

# The Particle Swarm Optimization Algorithm

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# Summary

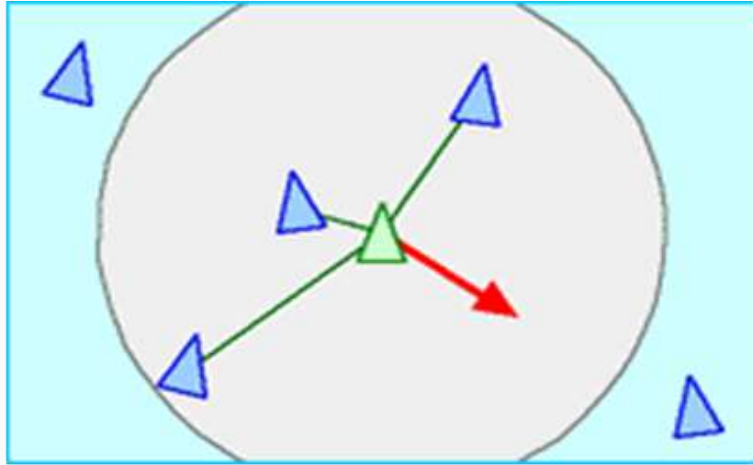
- Introduction to Particle Swarm Optimization (PSO)
  - ◆ Origins
  - ◆ Concept
  - ◆ PSO Algorithm

# Introduction to the PSO:

Inspired from the social behavior and dynamic movements with communications of insects, birds and fish nature.

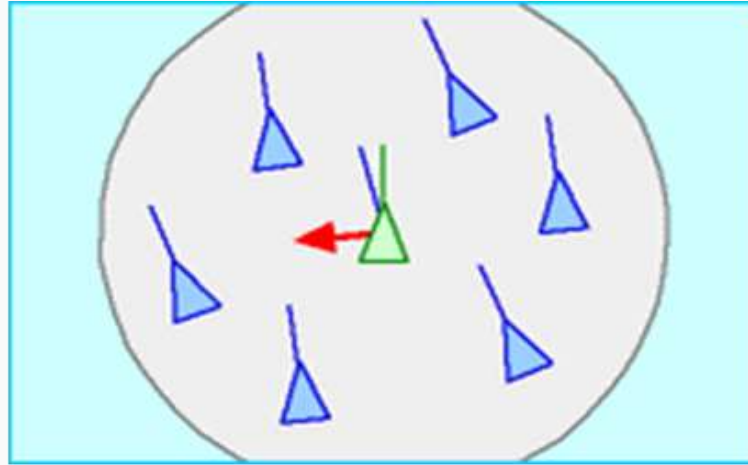


In 1986, Craig Reynolds described this process in 3 simple behaviors



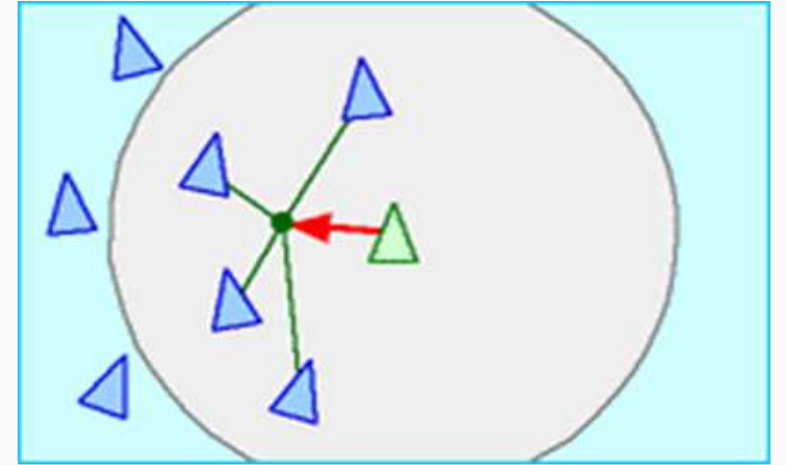
### **Separation**

avoid crowding local flockmates



### **Alignment**

move towards the average heading of local flockmates



### **Cohesion**

move toward the average position of local flockmates

# Introduction to the PSO: Concept

- Each particle is searching for the optimum
- Each particle is moving and hence has a velocity.
- Each particle remembers the position it was in where it had its best result so far (its personal best).
  - But this would not be much good on its own; particles need help in figuring out where to search.

# Introduction to the PSO: Concept II

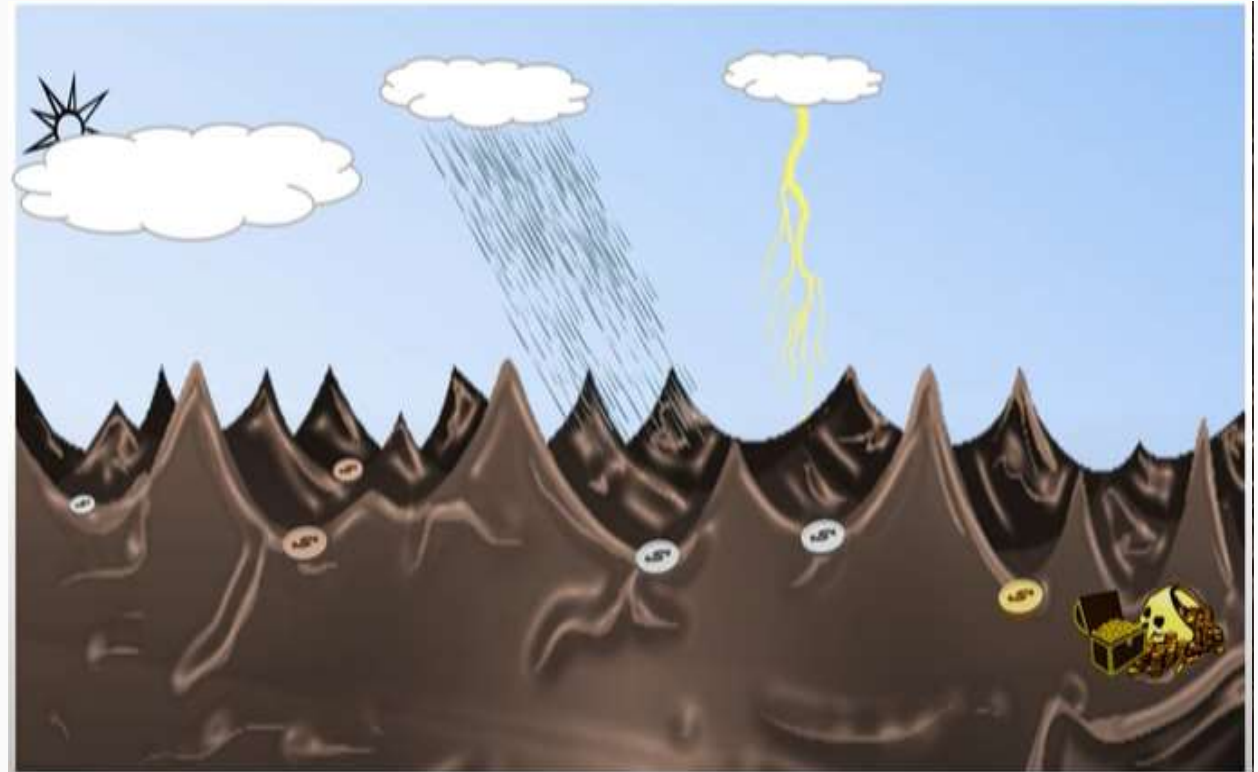
- The particles in the swarm co-operate. They exchange information about what they've discovered in the places they have visited
- The co-operation is very simple. In basic PSO it is like this:
  - A particle has a neighbourhood associated with it.
  - A particle knows the fitnesses of those in its neighbourhood, and uses the position of the one with best fitness.
  - This position is simply used to adjust the particle's velocity

# PSO Search Strategy

# Our Team



## Search Area







Personal best location



10 km



Team best location



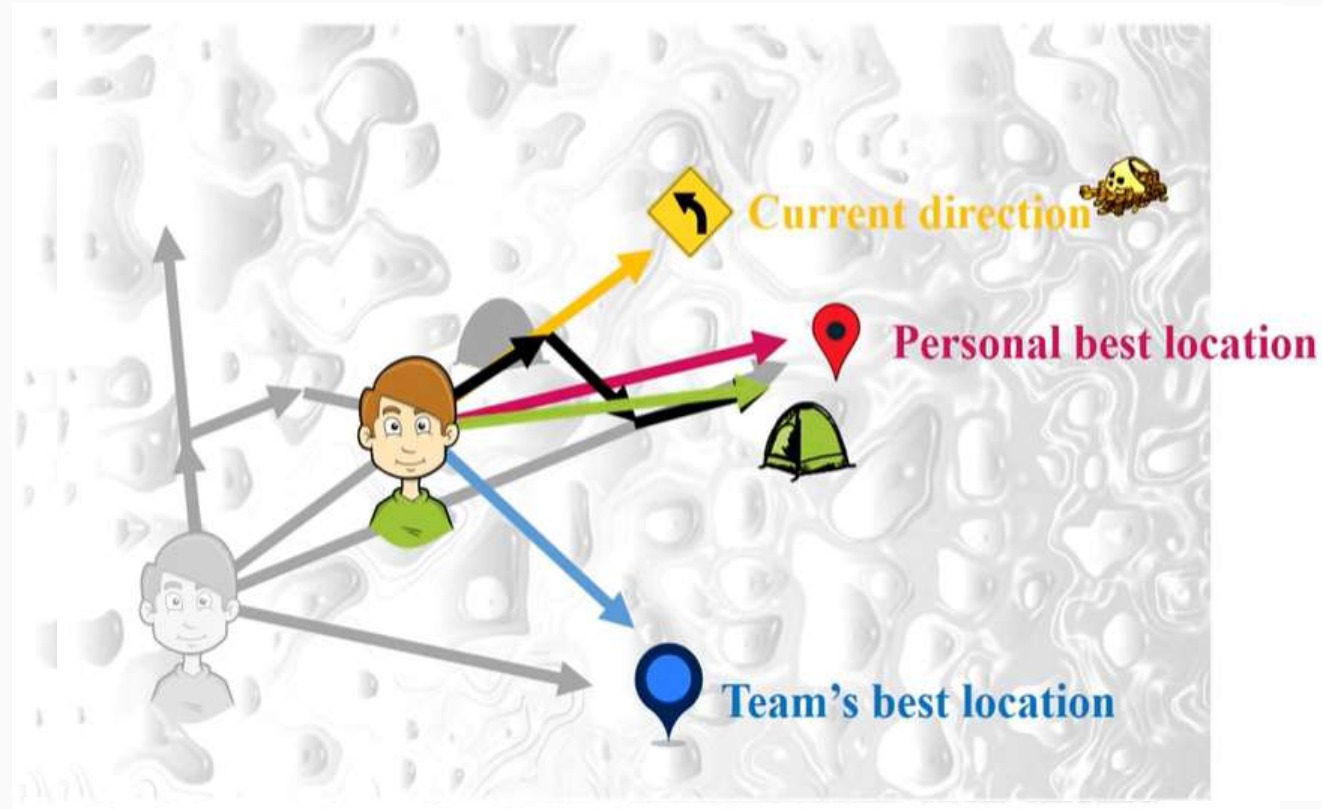
10 km



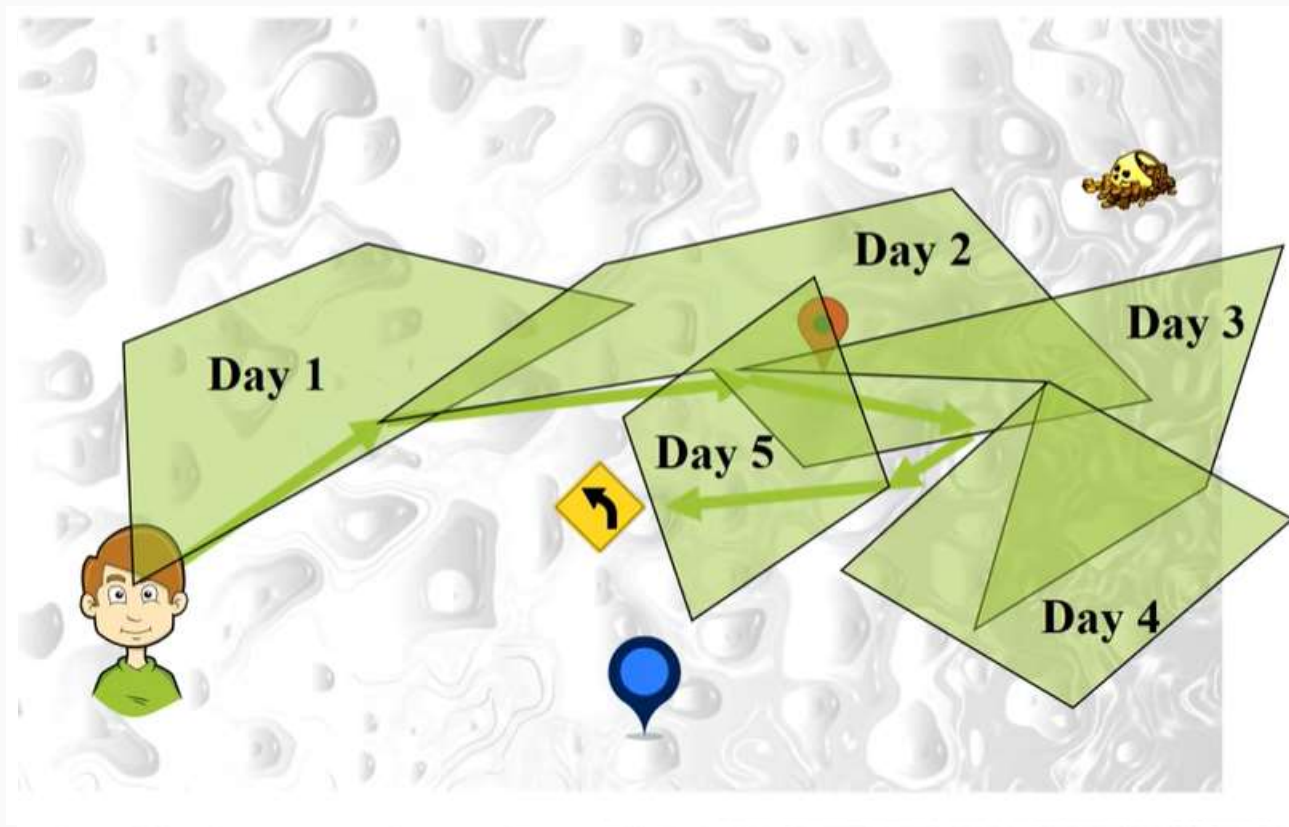
Current direction



10 km

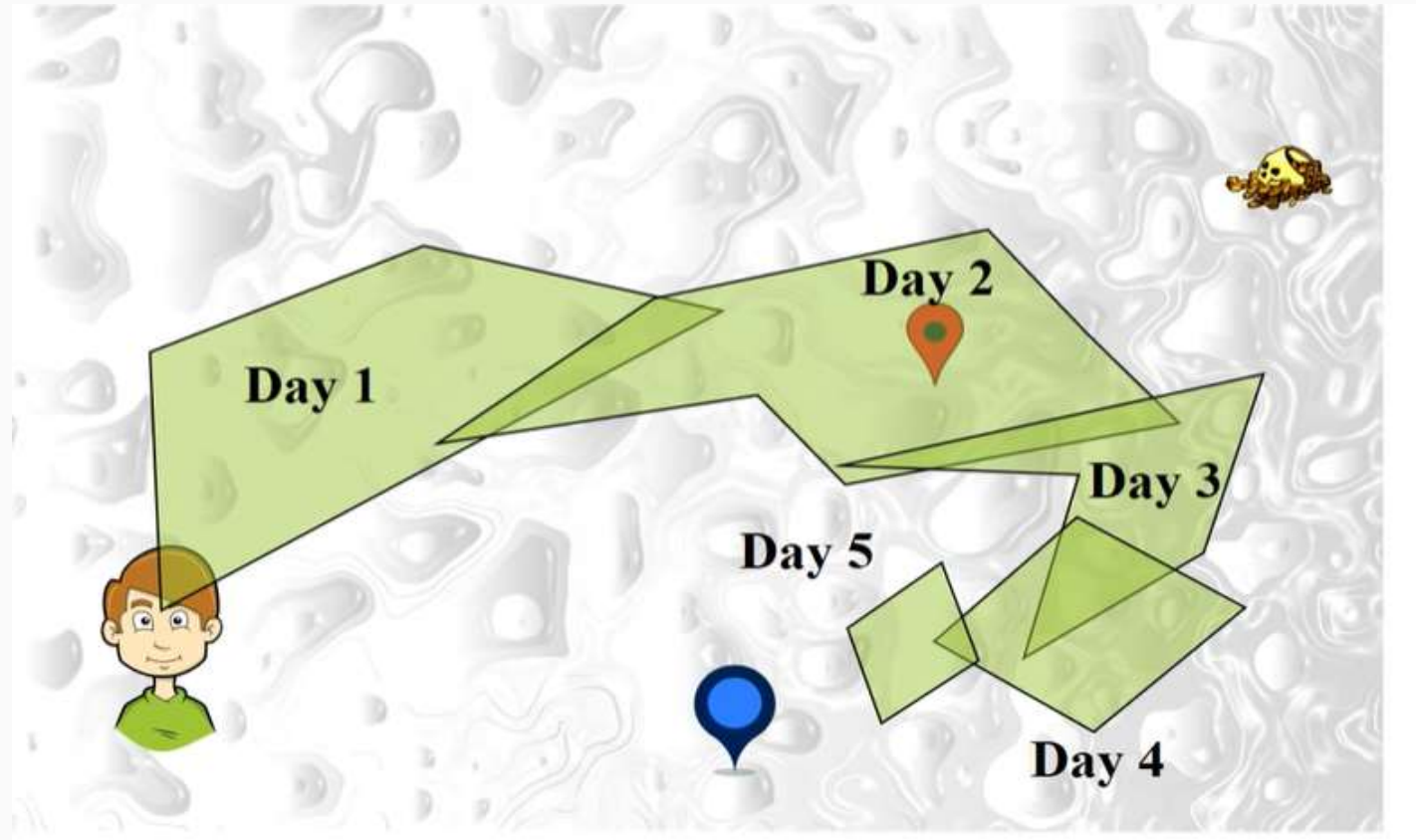






$$2 \times r \times 10 \text{ km}$$

$r$  in  $[0,1]$



$$\overrightarrow{X_i^{d+1}} = \overrightarrow{X_i^d} + \overrightarrow{V_i^{d+1}}$$



Position in  
day  $d+1$

Position in  
day  $d$

Velocity in  
day  $d+1$



$\overrightarrow{X_i^d}$



$\overrightarrow{V_i^{d+1}}$



$\overrightarrow{X_i^{d+1}}$



$d, \dots]$

$$\overrightarrow{X_i^{t+1}} = \overrightarrow{X_i^t} + \overrightarrow{V_i^{t+1}}$$

$$\overrightarrow{V_i^{t+1}} = w \overrightarrow{V_i^t} + c_1 r_1 \left( \overrightarrow{P_i^t} - \overrightarrow{X_i^t} \right) + c_2 r_2 \left( \overrightarrow{G^t} - \overrightarrow{X_i^t} \right)$$



Inertia



Cognitive component



Social component



# Pseudo code

```
Initialize the controlling parameters ( $N$ ,  $c1$ ,  $c2$ ,  $Wmin$ ,  $Wmax$ ,  $Vmax$ , and  $MaxIter$ )

Initialize the population of  $N$  particles

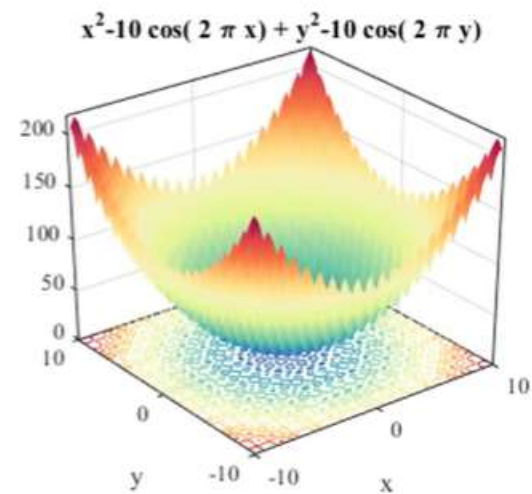
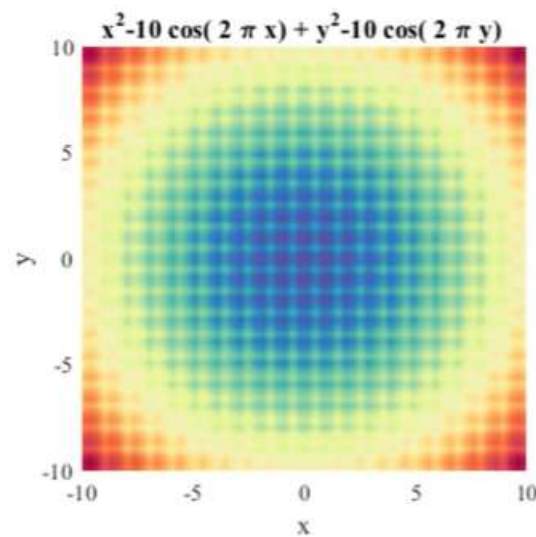
do
  for each particle
    calculate the objective of the particle
    Update PBEST if required
    Update GBEST if required
  end for

  Update the inertia weight
  for each particle
    Update the velocity ( $V$ )
    Update the position ( $X$ )
  end for
while the end condition is not satisfied

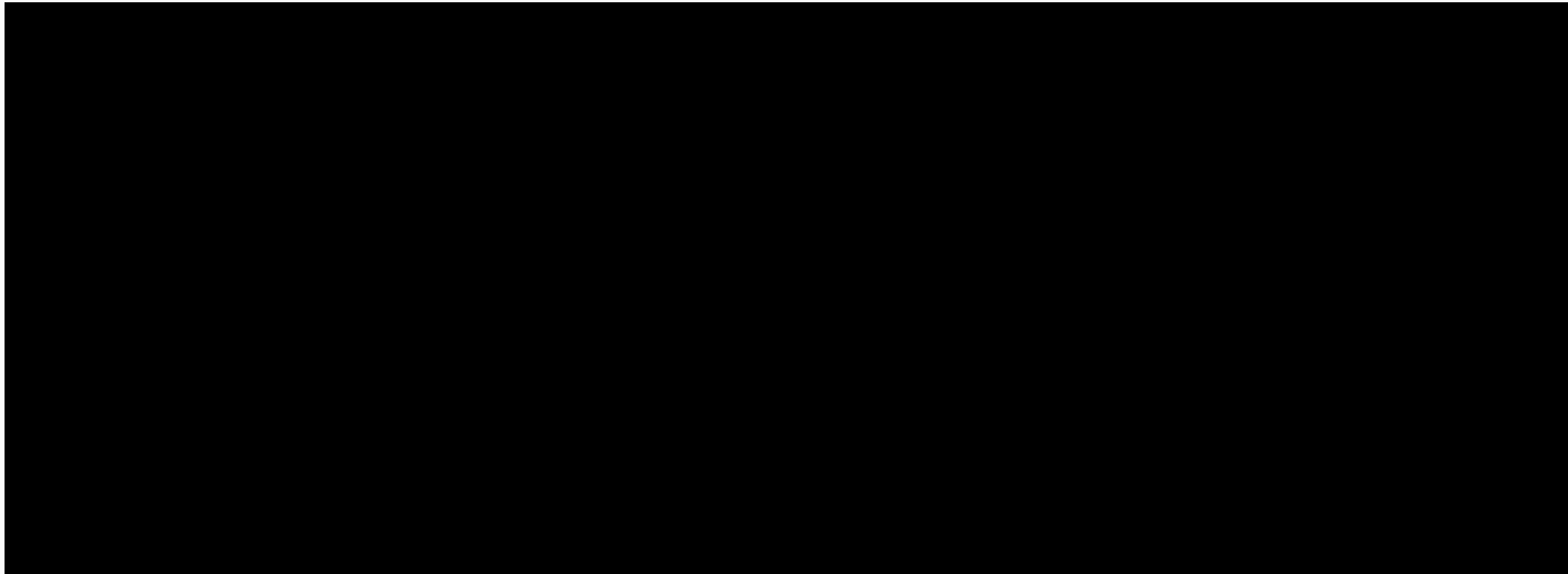
Return GBEST as the best estimation of the global optimum
```



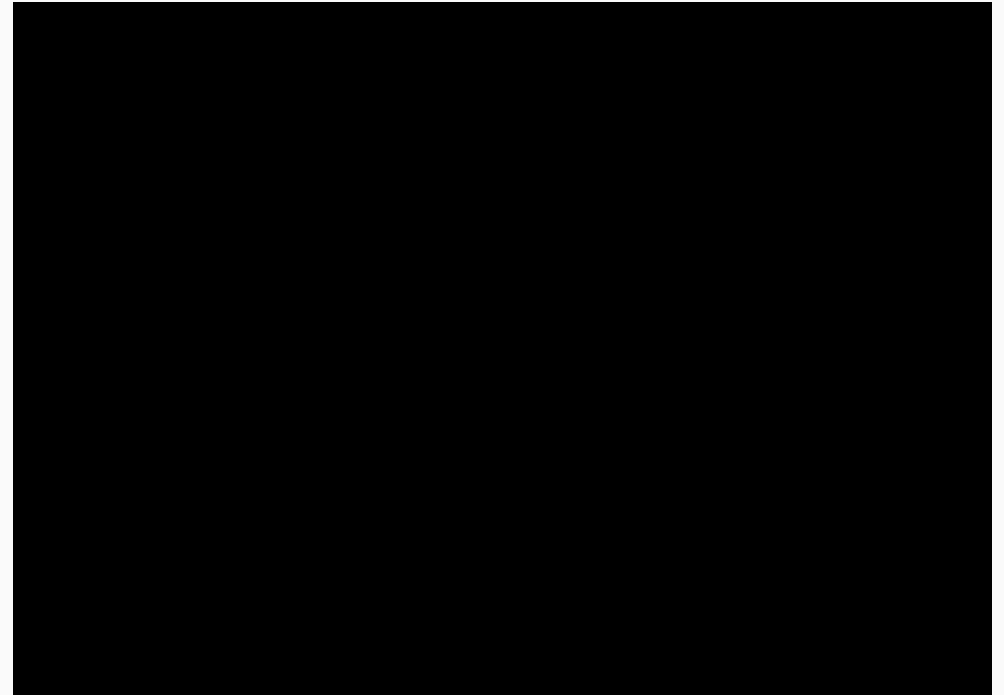
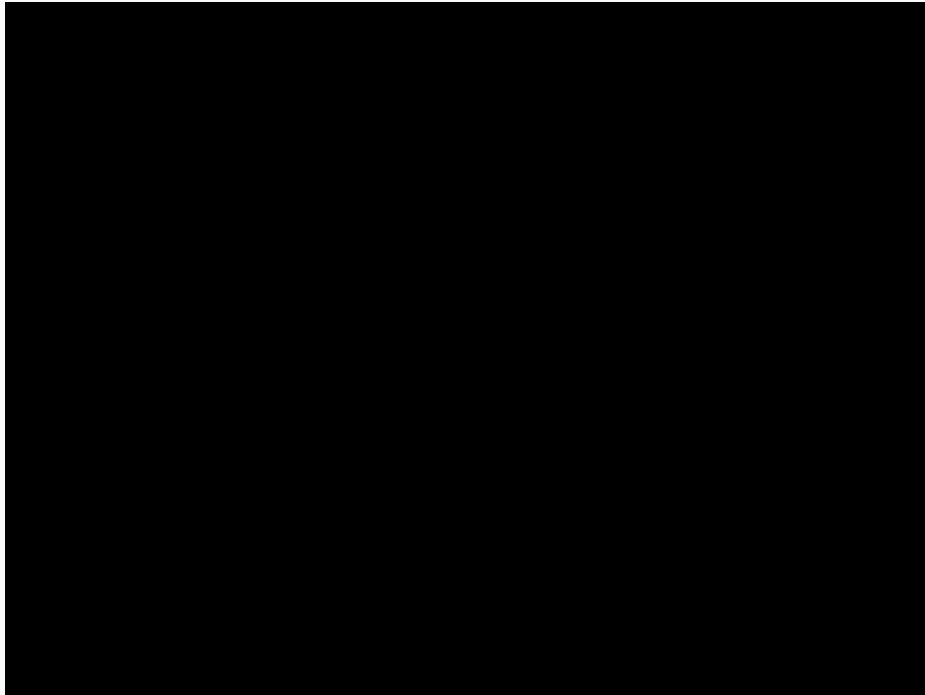
# Test function



# Effect of the parameters



## Effect of the parameters $c_1$ and $c_2$



# What a particle does

- In each timestep, a particle has to move to a new position. It does this by adjusting its velocity.
  - The adjustment is essentially this:
  - The current velocity PLUS
  - A weighted random portion in the direction of its personal best PLUS
  - A weighted random portion in the direction of the neighbourhood best.
- Having worked out a new velocity, its position is simply its old position plus the new velocity.

## ★ Advantages

- Insensitive to scaling of design variables
- Simple implementation
- Easily parallelized for concurrent processing
- Derivative free
- Very few algorithm parameters
- Very efficient global search algorithm

## ★ Disadvantages

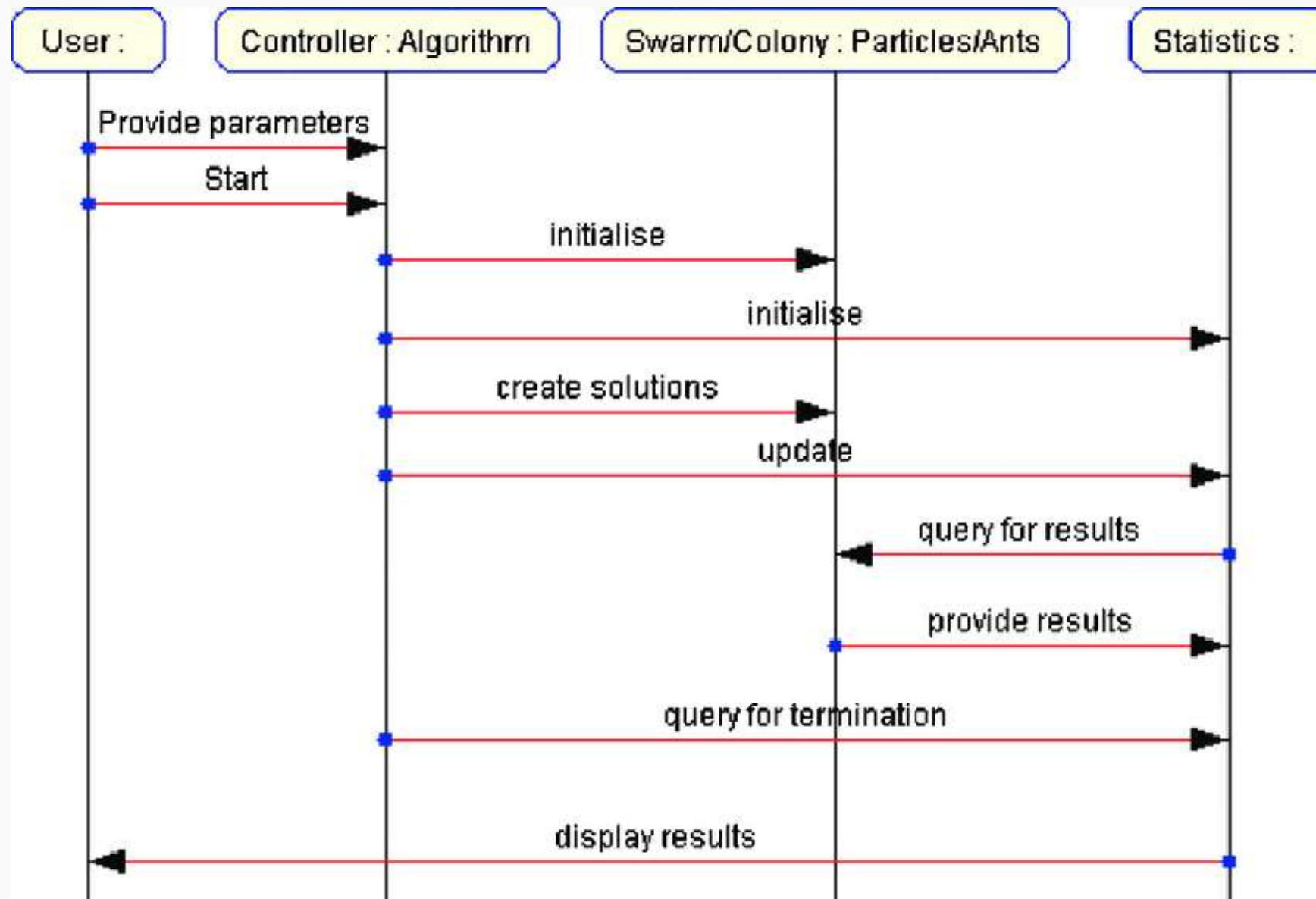
- Tendency to a fast and premature convergence in mid optimum points
- Slow convergence in refined search stage (weak local search ability)

# Different Approaches

## ● **Several approaches**

- *2-D Otsu PSO*
- *Active Target PSO*
- *Adaptive PSO*
- *Adaptive Mutation PSO*
- *Adaptive PSO Guided by Acceleration Information*
- *Attractive Repulsive Particle Swarm Optimization*
- *Binary PSO*
- *Cooperative Multiple PSO*
- *Dynamic and Adjustable PSO*
- *Extended Particle Swarms*
- ...

# Sequence Diagram

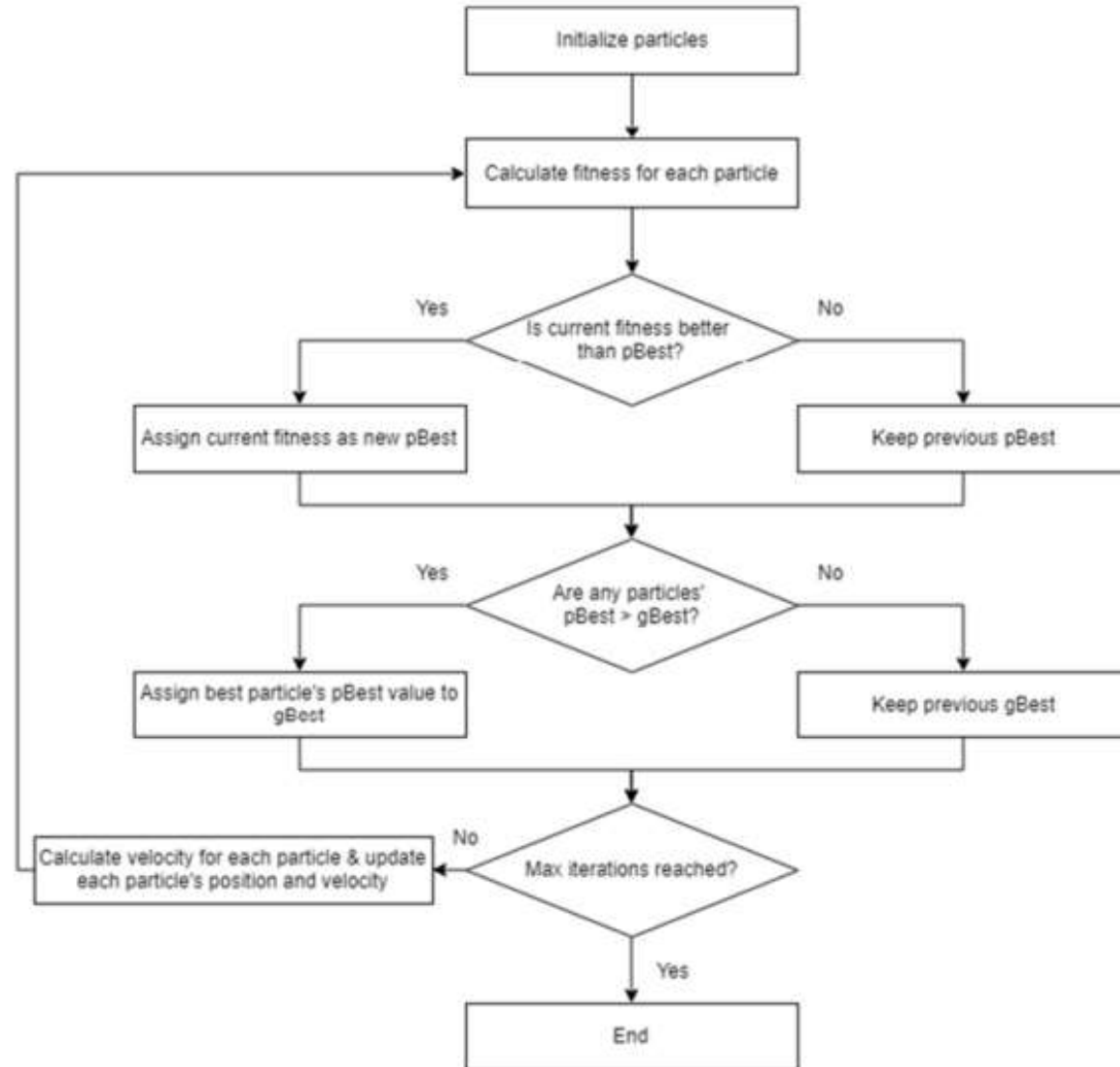


# Class Diagram

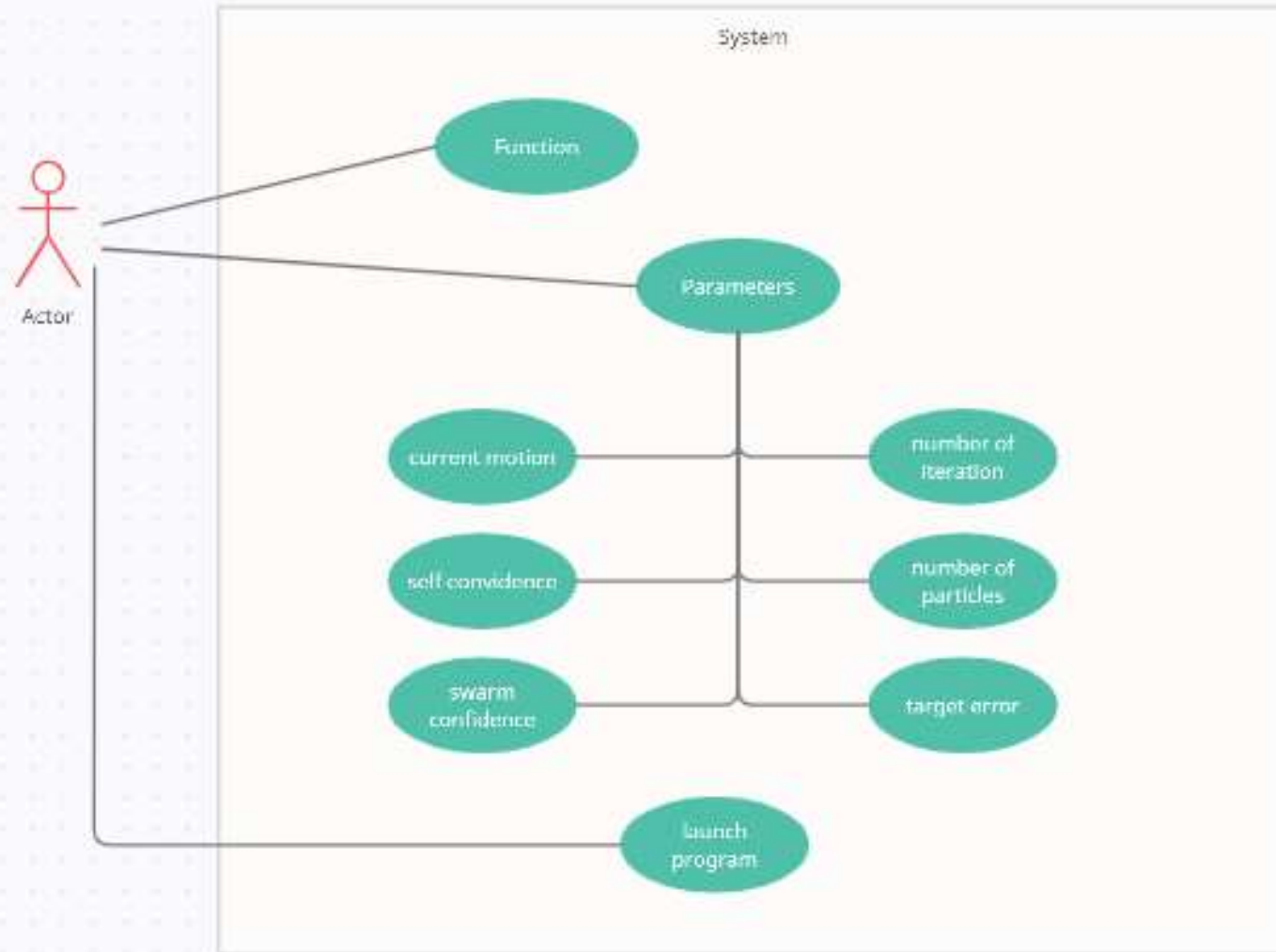




# Flow Diagram



# Use-case diagram



# References

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- <https://pyswarms.readthedocs.io/en/latest/>
- <https://nathanrooy.github.io/posts/2016-08-17/simple-particle-swarm-optimization-with-python/>
- <https://towardsdatascience.com/particle-swarm-optimization-visually-explained-46289eeb2e14>
- <https://www.geeksforgeeks.org/implementation-of-particle-swarm-optimization/>
- [https://www.researchgate.net/publication/3903911\\_Particle\\_swarm\\_optimization\\_Development\\_applications\\_and\\_resources](https://www.researchgate.net/publication/3903911_Particle_swarm_optimization_Development_applications_and_resources)
- [https://www.researchgate.net/publication/3810335\\_Empirical\\_Study\\_of\\_Particle\\_Swarm\\_Optimization](https://www.researchgate.net/publication/3810335_Empirical_Study_of_Particle_Swarm_Optimization)
- <https://www.hindawi.com/journals/mpe/2021/5574501/>

**How can you optimize particle swarms?**

- a) By iteratively trying to improve a candidate solution
- b) Regardless of how the swarm operates, by covering to a local optimum
- c) Both of them

## **What is some different approaches to PSO?**

- a) Adaptive Mutation PSO, Adaptive PSO Guided by Acceleration Information
- b) Adaptive PSO Using Iteration, Compatible PSO
- c) Hybrid PSO, Gradient PSO

## What is advantage of PSO?

- a) Tendency to a fast and premature convergence in mid optimum points
- b) Very few algorithm parameters
- c) Optimized run time