Justification for the look-alike innovation

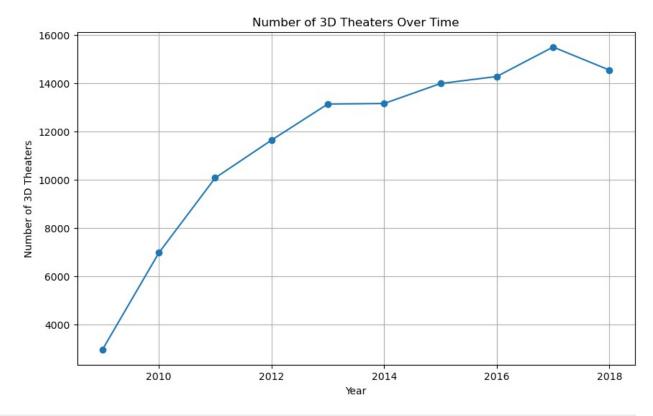
Both 3D cinemas and the Hologram Zoo are technological advancements that aim to enhance the visual experience of viewers by adding depth or lifelike experiences to what is traditionally a two-dimensional viewing space. They both represent leaps in how we consume visual media, transitioning from passive viewing to interactive experiences.

Justification for the data

The data is taken from https://www.statista.com/statistics/440221/digital-3d-screens-in-european-countries/. The annual data of sales from 2009 to 2018 for 3D cinemas can serve as a good proxy for the initial adoption and growth phase of a similar entertainment technology.

Imports

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
from scipy.optimize import curve fit
df = pd.read_excel('cinema_data.xlsx')
print(df)
   Year Count
  2009
         2961
  2010
         6968
1
  2011 10073
3
  2012 11639
4
  2013
        13136
5
  2014 13158
6
  2015 13985
7
  2016 14278
8
  2017 15499
9 2018 14543
plt.figure(figsize=(10, 6))
plt.plot(df['Year'], df['Count'], marker='o')
plt.title('Number of 3D Theaters Over Time')
plt.xlabel('Year')
plt.ylabel('Number of 3D Theaters')
plt.grid(True)
plt.show()
```



```
def bass_model(t, p, q, m):
              Bass model function
              p: Coefficient of innovation
              g: Coefficient of imitation
              m: Potential market size
              t: Time period
              adoption = m * (((p + q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * t) / ((1 + (q)**2 / p) * np.exp(-(p + q) * np.exp
/ p) * np.exp(-(p + q) * t))**2))
               return adoption
# Subtract the smallest year from all years to create a time series
starting at 0
t = np.array(df['Year'] - df['Year'].min())
# Convert the 'Count' column to an array for use in modeling
N = np.array(df['Count'])
# Set initial guesses for the Bass model parameters
guess = [0.03, 0.38, max(N)] # p (innovation), q (imitation), m
(market size)
# Fit the Bass model to the data using curve fit, with the initial
parameter guess
params, covariance = curve fit(bass model, t, N, p0=guess,
```

```
maxfev=10000)
# Extract the fitted parameters p, q, and m from the output
p, q, m = params
print(f'Estimated Coefficient of Innovation (p): {p}')
print(f'Estimated Coefficient of Imitation (q): {q}')
print(f'Estimated Potential Market Size (m): {m}')
Estimated Coefficient of Innovation (p): 0.03103119042294525
Estimated Coefficient of Imitation (g): 0.2782770103485192
Estimated Potential Market Size (m): 177636.67683359515
def predict_adopters(bass_params, years_to_predict, start_year):
    # Unpack the Bass model parameters: p (innovation), q (imitation),
m (market size)
    p, q, m = bass params
    # Initialize the list to store predicted adoptions starting with 0
(no adopters at start)
    adoption = [0]
    # Calculate cumulative adoption for each year in the prediction
period
    for t in range(1, years to predict + 1):
        adoption.append(bass_model(t, p, q, m))
    # The initial number of adopters before the prediction starts
    initial adopters = adoption[-1]
    # Calculate the predicted adoption for each year and subtract
initial adopters to get annual adoption
    predicted adoption = [initial adopters + bass model(t, p, q, m)
for t in range(1, years to predict + 1)]
    # Return the annual predicted adoption
    return np.array(predicted adoption) - initial adopters
# Set the number of years to predict into the future
years_to_predict = 10
# Determine the start year for predictions by taking the maximum year
in the dataset and adding 1
start year = df['Year'].max() + 1
# Call the predict adopters function with the Bass model parameters
and the number of years to predict
# This function returns the predicted number of adopters for each year
in the future
```

```
predicted adopters = predict_adopters((p, q, m), years_to_predict,
start year)
df predictions = pd.DataFrame({
    'Year': np.arange(start year, start year + years to predict),
    'Predicted Adopters': predicted adopters.cumsum()
})
print(df predictions)
   Year Predicted Adopters
0
  2019
                6992.552495
  2020
               15670.203233
1
  2021
               26149.867743
3
  2022
               38397.062051
4
  2023
               52171.956824
5
  2024
               67012.481508
  2025
               82277.249521
7 2026
              97247.972632
8 2027
              111259.996381
9 2028
             123813.067173
df combined = pd.concat([
    df.rename(columns={'Adopters':
'Adopters Cumulative' }).assign(Type='Actual'),
    df predictions.rename(columns={'Predicted Adopters':
'Adopters_Cumulative'}).assign(Type='Predicted')
# Plot the actual and predicted adopters
plt.figure(figsize=(14, 7))
# Plot actual data
plt.plot(df['Year'], df['Count'], label='Actual Adopters',
color='blue', marker='o')
# Plot predicted data
plt.plot(df predictions['Year'], df predictions['Predicted Adopters'],
label='Predicted Adopters', color='red', linestyle='--', marker='x')
# Annotations for the last actual and predicted points
plt.annotate(f"{df['Count'].iloc[-1]}",
             (df['Year'].iloc[-1], df['Count'].iloc[-1]),
             textcoords="offset points", xytext=(-15,10), ha='center')
plt.annotate(f"{int(df predictions['Predicted Adopters'].iloc[-1])}",
             (df predictions['Year'].iloc[-1],
df predictions['Predicted Adopters'].iloc[-1]),
             textcoords="offset points", xytext=(-15,10), ha='center')
# Plot details
plt.title('Historical and Predicted Adoption of 3D Cinemas and
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Hologram Zoo')
plt.xlabel('Year')
plt.ylabel('Cumulative Number of Adopters')
plt.legend()
plt.grid(True)
plt.show()
```

