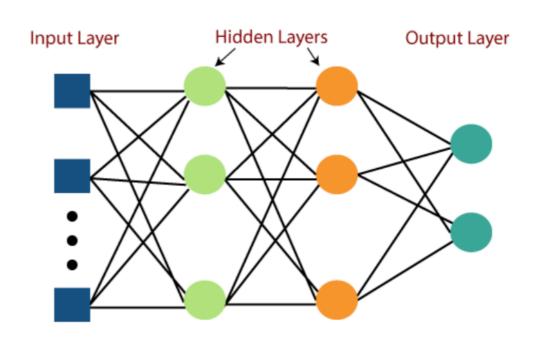
CS 4644/7643: Deep Learning

Assignment 1 Overview

Coding Overview

- Due Date: February 2nd
- Late Due Date: February 4th
- Deliverables:
 - o Code
 - Report
- Implement 2 MLPs: Softmax Regression and 2-Layer Neural Network
- Activation functions
 - o Sigmoid, ReLU
- Cross-entropy Loss
- Optimizer (SGD with regularization)



Tips & things to watch out for

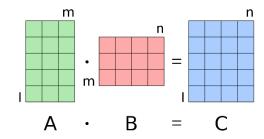


- Include all plots that we ask for the in the main.ipynb notebook file
- When uploading your report to Gradescope, please tag the relevant question for each slide; there will be a penalty of -1 point for each incorrectly tagged question

Model Implementation: Softmax Regression

X: (N, 784)

y: $(N_{\bullet}) \rightarrow \text{each is 1 of 10 possible labels}$



Forward

Dimensions

7 = XW

X: (N, 784), W: (784, 10)

R = ReLU(Z)

R: (N, 10) (called "Logits")

S = softmax(R)

S: (N, 10)

L = CE(S, y)

Scalar (loss)

Model Implementation: Softmax Regression

$$\frac{\partial L}{\partial W} = \frac{\partial L}{\partial R} \cdot \frac{\partial R}{\partial Z} \cdot \frac{\partial Z}{\partial W}$$

Backward

$$L = CE(softmax(R), y)$$

$$\partial L/\partial R = \partial CE(softmax(R), y)/\partial R$$

$$\partial L/\partial Z = \partial L/\partial R * \partial R/\partial Z$$

$$\partial L/\partial W = \partial L/\partial Z * \partial Z/\partial W$$

Dimensions

Same as ${\bf R}$

Same as Z

Same as W

Convenient Derivation for: $\frac{\partial \mathbf{I}}{\partial \mathbf{I}}$



- dL/dR represents the derivative of the cross-entropy loss function wrt the INPUTS to the softmax function (logits).
- Read <u>this article</u> for a detailed explanation.

Model Implementation: Softmax Regression

Tips

- If you are confused by working with batches, try working through an example with a single sample; then generalize to batches
- When performing matrix operations, think about the dimensions of the desired output and how you can arrive at that given the dimensions of the inputs (e.g. if transposes are needed, which matrix comes first)
- For CE Loss, be sure to take the average across the batch, not the sum

Problem Set Overview



Reminders:

- LaTeX submissions are strongly encouraged, while scanned handwritten copies are acceptable.
- Hard copy submissions NOT acceptable

- Solutions to each problem/sub-problem must be on a separate page.
- Mark pages for every sub-problem accurately

Important Mathematical Concepts for PS1

- How can we show that 2 vectors are orthogonal?
- Brush up on mathematical definition of convexity, local minima, global minima
- Computing gradients.
 - Derivative of scalar wrt to a vector: vector
 - Derivative of vector wrt to a vector: Jacobian Matrix
- Proofs
 - Proof by Induction
 - Proof by Contradiction

$$f(x_1, x_2, \dots, x_n) = (f_1, f_2, \dots, f_m)$$

$$J_f = \begin{pmatrix} \frac{\partial f_1}{\partial x_1} & \frac{\partial f_1}{\partial x_2} & \dots & \frac{\partial f_1}{\partial x_n} \\ \frac{\partial f_2}{\partial x_1} & \frac{\partial f_2}{\partial x_2} & \dots & \frac{\partial f_2}{\partial x_n} \\ \vdots & \vdots & \ddots & \vdots \\ \frac{\partial f_m}{\partial x_1} & \frac{\partial f_m}{\partial x_2} & \dots & \frac{\partial f_m}{\partial x_n} \end{pmatrix}$$