

# Generating Workers' Label Sets from Ground Truth

## Step 1: Probability Thresholds $\pi_a^{(k)}$

To synthesize a multi-worker dataset from ground truth, we first use  $U(0.4, 1)$  to obtain  $M \times K$  probability thresholds.

$$\Pi = \left\{ \left\{ \pi_a^{(k)} \sim U(0.4, 1) \right\}_{k=1}^K \right\}_{a=1}^M$$



## Step 2: Generate Random $\rho^{(i)}$

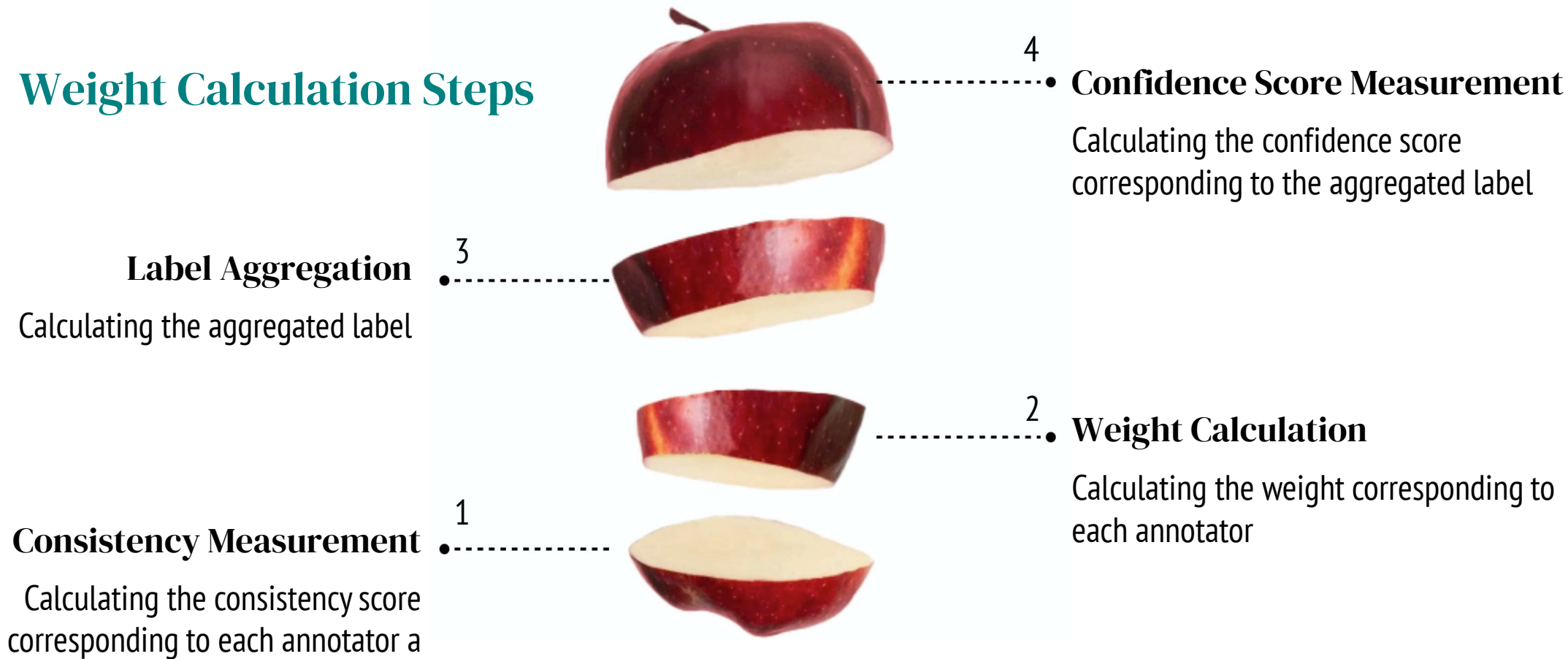
To generate the labels for each worker  $\alpha$ , a random number  $0 < \rho^{(i)} < 1$  is generated for each instance  $i$  in the dataset

## Step 3: Assigning Labels

We assign the respective true label with probability  $\pi_a^{(k)}$  and the opposite label with probability  $(1 - \pi_a^{(k)})$ .

$$z_{\alpha}^{(i,k)} = \begin{cases} y^{(i,k)} & \text{if } \rho^{(i)} \leq \pi_{\alpha}^{(k)} \\ 1 - y^{(i,k)} & \text{if } \rho^{(i)} > \pi_{\alpha}^{(k)} \end{cases}$$

# Weight Calculation Steps



# Uncertainty Measurement Techniques

$$-\sum_g p_{\alpha}^{(i,k),(g)} \log \left( p_{\alpha}^{(i,k),(g)} \right)$$

Entropy

$$\sqrt{\frac{1}{G-1} \sum_{g=1}^G \left( t_{\alpha}^{(i,k),(g)} - \mu \right)^2}$$

Standard Deviation

Monte Carlo Dropout

Committee-Based Methods

Predictive Interval

Conformal Prediction

$$\frac{1}{G-1} \sum_{g=1}^G \left( p_{\alpha}^{(i,k),(g)} - \mu \right)^2$$

$$P \left( Q_L^k \leq p_{\alpha}^{(i,k),(g)} \leq Q_U^k \right) = \gamma$$

$$\Delta_{\alpha}^{(i,k)} = Q_L^k - Q_U^k$$

- ❑ The reliability score is defined by averaging over consistency scores over all instances.

$$\psi_a^{(k)} = \frac{1}{N} \sum_{i=1}^N c_a^{(i,k)}$$



## Weight Measurement

- ❑ Weight corresponding to annotator  $\alpha$  will be as follows.

$$\omega_a^{(k)} = \frac{\psi_a^{(k)}}{\sum_{a=1}^M \psi_a^{(k)}}$$

# Metrics

$$2 \cdot \frac{\text{Precision} \cdot \text{Recall}}{\text{Precision} + \text{Recall}}$$

F1 Score

$$\frac{1}{N} \sum_{i=1}^N \sum_{k=1}^K \delta \left( v^{(i,k)}, y^{(i,k)} \right)$$

Accuracy

AUC

Expected Calibration Error (ECE)

$$\sum_{b=1}^B \frac{|B_b|}{N} |\text{Accuracy}(B_b) - \text{Confidence-Score}(B_b)|$$

Brier Score

$$\frac{1}{N} \sum_{i=1}^N \sum_{k=1}^K \left( F^{(i,k)} - y^{(i,k)} \right)^2$$

## Weight Measurement Evaluation

Two strategies for classifier selection were investigated (Using different classifiers, vs. RF under different random seeds)

There was no considerable variations in the results.

Second strategy was adopted for faster processing time



For each worker , 10 RF were trained, each comprising 4 trees with a maximum depth of 4, under various random states.