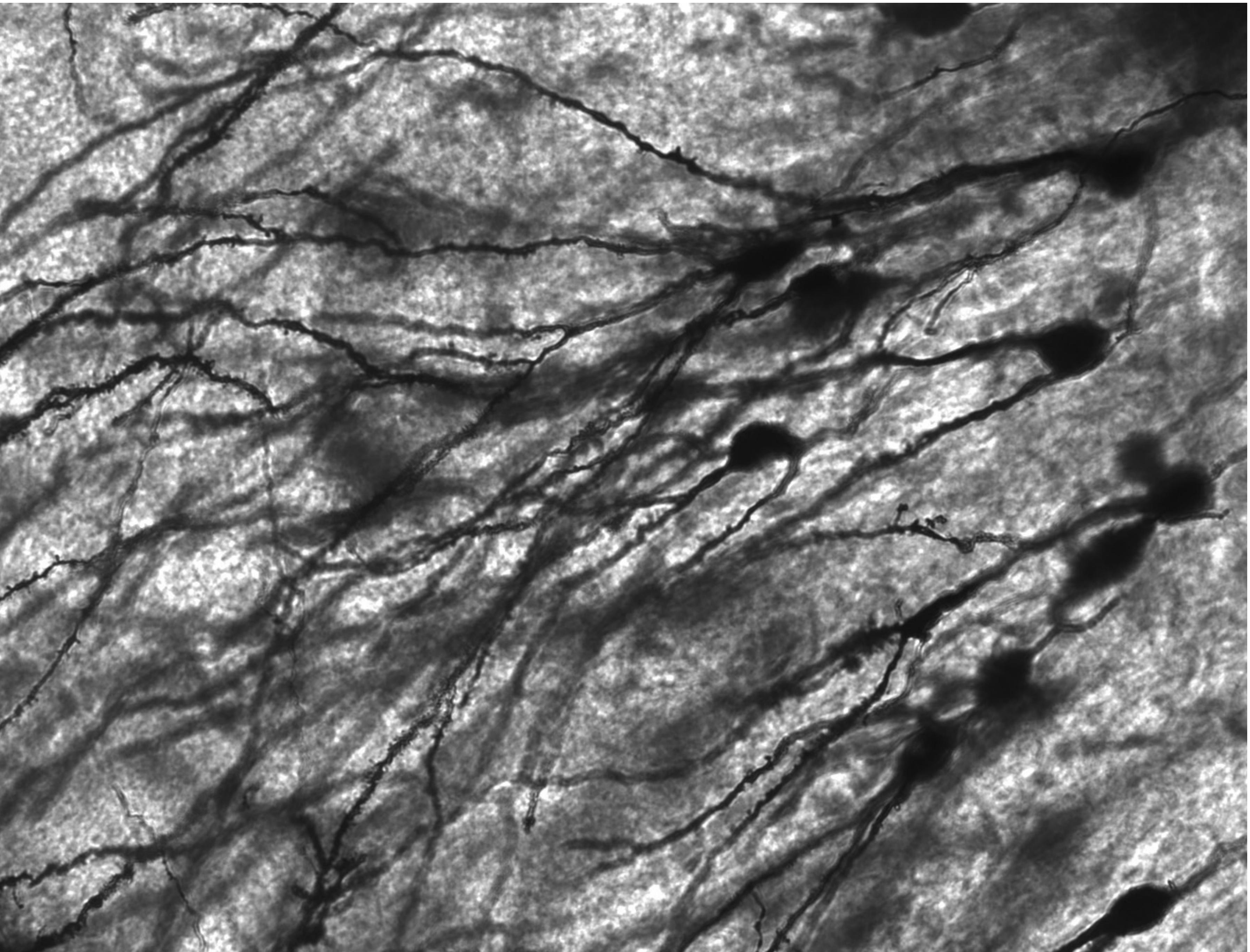
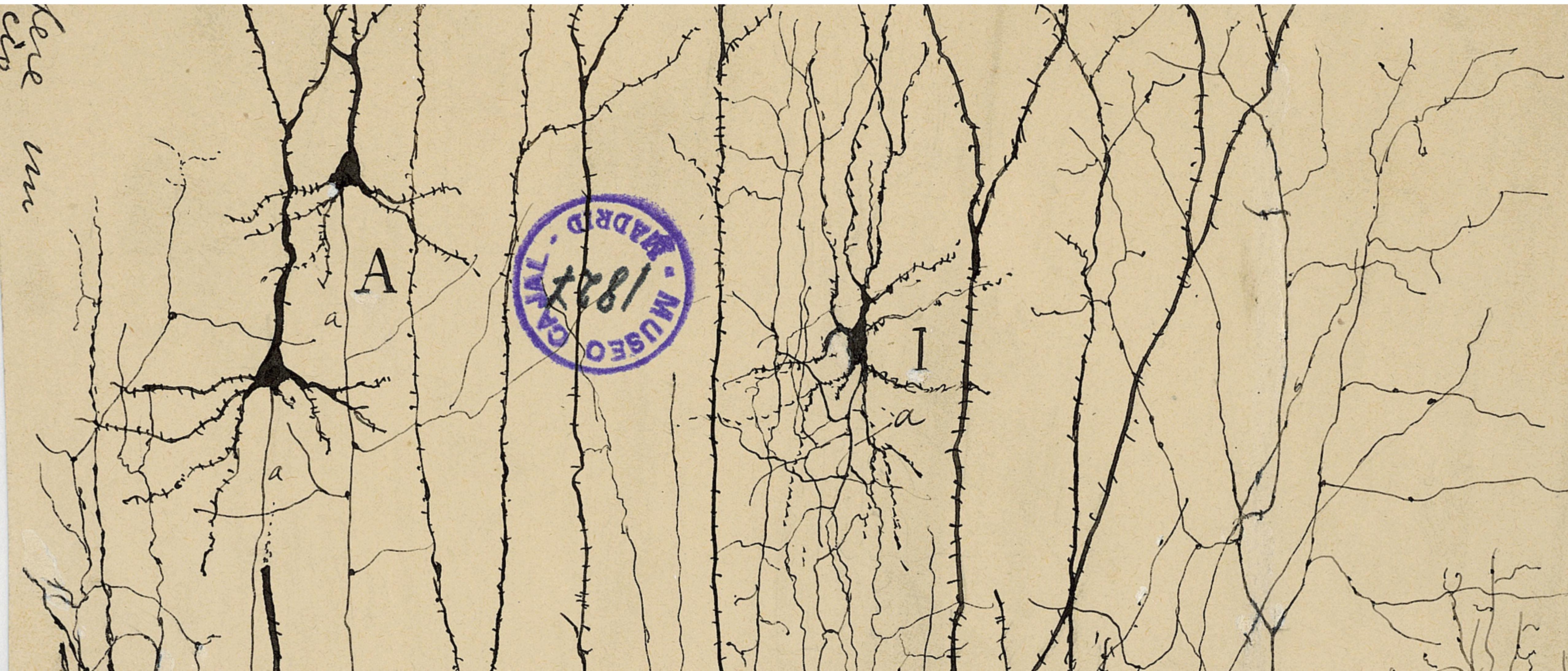
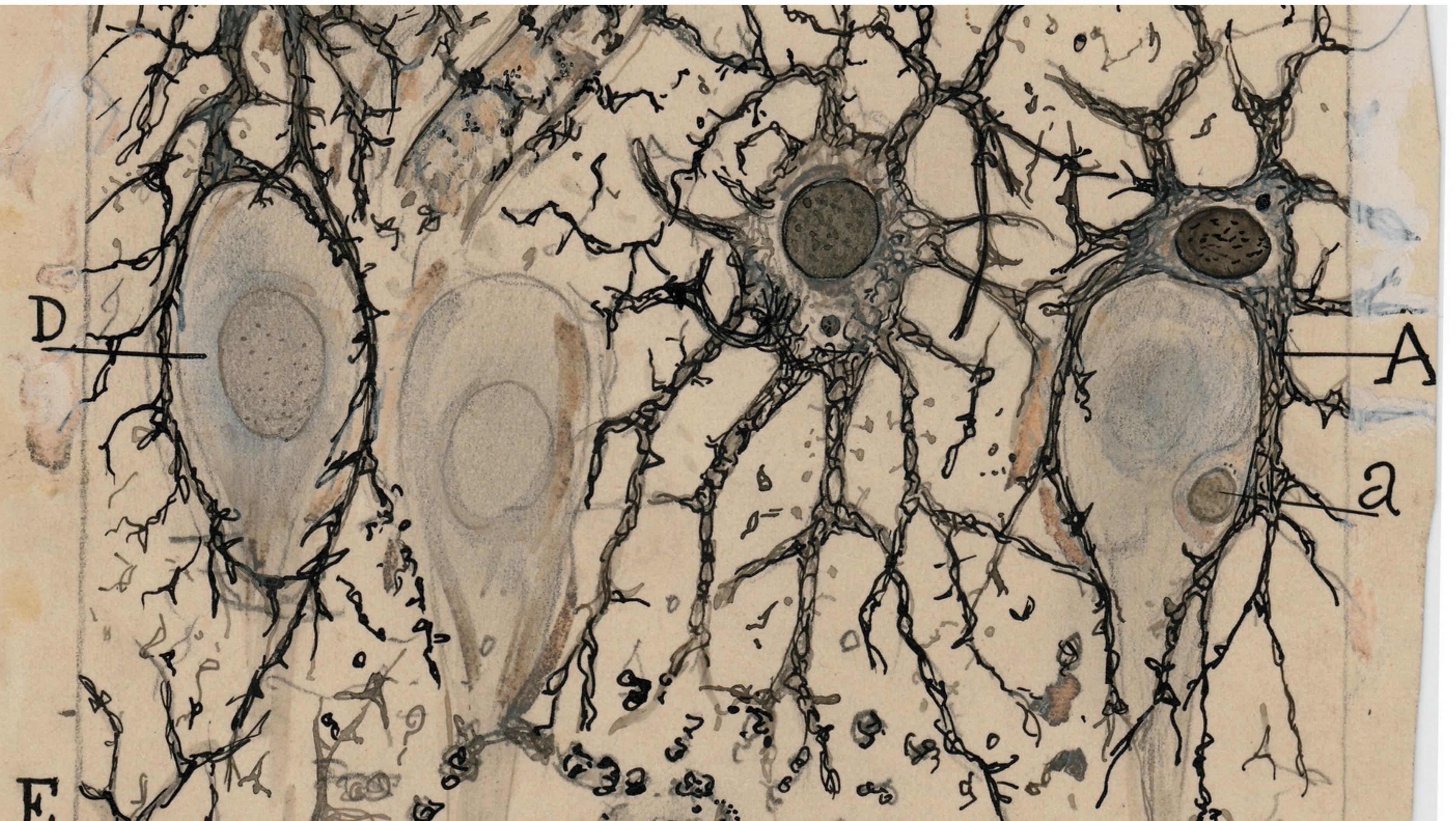


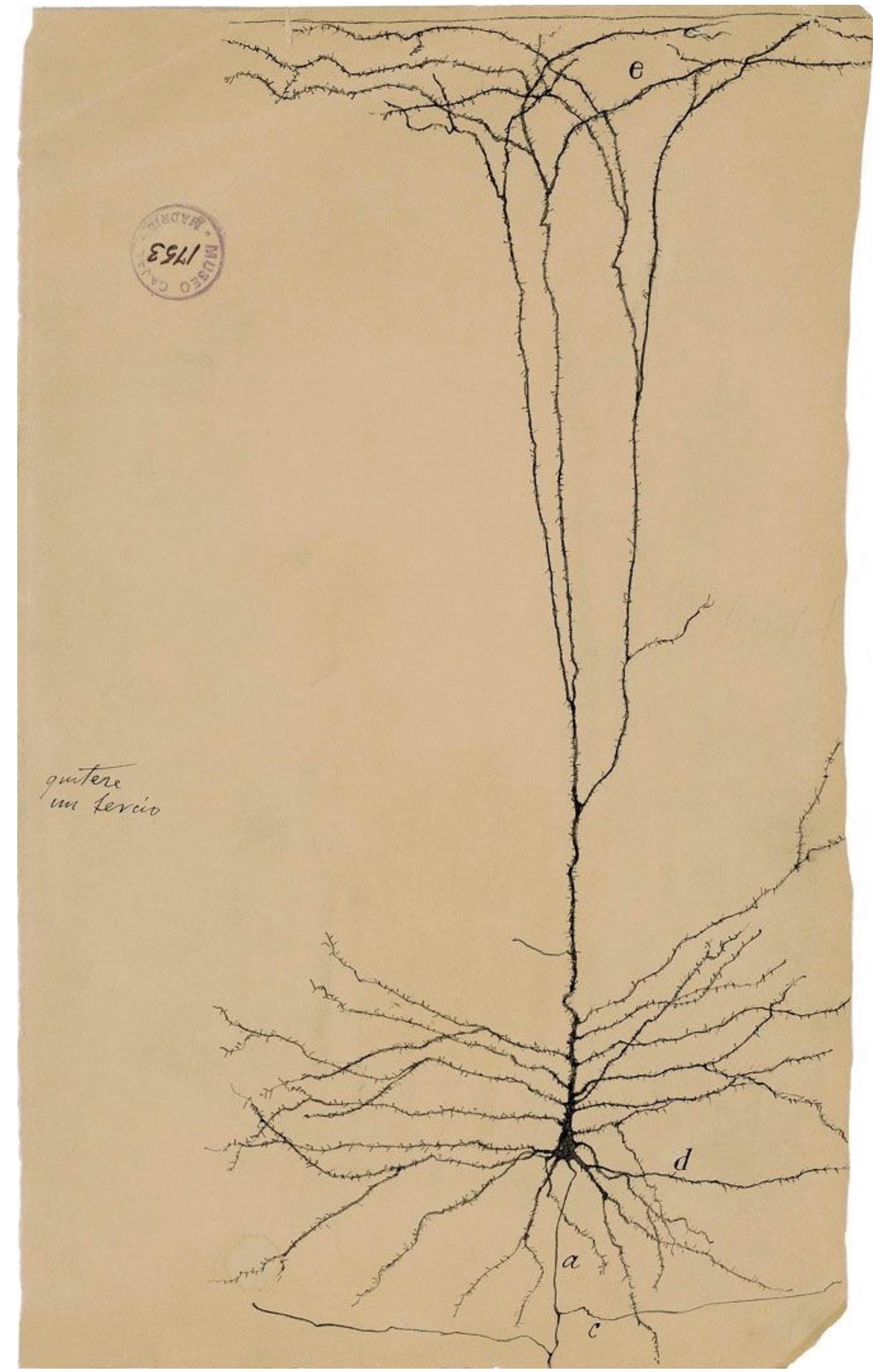
Neurons in a human hippocampus





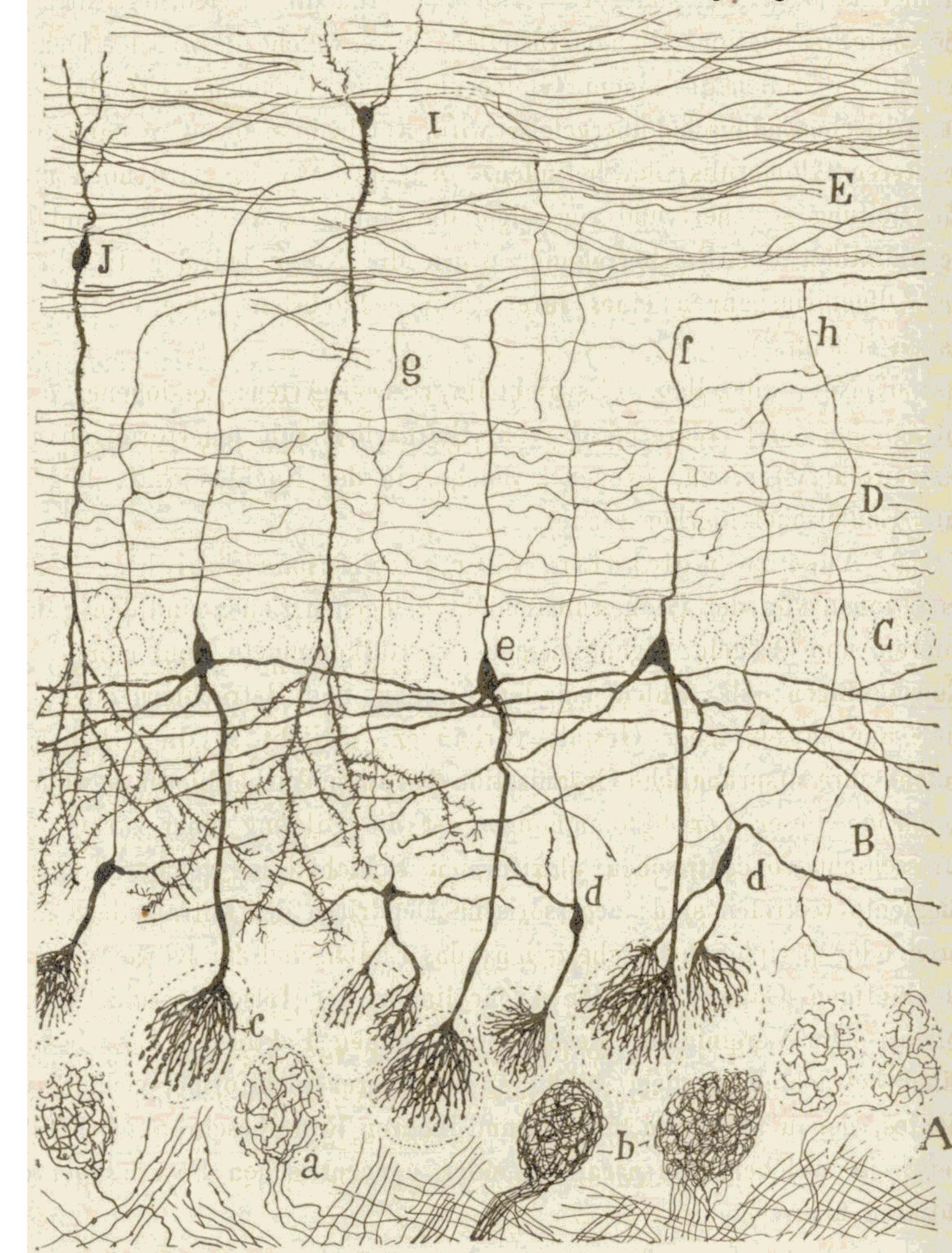
Santiago Ramón y Cajal - Neuroscientist won nobel prize 1906

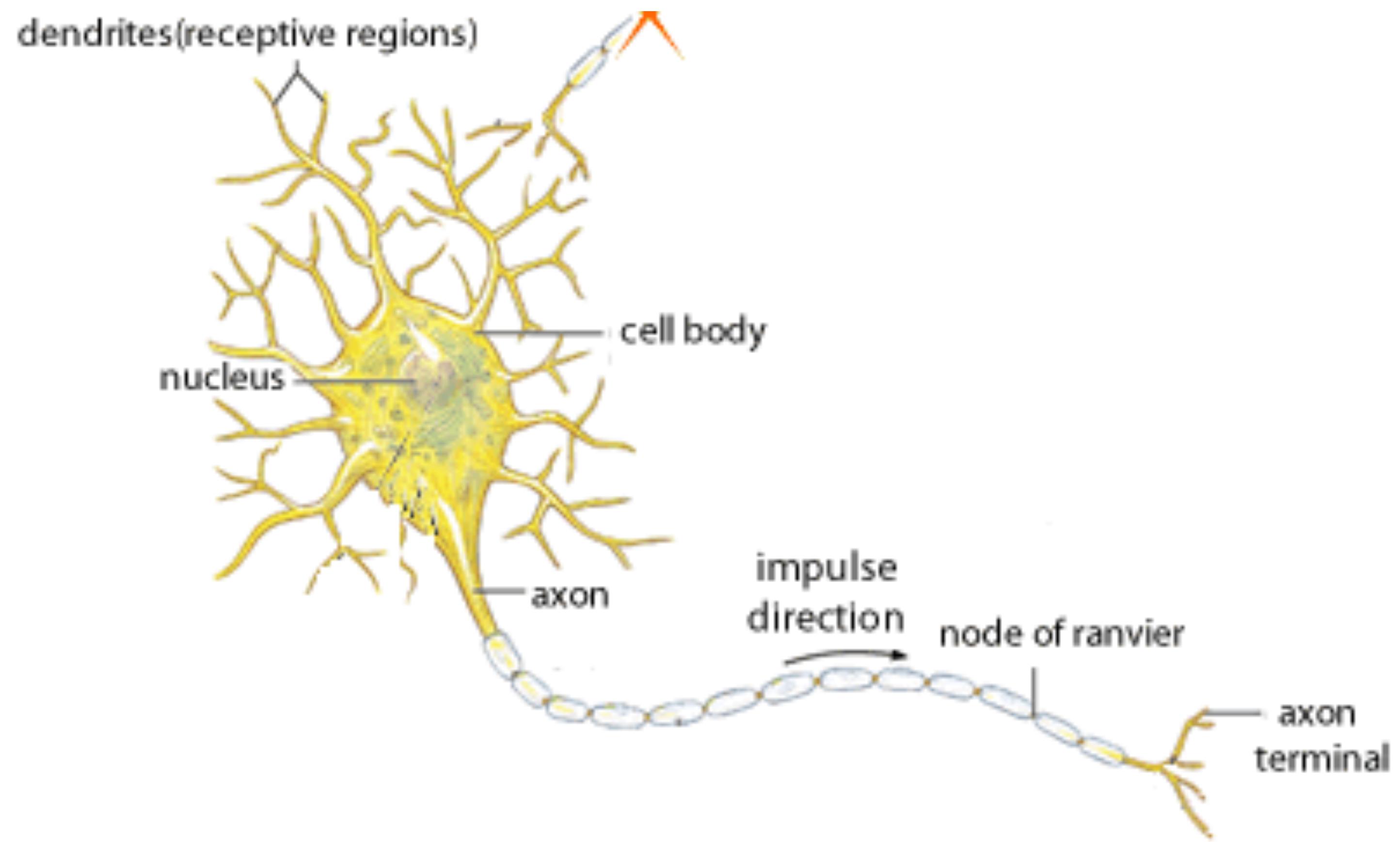




quiero  
un servicio

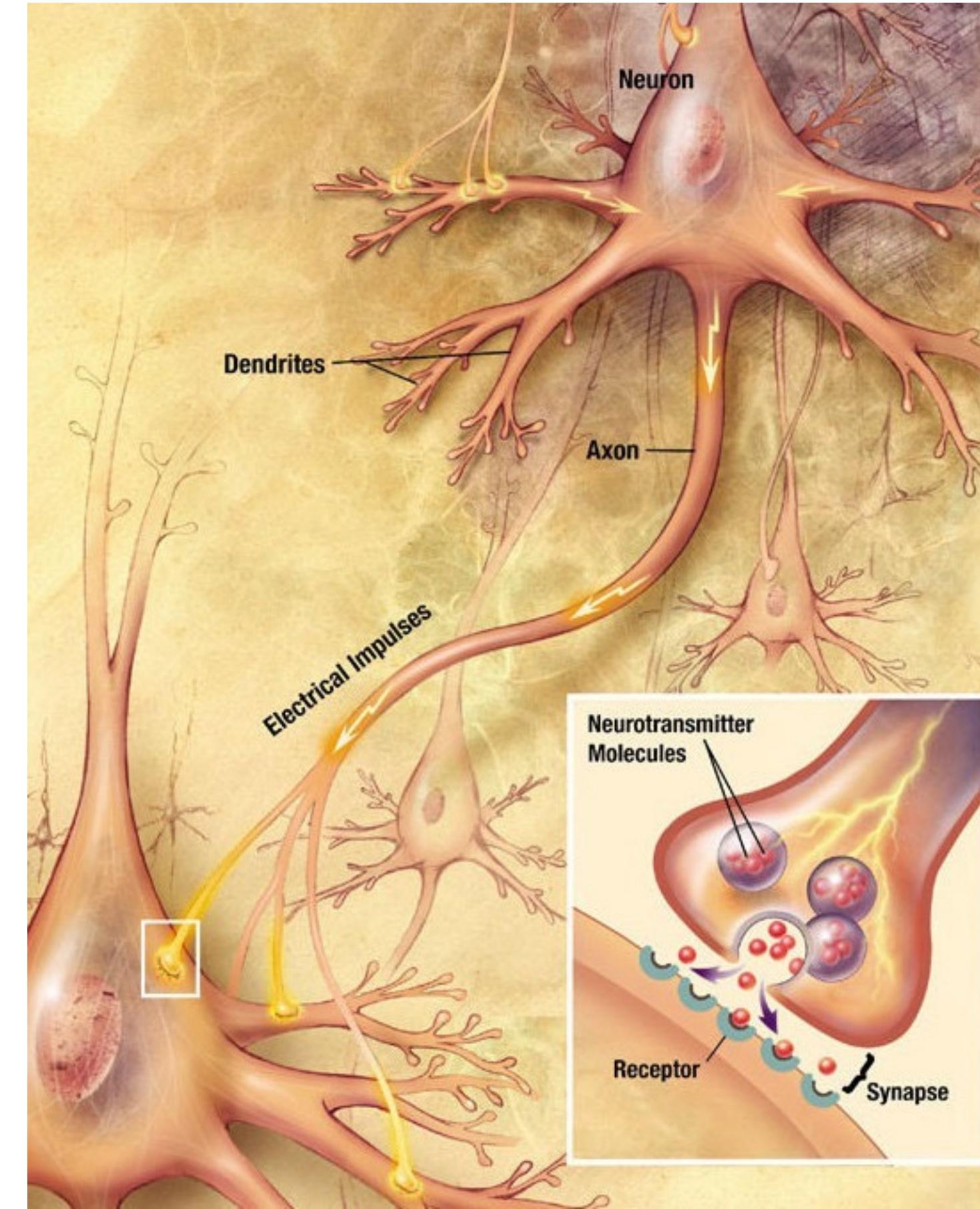
Neurons in the cat brain illustrated by Cajal





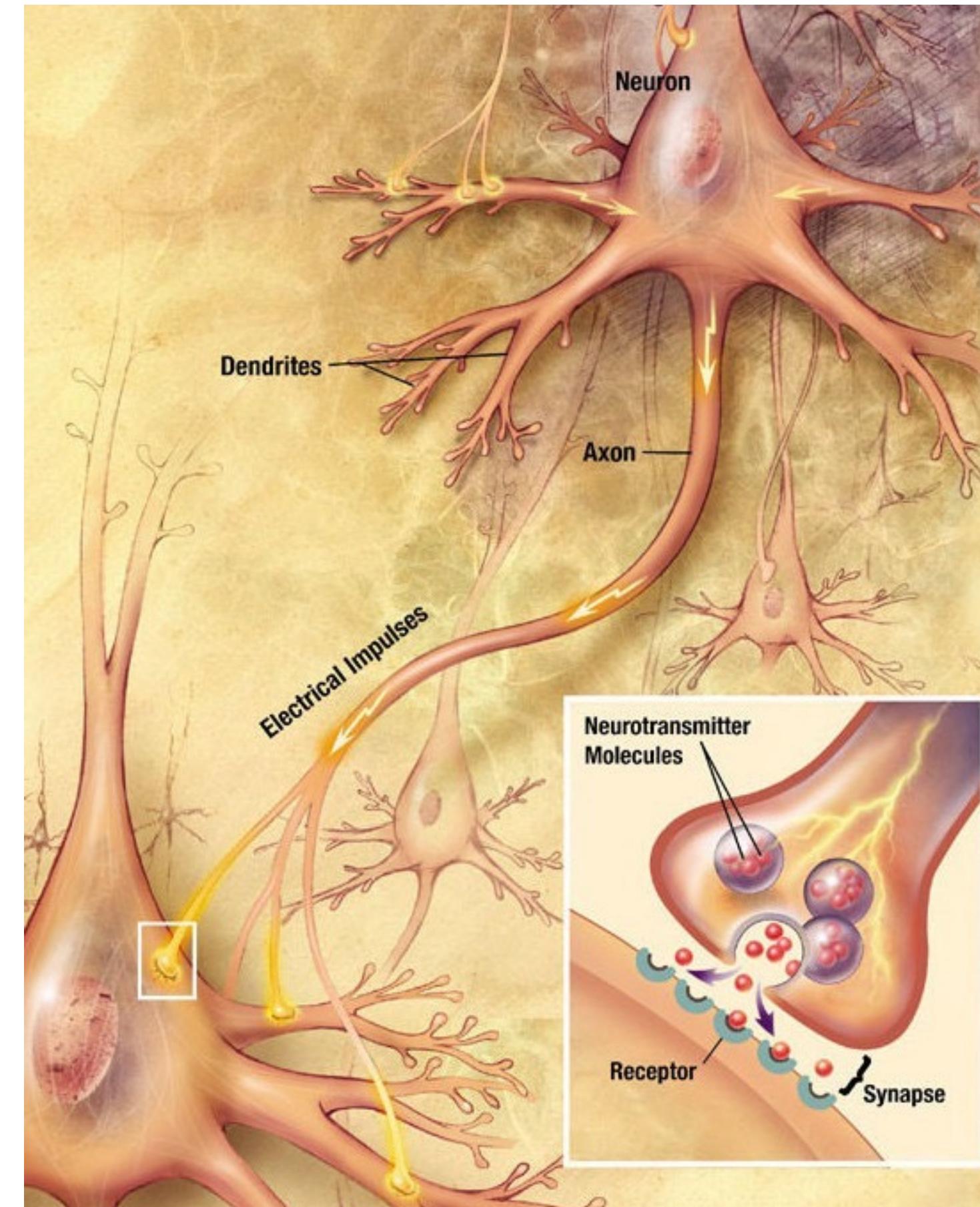
Neuron emits electrical pulses

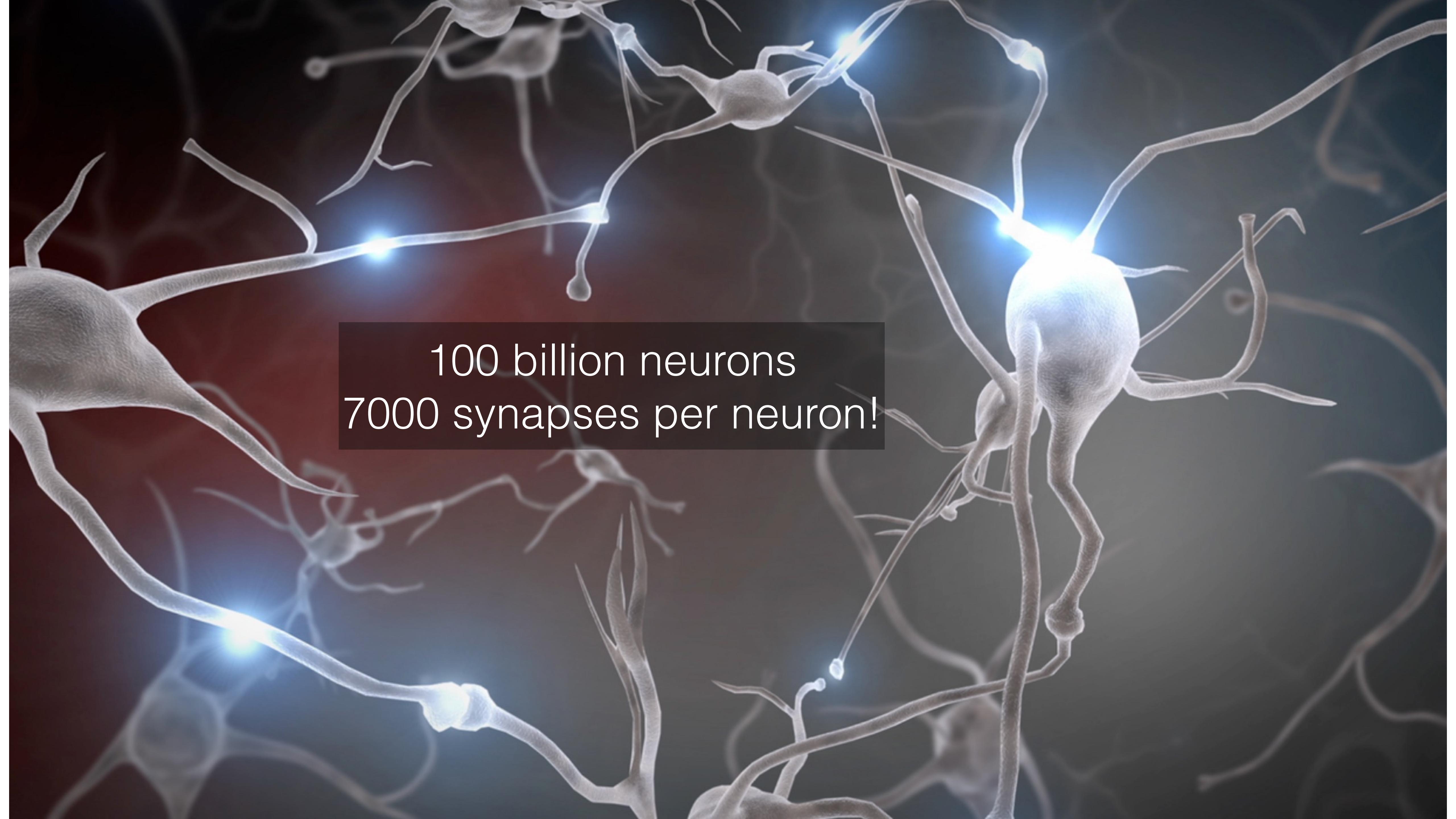
Synapses are the connections  
between neurons



The majority of synapses  
are formed in early childhood.

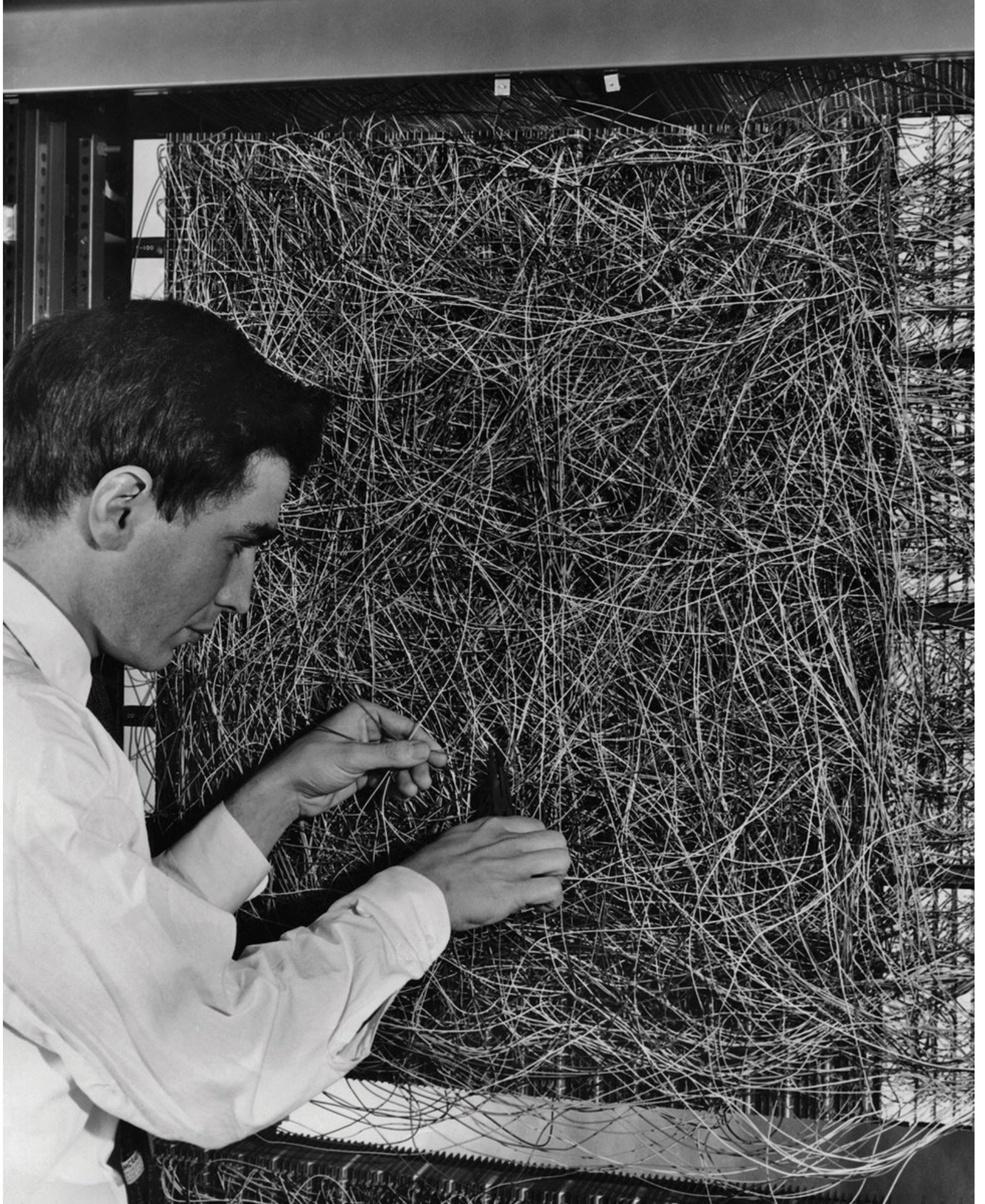
The brain has a high level of plasticity then.



A detailed 3D rendering of a neural network. Numerous neurons are shown with their light-colored, branching dendrites and axons. Several synapses are highlighted with bright blue or white glowing points, indicating active transmission. The background is a dark, mottled grey.

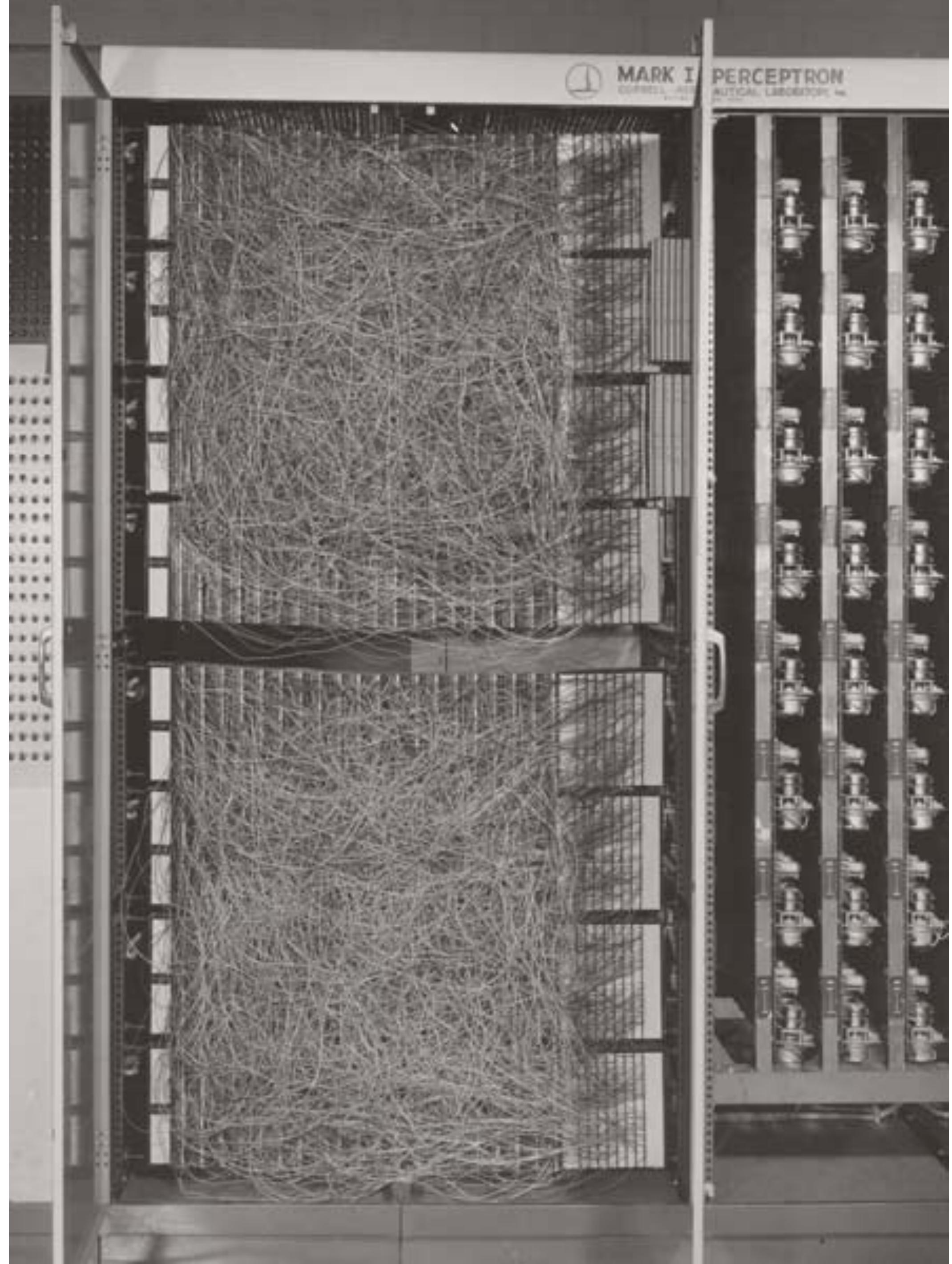
100 billion neurons  
7000 synapses per neuron!

Frank Rosenblatt came up  
with the perceptron algorithm  
in 1957

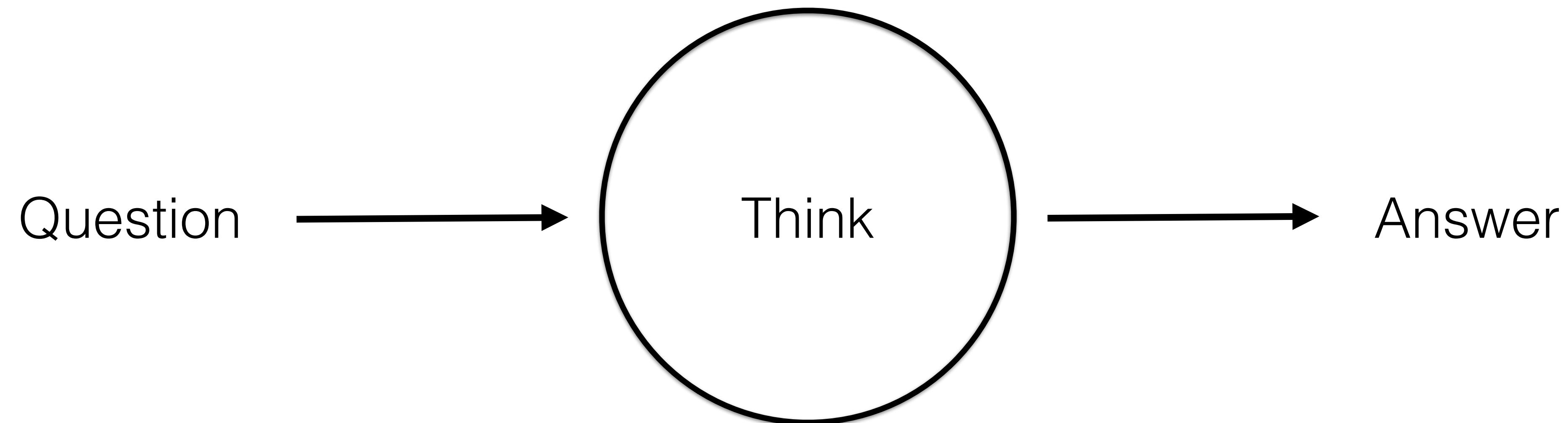


## Mark I Perceptron

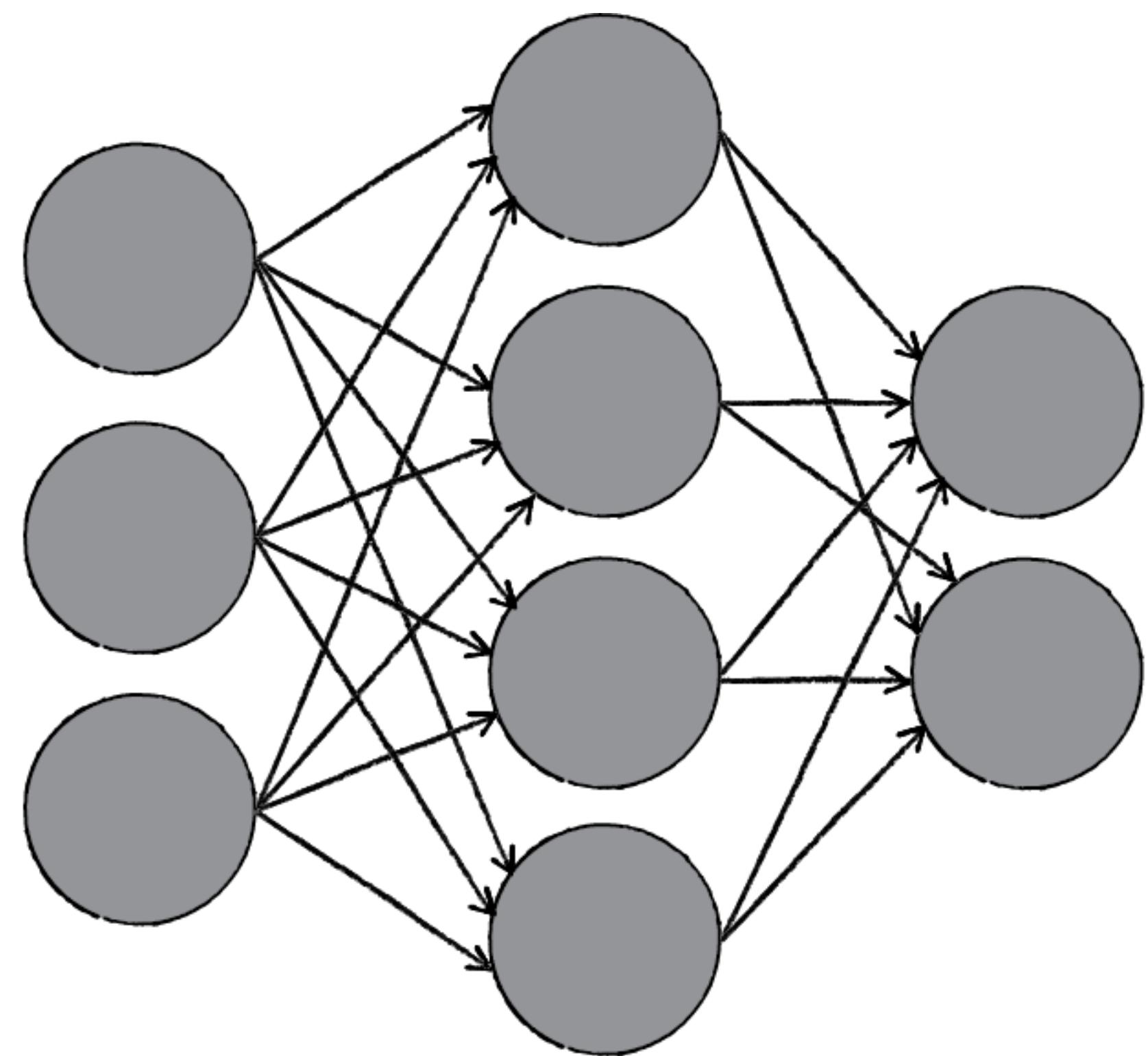
- Designed for image recognition
- 400 photocells
- Weights adjusted by potentiometers
- Motors adjusted the potentiometers

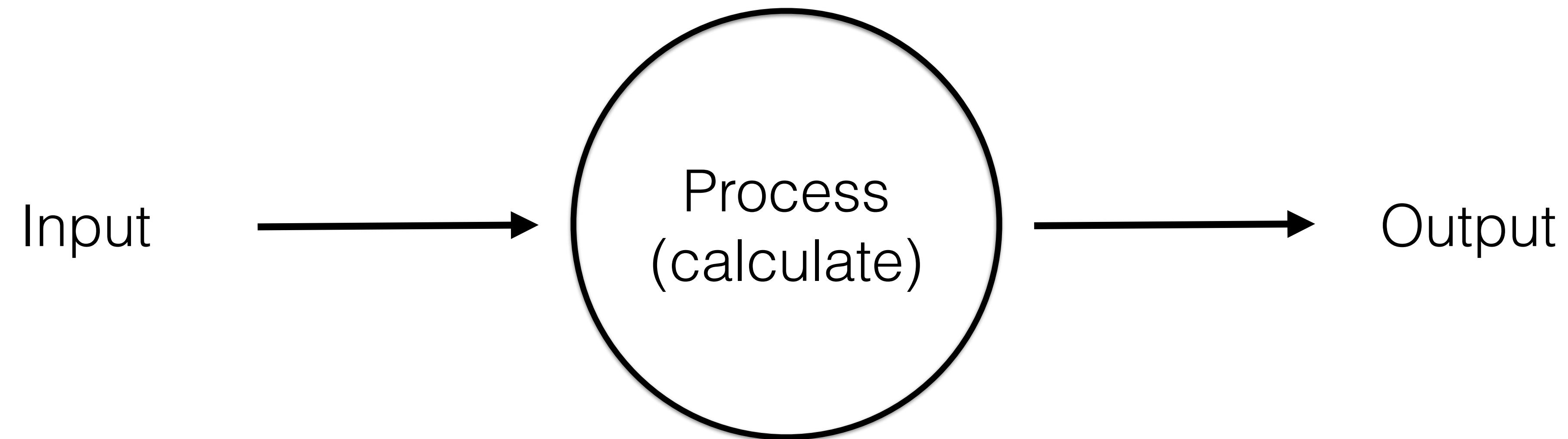


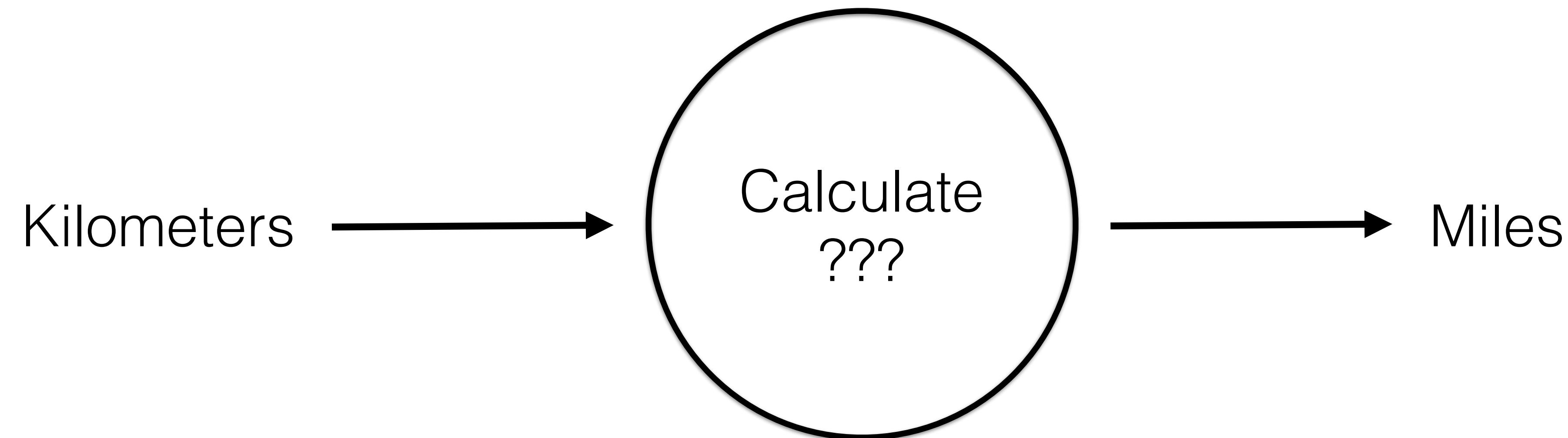
## Predicting machine



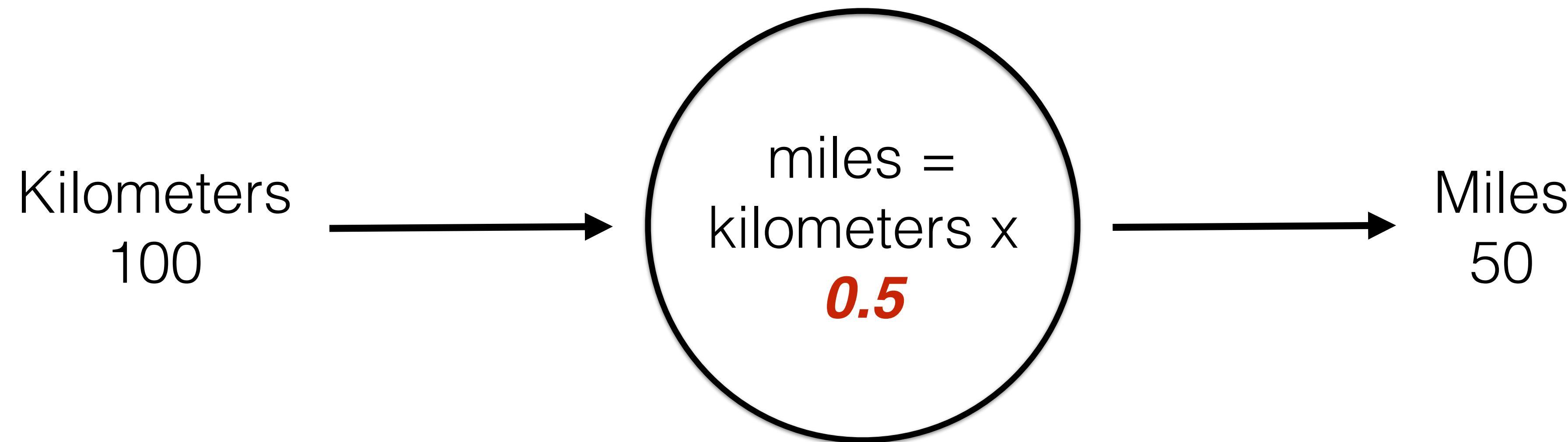
# Graph





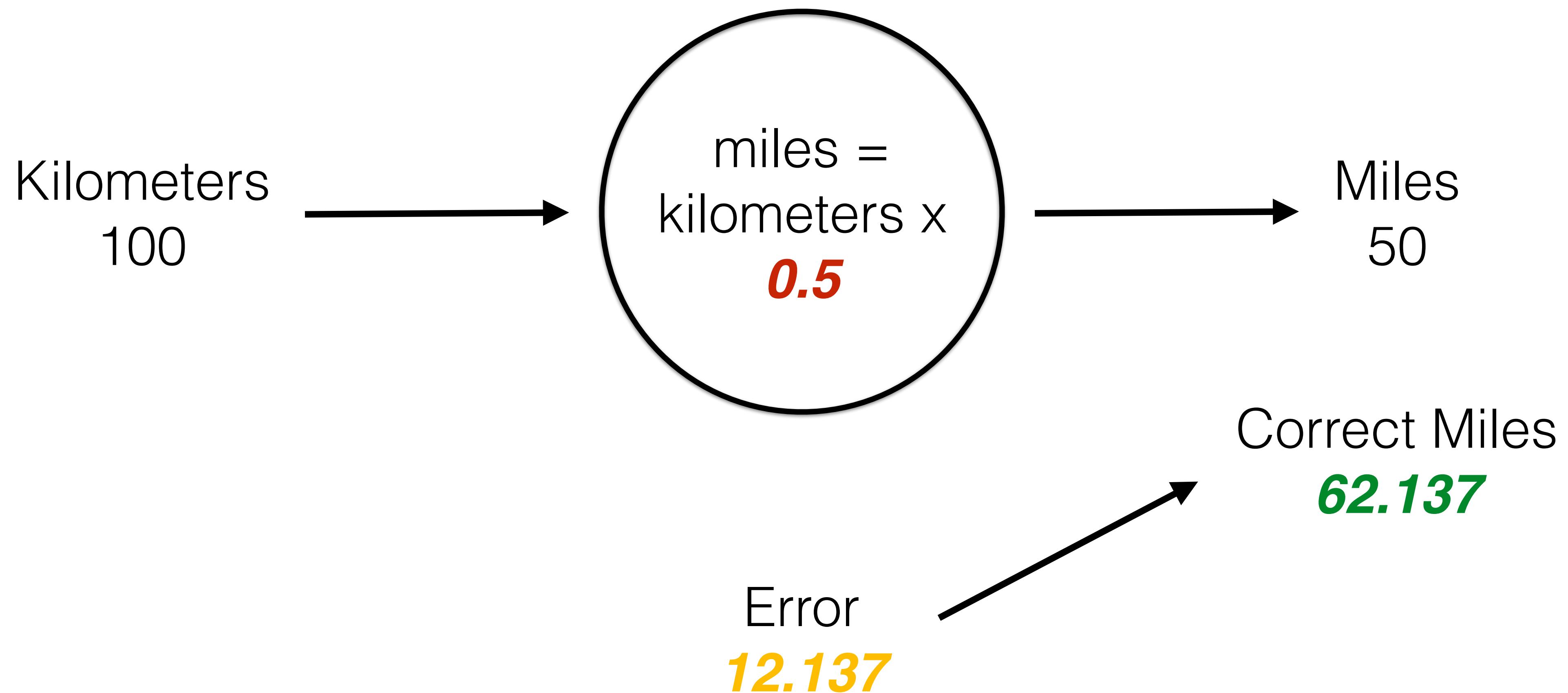


True Examples	Kilometers	Miles
1	0	0
2	100	62.137

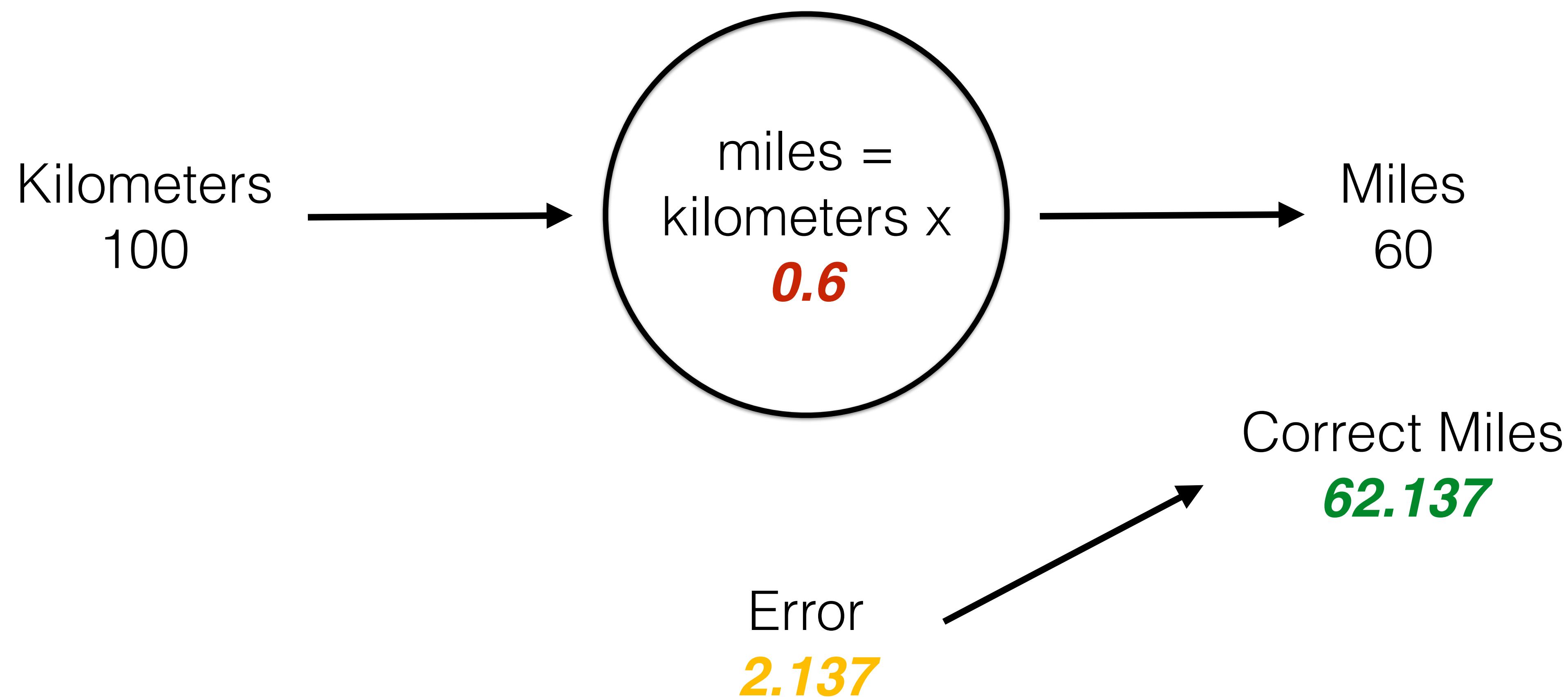


Try some random value to multiply the input by

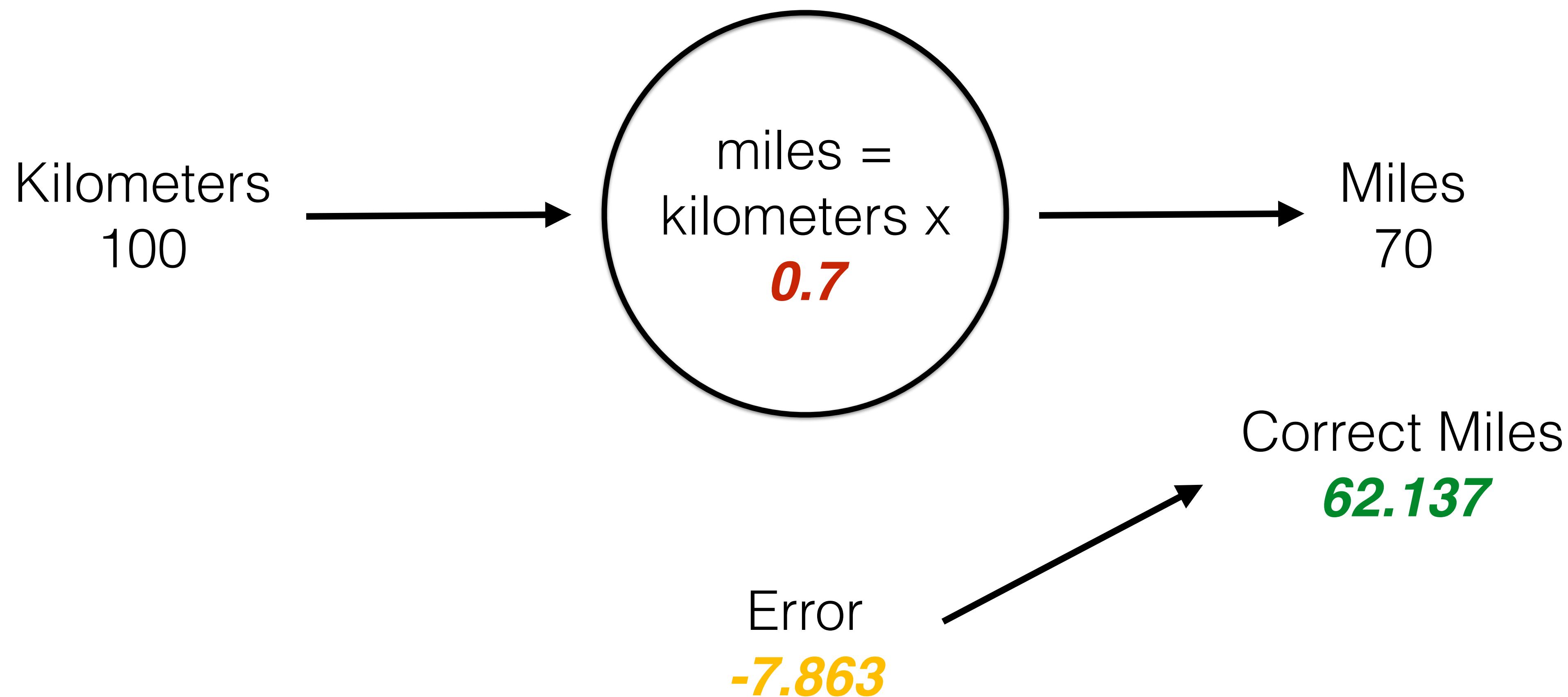
$$\begin{aligned}\text{error} &= \text{desired} - \text{calculated} \\ &= 62.137 - 50 \\ &= 12.137\end{aligned}$$



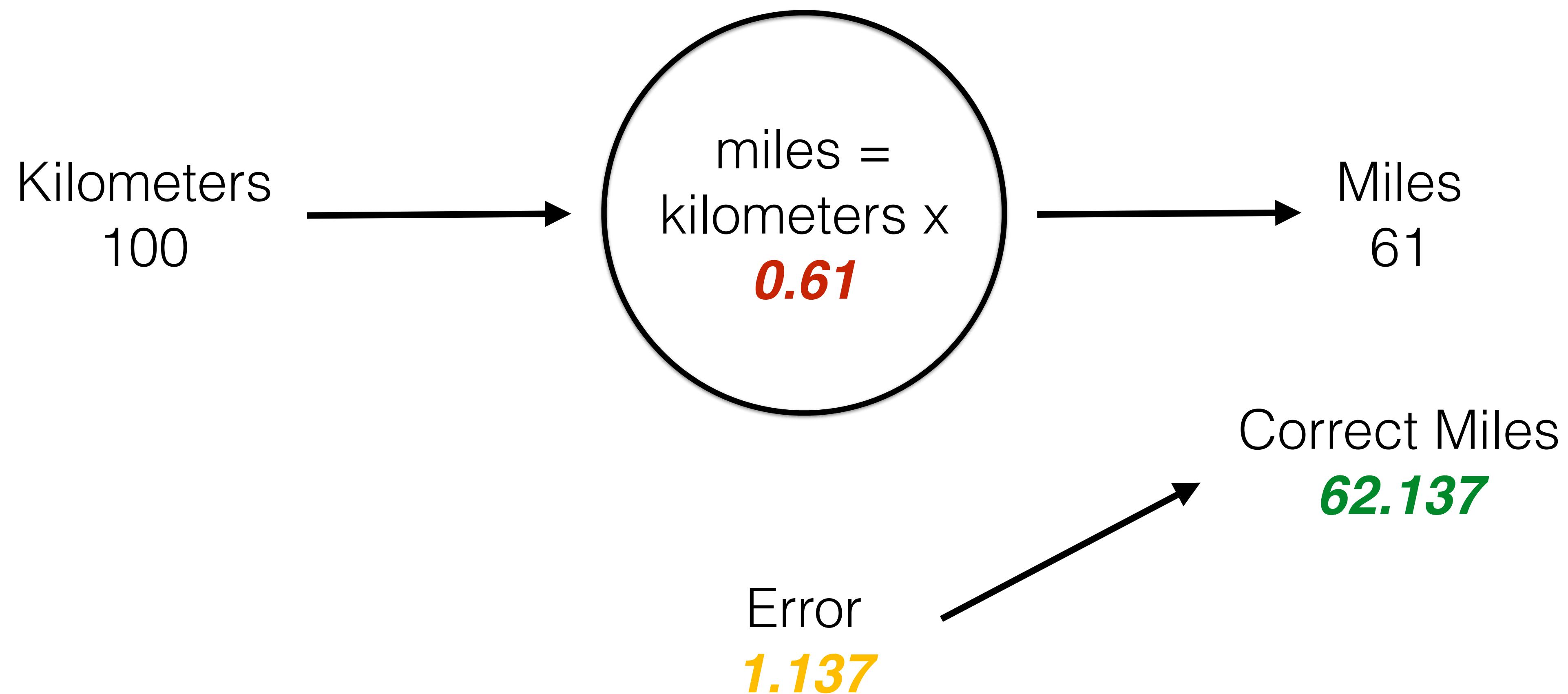
Let's nudge the value up a little bit



Oops, too far!



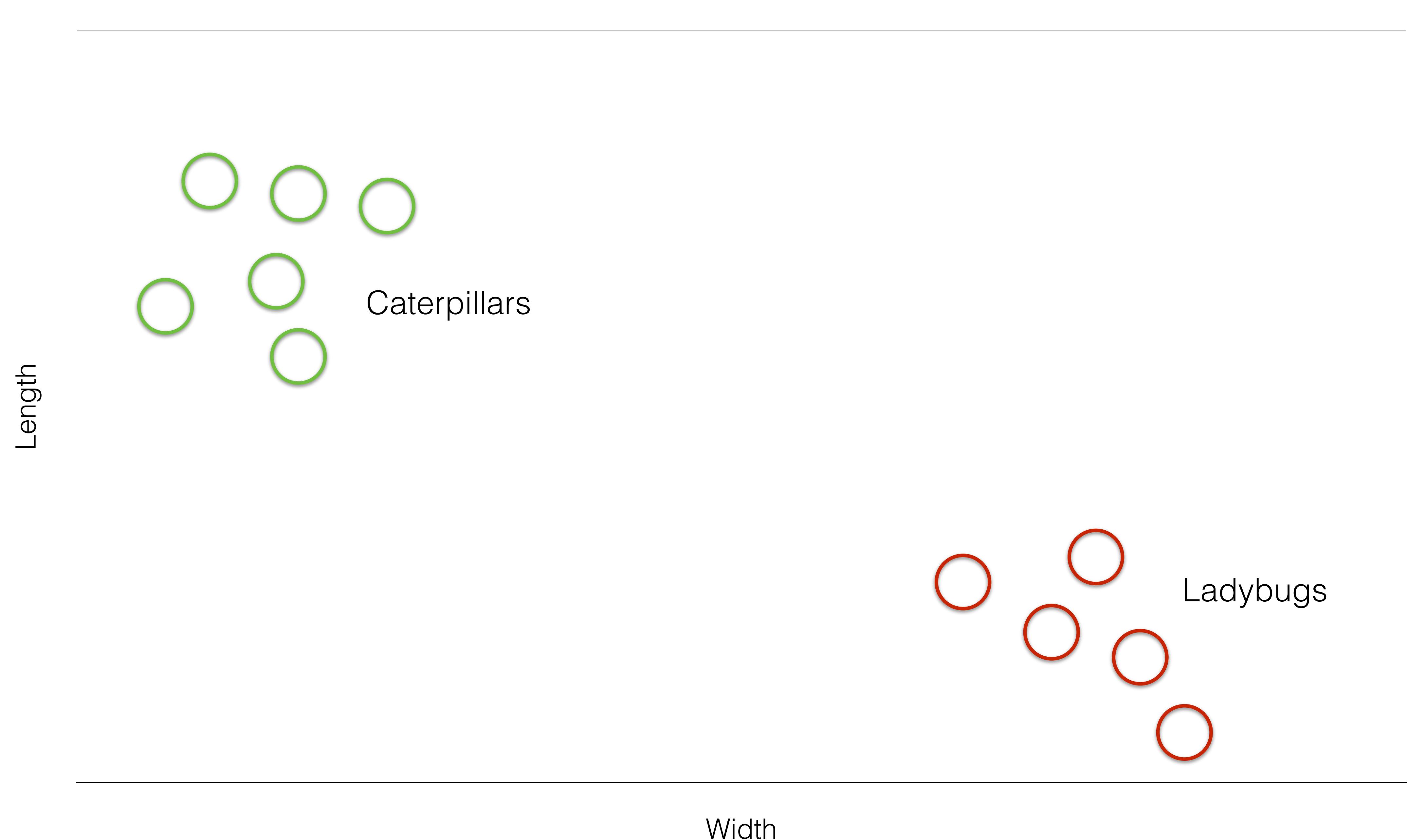
Getting there...



This is how a neural network learns!

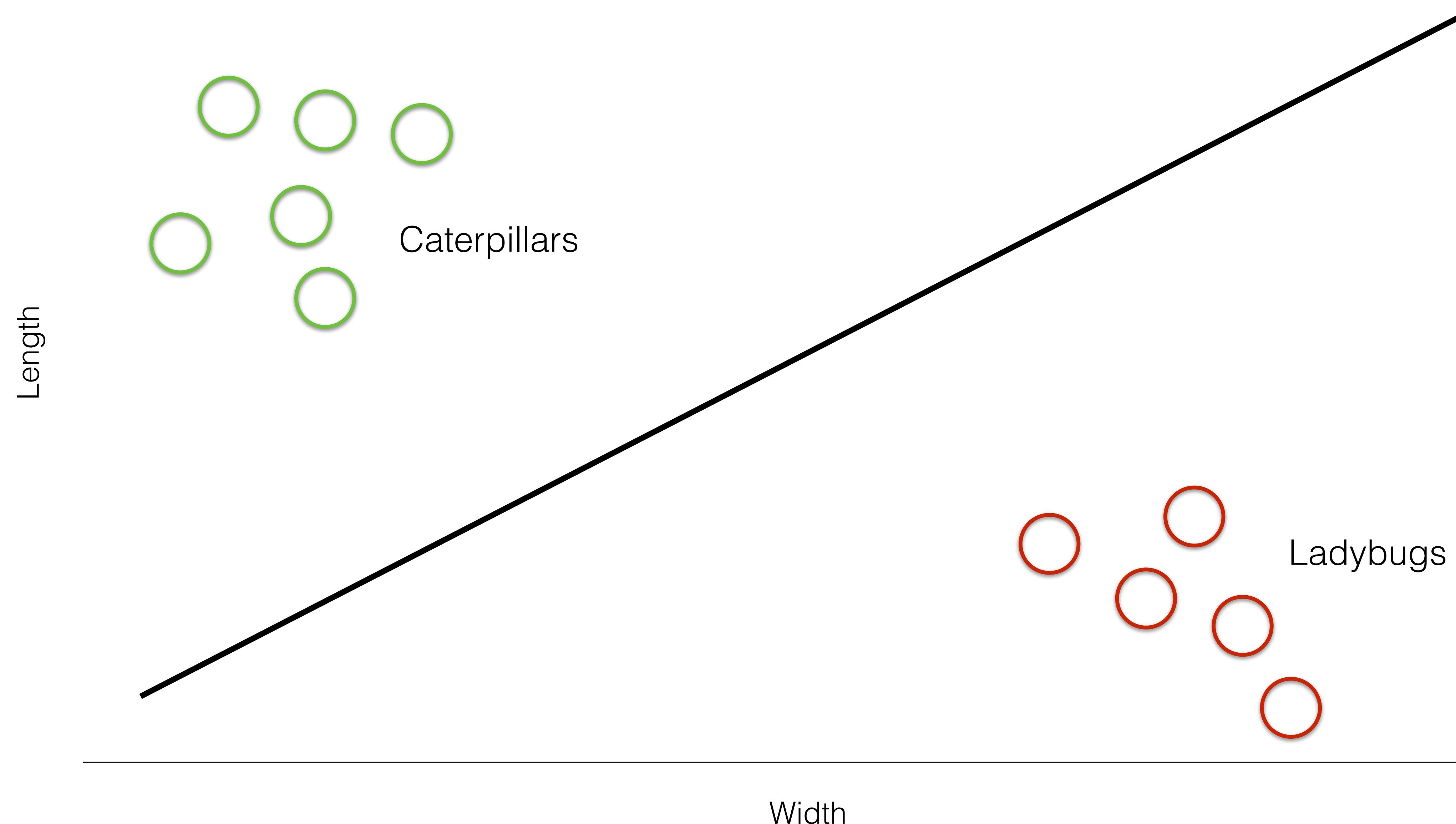
# In brief

- All computer systems have an input and an output, with a calculation in-between, neural networks are exactly the same.
- If we don't know how something works, we can try to estimate it with a model that includes parameters we can change
- A good way to refine these models is to adjust the parameters based on how far away the model is compared to a known true example.



We want to find some line to divide our two classes

---



# Training Data

Label	Width	Length
caterpillar	0.5	1.7
caterpillar	0.45	2
caterpillar	0.7	2.3
caterpillar	0.2	1.9
caterpillar	0.3	2.4
caterpillar	0.5	2.35
ladybug	2	0.8
ladybug	2.4	0.5
ladybug	2.5	0.2
ladybug	2.3	0.9
ladybug	2.2	0.6

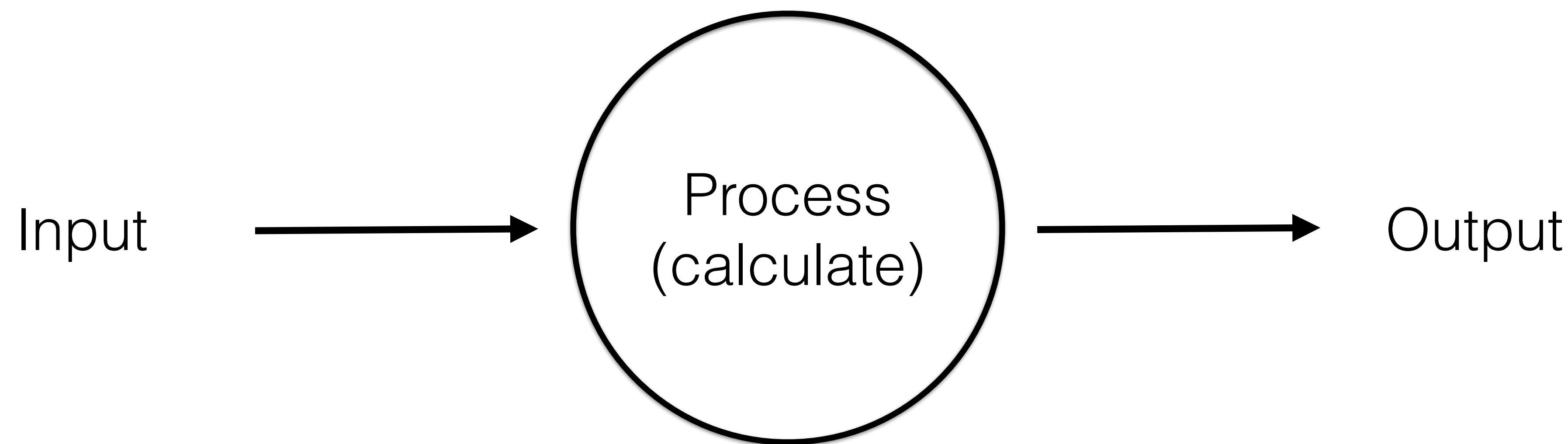
Equation for line:

$$y = mx + b$$

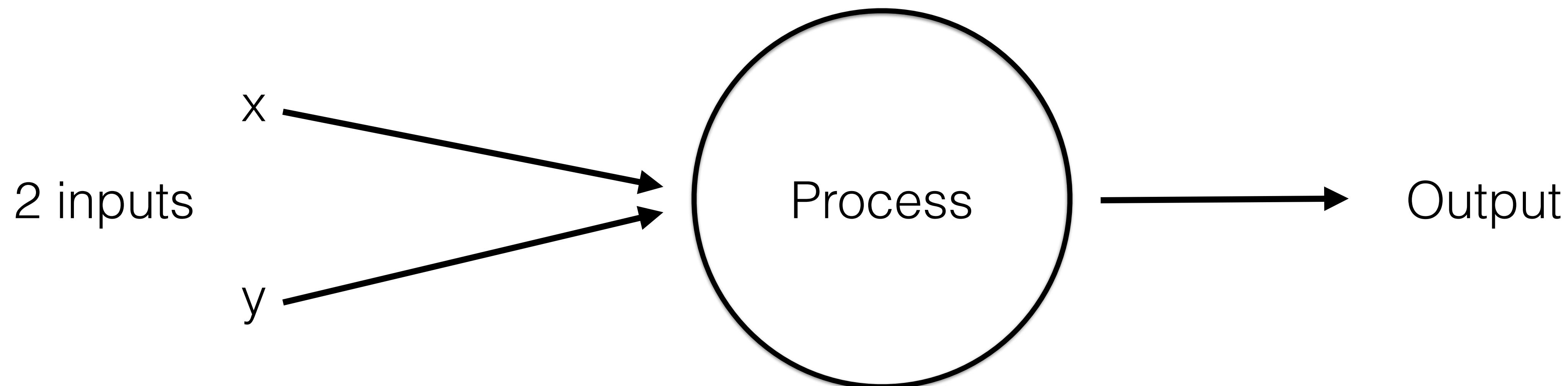
(m is slope & b is y intercept)

*We need to figure out m & b*

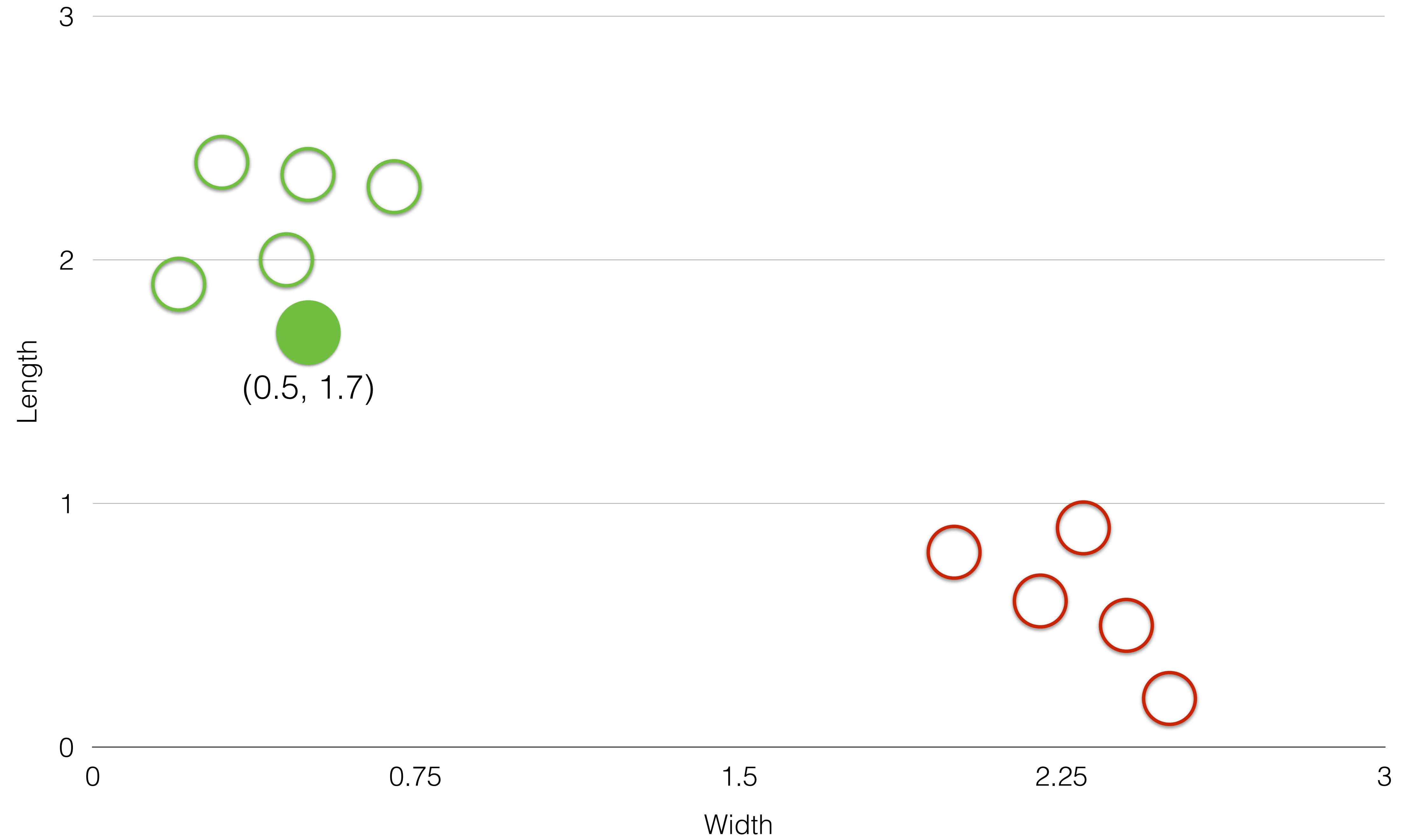
# Perceptron



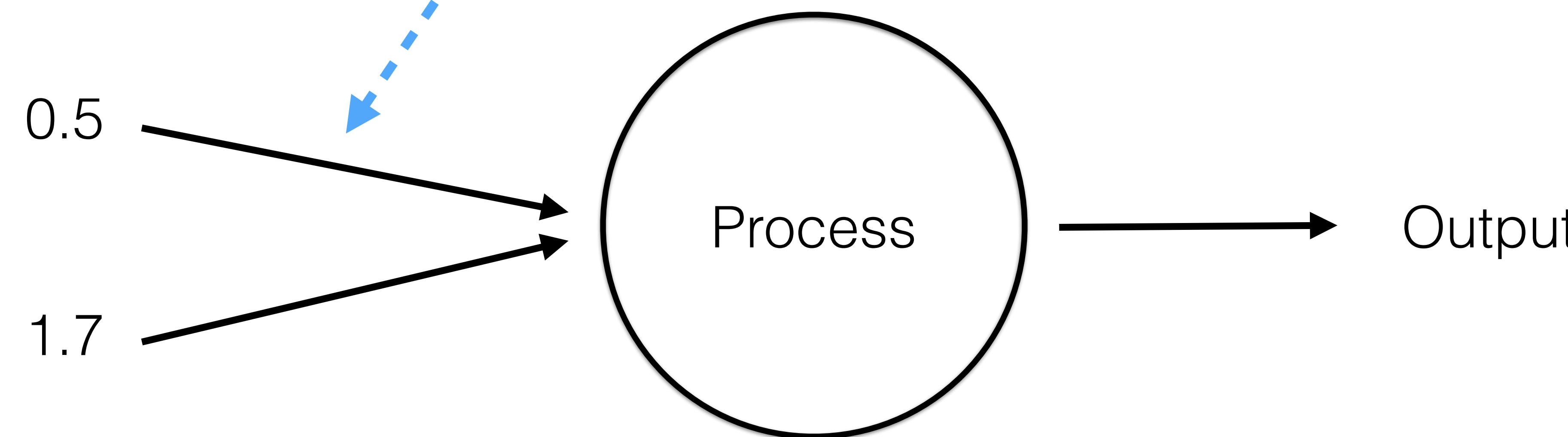
Simplest neural network, with just one neuron



Feed Forward →



These lines represent synapses and will adjust the strength of the signal going in. In other words they ***weight*** the signal.

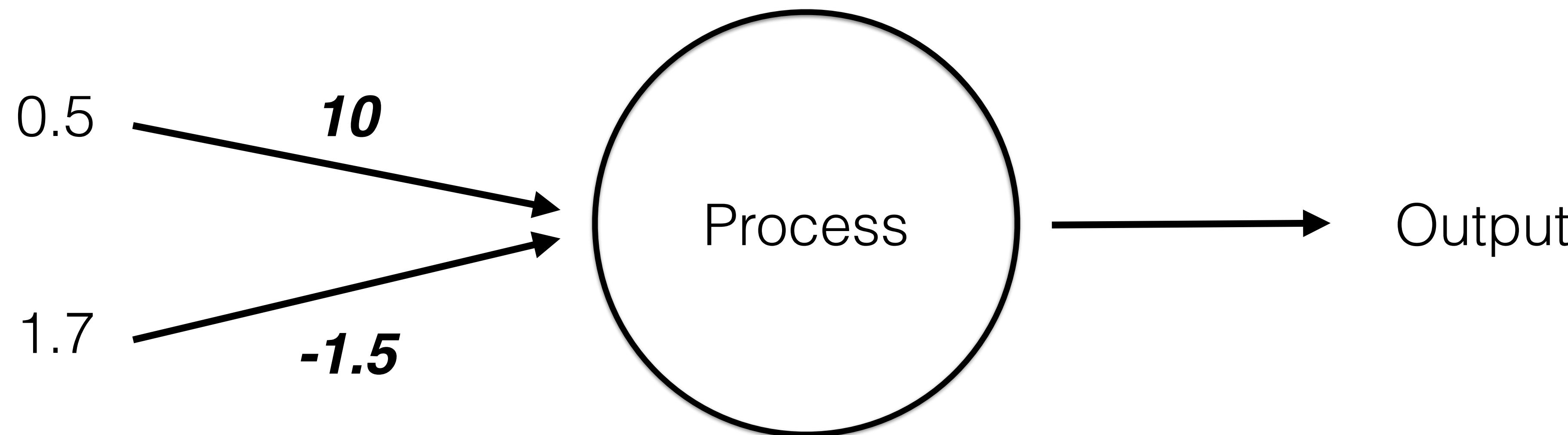


Feed Forward →

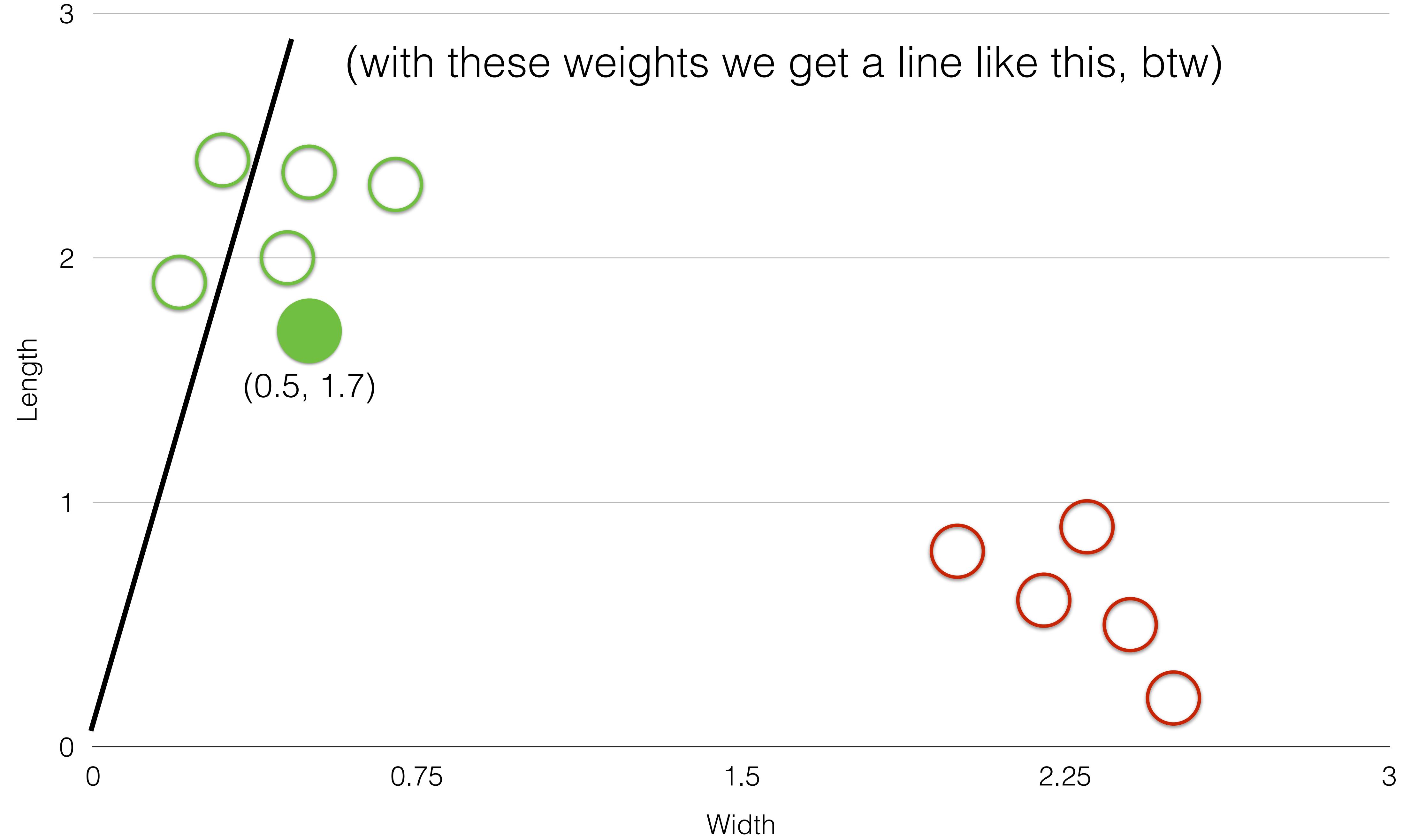
Start with some random weights.

weight 1 = 10

weight 2 = -1.5

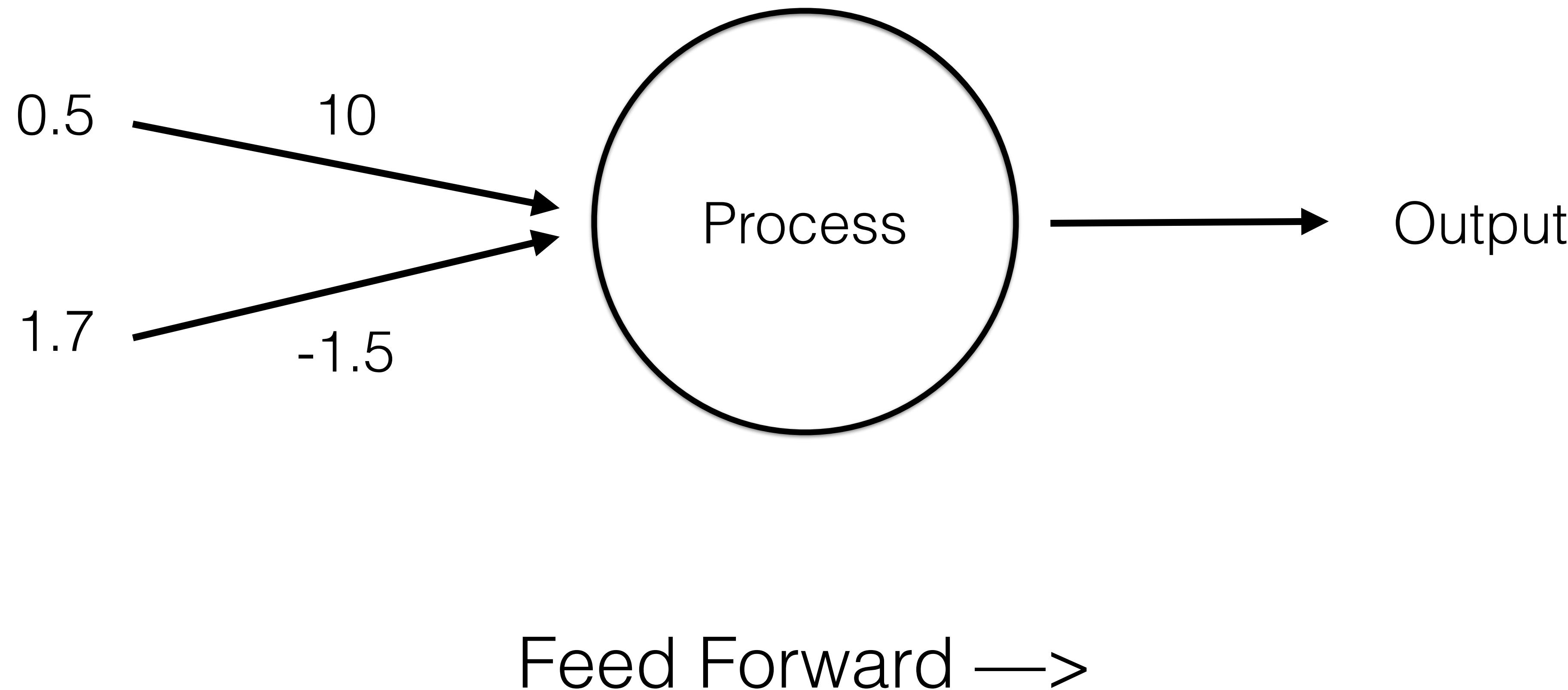


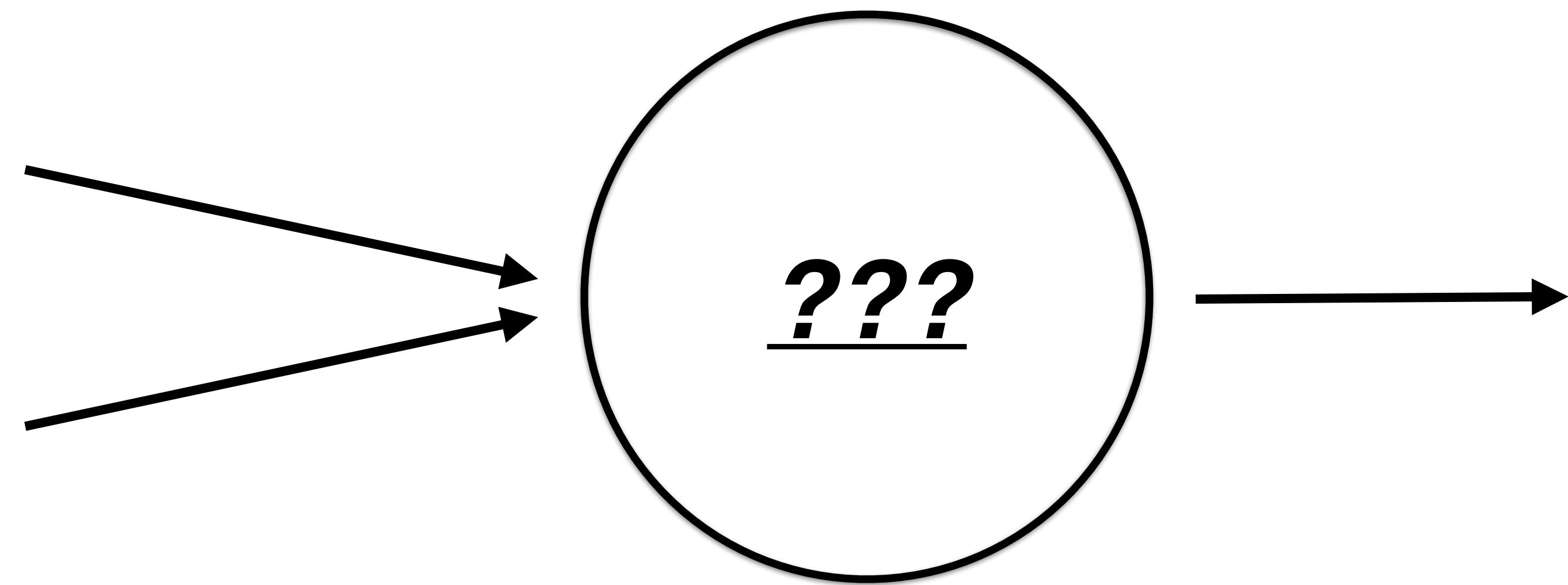
Feed Forward →



Multiply the signal by the weights, and then sum everything.

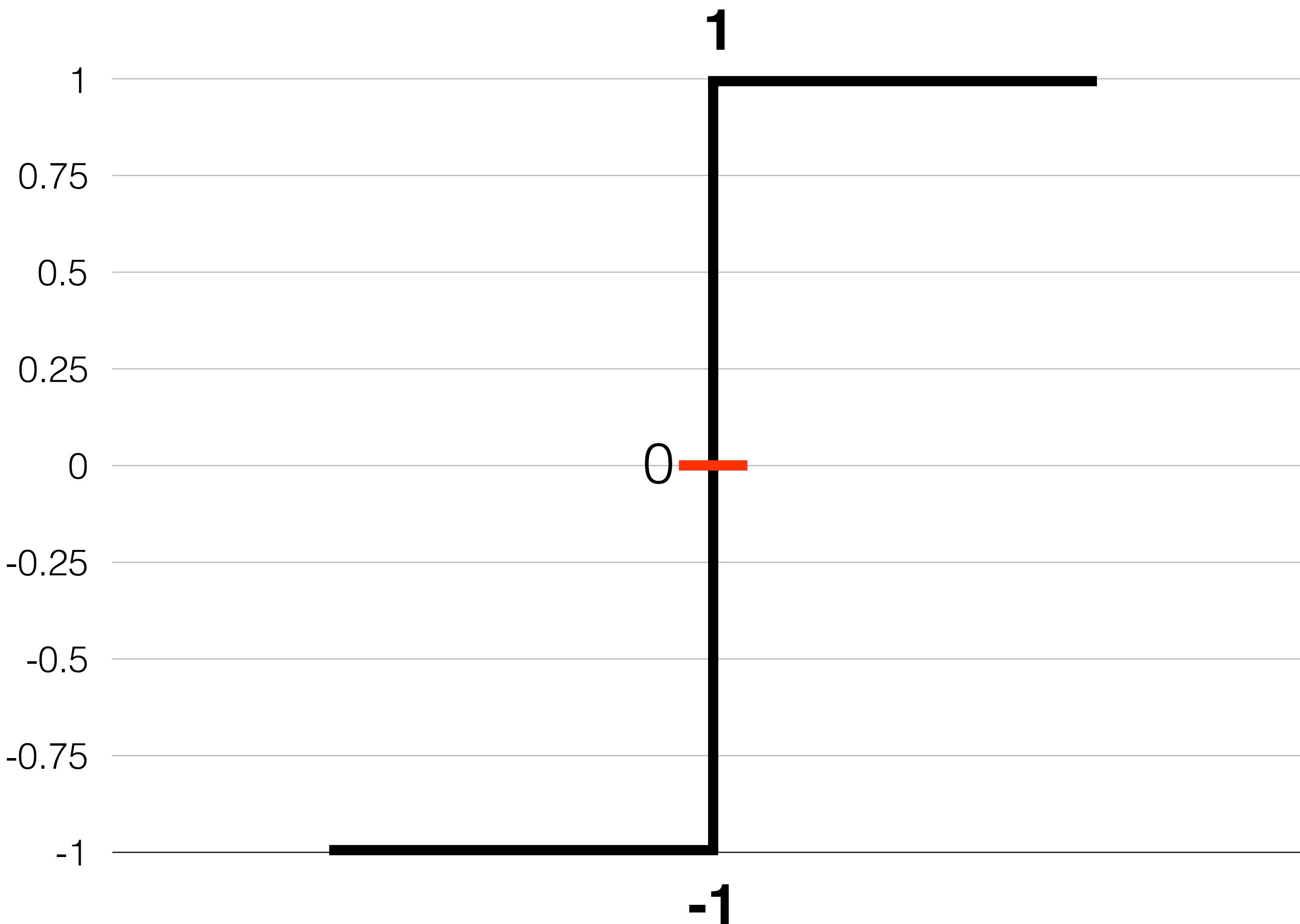
$$(0.5 * 10) + (1.7 * -1.5) = 2.45$$





Activation Function

# Step (sign) function



There are only two answers, either the point is above or below the line.

If it's above the correct answer is -1.

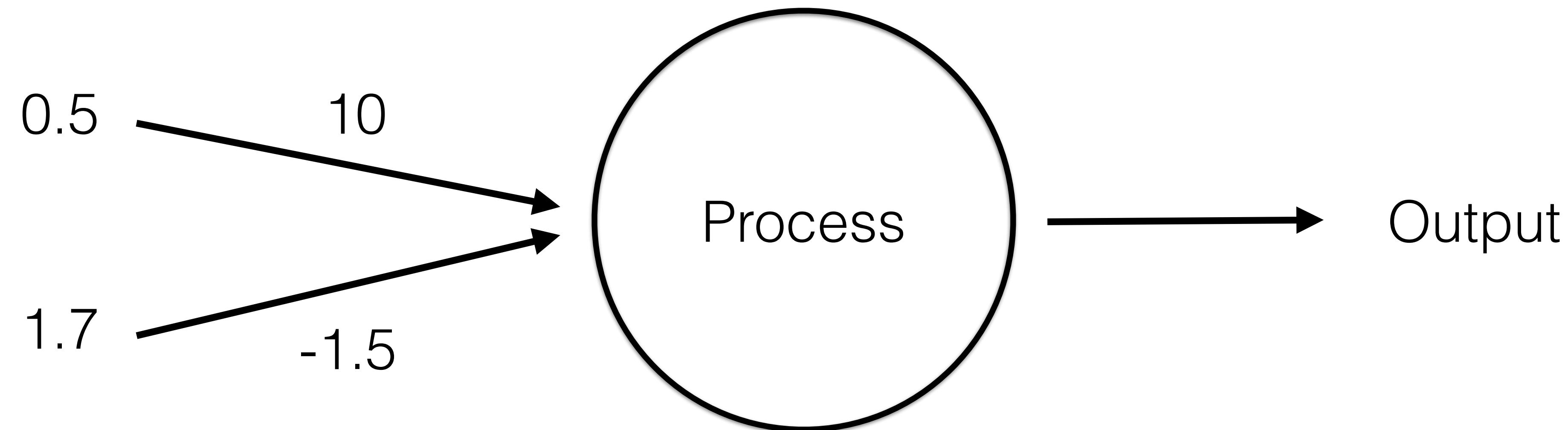
If below, the correct answer is 1.

## Training Data

Label	Width	Length	Correct Answer
caterpillar	0.5	1.7	-1
caterpillar	0.45	2	-1
caterpillar	0.7	2.3	-1
caterpillar	0.2	1.9	-1
caterpillar	0.3	2.4	-1
caterpillar	0.5	2.35	-1
ladybug	2	0.8	1
ladybug	2.4	0.5	1
ladybug	2.5	0.2	1
ladybug	2.3	0.9	1
ladybug	2.2	0.6	1

$$(0.5 * 10) + (1.7 * -1.5) = 2.45$$

Take the sign of our weighted sum:  
 $\text{sign}(2.45) = +1$



Activate



How do we train our perceptron???

Find the error

**error = desired - guess**

*(I wanted 10 but I guessed 7, I was 3 off)*

Only four possible results

Desired	Guess	Error
-1	-1	0
-1	+1	-2
+1	-1	2
+1	+1	0

Label	Width	Length	Correct Answer
caterpillar	0.5	1.7	-1

Our weighted values gave us a +1,  
but we wanted a -1.

$$\text{desired} - \text{guess} = \text{error}$$
$$-1 - 1 = -2$$

We need to adjust our weights somehow based on our error.

new weight = weight +  $\Delta$ weight

$\Delta$  (*delta*) means change

new weight = weight +  $\Delta$ weight

$\Delta$ weight = error \* input

new weight = weight +  $\Delta$ weight

$\Delta$ weight = error \* input

**NEW WEIGHT = weight + error \* input**

**NEW WEIGHT = weight + error \* input**

Example

- Let's say we had an input value of two, and our weight is 8

**NEW WEIGHT = weight + error \* input**

Example

- Let's say we had an input value of two, and our weight is 8
- $2 * 8 = 16$ , but target value was 10

## **NEW WEIGHT = weight + error \* input**

### Example

- Let's say we had an input value of two, and our weight is 8
- $2 * 8 = 16$ , but target value was 10
- Error = desired - guess, so  $10 - 16 = -6$

## **NEW WEIGHT = weight + error \* input**

### Example

- Let's say we had an input value of two, and our weight is 8
- $2 * 8 = 16$ , but target value was 10
- Error = desired - guess, so  $10 - 16 = -6$
- Plug these values into our equation: 8 (current weight) + -6 (error) \* 2 (input)

## **NEW WEIGHT = weight + error \* input**

### Example

- Let's say we had an input value of two, and our weight is 8
- $2 * 8 = 16$ , but target value was 10
- Error = desired - guess, so  $10 - 16 = -6$
- Plug these values into our equation: 8 (current weight) + -6 (error) \* 2 (input)
- New weight = -4

## **NEW WEIGHT = weight + error \* input**

### Example

- Let's say we had an input value of two, and our weight is 8
- $2 * 8 = 16$ , but target value was 10
- Error = desired - guess, so  $10 - 16 = -6$
- Plug these values into our equation: 8 (current weight) + -6 (error) \* 2 (input)
- New weight = -4

$$2 * -4 = -8$$

*So far in the opposite direction!!!*

# Learning Rate

## Learning Rate

**NEW WEIGHT = weight + error \* input \* learning rate**

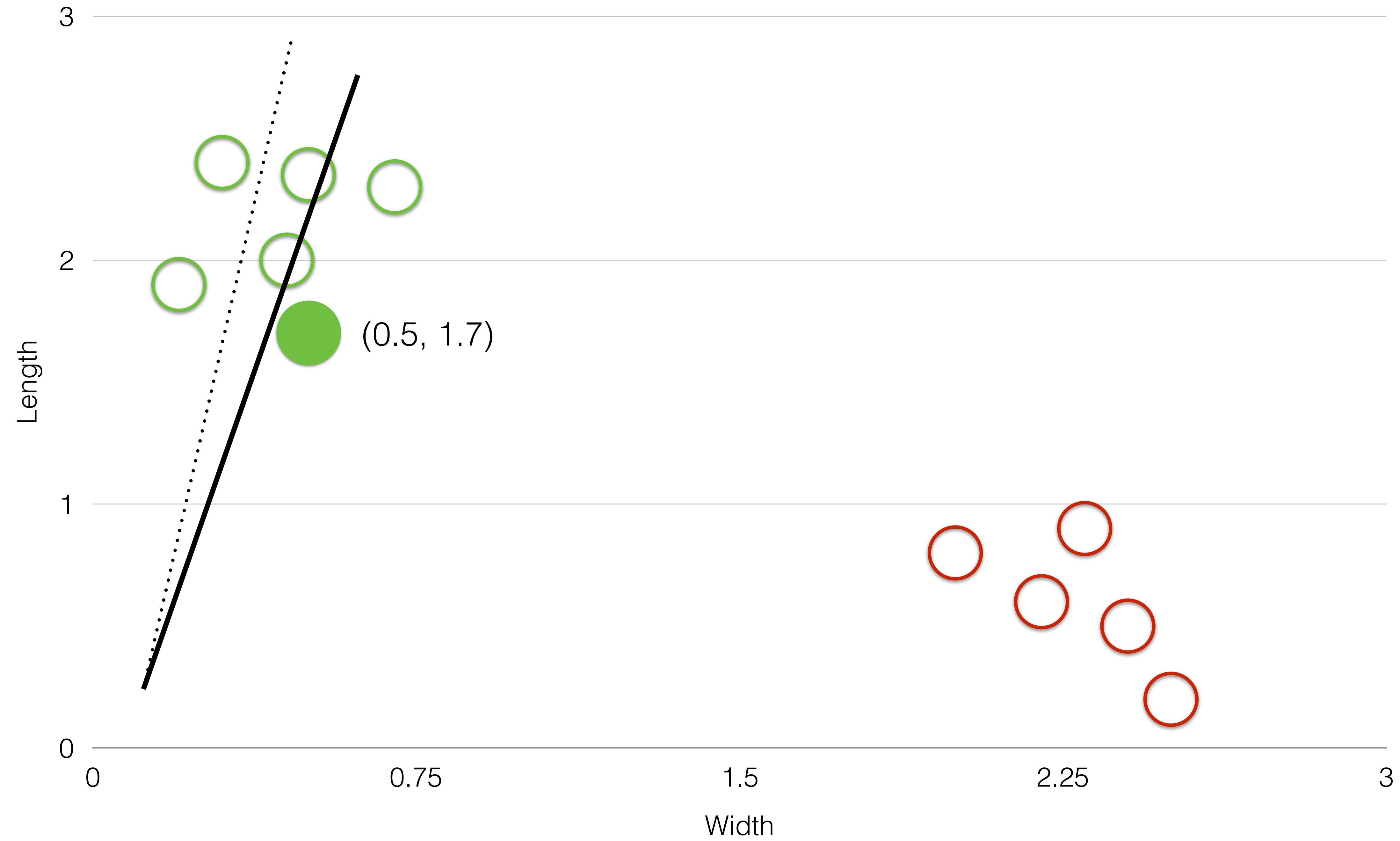
**NEW WEIGHT = weight + error \* input \* learning rate**

8 (current weight) + -6 (error) \* 2 (input) \* 0.1 (learning rate)

new weight = 6.8

$2 * 6.8 = 13.6$

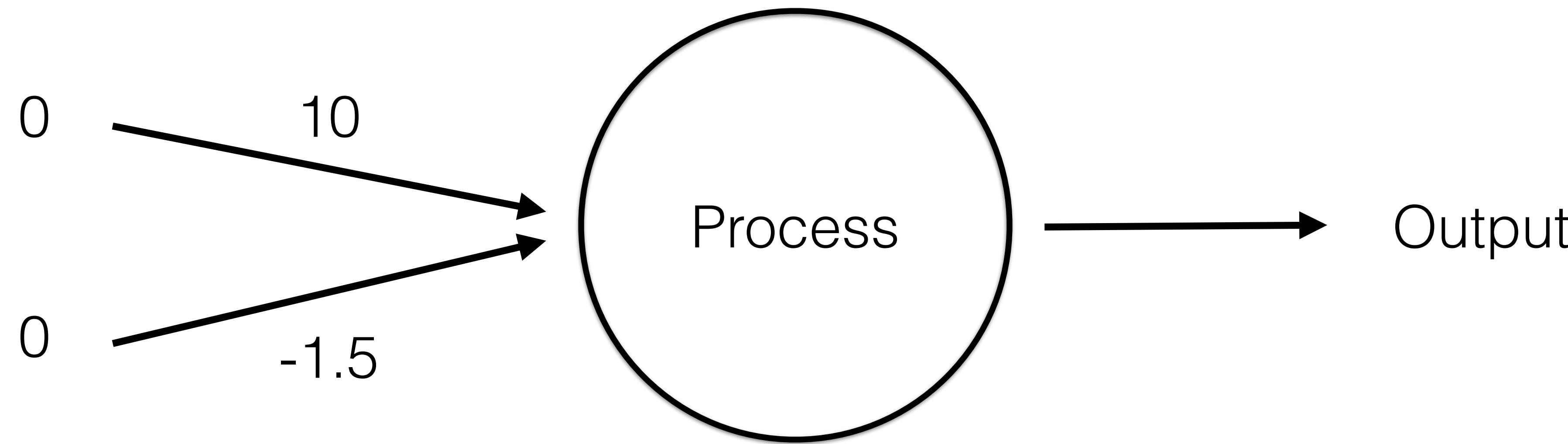
last time was 16, now getting closer to target of 10



What if we had an input point of  $(0,0)$ ?

Multiply the signal by the weights, and then sum everything.

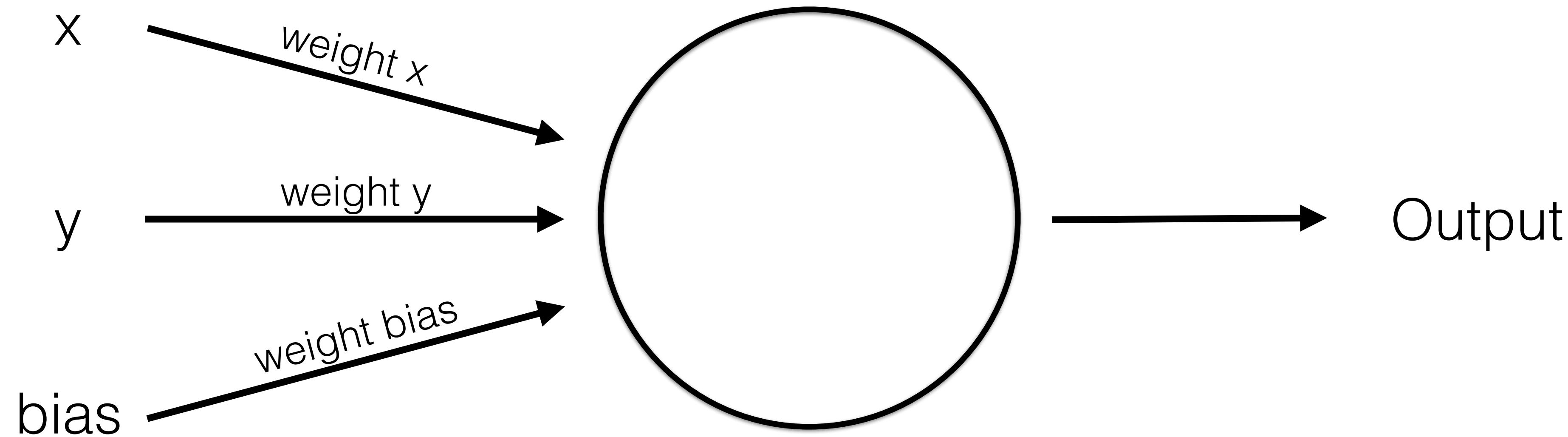
$$(0 * 10) + (0 * -1.5) = 0$$



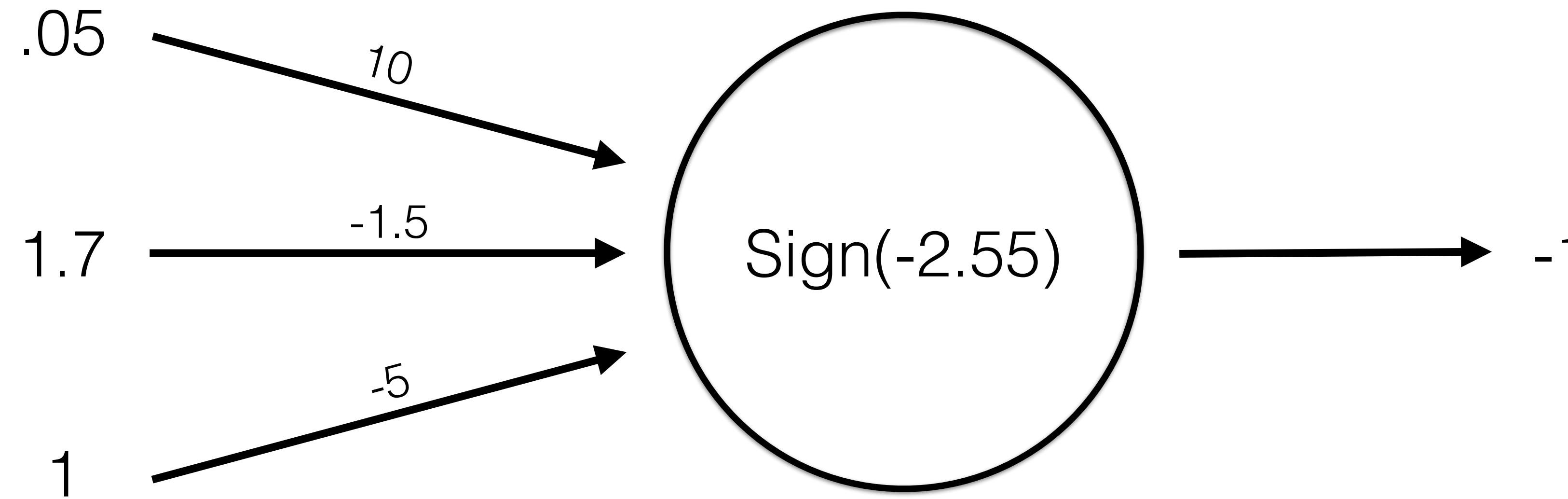
What if we had an input point of (0,0)?

Bias

Bias is 1, it also has a weight



Multiply and sum all inputs, including bias  
 $(0.5 * 10) + (1.7 * -1.5) + (1 * -5) = -2.55$



Before we got a +1!!