# Rank-Based Identification of

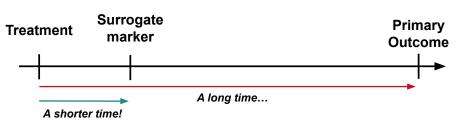
# **High-dimensional Surrogate Markers:**

# **Application to Vaccinology**

Arthur Hughes<sup>1</sup>, Layla Parast<sup>2</sup>, Rodolphe Thiébaut<sup>1</sup>, Boris Hejblum<sup>1</sup> and PREVAC Study Team

<sup>1</sup>University of Bordeaux, BPH INSERM 1219, SISTM Team <sup>2</sup>Department of Statistics and Data Science, University of Texas at Austin, USA





## **Background**

- Surrogates are reliable markers which can be observed sooner or easier than a primary outcome
- Gene expression is a dynamic process where information in DNA is transformed into proteins
- Changes in gene expression can be observed soon after vaccination
- $\, \bullet \,$  Existing methods for identifying surrogates do not work with p>n

## **Idea of Method**

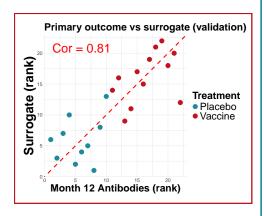
Non-parametric, univariate test to...

- 1. **Screen 1000s of genes** one-by-one to find surrogate candidates
- Combine candidates into single strong predictor and validate on independent data

## **Application**

**Goal :** identify genes who explain the antibody response to Ebola vaccination

- **12 candidate genes** from 25,165 found in screening stage!
- Combined expression of these genes validated on independent data!



## The Maths

### **Screening**

For each gene  $S_j$ ,  $\forall j = 1, ..., P$ 

- $A \in \{0,1\}$  treatment
- $\qquad \qquad \mathbf{Y}^a, S^a_j \text{ primary endpoint and surrogate candidate when } A = a$
- $U_Y = \mathbb{P}(Y^1 > Y^0) + \frac{1}{2}\mathbb{P}(Y^1 = Y^0)$ 
  - treatment effect on  $\boldsymbol{Y}$
- $U_{S_j} = \mathbb{P}(S_j^1 > S_j^0) + \frac{1}{2}\mathbb{P}(S_j^1 = S_j^0)$ 
  - treatment effect on  $S_i$
- $\bullet \quad \delta_j = U_Y U_{S_j}$
- $\quad \blacksquare \quad H_0: \delta_j \geq \epsilon \quad \text{vs} \quad H_1: \delta_j < \epsilon$ 
  - i.e. is gene  $S_j$  sufficiently good at detecting a treatment effect?
- $\qquad \text{p-value is } p_j = P(Z < \widehat{\delta}_j) \text{ where } Z \sim N(\epsilon, \widehat{\sigma}_{\delta_j}), \ \widehat{\sigma}_{\delta_j} \text{ is estimated s.d.}$
- $\, \bullet \,$  p-values adjusted for number of tests P

#### **Validation**

For all genes  $S_j$  with adjusted  $p_j < 0.05\,$ 

• form new surrogate as a weighted sum

$$- \gamma = \sum_{i} \frac{\bar{S}_{i}}{\hat{\delta}_{i}}$$

- validate  $\gamma$  with screening test
- $\quad \text{i.e. test } H_0: U_Y U_\gamma \geq \epsilon$

