Advanced mixed-models workshop: Session 3

Dale Barr

University of Glasgow

Bremen March 2015

Coding categorical predictors

• simple vs main effects in factorial designs

test of simple effect of B at A_1 $H_0: \bar{Y}_{11} = \bar{Y}_{12}$ test of main effect of B $H_0: \bar{Y}_{.1} = \bar{Y}_{.2}$

Coding schemes for categorical predictors

If you have a single IV, the choice of coding scheme doesn't really matter. In factorial designs, coding schemes impact:

- the intercept
- ② all except the highest-order effects and interactions
- arandom effects (see http://talklab.psy.gla.ac.uk/simgen/rsonly.html).

Main coding schemes to use with experimental data

Scheme	Α	V
Dummy*	A1	0
	A2	1
Sum	Α1	-1
	А3	1
Deviation	A1	5
	A2	.5

^{*} aka treatment / contrast

Scheme	Α	V1	V2
Dummy*	A1	0	0
	Α2	1	0
	Α3	0	1
Sum	A1	-1	-1
	A2	1	0
	Α3	0	1
Deviation	A1	-1/3	-1/3
	A2	2/3	-1/3
	А3	-1/3	2/3

NB: deviation codes = centered contrast codes

Simple and main effects

In a design with three two-level factors A, B, and C:

- If all factors are deviation or sum coded, all main effects and interactions have their "canonical" ANOVA interpretation.
- If A is dummy coded, then the coefficient of BC corresponds to the BC interaction at the level where A=0; B is the simple effect of B where A=0; etc.
- If B and C are dummy coded, then A is the effect of A where B=0 and C=0.

Best practice for ANOVA-style interpretation: deviation coding; use dummy coding in follow-up tests.

Interacting categorical-by-continuous variables

If A is a continuous variable (e.g., age) and B is a categorical design factor, then:

- The B coefficient is the effect of B where A is zero
- This is a problem when A=0 lies outside of the observed data (e.g., "age" where the observed age range is 20–50 years old)
- Usually best to center continuous predictors when they interact, unless zero is meaningful

Learning proper names



- 20 participants learned proper names for pictures of 96 target people
- each name heard consistently in one of four voices during training (2M, 2F)
- two test phases on two consecutive days (Day: 1 or 2)
- on each day, pictures/names presented in one of three conditions (Cond):
 - same voice
 - different voice, same gender
 - different voice, different gender
- we measured RT and accuracy

Read in the data

```
fan <- readRDS("FAN.rds")
head(fan)

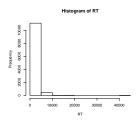
# have a look at the design
xtabs("Day + Cond + SessionID + ItemID, fan)
xtabs("Day + Cond + SessionID, fan)
xtabs("Day + Cond + ItemID, fan)</pre>
```

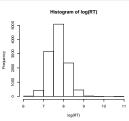
Define predictors

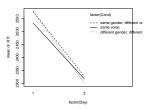
```
par(mfrow = c(1, 3))
with(fan, hist(RT))
with(fan, hist(log(RT)))

cutoff <- with(fan, quantile(RT, .975))
fan$RTt <- with(fan, ifelse(RT > cutoff, cutoff, RT))

with(fan,
    interaction.plot(factor(Day), factor(Cond), RTt))
```







Define predictors

Fit models

Sources of nonconvergence

- Misspecification of random effects
 - unidentifiable parameters in the model
- Using old/unstable version of lme4 (<1.1-7)
- Using suboptimal optimizer for glmer
 - use argument glmerControl(optimizer='bobyqa')
- Uncentered predictors
- Too few subjects/items
- Distributional assumptions unsatisfied
- Null effects

What to do?

- Make sure effects are identifiable
- Increase iterations
 - control=lmerControl(maxfit = 20000) (or glmerControl())
- Check distributional assumptions
- Start removing random effects
 - constrain covariances to zero ("diagonal" model)

Increase iterations

Constrain covariances to zero

• "diagonal model"

View results

```
Linear mixed model fit by maximum likelihood ['lmerMod']
Formula: RTt ~ T * (V1 + V2) + ((1 | SessionID) + (0 + T | SessionID) +
   (0 + V1 \mid SessionID) + (0 + V2 \mid SessionID) + (0 + T:V1 \mid
   SessionID) + (0 + T:V2 \mid SessionID)) + ((1 \mid ItemID) + (0 +
   T | ItemID) + (0 + V1 | ItemID) + (0 + V2 | ItemID) + (0 +
   T:V1 | ItemID) + (0 + T:V2 | ItemID)) + (1 | SessionID:ItemID)
  Data: fan
    AIC BIC logLik deviance df.resid
187510.1 187657.1 -93735.0 187470.1 11500
Scaled residuals:
   Min 10 Median 30 Max
-2.8900 -0.6175 -0.1114 0.4791 4.4215
Random effects:
                Name Variance Std.Dev.
Groups
SessionID.ItemID (Intercept) 110838 332.92
ItemID
                T: V2
                                0.00
ItemID.1 T:V1
                                0 0.00
TtemID.2
               V2
                          13313 115.38
ItemID.3
                V1
                             21559 146.83
ItemID.4
                                0.00
TtemID 5
           (Intercent) 47686
                                    218 37
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16 / 18

Clean up the model

Likelihood ratio tests

```
## test 2x3 interaction
  mod_diag2_no_ix <- update(mod_diag2, . ~ . - T:V1 - T:V2)</pre>
  ## test main effect of voice
  mod_diag2_no_voice <- update(mod_diag2, . ~ . - V1 - V2)</pre>
  ## test main effect of day
  mod_diag2_no_day <- update(mod_diag2, . ~ . -T)</pre>
  anova(mod_diag2, mod_diag2_no_ix)
  anova(mod_diag2, mod_diag2_no_voice)
  anova(mod_diag2, mod_diag2_no_day)
               Df AIC BIC logLik deviance Chisq Chi Df Pr(>Chisq)
mod_diag2_no_ix 12 187497 187585 -93736 187473
mod_diag2 14 187498 187601 -93735 187470 2.8551 2 0.2399
                  Df AIC BIC logLik deviance Chisq Chi Df Pr(>Chisq)
mod_diag2_no_voice 12 187495 187583 -93736 187471
mod_diag2 14 187498 187601 -93735 187470 1.0804 2
                                                                   0.5826
                Df
                      AIC BIC logLik deviance Chisq Chi Df Pr(>Chisq)
mod_diag2_no_day 13 187511 187607 -93743 187485
mod_diag2 14 187498 187601 -93735 187470 15.176 1 9.792e-05 ***
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```