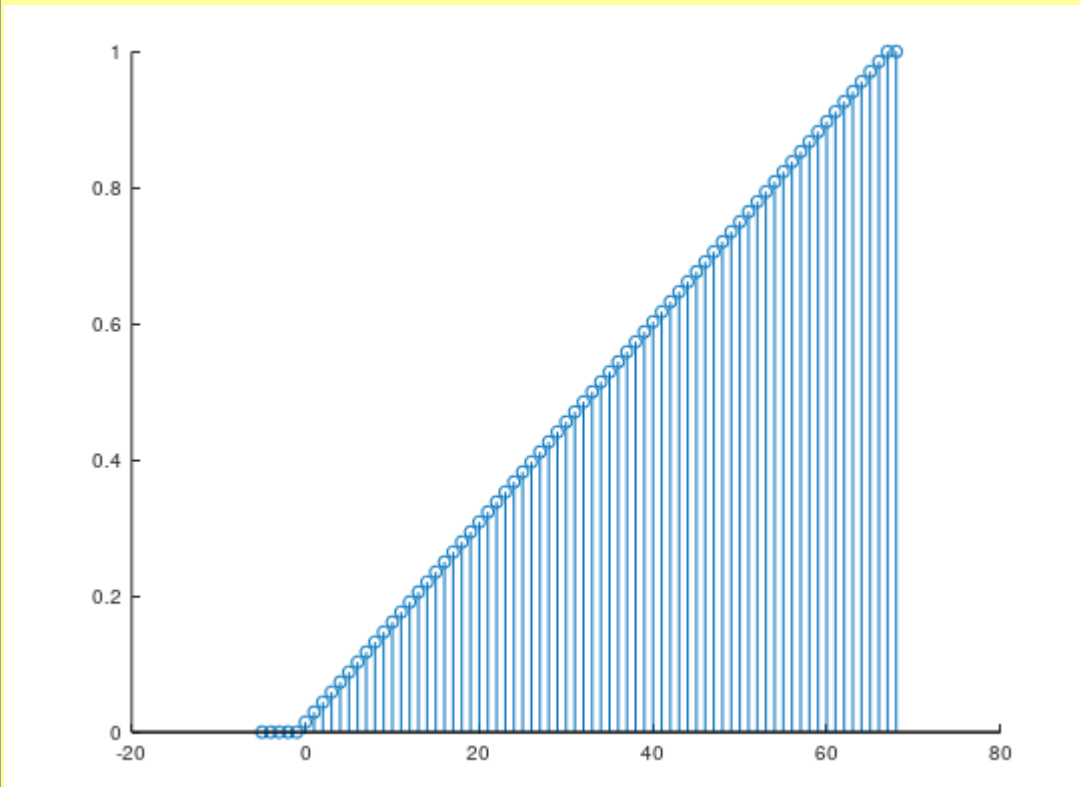
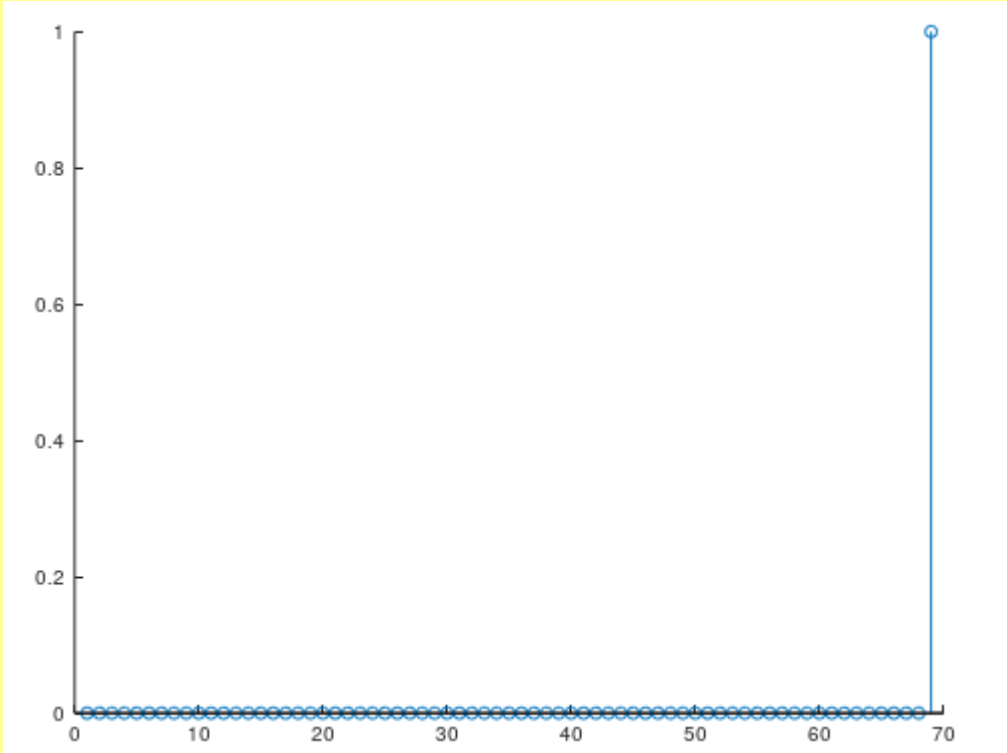


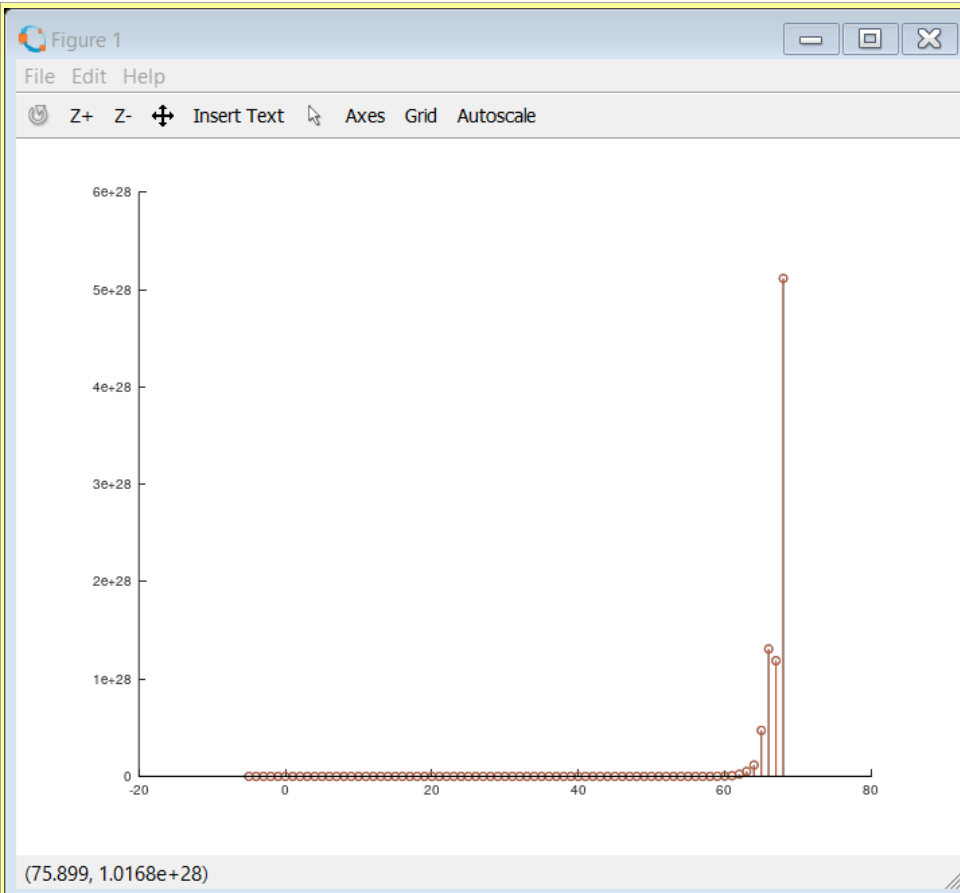
TX00CQ31 –Digital Signal Processing

Study 2: Time Domain	Name(s):		Deadline: Lab 3
	Arsi Arola	ID(s):	
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Read the lab instructions first!

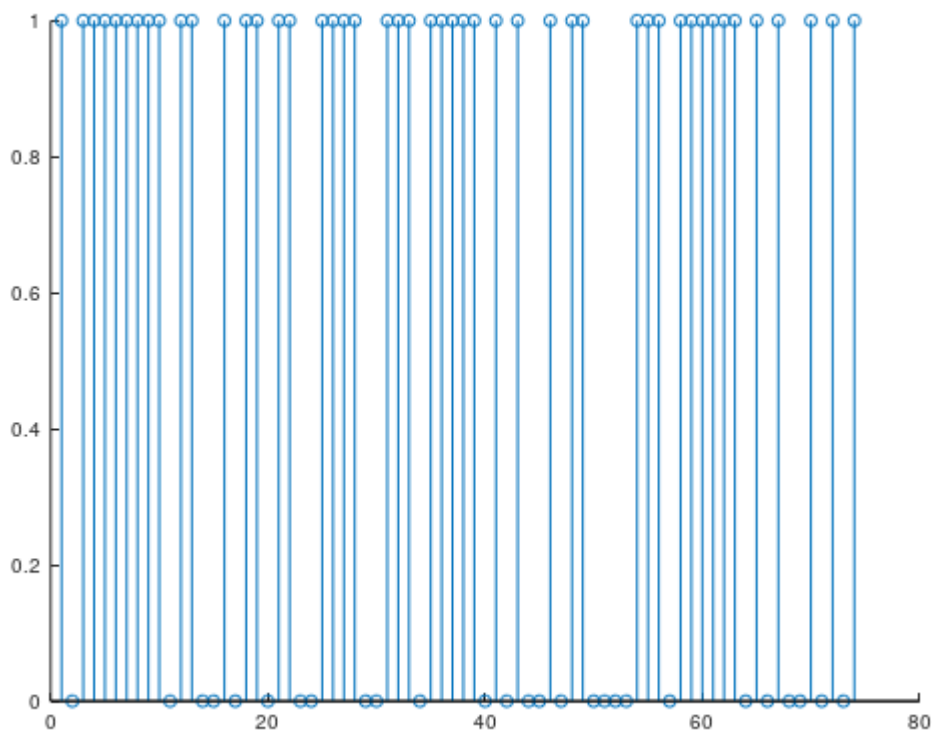
Number	Write your answer in this column	Questions
1	<pre>SS = 68 s = 1/SS * ones(1,SS);</pre>	Generate an impulse response and its running average filter output using only two last digits of your ID number.
2	<pre>u = @(n) (n >= 0); SS = 68 n = [-5:SS]; h = 1/SS * ones(1,SS); stem(n, filter(h,1,u(n)));</pre> 	<p>Filter-function is a linear, time-invariant system that can be used to produce a filtered signal in the following way:</p> $yy = \text{filter}(h, 1, u(n))$ <p>where h is the filter response and u is the input signal. Use filter function to produce the filtered response for the average filter exercise.</p>

3	<p>Write commands here!</p> <p>Insert a picture showing the delayed delta-function (impulse).</p> <pre> d = @(n) (n == 0) n = [0:SS]; y1 = filter([zeros(1,SS) 1], 1, d(n)) stem(n, y1); </pre> 	<p>An easy way to plot the impulse response in Octave, is to use the following way:</p> <pre> filter([zeros(1,SS) 1], 1, d(n)) delta[n-1]; </pre> <p>Test this method to plot the impulse response.</p>
4 a	<pre> n = [-5:SS]; y = @(x, n) (x .* exp(n)); x1 = rand(1, length(n)) x2 = rand(1, length(n)) a = rand(1, 1) b = rand(1, 1) y1 = y(a*x1 + b*x2, n) y2 = a*y(x1, n) + b*y(x2, n) stem(n,y1) hold on stem(n,y2) </pre>	<p>Use appropriate test signals to test the system</p> <p>$y[n] = x[n] * e^{n}$</p> <p>is</p> <p>Linear</p>



// visual comparison

stem(y1 == y2)



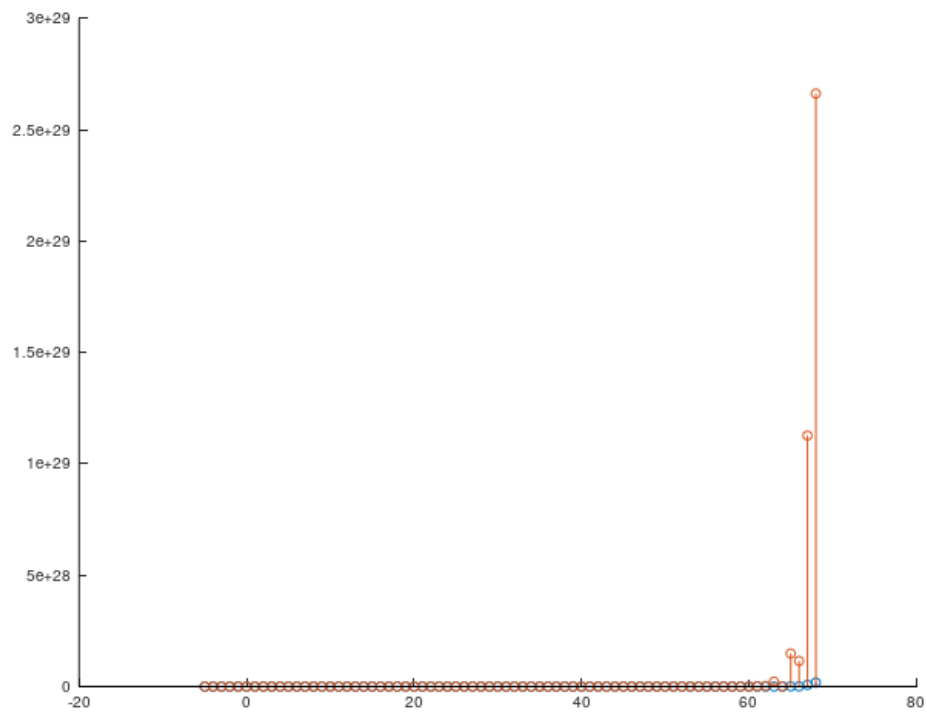
// Concrete comparison of the two functions, we can see that the values match in almost every case and when they don't match that is due to the limitations of computer handling numbers with limited precision. We can also see from the visual comparison that actually the values are basically the same.

➔ Linear system

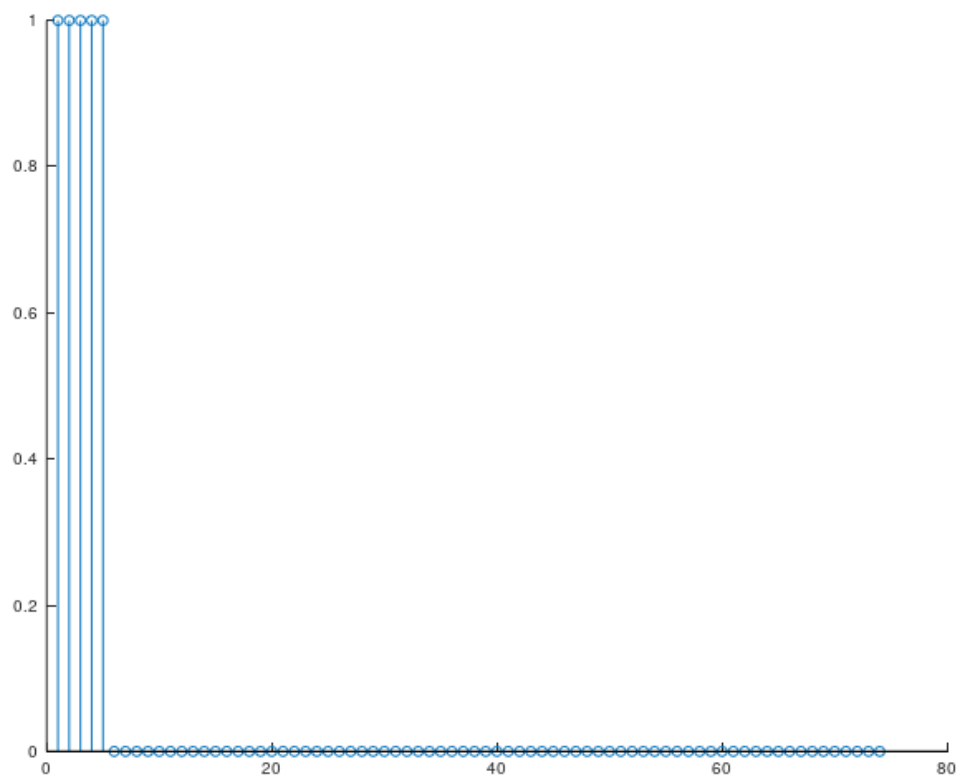
4 b

```
D = [zeros(1, 5) 1]
n = [-5:SS];
x1 = rand(1, length(n))
y1 = filter(D, 1, y(x1, n))
y2 = y(filter(D, 1, x1), n)
stem(n, y1)
hold on
stem(n, y2)
```

Time Shift Invaria



`stem(y1 == y2)`

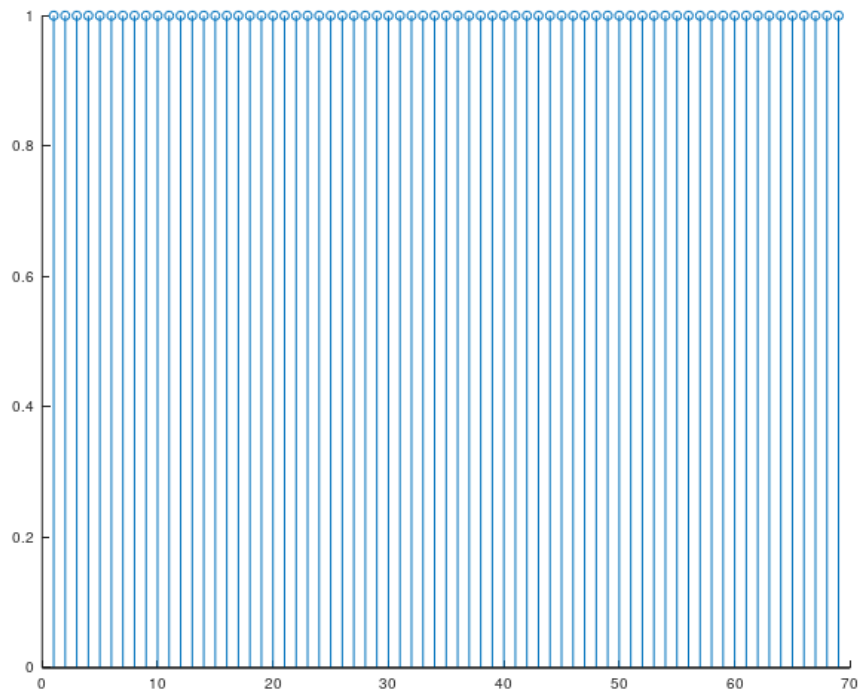


// y1 and y2 are not equal at all points so the system is time NOT invariant

4 c

Justified answer required!

```
range = [0:SS];
n = [-length(range): -1]
x1 = rand(1, length(n))
stem(y(u(n) .* x1, n) == 0) % n < 0
```



// We can see that at every single point in the “ $F\{u[n]*q[n]\} == 0$ ”, when $n < 0$ ” results 1 meaning true so all values were equal to 0 and the system IS causal

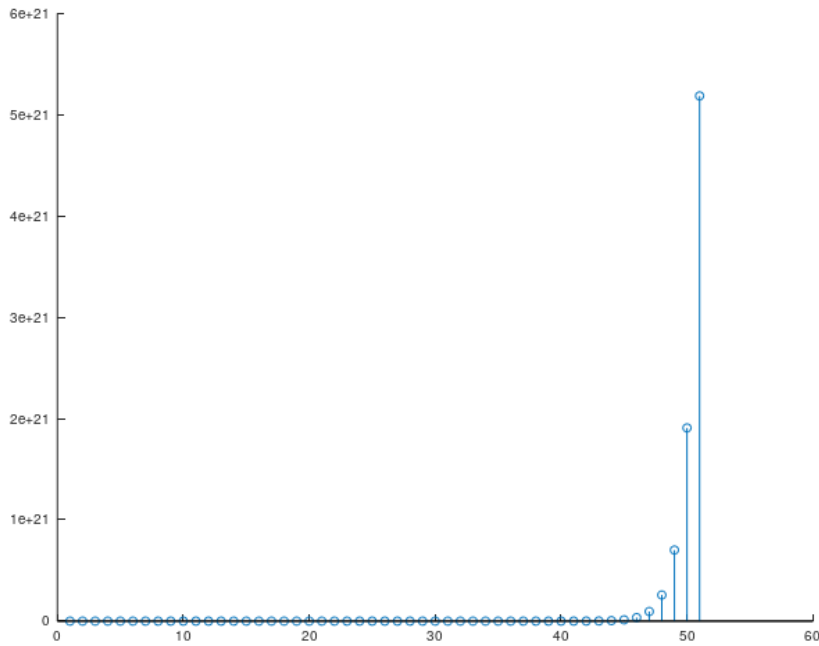
Causal

4 d

Justified answer required!

```
n = 0:50;
y1 = abs(y(u(n), n))
stem(y1)
```

Stable



// Looking at the graph we can see that the system output increases as n increases so the system approaches infinity and is NOT stable

5

Insert the graph of impulse response function here.

SS = 68;

n = 0:SS;

a = [1 0.5 0];

b = [1 -1.2 1];

impulse = [1 zeros(1,SS)];

response = filter(b,a,impulse);

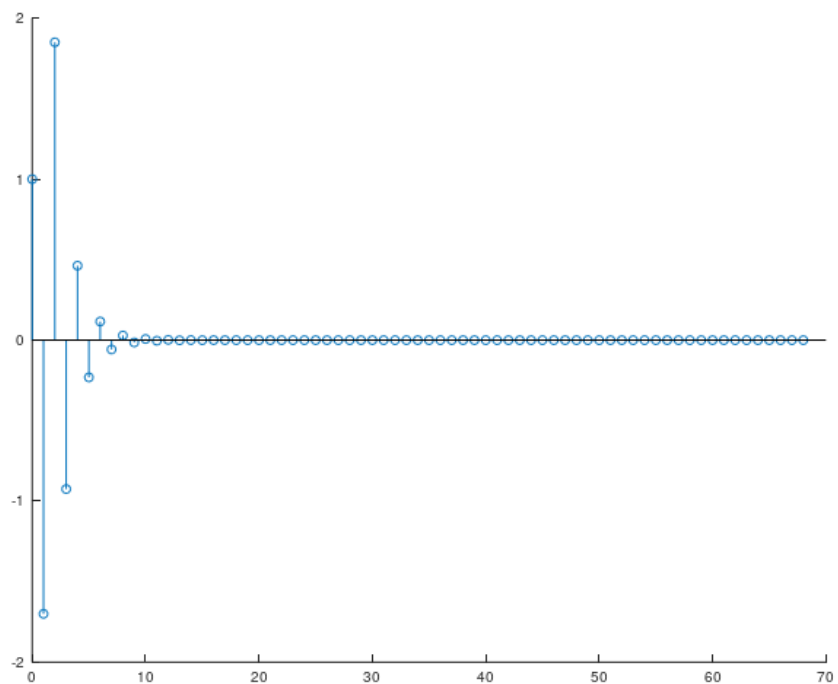
stem(n, response);

System difference

$y[n] = x[n] - 0.5y[n-1] + y[n-2]$

Generate [SS](#) point function h[n].

Is the system FIR



The system is IIT system because of the past output sample

6

Write commands here
 function y = delta(n)
 y = n == 0
endfunction

Write an m-function
 delta function valu