

Problem 1.....	1
Problem 2.....	5
Butterworth Filter %%.....	6
Chebychev Filter %% .....	7
Elliptical Filter %% .....	7
Comparing the Elliptical and Chebychev Filter %%.....	8
Problem 3.....	13
Different time Length of Windows %%.....	13
Convolution of Channel 2 and time width of the window %% .....	14

```
% Christopher Morales
% EE 4820 5/7/2022
```

## Problem 1

```
% Loading File and Content
load sig_2.mat;
whos

% Length of the data
L = length(data);

% Frequency Sampling Rate
fs = 100;

% Time Vector
t = [1:L]/fs;

% Creating a figure
figure(1);

% Plotting the EEG signal in Time Domain (visually determining the signal)
plot(t, data);
title('EEG Signal in Time Domain');
xlabel('Time');
ylabel('EEG Signal');

% By plotting the signal, we can determine there is noise
% from high to low frequencies and using butterworth filter.
% However, to use the butterworth filter we need to determine
% the frequency cutoff point where we could maximumize the
% filtration that has no ripples or long curvature slopes.

% Resolution
nfft = 2^10;

% creating a figure
```

```

figure(2);

% Gives the magnitude and phase angle of the Frequency Response
freqz(data);

% By plotting the signal for f vs |H| in Decibel and f vs |H|
% there is no correlation but at 0. However, f vs |H|, we can
% see the spectrum of the signal is larger at high frequencies
% more but there are still quite large frequencies at the low
% spectrum. By looking the highest peak, the frequency cutoff
% is 3.07617 = 3 Hz

% Frequency Cutoff (Alpha band)
fc = [4 7];

% Frequency Constraint
wn = fc./(fs/2);

% Filter order, Nyquist order (stated by matlab)
N = 5;

% Returns transfer function coefficient (creating a tranfer function filter)
% 10 is the gain
% wn is the vector (knows the high or low of the vector)
%[b, a] = cheby1(N, 10, wn, 'stop');
[b, a] = butter(N, wn, "bandpass");

% Creating a figure
figure(3);

% Frequency Response (Filtered )
h = freqz(b, a, [], fs);

% Apply the convolution (Filtered Transfer Function * Data)
y = conv(data, h, 'same');

% Plotting the Convolution Signal
plot(t,y);
title('Filtered EEG Signal in Time Domain');
xlabel('Time');
ylabel('Filtered EEG Signal');

% Now we are going to compared the convoluted signal with the original
% signal

% Creating a figure
figure(4);

% Original signal
subplot(2,1,1);
plot(t, data);

```

```

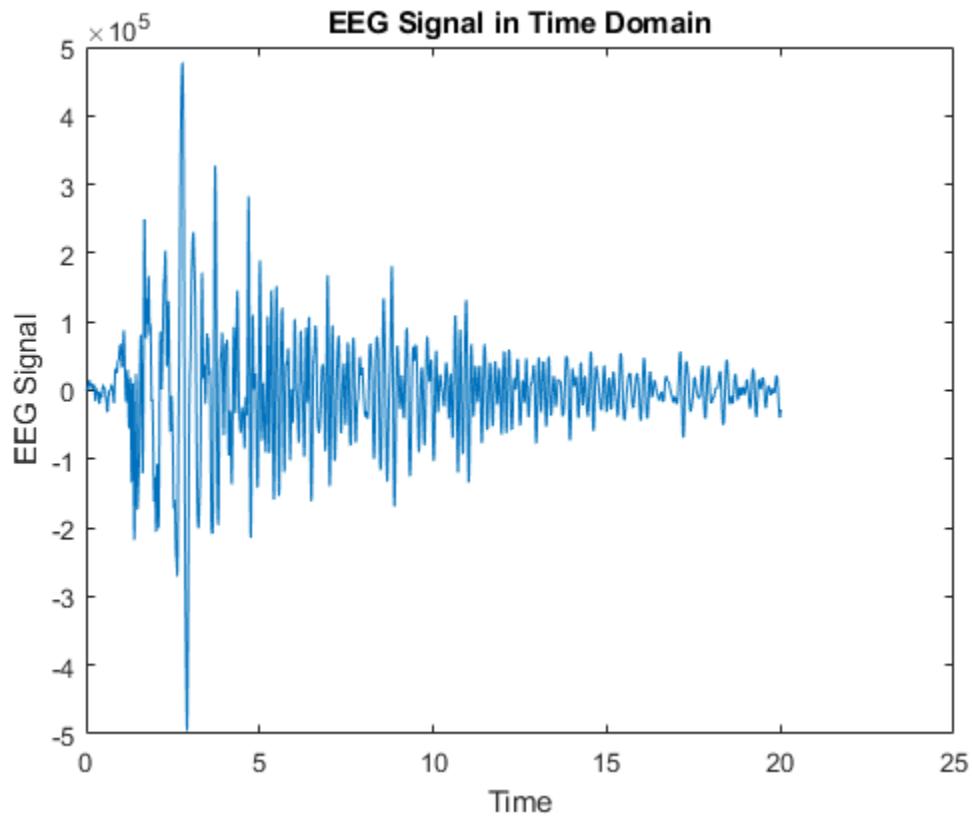
title('EEG Signal in Time Domain');
xlabel('Time');
ylabel('EEG Signal');

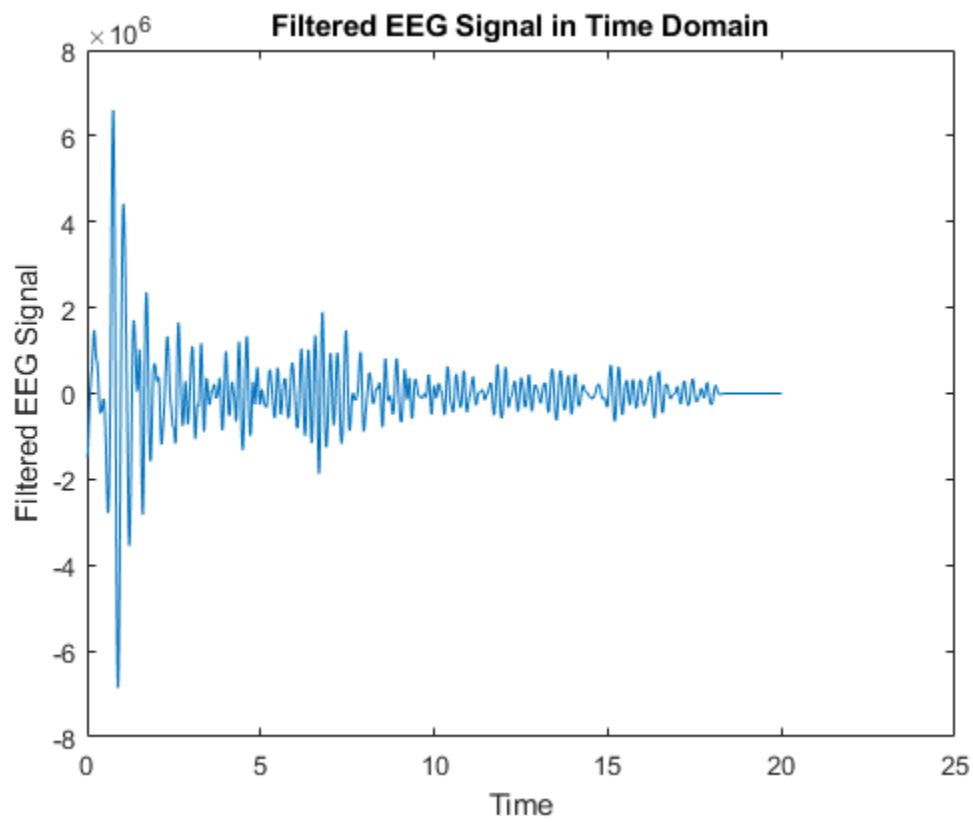
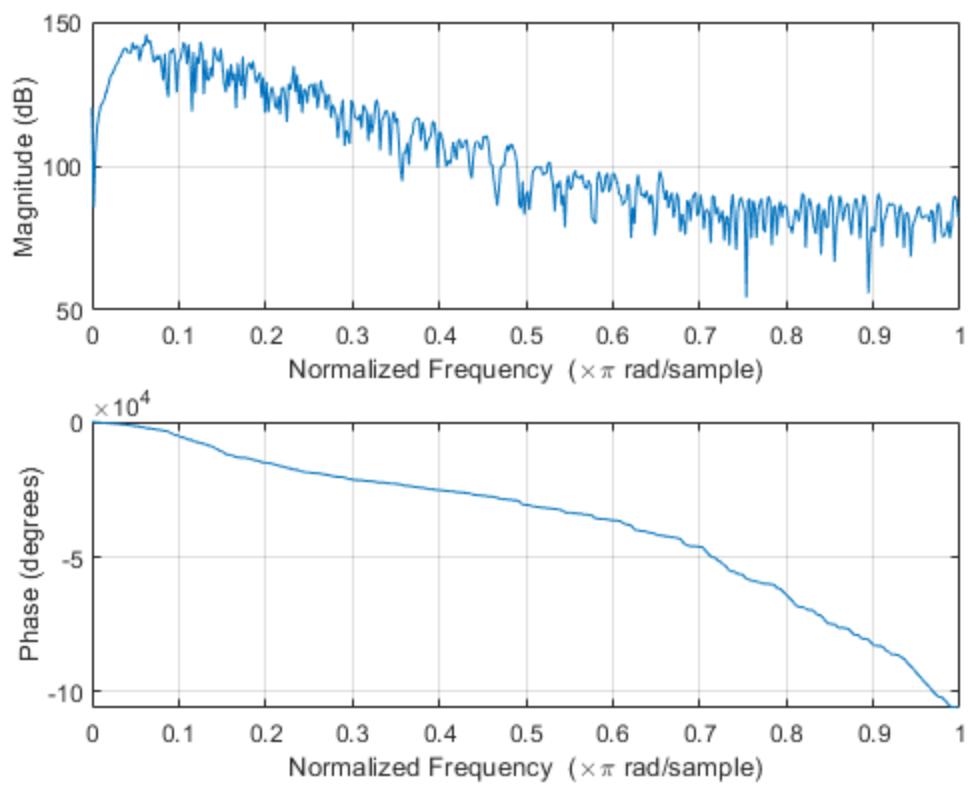
% Convolved signal
subplot(2,1,2);
plot(t,y);
title('Filtered EEG Signal in Time Domain');
xlabel('Time');
ylabel('Filtered EEG Signal');

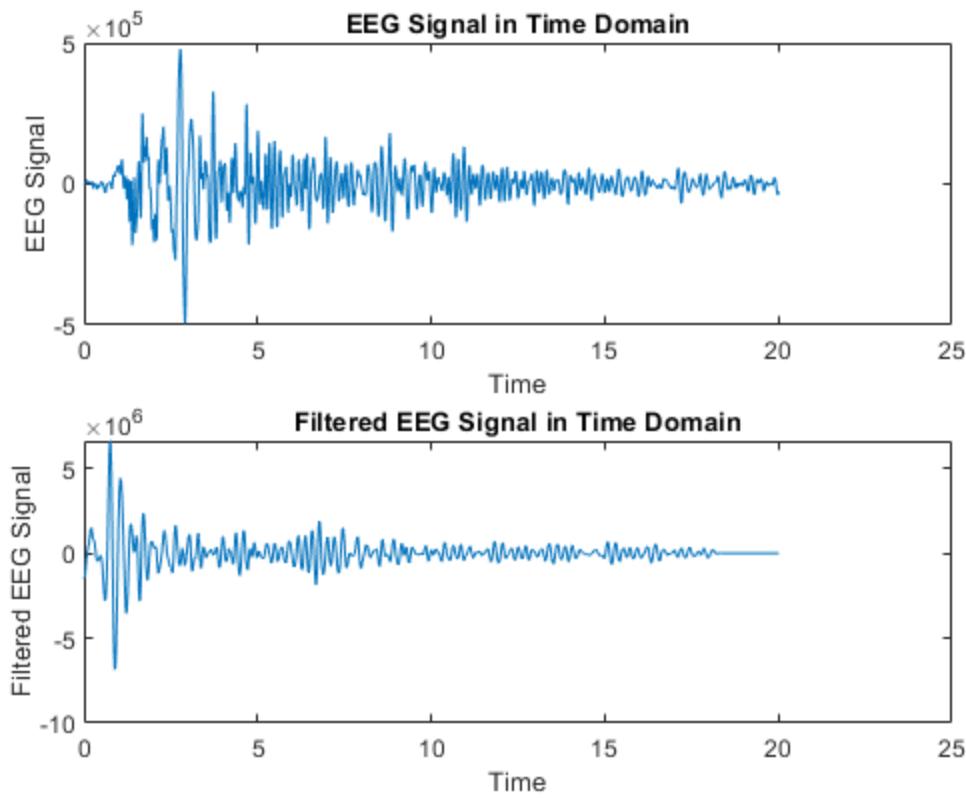
```

Name	Size	Bytes	Class	Attributes
data	1x2001	16008	double	

Warning: Imaginary parts of complex X and/or Y arguments ignored.  
 Warning: Imaginary parts of complex X and/or Y arguments ignored.







## Problem 2

```
% Load File and Content
load ecg_lfn.dat;
whos

% Frequency Sample Rate
fs = 1000;

% Length of the ECG
L = length(ecg_lfn);

% Time Vector
t = [1:L]/fs;

% Creating a figure
figure(5);

% Plotting ECG Signal
plot(t, ecg_lfn);
title('ECG Singal in Time Domain');
xlabel('Time');
ylabel('ECG Signal');

% By looking at the ECG singal, we can high peaks of frequency and when
% zooming onto the ECG signal, we can see more static to the low
```

```

% frequencies
% To determine the frequency cutoff, we are going to plot the

% Filter Order, Nyquist order (stated by matlab)
n = 4;

% Creating a figure
figure(6);

% Frequency Response of the ECG Signal
freqz(ecg_lfn);
[h, f] = freqz(ecg_lfn, n, 'whole');

% Getting the Magnitude and Magnitude in Decibel Frequency Response
hmag = abs(h);
hdecibel = 20 * log10(abs(h));

% Creating a figure
figure(7);

% Plotting the Magnitude and Magnitude in Decibel to see the correlation
% and determine the frequency cutoff
plot(f, hmag, f, hdecibel);
axis([0 6.3 -25 60]);
title('Frequency Response');
xlabel('Frequency');
ylabel('|H| and |H| in Decibel');
legend('|H|', '|H| in Decibel');

% By looking at the plot above, we can determine the frequency cutoff is
% about 6 Hz.

% Frequency Cutoff
fc = 6;

% Frequency Constraint
wn = fc/(fs/2);

%%%%%%%%%%%%%

```

## Butterworth Filter %%

```

%%%%%%%%%%%%%
% Applying the vutterworth Filter
[b1, a1] = butter(n, wn, "high");

% Frequency Response (Filtered )
%h1 = freqz(b1, a1, [], fs);

% Applying the convolution * butterworth filter
%y1 = conv(ecg_lfn, h1, 'same');

```

```

y1 = filtfilt(b1,a1,ecg_1fn);

% Creating a figure
figure(8);

% Plotting the convoluted Butterworth Filter
plot(t, abs(y1));
title('Convolved Butterworth Filter ECG Signal');
xlabel('Time');
ylabel('|ECG|');

%%%%%%%%%%%%%

```

## Chebychev Filter %%

```

%%%%%%%%%%%%%

% Returns the Transfer Function Coeffiecient
[b2, a2] = cheby1(n, 10, wn, 'high');
title('Convolved Chebychev Filter ECG Signal');
xlabel('Time');
ylabel('|ECG|');

% Frequency Response (Filtered )
%h2 = freqz(b2, a2, [], fs);

% Applying the convolution * chebychev filter
%y2 = conv(ecg_1fn, h2, 'same');
y2 = filtfilt(b2,a2, ecg_1fn);

% Creating a figure
figure(9);

% Plotting the convoluted Chebychev Filter
plot(t, abs(y2));
title('Convolved Chebychev Filter ECG Signal');
xlabel('Time');
ylabel('|ECG|');

%%%%%%%%%%%%%

```

## Elliptical Filter %%

```

%%%%%%%%%%%%%

% Elliptical Filter
[b3, a3] = ellip(n, 1, fc, wn, 'high' );

% Frequency Response (Filtered )
%h3 = freqz(b3, a3, [], fs);

% Applying the convolution * Chebychev filter

```

```

%y3 = conv(ecg_lfn, h3, 'same');
y3 = filtfilt(b3, a3, ecg_lfn);

% Creating a figure
figure(10);

% Plotting the convoluted Chebychev Filter
plot(t, abs(y3));
title('Convolved Elliptical Filter ECG Signal');
xlabel('Time');
ylabel('|ECG|');

% Plotting the output signal
% H = Y / X
% Y = H * X
% X = Y * H

% Create a figure
figure(11);

% Comparing the orginal signal with the concoluted butterworth signal
plot(t, ecg_lfn, 'blue', t, abs(y1), 'magenta');
title('Input vs Output ECG Signal');
xlabel('Time');
ylabel('ECG');
legend( 'Filtered ECG', 'Raw ECG data');

%%%%%%%%%%%%%%%

```

## Comparing the Elliptical and Chebychev Filter %%

```

%%%%%%%%%%%%%%%
% Creating a figure
figure(12);

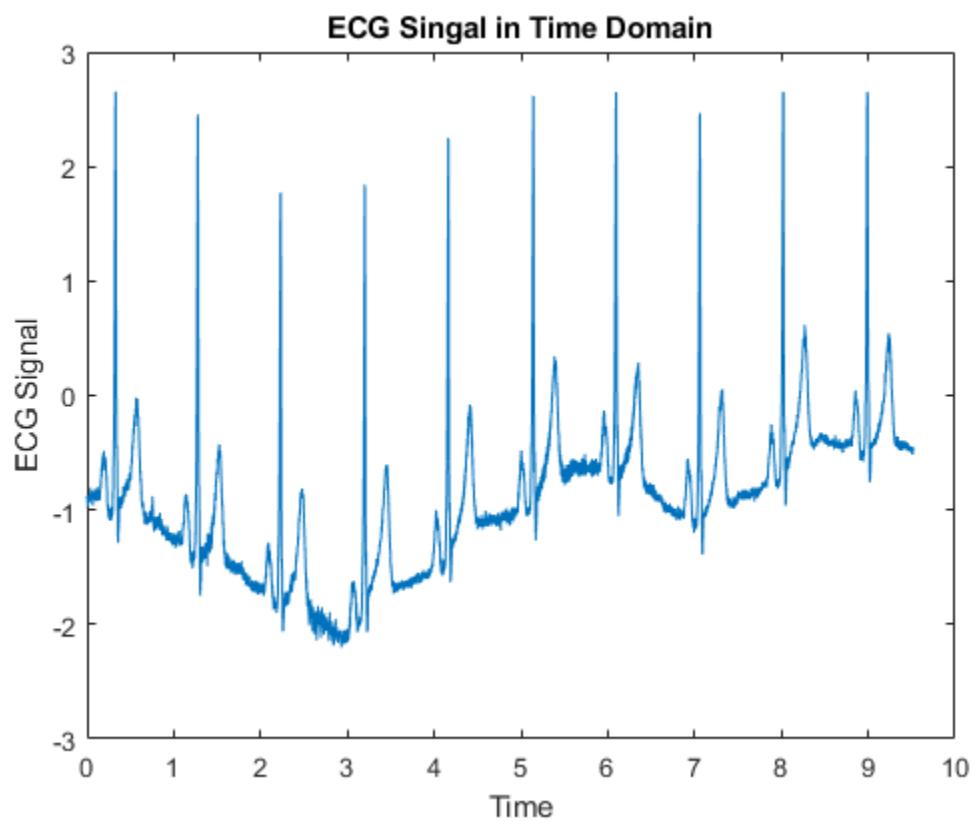
% Plotting the two filters
plot(t, y2, t, y3, 'magenta');
xlabel('Time')
ylabel('ECG Filtered');
title('Cheby vs Elliptical Filter (Comparison)');
legend('ChebyChev Filter', 'Elliptical Filter');

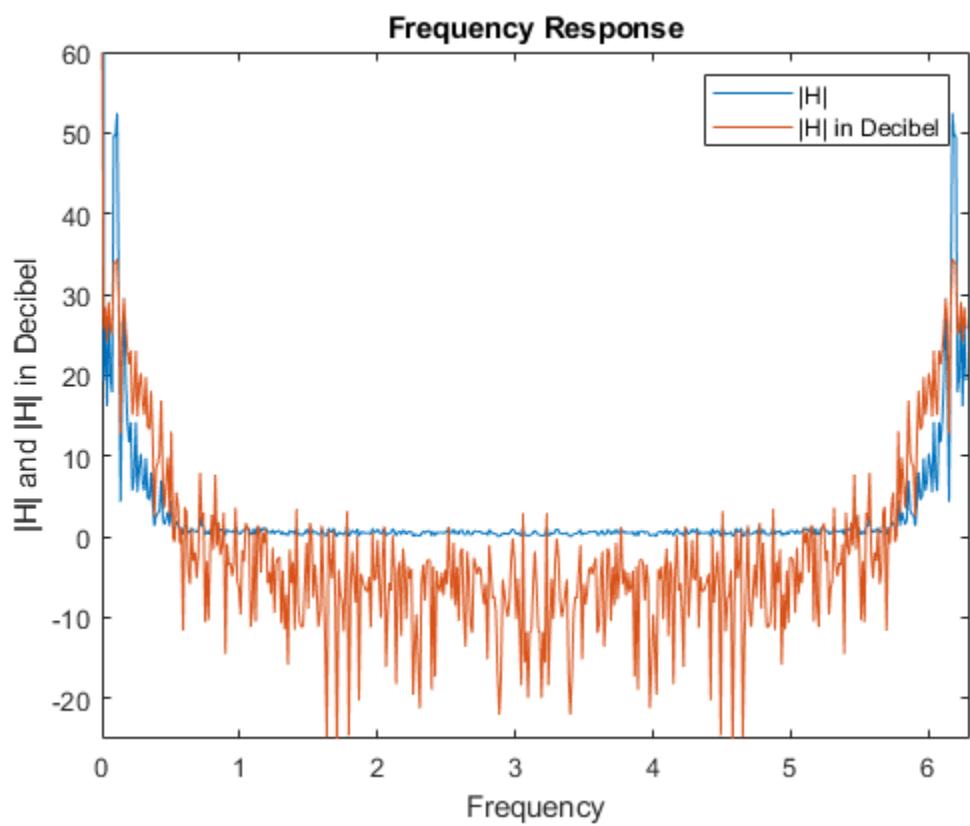
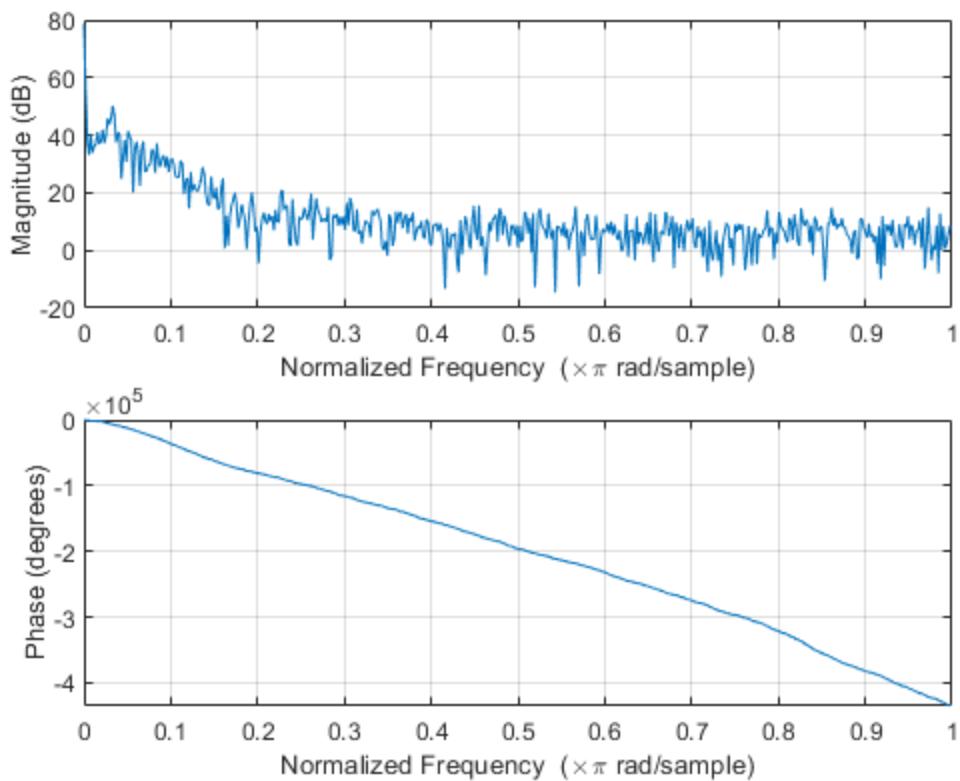
% By looking at the two filters we can see the elliptical has a ripple
% effect. Like the signal is acting like a capacitor, the state of decay
% then the signal jumps back up. Also, it seems that the noise is still
% present on elliptical. While for cheby, the signal is more stable and
% compare to the elliptical, it has less noise.

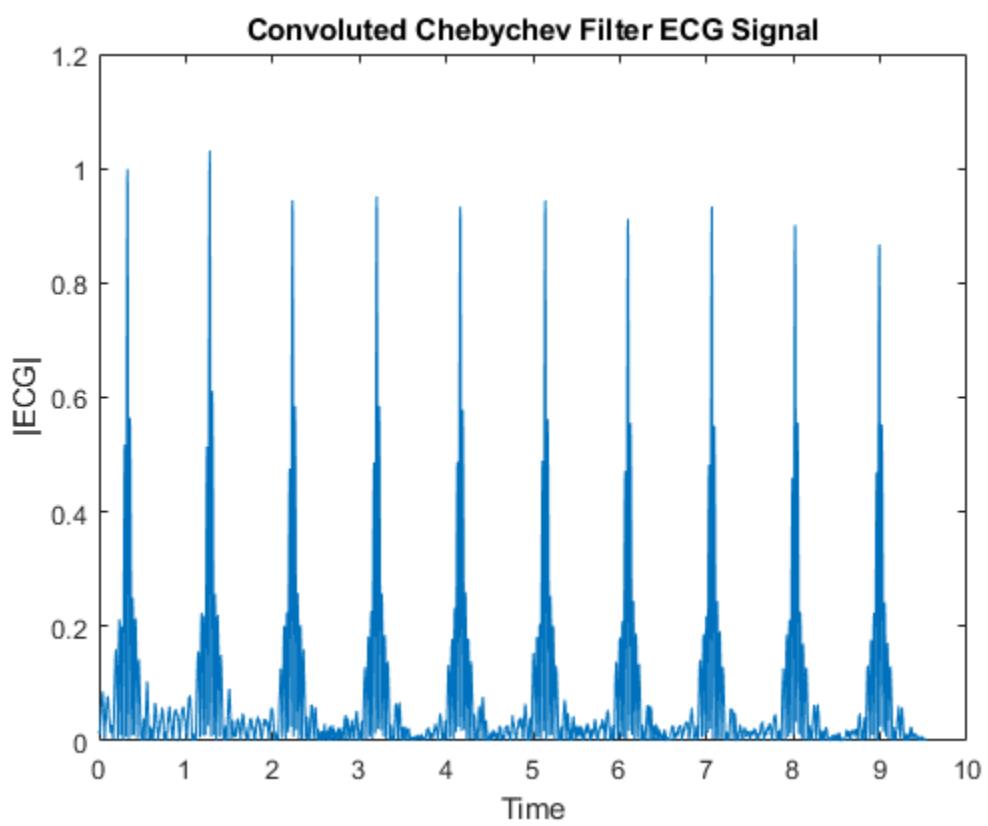
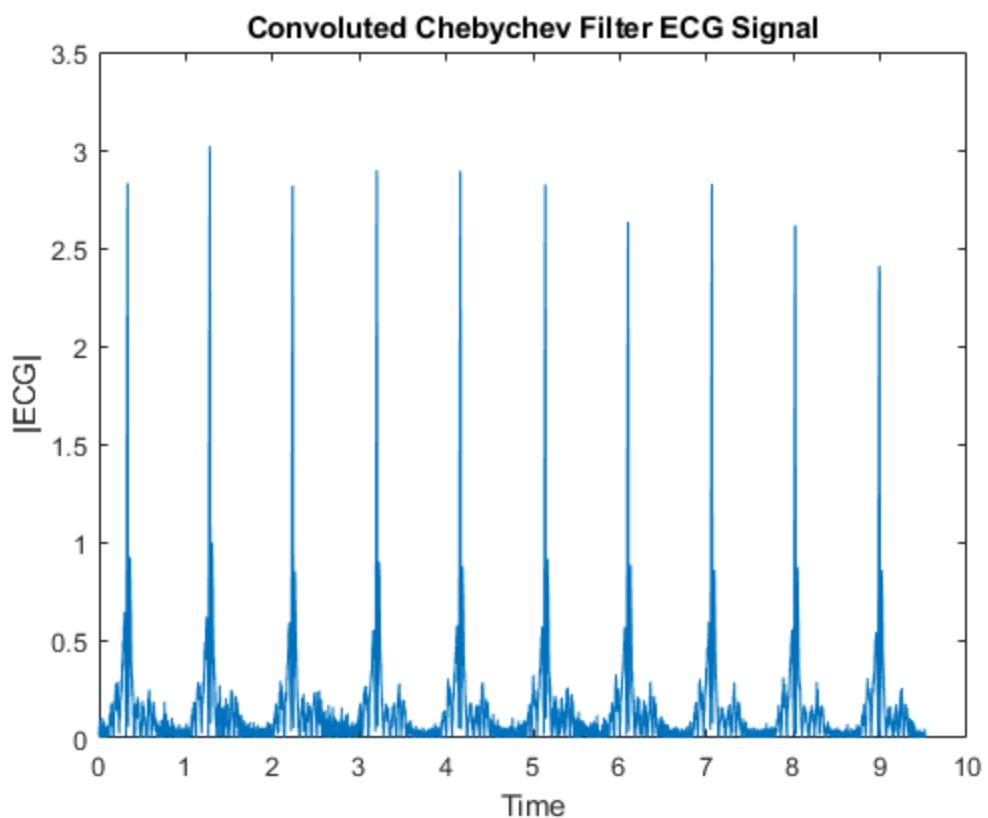
```

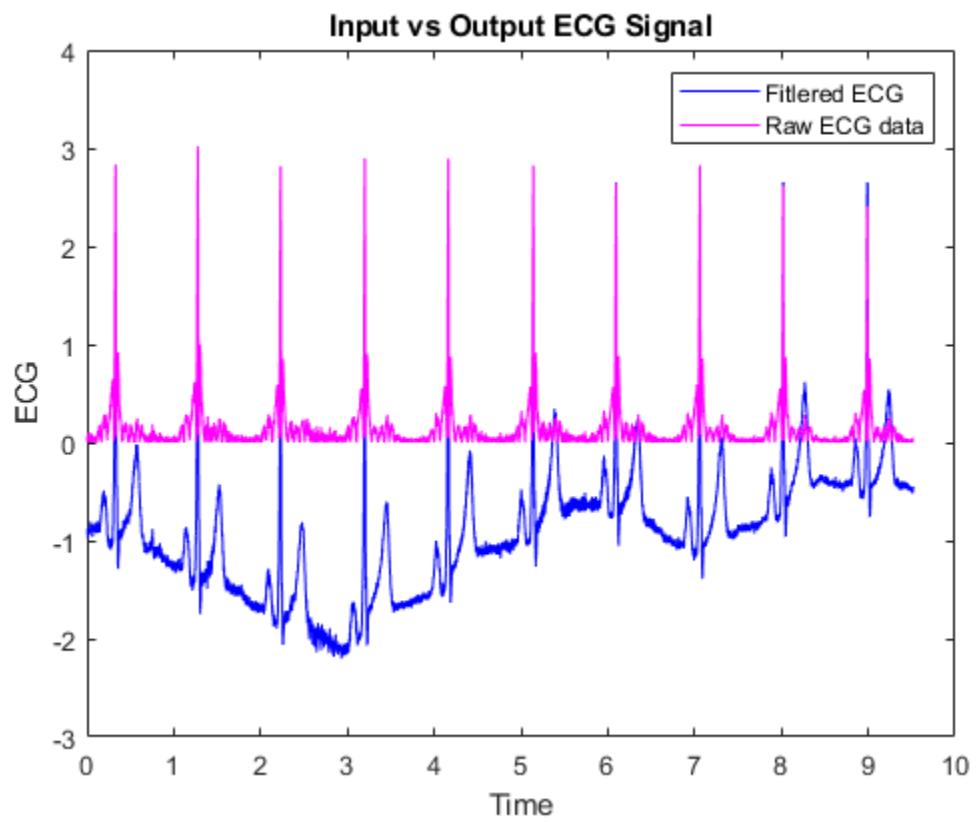
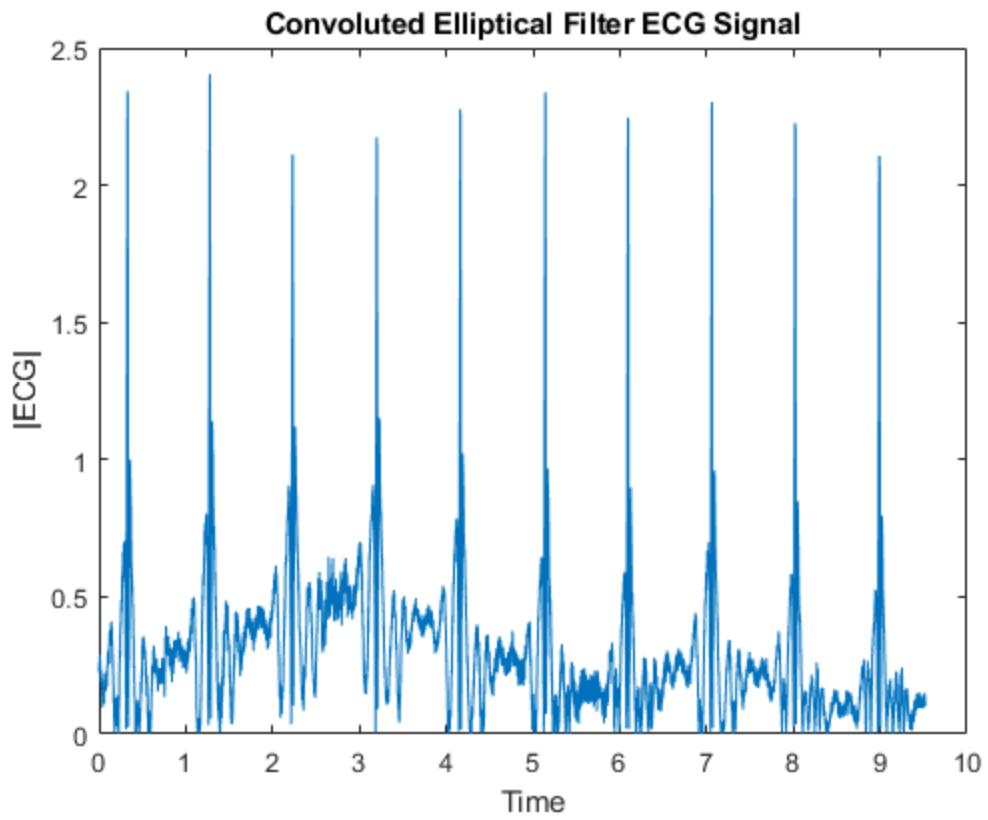
Name	Size	Bytes	Class	Attributes
------	------	-------	-------	------------

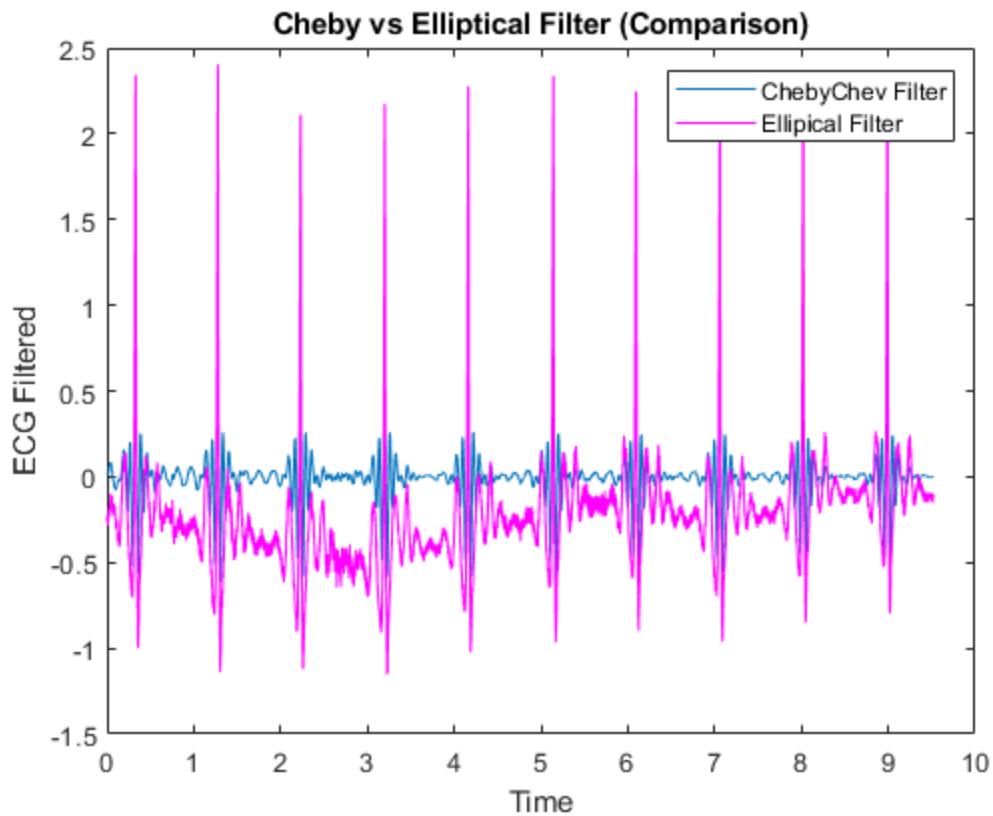
L	1x1	8	double
N	1x1	8	double
Wn	1x2	16	double
a	1x11	88	double
b	1x11	88	double
data	1x2001	16008	double
ecg_lfn	9519x1	76152	double
fc	1x2	16	double
fs	1x1	8	double
h	512x1	8192	double complex
nfft	1x1	8	double
t	1x2001	16008	double
y	1x2001	32016	double complex











### Problem 3

```
% Load File and Content
load rat4_10282011_110956-1.mat;
whos

% Frequency Sample Rate
fs = 3000;

% Getting data only from channel 2
channel2 = s(:,2);

% Length of channel 2
L = length(s(:,2));

% Time Vector
t = [1:L]/fs;

%%%%%%%%%%%%%
```

Different time Length of Windows %%

```
%%%%%%%%%%%%%
% 80 ms window
```

```

Lwin = fs * 0.8;
Lwin = ones(1, Lwin);

% 60 ms window
Lwin2 = fs * 0.6;
Lwin2 = ones(1, Lwin2);

% 40 ms window
Lwin3 = fs * 0.4;
Lwin3 = ones(1, Lwin3);

% 20 ms window
Lwin4 = fs * 0.2;
Lwin4 = ones(1, Lwin4);

%%%%%%%%%%%%%

```

## Convolution of Channel 2 and time width of the window %%

```

%%%%%%%%%%%%%
% Convolution for 80 ms window
avg = conv(channel2, Lwin, 'same');

% Convolution for 60 ms window
avg2 = conv(channel2, Lwin2, 'same');

% Convolution for 40 ms window
avg3 = conv(channel2, Lwin3, 'same');

% Convolution for 20 ms window
avg4 = conv(channel2, Lwin4, 'same');

% creating a figure
figure(13);

% Plotting the signals
subplot(4,1,1);
plot(t, avg);
title('Convolved Channel 2 Signal with 80ms window width');
xlabel('Time');
ylabel('EMG 80ms Window');

subplot(4,1,2);
plot(t, avg2);
title('Convolved Channel 2 Signal with 60ms window width');
xlabel('Time');
ylabel('EMG 60ms Window');

subplot(4,1,3);
plot(t, avg3);
title('Convolved Channel 2 Signal with 40ms window width');

```

```

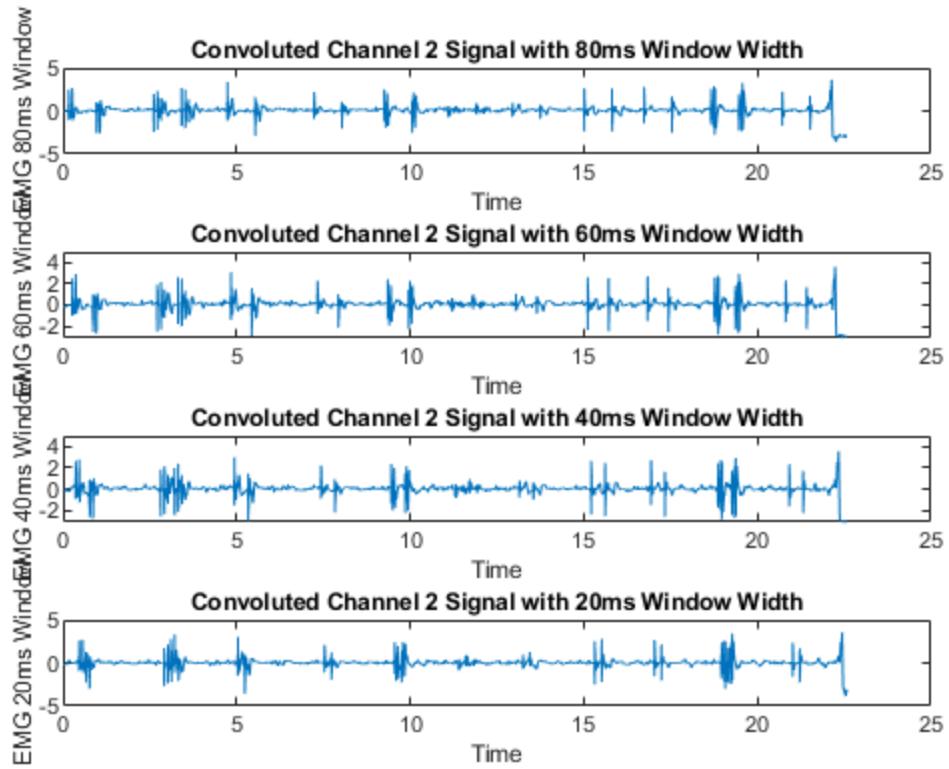
xlabel('Time');
ylabel('EMG 40ms Window');

subplot(4,1,4);
plot(t, avg4);
title('Convolved Channel 2 Signal with 20ms Window Width');
xlabel('Time');
ylabel('EMG 20ms Window');

% By comparing the time window, I noticed that the EMG signal time starts
% to shift as I lower the time window. Telling me that, as i lower the
% window time, there is some sort of time latency in exchange a general EMG
% signal. While increasing the time window, the EMG signal is more define.
% when I mean define, when comparing, 80ms vs 20ms, looking at the range
% time domain 18 - 20 ms. We can see that the 20ms has has one spike
% signal where 80 ms has two. So we are sacrificing data for an more avg
% data

```

Name	Size	Bytes	Class	Attributes
L	1x1	8	double	
N	1x1	8	double	
wn	1x1	8	double	
a	1x11	88	double	
a1	1x5	40	double	
a2	1x5	40	double	
a3	1x5	40	double	
b	1x11	88	double	
b1	1x5	40	double	
b2	1x5	40	double	
b3	1x5	40	double	
data	1x2001	16008	double	
ecg_1fn	9519x1	76152	double	
f	512x1	4096	double	
fc	1x1	8	double	
fs	1x1	8	double	
h	512x1	8192	double	complex
hdecibel	512x1	4096	double	
hmag	512x1	4096	double	
n	1x1	8	double	
nfft	1x1	8	double	
pos	11289x4	361248	double	
s	67735x2	1083760	double	
t	1x9519	76152	double	
time	11289x1	90312	double	
y	1x2001	32016	double	complex
y1	9519x1	76152	double	
y2	9519x1	76152	double	
y3	9519x1	76152	double	



Published with MATLAB® R2021b