Robust Neural Networks

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FGSM Attack

- Use the signed gradient to construct the output adversarial example.
- Attacker has access to the model gradients.

$$\mathbf{X}^{\mathrm{adv}} = \mathbf{X} + \epsilon \operatorname{sgn}(\nabla_X L(\mathbf{X}, y_{\mathrm{true}}))$$



Results:

Normal training accuracy: 55% FGSM attack accuracy: 10%

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Original - Label: 7



Original - Label: 2



Predicted before FGSM: 5



Predicted before FGSM: 7



Predicted before FGSM: 6



Predicted after FGSM: 7



Predicted after FGSM: 5



Predicted after FGSM: 6



PGD Attack

- Project Gradient Descent (PGD) attack.
- Iterative version of FGSM.
- Attacker has access to the model gradients.

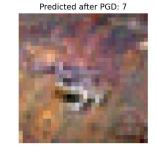
Results:

Normal training accuracy: 55%

PGD attack accuracy: 6.3%











Predicted before PGD: 6









CW Attack

minimize $|| \frac{1}{2} (\tanh(w) + 1) - x ||_{2}^{2} + c \cdot f(\frac{1}{2} (\tanh(w) + 1))$

Results:

Normal training accuracy: 55%

Accuracy for CW Adversarial Examples: 32%



Original Image. Label Dog



Original Image. Label Truck





Perturbed Image. Predicted Label Cat



Perturbed Image. Predicted Label Ship



Adversarial Training

• Adversarial training to produce robust models.

Adversarial Training	Training Accuracy (with attack)	Adversarial Training Accuracy
FGSM	10%	22,85%
PGD	6.3%	24,02%

Defense #1: Random Self-Ensemble (RSE)

- Defense based on randomness and ensembling
- Adds a (strong) noise layer before each convolution
- Compensates unstable performance with ensembling in inference
- Results:

Normal training accuracy: 55% without x 52% with RSE

FGSM attack accuracy: 10% without x 16% with RSE

PGD attack accuracy: 6.3% without x 9.8% with RSE

Defense #2: Mixup Inference

- Stochastic interpolation procedure used during inference to mitigate adversarial perturbation.
- For each input x, compute K interpolations with samples $s_{\mathcal{K}}$

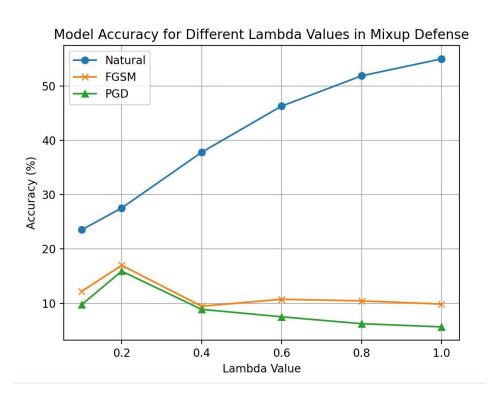
$$\tilde{x}_k = \lambda x + (1 - \lambda) s_k$$

where λ is a fixed hyper-parameter (e.g. 0.6 - paper).

Results:

Normal training accuracy: 55% without x 43% with Mixup Inference FGSM attack accuracy: 10% without x 9.5% with Mixup Inference PGD attack accuracy: 6.3% without x 7.3% with Mixup Inference

Defense #2: Mixup Inference



References

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