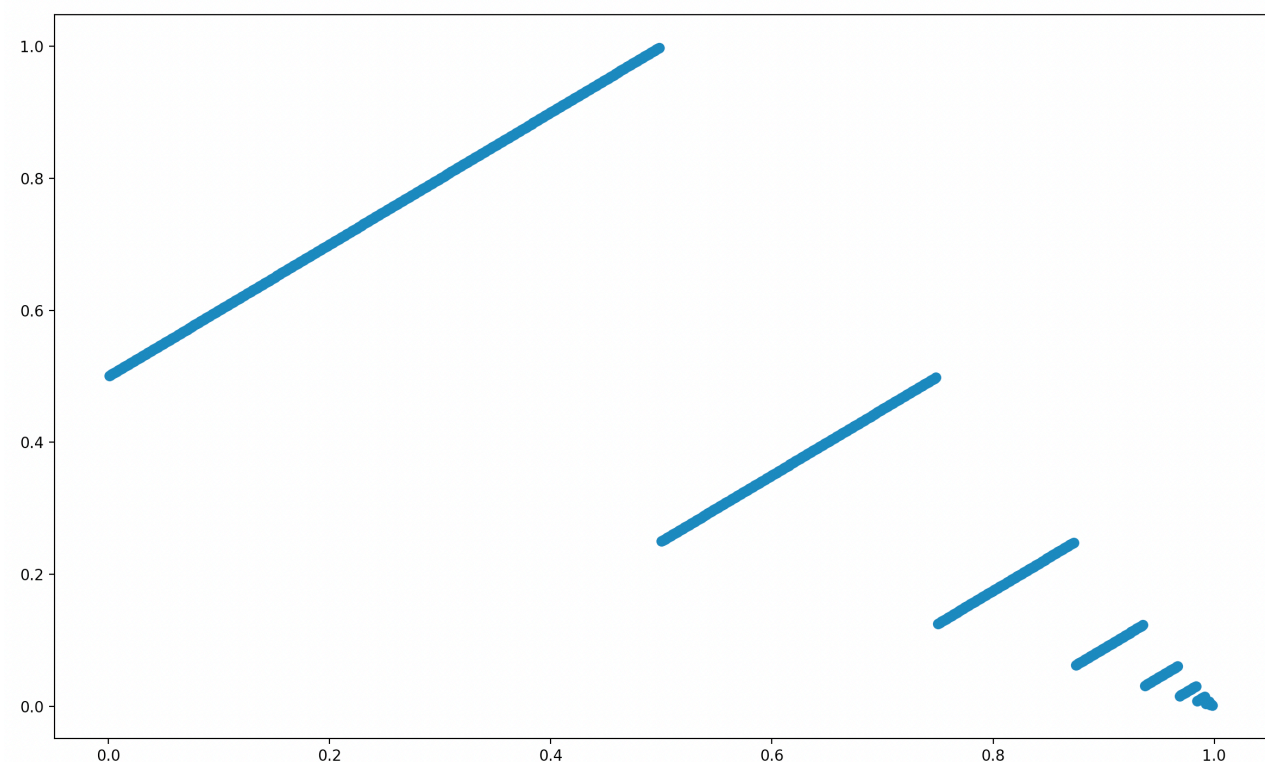


## REPORT FOR LAB 11

Solution 1: The first 25 values obtained are as follows:

**[0.5, 0.25, 0.75, 0.125, 0.625, 0.375, 0.875, 0.0625, 0.5625, 0.3125, 0.8125, 0.1875, 0.6875, 0.4375, 0.9375, 0.03125, 0.53125, 0.28125, 0.78125, 0.15625, 0.65625, 0.40625, 0.90625, 0.09375, 0.59375]**

Overlapping graph for  $(x_i, x_{i+1})$  for first 1000 terms of sequence:



The LCG uses the following attributes:

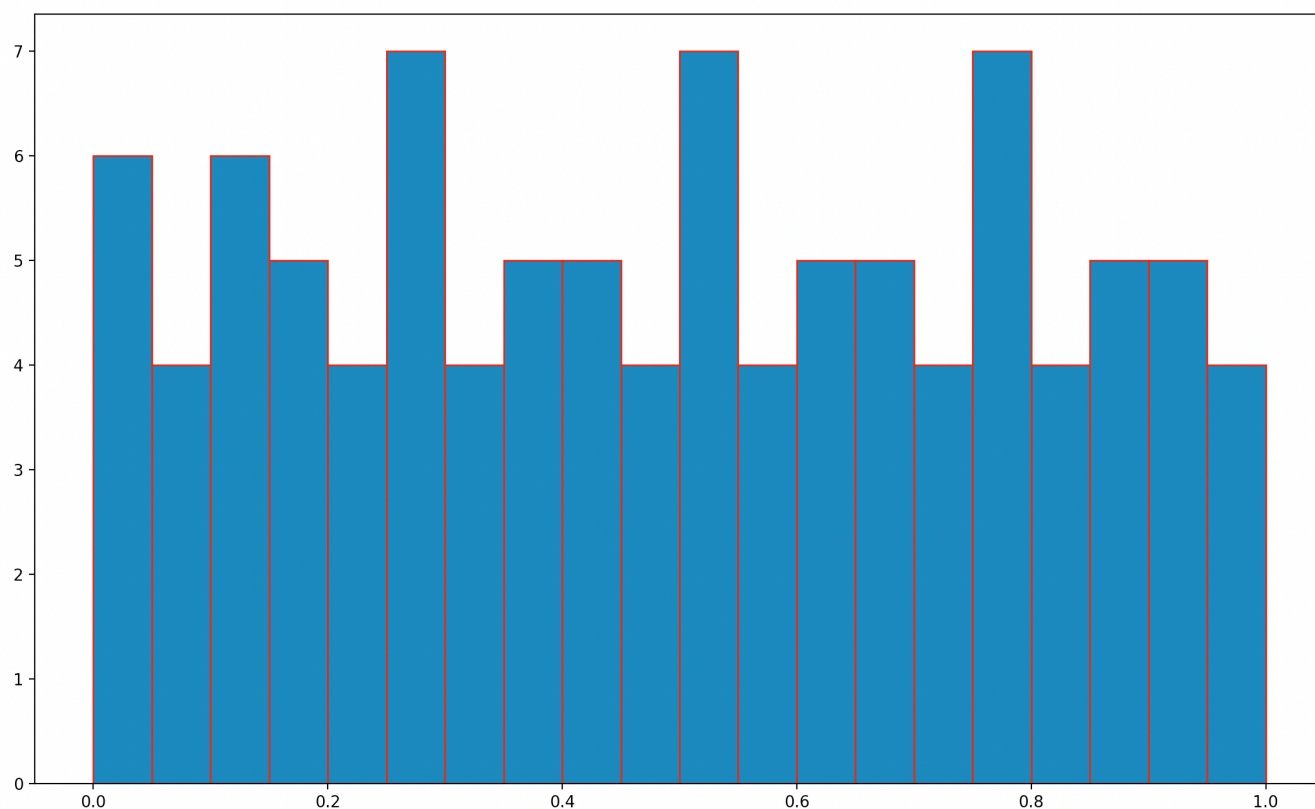
**$x_0=23$**

**$a=16807$**

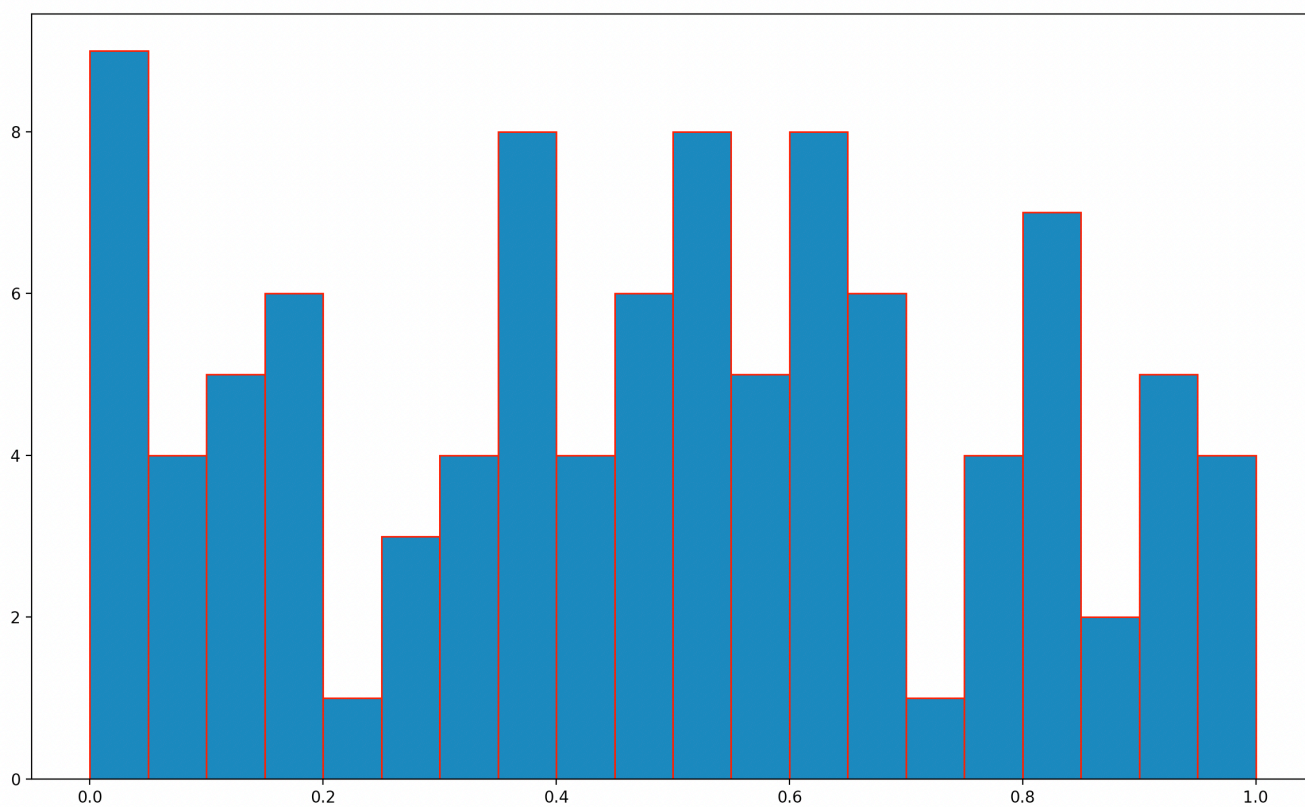
**$c=0$**

**$m=(2^{31})-1$**

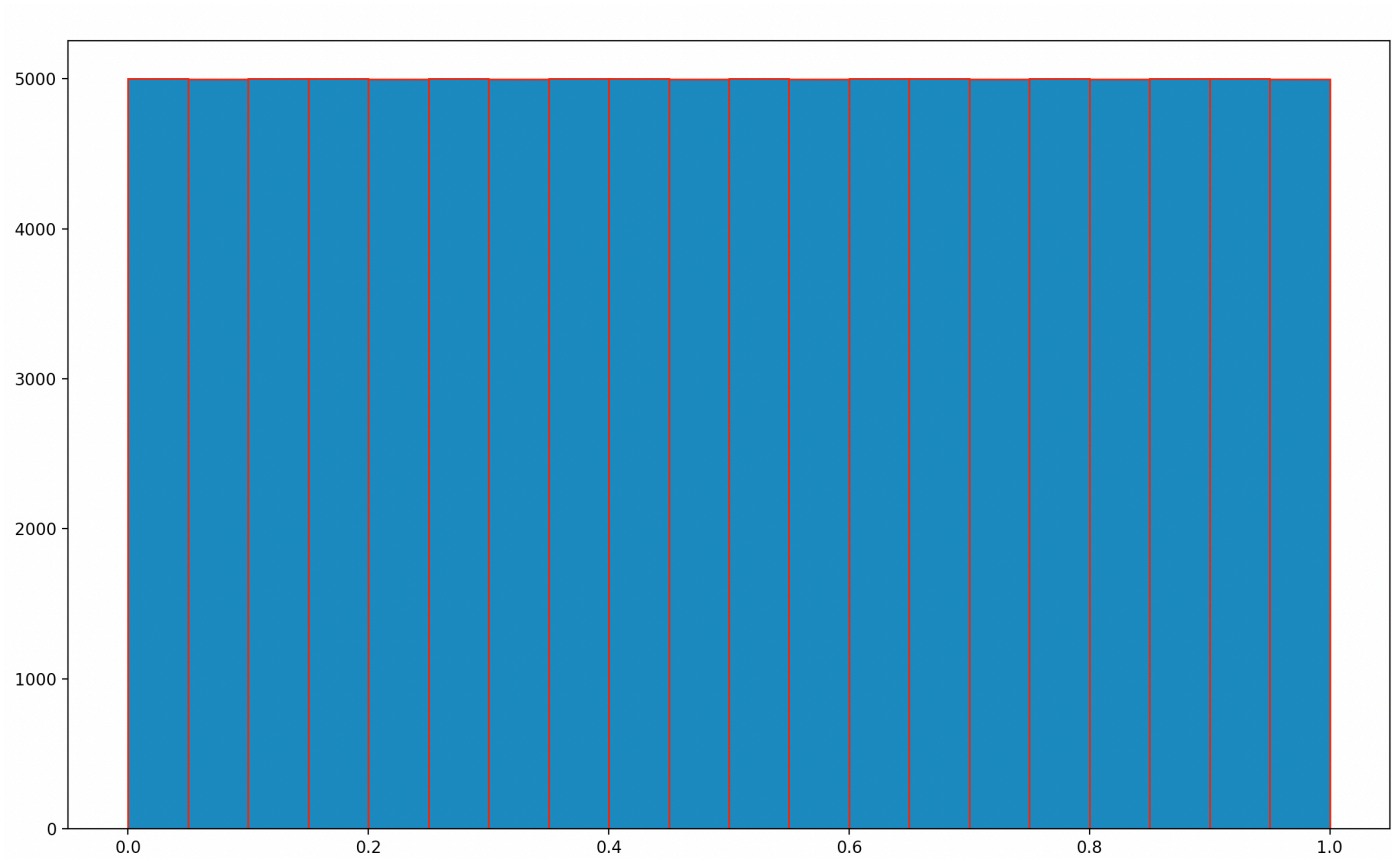
## SAMPLE DISTRIBUTION FOR VAN DER CORPUT FOR N=100



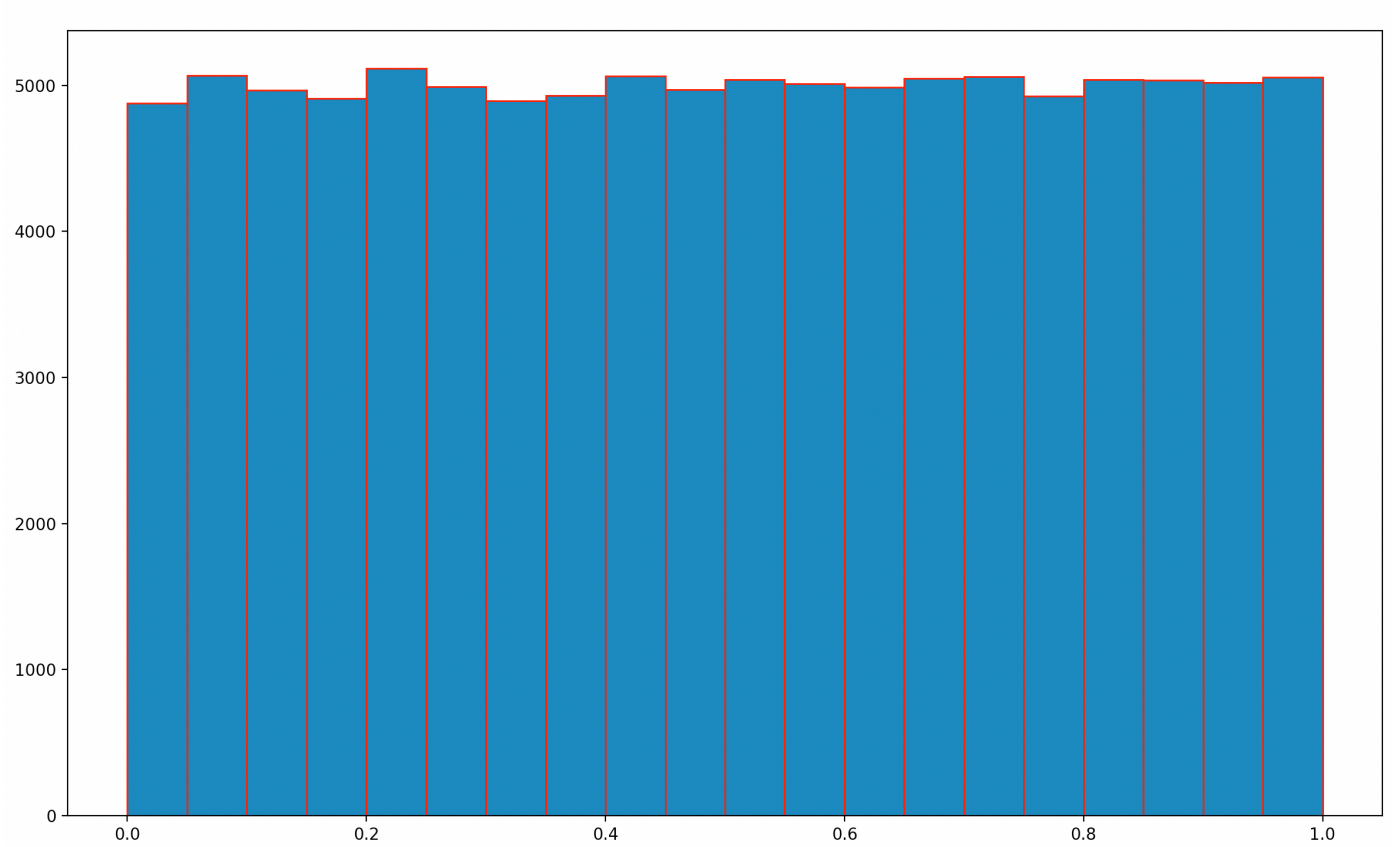
## SAMPLE DISTRIBUTION FOR LCG FOR N=100



**SAMPLE DISTRIBUTION FOR VAN DER CORPUT FOR N=100000**



**SAMPLE DISTRIBUTION FOR LCG FOR N=100000**



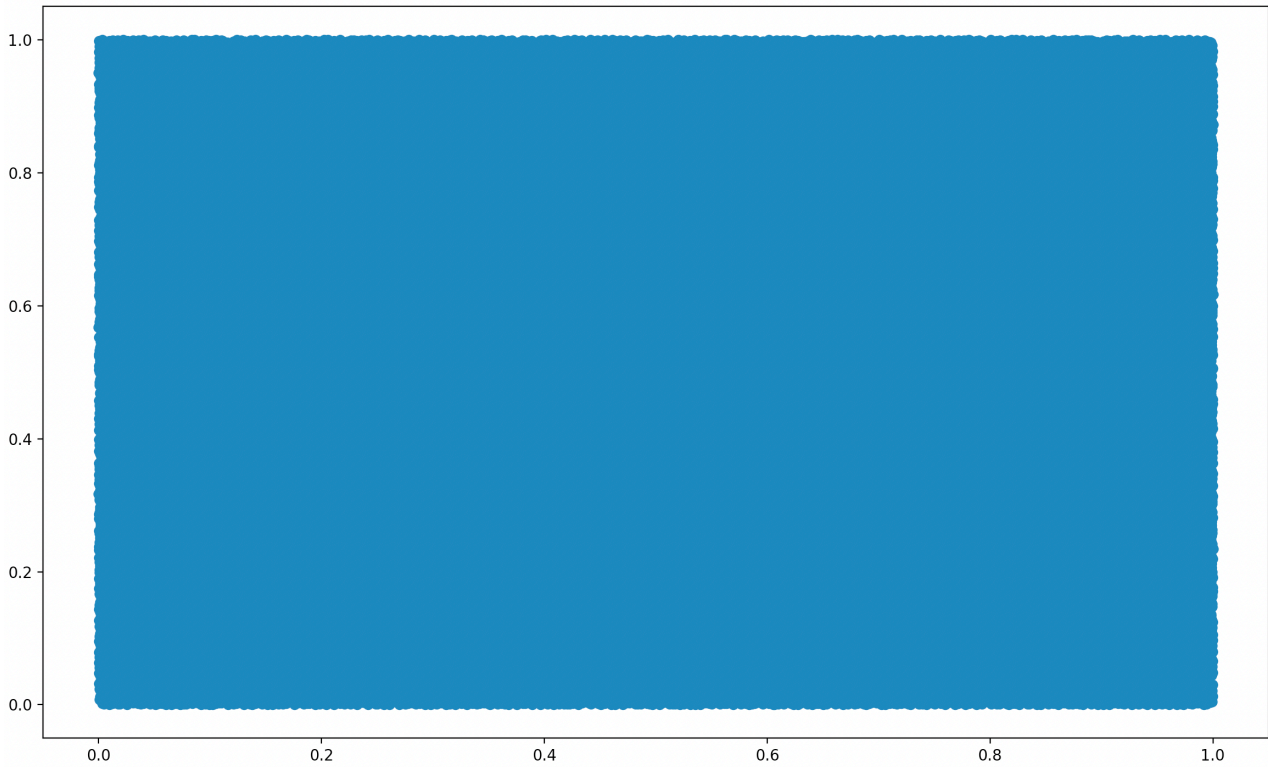
The graph for  $(x_i, x_{i+1})$  consists of parallel lines representing the ratio  $x_{i+1}/x_i$  almost remains constant.

From the sample distribution graphs we can see that as  $n$  increases graph for van Der corput sequence and lcg becomes almost same.

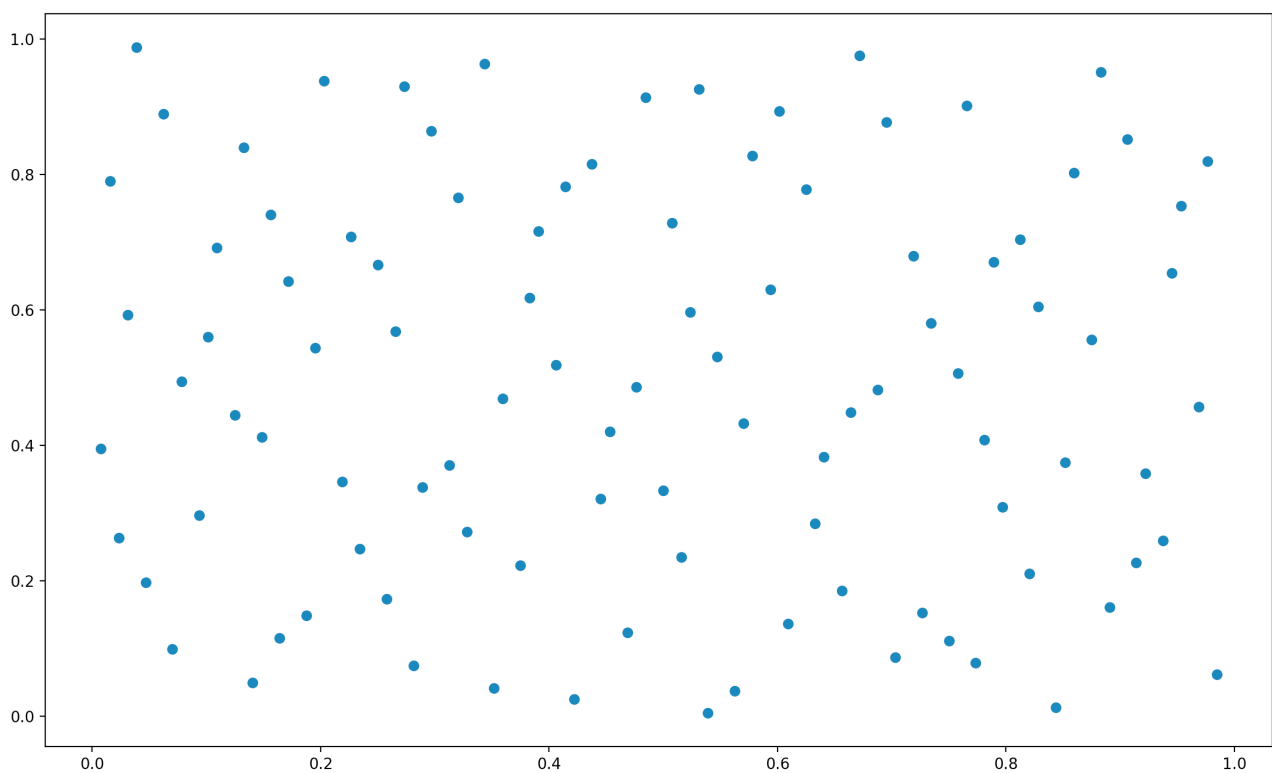
Solution 2:

The obtained graphs is attached below:

**PLOT OF HALTON SEQUENCE FOR N=100000**



**PLOT OF HALTON SEQUENCE FOR N=100**



## **OBSERVATIONS:**

We obtain all points in range  $[0,1]$  and they are close to uniform distribution.

Moreover the since the sequence is generated in higher dimension ( $R^2$  in this case), we reduce variance also when compared to numeric method.