## **Mobile Price Classification**

The dataset for this project originates from the Classify Mobile Price Range

#### Context:

Bob has started his own mobile company. He wants to give tough fight to big companies like Apple, Samsung etc. He does not know how to estimate price of mobiles his company creates. In this competitive mobile phone market you cannot simply assume things. To solve this problem he collects sales data of mobile phones of various companies.

Bob wants to find out some relation between features of a mobile phone(eg:- RAM,Internal Memory etc) and its selling price. But he is not so good at Machine Learning. So he needs your help to solve this problem.

#### **Problem Statement:**

In this problem you do not have to predict actual price but a price range indicating how high the price is

#### **Attribute Information**

The data is contains values of different features of a mobile collected from different sources. The objective is caluclate price range of a mobile.

#### Input variables:

- 1) **battery\_power**: Total energy a battery can store in one time measured in mAh
- 2) blue: Has bluetooth or not
- 3) **clock\_speed**: speed at which microprocessor executes instructions
- 4) dual\_sim: Has dual sim support or not
- 5) fc: Front Camera mega pixels
- 6) **four\_g**: Has 4G or not
- 7) int\_memory: Internal Memory in Gigabytes
- 8) **m\_dep**: Mobile Depth in cm
- 9) mobile\_wt: Weight of mobile phone
- 10) **n\_cores**: Number of cores of processor
- 11) **pc**: Primary Camera mega pixels
- 12) px\_height: Pixel Resolution Height
- 13) px\_width: Pixel Resolution Width

- 14) ram: Random Access Memory in Mega Bytes
- 15) sc\_h: Screen Height of mobile in cm
- 16) sc\_w: Screen Width of mobile in cm
- 17) talk\_time: longest time that a single battery charge will last when you are
- 18) **three\_g**: Has 3G or not
- 19) touch\_screen: Has touch screen or not
- 20) wifi: Has wifi or not

#### Output variable (desired target):

21) **price\_range**: This is the target variable with value of 0 (cheap), 1 (mid priced), 2 (costly) and 3(expensive).

## **Table of Contents**

- 1. Environment Setup
  - 1.1 Install Package
  - 1.2 Load Dependencies
- 2. Load dataset
- 3. Data Types and Dimensions
- 4. Data Preprocessing
  - 4.1 Data Cleaning
  - 4.2 Exploratory Analysis
    - 4.2.1 Numeric features
    - 4.2.2 Categorical features
    - 4.2.3 Analysis report
  - 4.3 Feature Selection
  - 4.4 Data Transformation
    - 4.4.1 Normalization
    - 4.4.2 Split the dataset
- 5. Model Development
  - 5.1 KNN
  - 5.2 Random Forest
  - 5.3 Naive Bayes
  - 5.4 Gradient Boosting
- 6. Model Comparision
- 7. Conclusion

## 1. Environment Setup

### 1.1. Install Packages

Install required packages

goto toc

```
In [130...
```

```
# Install pandas
! pip install pandas
# Install matplotlib
! pip install matplotlib
# Install seaborn
! pip install seaborn
# Install sklearn
! pip install sklearn
# Install tqdm to visualize iterations
! pip install tqdm
```

```
Requirement already satisfied: pandas in c:\users\arun\anaconda3\envs\data_science\l
ib\site-packages (1.2.4)
Requirement already satisfied: numpy>=1.16.5 in c:\users\arun\anaconda3\envs\data_sc
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Requirement already satisfied: kiwisolver>=1.0.1 in c:\users\arun\anaconda3\envs\dat
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Requirement already satisfied: pillow>=6.2.0 in c:\users\arun\anaconda3\envs\data sc
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\site-packages (from cycler>=0.10->matplotlib) (1.15.0)
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Requirement already satisfied: numpy>=1.15 in c:\users\arun\anaconda3\envs\data scie nce\lib\site-packages (from seaborn) (1.20.1)

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### 1.2. Load Dependencies

Import required packages

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```
# Import libraries necessary for this project
import numpy as np
import pandas as pd
import scipy.stats as stats
import math
from tqdm import tqdm
import matplotlib.pyplot as plt

# Pretty display for notebooks
%matplotlib inline
import seaborn as sns

# Set default setting of seaborn
sns.set()
```

# Import required function for feature selection
from sklearn.feature\_selection import SelectKBest
from sklearn.feature\_selection import f\_classif

# Import the required function for normalization
from sklearn.preprocessing import StandardScaler

# Import train and test split function
from sklearn.model\_selection import train\_test\_split

```
In [125... # Import Classifiers to be used

# Import Grid Search Cross Validation for tunning
from sklearn.model_selection import GridSearchCV

# Import KNN classifier
from sklearn.neighbors import KNeighborsClassifier
```

```
# Import Random Forest Classifier
          from sklearn.ensemble import RandomForestClassifier
          # Import Naive bayes classifier
          from sklearn.naive_bayes import GaussianNB
          # Import KNN classifier
          from sklearn.neighbors import KNeighborsClassifier
          # Import Gradient Boosting Classifier
          from sklearn.ensemble import GradientBoostingClassifier, GradientBoostingRegressor
In [126...
          # Import packages to calculate performance of the models
          from sklearn import metrics
          # Function to compute confusion metric
          from sklearn.metrics import confusion_matrix
          # Function to generate classification report
          from sklearn.metrics import classification_report
In [127...
          # To save the model import pickle
          import pickle
```

### 2. Load dataset

Read data from mobile\_price.csv file using pandas method read\_csv().

goto toc

```
In [6]: # read the data
    raw_data = pd.read_csv('data/mobile_price.csv')
# print the first five rows of the data
    raw_data.head()
```

Out[6]:	battery_power	blue	clock_speed	dual_sim	fc	four_g	int_memory	m_dep	mobile_wt	n_core
	<b>0</b> 842	0	2.2	0	1	0	7	0.6	188	ž
	<b>1</b> 1021	1	0.5	1	0	1	53	0.7	136	3
	<b>2</b> 563	1	0.5	1	2	1	41	0.9	145	î
	<b>3</b> 615	1	2.5	0	0	0	10	0.8	131	•
	<b>4</b> 1821	1	1.2	0	13	1	44	0.6	141	í

5 rows × 21 columns

# 3. Data Types and Dimensions

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```
In [7]: # check the data types of the features
    raw_data.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 2000 entries, 0 to 1999
Data columns (total 21 columns):
              Column Non-Null Count Dtype
  #
                                                             ----
  0
               battery_power 2000 non-null int64
             blue 2000 non-null int64
clock_speed 2000 non-null float64
dual_sim 2000 non-null int64
  1
   2

      3
      dual_sim
      2000 non-null int64

      4
      fc
      2000 non-null int64

      5
      four_g
      2000 non-null int64

      6
      int_memory
      2000 non-null int64

      7
      m_dep
      2000 non-null int64

      8
      mobile_wt
      2000 non-null int64

      9
      n_cores
      2000 non-null int64

      10
      pc
      2000 non-null int64

      11
      px_height
      2000 non-null int64

      12
      px_width
      2000 non-null int64

      13
      ram
      2000 non-null int64

      14
      sc_h
      2000 non-null int64

      15
      sc_w
      2000 non-null int64

      16
      talk_time
      2000 non-null int64

      17
      three_g
      2000 non-null int64

      18
      touch_screen
      2000 non-null int64

   3
  18 touch_screen 2000 non-null int64
  19 wifi 2000 non-null int64
20 price_range 2000 non-null int64
dtypes: float64(2), int64(19)
memory usage: 328.2 KB
```

#### Note:

Features like **blue**, **dual\_sim**, **four\_g**, **n\_cores**, **three\_g**, **touch\_screen**, **wifi** and **price\_range** are actually categorical in nature but are represented as numeric so we need to convert them for better analysis.

```
In [8]:
# create copy of the dataframe
data = raw_data.copy()

# Create list of features to be converted into category
features = ['blue', 'dual_sim', 'four_g', 'n_cores', 'three_g', 'touch_screen', 'wif

# Convert numeric to categorical
for col in features:
    data[col] = pd.Categorical(data[col])

# Check for datatypes
data.info()
```

```
<class 'pandas.core.frame.DataFrame'>
RangeIndex: 2000 entries, 0 to 1999
Data columns (total 21 columns):
      Column Non-Null Count Dtype
 #
                         ----
---
      -----
 0
      battery_power 2000 non-null int64
                2000 non-null category
 1
      blue
      clock_speed 2000 non-null float64 dual_sim 2000 non-null category
 2
 3
     fc 2000 non-null int64
four_g 2000 non-null category
int_memory 2000 non-null int64
m_dep 2000 non-null float64
mobile_wt 2000 non-null int64
n_cores 2000 non-null category
 4
 5
 6
 7
 8
```

```
10 pc
                             2000 non-null int64
          11 px_height 2000 non-null int64
12 px_width 2000 non-null int64
13 ram 2000 non-null int64
          13 ram
                            2000 non-null int64
                            2000 non-null int64
          14 sc_h
          15 sc_w
                            2000 non-null int64
          16 talk_time 2000 non-null int64
17 three_g 2000 non-null category
          18 touch_screen 2000 non-null category
          19 wifi 2000 non-null category
          20 price_range 2000 non-null category
          dtypes: category(8), float64(2), int64(11)
         memory usage: 220.2 KB
 In [9]:
          # Get categorical features
          categorical_features = data.select_dtypes('category').columns.values.tolist()
          # Get nuemric features
          numerical features = [col for col in data.columns.values if col not in categorical f
In [11]:
          print("Mobile Price Classification Data Set has \033[4m\033[1m{}\033[0m\033[0m data
          print(f"Numeric features: \033[4m\033[1m{len(numerical_features)}\033[0m\033[0m \nCa
         Mobile Price Classification Data Set has 2000 data points with 21 variables each.
         Numeric features: 13
         Categorical features: 8
```

## 4. Data Preprocessing

Data preprocessing is a data mining technique which is used to transform the raw data in a useful and efficient format.

...goto toc

### 4.1. Data Cleaning

Data cleaning refers to preparing data for analysis by removing or modifying data that is incomplete, irrelevant, duplicated, or improperly formatted.

...goto toc

### **Missing Data Treatment**

If the missing values are not handled properly we may end up drawing an inaccurate inference about the data. Due to improper handling, the result obtained will differ from the ones where the missing values are present.

dual_sim	0
fc	0
four_g	0
int_memory	0
m_dep	0
mobile_wt	0
n_cores	0
рс	0
px_height	0
px_width	0
ram	0
sc_h	0
SC_W	0
talk_time	0
three_g	0
touch_screen	0
wifi	0
price_range	0
dtype: int64	

Note: There are no missing values in the dataset so we can proceed further

### **Summary**

Number of Instances	Number of Attributes	Numeric Features	Categorical Features	Missing Values
2000	21	13	8	Null

# 4.2. Exploratory Analysis

The preliminary analysis of data to discover relationships between measures in the data and to gain an insight on the trends, patterns, and relationships among various entities present in the data set with the help of statistics and visualization tools is called Exploratory Data Analysis (EDA).

Exploratory data analysis is cross-classified in two different ways where each method is either graphical or non-graphical. And then, each method is either univariate, bivariate or multivariate.

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#### 4.2.1. Numerical Features

Analysis of only numeric features

...goto toc

```
In [15]: # Get only numeric features for analysis
    numeric_data = data[numerical_features]
    numeric_data.head()
```

Out[15]:		battery_power	clock_speed	fc	int_memory	m_dep	mobile_wt	рс	px_height	px_width	ram
	0	842	2.2	1	7	0.6	188	2	20	756	2549

```
battery_power clock_speed fc int_memory m_dep mobile_wt pc px_height px_width
                                                                                          ram
1
           1021
                         0.5
                                                            136
                                                                          905
                                                                                    1988
                                                                                         2631
2
            563
                         0.5
                              2
                                          41
                                                 0.9
                                                            145
                                                                  6
                                                                          1263
                                                                                   1716 2603
3
            615
                         2.5
                                          10
                                                 8.0
                                                            131
                                                                  9
                                                                          1216
                                                                                    1786 2769
4
           1821
                         1.2 13
                                          44
                                                 0.6
                                                            141 14
                                                                          1208
                                                                                   1212 1411
```

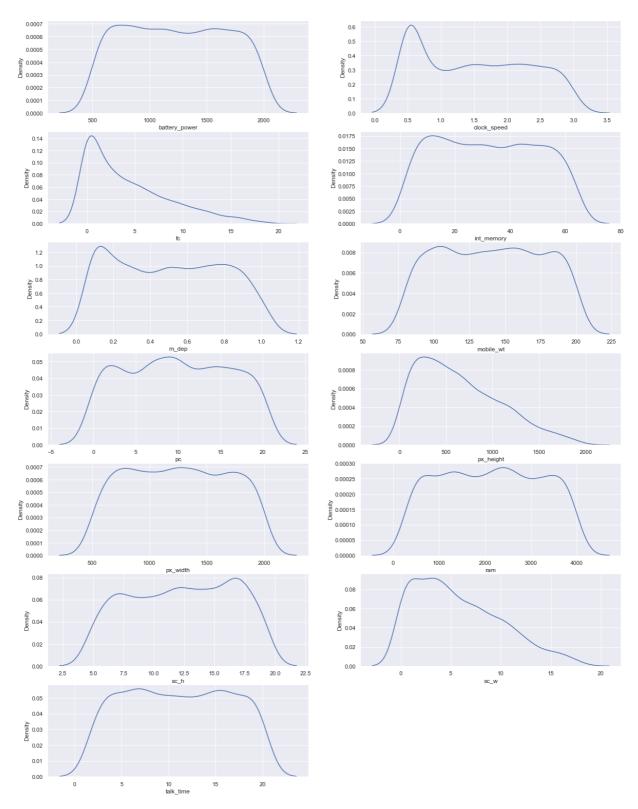
```
In [87]: # PLot KDE for all features

# Set size of the figure
plt.figure(figsize=(20,35))

# Iterate on list of features
for i, col in enumerate(numerical_features):
    if numeric_data[col].dtype != 'object':
        ax = plt.subplot(9, 2, i+1)
        kde = sns.kdeplot(numeric_data[col], ax=ax)
        plt.xlabel(col)

# Save the plot
plt.savefig("Numeric_Features_1.png")

# Show plots
plt.show()
```



```
In [94]:
# Function to plot a numeric feature
def plot_numeric_feature(data, numerical_features):
    # Iterate throw each feature
    for feature in numerical_features:
        print("-"*150)
        print(f"Feature : \033[4m\033[1m{feature}\033[0m\033[0m"))
        print("-"*150)

# Create subplots figure
    fig, axes = plt.subplots(1, 2, figsize=(14, 6))

# Plot histogram
    sns.histplot(data=data, x=feature, ax = axes[0])
```

```
# Boxplot
sns.boxplot(y = feature , x = 'price_range', data = data, ax = axes[1] )

# Displot of given feature with respect to output variable
sns.displot(data=data, x=feature, hue="price_range", multiple="stack", kind=

# Save the plot
fig.savefig(f"{feature}_Feature.png")

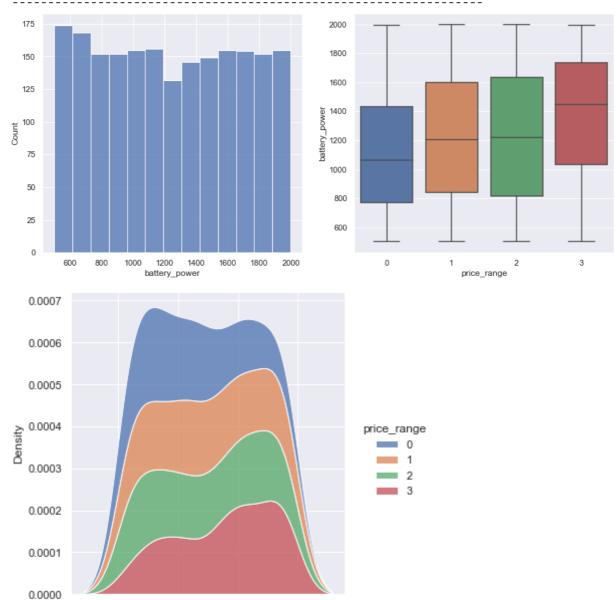
# Show all plots
plt.show()
```

In [95]:

plot\_numeric\_feature(data, numerical\_features)

.....

#### Feature : <u>battery\_power</u>



.....

2000

Feature : clock speed

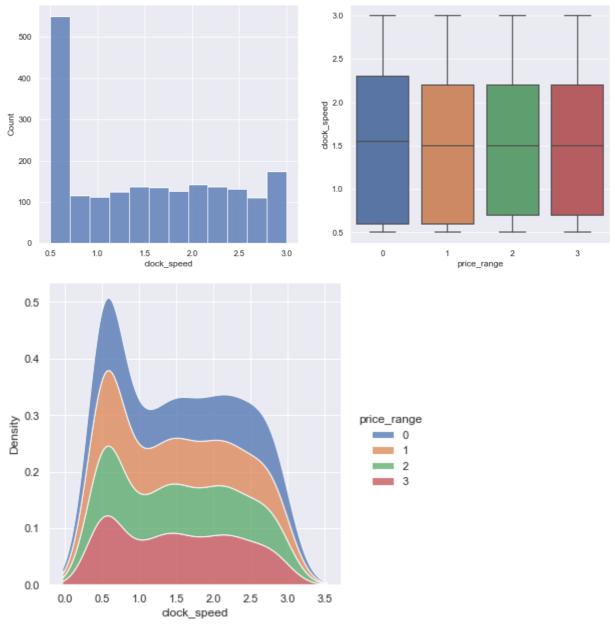
500

1000

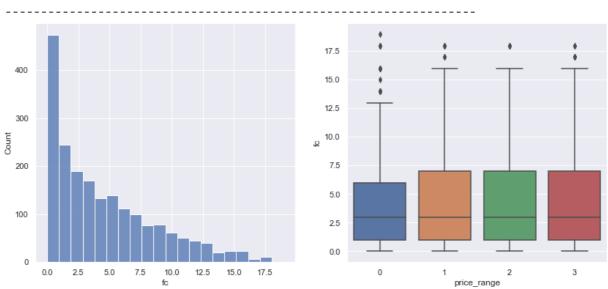
battery power

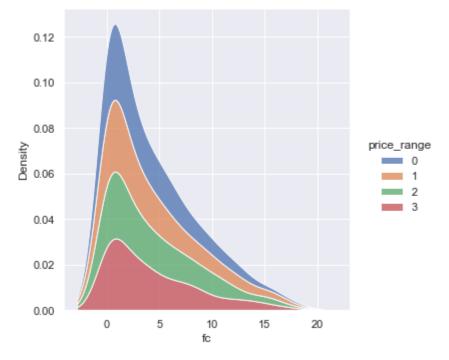
\_\_\_\_\_\_

1500



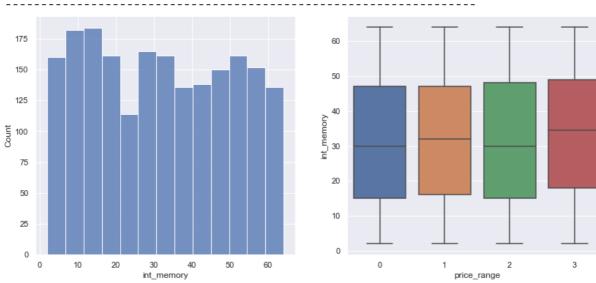
Feature : <u>fc</u> ------

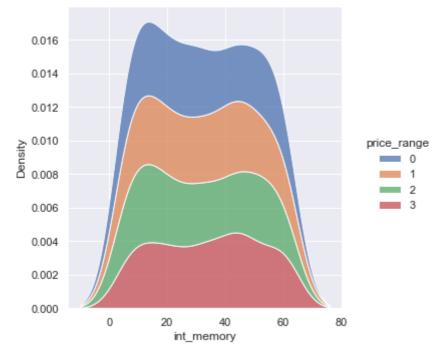




Feature : <u>int\_memory</u>



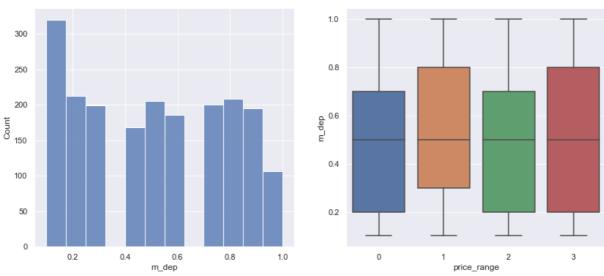


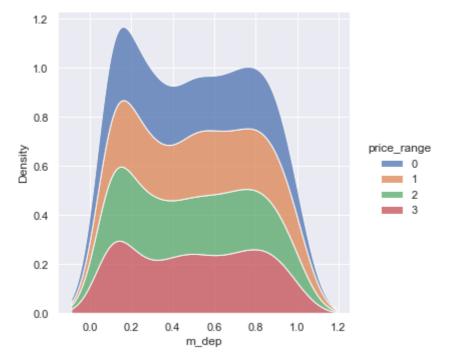


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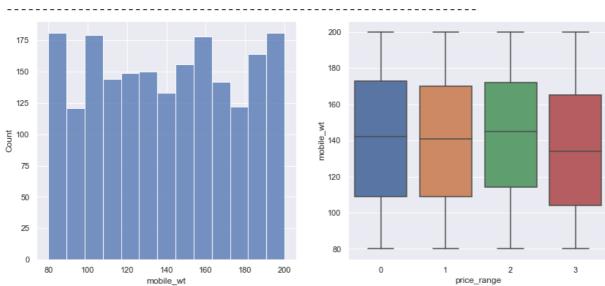


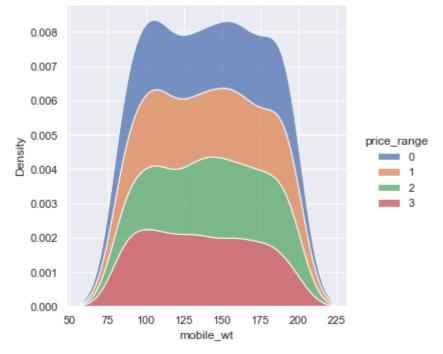




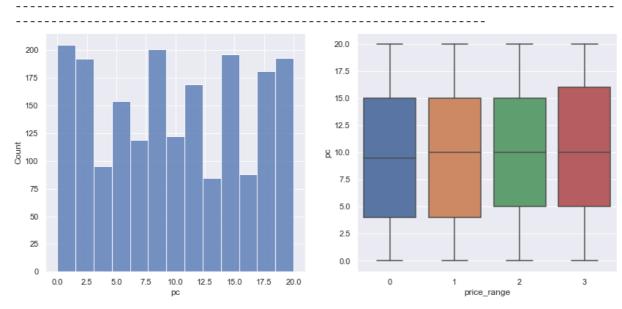
Feature : mobile wt

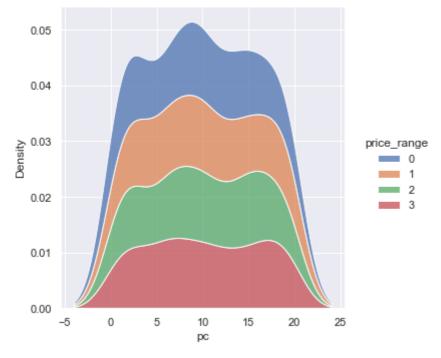




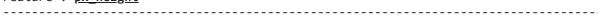


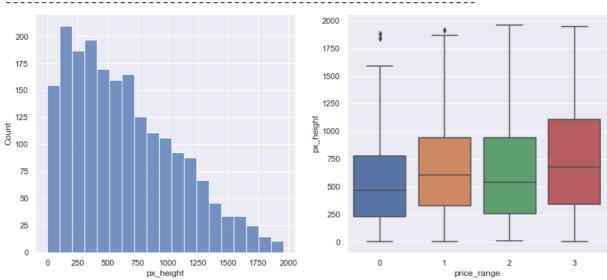


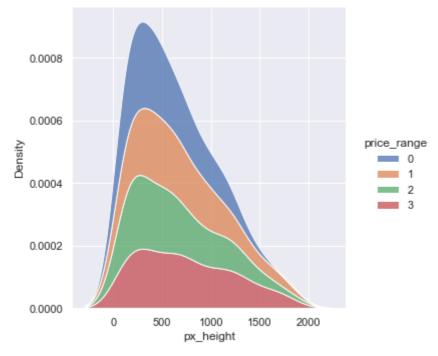




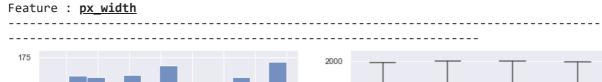
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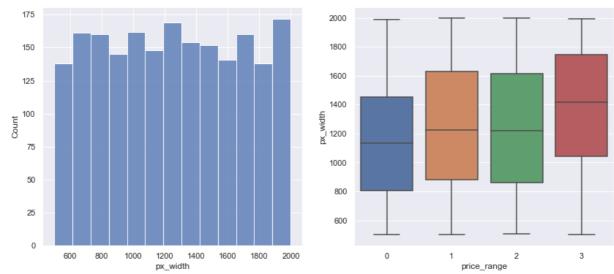


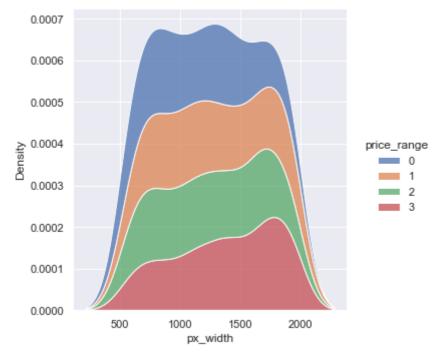




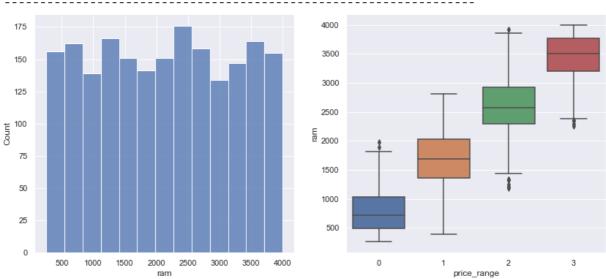
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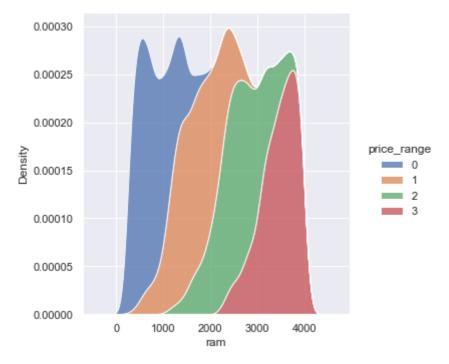








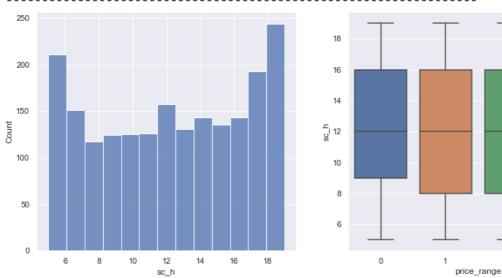


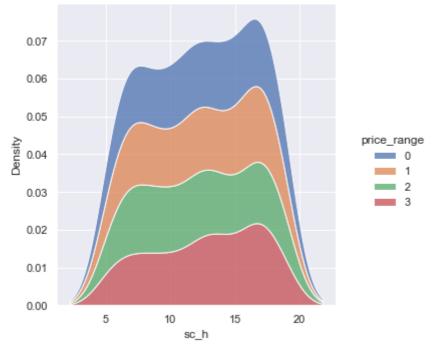


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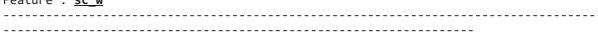


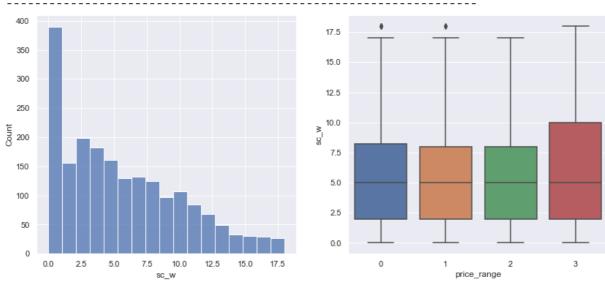
3

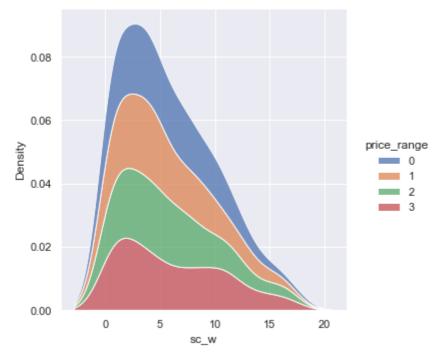




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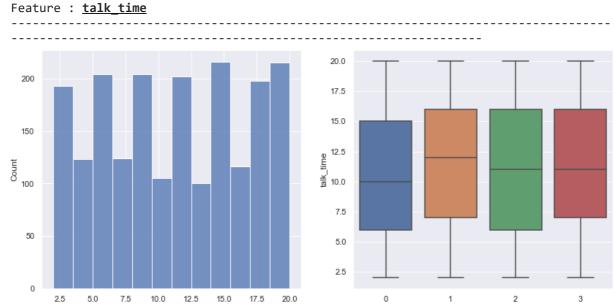




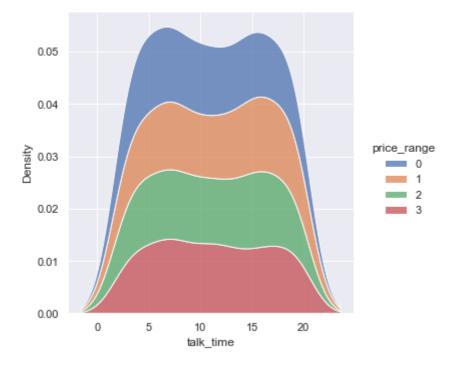
.....

Facture . talk time

talk\_time



price\_range



#### Note:

- battery\_power, int\_memory, m\_depth, mobile\_wt, pc, px\_width, ram, sc\_h and talktime are features with data concentrated toward the center and their extremes are less in quantity.
- sc\_w, px\_h, fc and clock\_speed features are right skewed i.e mean > median > mode

### Correlation

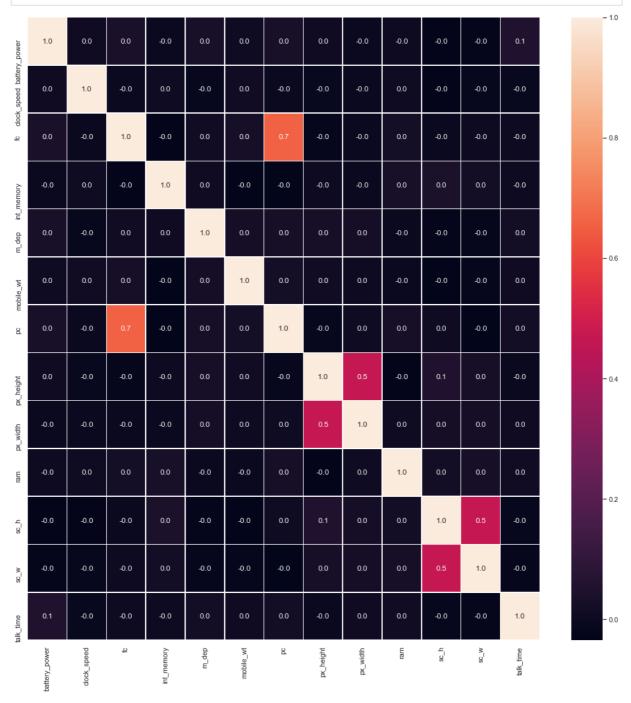
```
In [19]: # check correlation
    corr = data.corr(method = 'spearman')
    corr
```

$\cap$	1.12	+	11	a	
U	и	L	ᆫᅩ	7 ]	

	battery_power	clock_speed	fc	int_memory	m_dep	mobile_wt	рс
battery_power	1.000000	0.009161	0.034931	-0.003748	0.033412	0.001752	0.030757
clock_speed	0.009161	1.000000	-0.005288	0.005447	-0.014712	0.010773	-0.005925
fc	0.034931	-0.005288	1.000000	-0.027282	0.012780	0.027134	0.659161
int_memory	-0.003748	0.005447	-0.027282	1.000000	0.007380	-0.034259	-0.033373
m_dep	0.033412	-0.014712	0.012780	0.007380	1.000000	0.022438	0.027605
mobile_wt	0.001752	0.010773	0.027134	-0.034259	0.022438	1.000000	0.019011
рс	0.030757	-0.005925	0.659161	-0.033373	0.027605	0.019011	1.000000
px_height	0.009490	-0.013043	-0.020919	-0.001568	0.026156	0.011230	-0.015187
px_width	-0.009040	-0.008619	-0.009170	-0.008511	0.023180	0.000783	0.003462
ram	-0.001285	0.004119	0.019897	0.033061	-0.010398	-0.002731	0.028860
sc_h	-0.029283	-0.030092	-0.009578	0.040244	-0.023964	-0.033955	0.005105
sc_w	-0.026544	-0.015129	-0.001169	0.015987	-0.019489	-0.018952	-0.034842
talk_time	0.052730	-0.012699	-0.001404	-0.002436	0.016665	0.006343	0.014256

```
In [93]: # correlation map
    f,ax = plt.subplots(figsize=(18, 18))
    sns_plot = sns.heatmap(corr, annot=True, linewidths=.5, fmt= '.1f', ax=ax)

# Save the plot
    f.savefig("correlation.png")
```



Note: Features fc, pc are highly correlated

## 4.4.2. Categorical Features

Analysis of categorical features

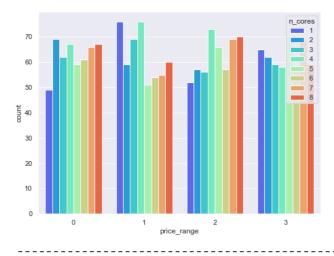
...goto toc

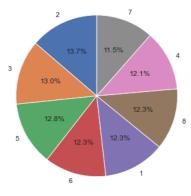
Out[21]:		blue	dual_sim	four_g	n_cores	three_g	touch_screen	wifi	price_range
	0	0	0	0	2	0	0	1	1
	1	1	1	1	3	1	1	0	2
	2	1	1	1	5	1	1	0	2
	3	1	0	0	6	1	0	0	2
	4	1	0	1	2	1	1	0	1

```
In [96]:
          def plot_categorical_features(data, categorical_features):
              names, count = {'blue': 'bluetooth', 'dual_sim': "Dual Sim", "four_g":"4G", "n_
                   "three_g":"3G", "touch_screen":"Touch Screen", "wifi":"WiFi"}, 1
              for feature in categorical_features:
                  if feature == "price_range":
                      continue
                  print("-"*150)
                  print(f"Feature : \033[4m\033[1m{names[feature]}\033[0m\033[0m")
                  print("-"*150)
                  labels = ["no", "yes"] if feature != "n_cores" else data[feature].unique().t
                  # Create subplots figure
                  fig, axes = plt.subplots(1, 2, figsize=(18, 6))
                  if count % 2 == 0:
                      # Plot countplot of feature with respect to target
                      sns.countplot(x = 'price_range', data = data, hue=feature, ax = axes[0],
                      # Plot pie chart to show distribution of feature
                      axes[1].pie(data[feature].value_counts().values, labels = labels, autopo
                      axes[1].set_xlabel(names[feature], size=22)
                  else:
                      # Plot pie chart to show distribution of feature
                      axes[0].pie(data[feature].value_counts().values, labels = labels, autope
                      axes[0].set xlabel(names[feature], size=22)
                      # Plot countplot of feature with respect to target
                      sns.countplot(x = 'price_range', data = data, hue=feature, ax = axes[1],
                  # Increase the counter
                  count += 1
                  # Save features
                  fig.savefig(f"{feature}_feature.png")
                  # Show all plots
                  plt.show()
```

```
In [97]: plot_categorical_features(categorical_data, categorical_features)
```

Feature : **bluetooth** 200 49.5% bluetooth 0 price\_range Feature : **Dual Sim** 250 50 **Dual Sim** Feature : 4G 250 200 150 8 50 4G 0 Feature : No. of Cores



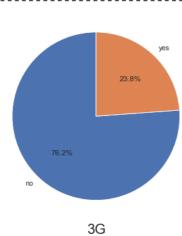


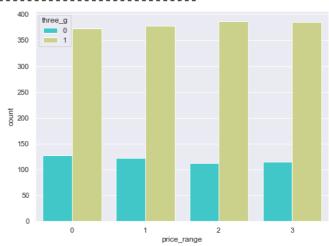
No. of Cores

\_\_\_\_\_\_

Feature : <u>3G</u>

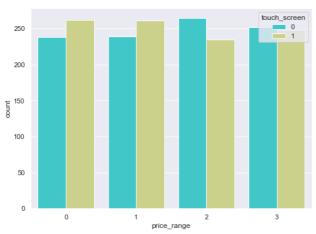
\_\_\_\_\_

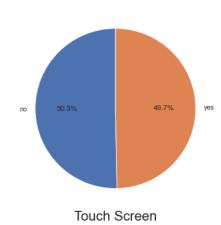




Feature : Touch Screen

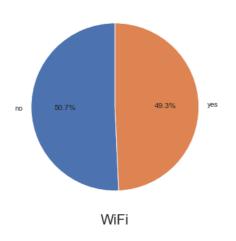
\_\_\_\_\_\_

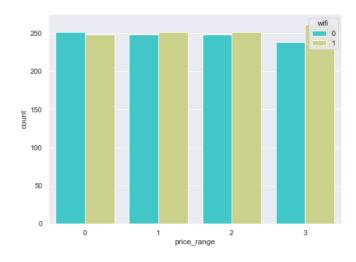




Feature : WiFi

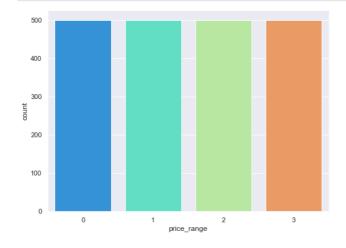
\_\_\_\_\_

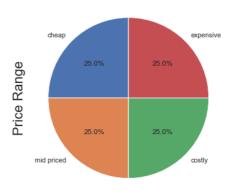




### Analyzing target feature

```
In [120...
          # Create subplots figure
          fig, axes = plt.subplots(1, 2, figsize=(18, 6))
          # Plot countplot of feature with respect to target
          sns.countplot(x = 'price_range', data = data, ax = axes[0], palette='rainbow')
          # Plot pie chart to show distribution of feature
          labels = ['cheap', 'mid priced', 'costly', 'expensive']
          axes[1].pie(categorical_data.price_range.value_counts().values, labels = labels, aut
          axes[1].set_ylabel('Price Range', size=22)
          # Save plot
          fig.savefig('target_feature.png')
          # Show all plots
          plt.show()
```





### 4.2.3. Analysis Report

...goto toc

## **Analysis Report**

Number of	Number of	Numeric	Categorical	Target	Missing
Instances	Attributes	Features	Features	Feature	Values
2000	21	13	8	price_range	Null

### **Data Types**

Sr.No.	Column	Data type	
1	battery_power	int64	
2	blue	category	
3	clock_speed	float64	
4	dual_sim	category	
5	fc	int64	
6	four_g	category	
7	int_memory	int64	
8	m_dep	float64	
9	mobile_wt	int64	
10	n_cores	category	
11	рс	int64	
12	px_height	int64	
13	px_width	int64	
14	ram	int64	
15	sc_h	int64	
16	sc_w	int64	
17	talk_time	int64	
18	three_g	category	
19	touch_screen	category	
20	wifi	category	
21	price_range	category	

### **Exploratory Data Analysis**

#### **Numeric Features**

- Generally cheaper phones have low front camera mega pixels as compared to others.
- Costly and expensive phones generally have higher battery and internal memory.
- Additionaly, they are lighter as compared to others.
- Pixel resolution increases as price range increases but clock speed doesnot show much deviation with respect to price.
- There is no significant variation in phones price with respect to screen width and height.
- front camera and primary camera mega pixels are higly correlated to each other.

• **RAM** is the most important feature to predict price among all the features which is also true in practical scenario.

#### **Categorical Features**

- Features like **blue**, **dual\_sim**, **four\_g**, **three\_g**, **touch\_screen**, **wifi** are binary in nature and are equally distributed
  - 1: Yes
  - 0:No
- Number of cores are ranging from 1 to 8
- Majority of expensive phone have features like wifi, bluetooth, dual sim and 4G.
- 3G features is available in all types of phones. But in the given dataset it is biased that 70% of phones don't have 3G service.
- Target feature price\_range has four different categories
  - 0 : cheap
  - 1: mid-priced
  - 2 : costly
  - 3 : expensive
- Additionally target feature is balanced

#### Note:

There is no need to encode categorical features as they are encoded by defualt. We just need to change there datatype using pandas function called *pd.to\_numeric()*. But feature **n\_cores** need to **one-hot encoded** as it has eight different categories.

```
In [25]: # One-hot encode n_cores feature
    no_cores = pd.get_dummies(data['n_cores'], prefix='cores', drop_first=True)

# Convert features to numeric
    data_preprocessed = data.drop('n_cores', axis = 1).apply(pd.to_numeric, axis = 1)

# Concatenate with original feature
    data_preprocessed = data_preprocessed.join(no_cores)
    data_preprocessed.head()
```

Out[25]:		battery_power	blue	clock_speed	dual_sim	fc	four_g	int_memory	m_dep	mobile_wt	рс
	0	842.0	0.0	2.2	0.0	1.0	0.0	7.0	0.6	188.0	2.0
	1	1021.0	1.0	0.5	1.0	0.0	1.0	53.0	0.7	136.0	6.0
	2	563.0	1.0	0.5	1.0	2.0	1.0	41.0	0.9	145.0	6.0
	3	615.0	1.0	2.5	0.0	0.0	0.0	10.0	0.8	131.0	9.0
	4	1821.0	1.0	1.2	0.0	13.0	1.0	44.0	0.6	141.0	14.0

5 rows × 27 columns

### 4.3. Feature Selection

Since there are all together **27** independent features we will perform feature selection to eliminate curse of dimensionality.

We will be using **f\_classif as feature selector** because our **features** are **quantitative** i.e numeric and **target** feature is **categorical**. **f\_classif** is a feature selector that computes the **ANOVA F-value** between each feature and the target vector.

...goto toc

```
In [27]:
          # Seperate independent features and target feature
          X, y = data_preprocessed.drop(['price_range'], axis = 1), data_preprocessed['price_range']
In [28]:
          # Calculate f-score and p-value
          f_statistic, p_values = f_classif(X, y)
          # Create a dataframe to record score
          d = pd.DataFrame()
          # Save features
          d['feature'] = X.columns
          # record F-score
          d['fscore'] = f_statistic
          # record p-values
          d['pvalue'] = p_values
          # Sort based of f-score
          d.sort_values(by = 'fscore', ascending=False)
```

Out[28]:		feature	fscore	pvalue
	12	ram	3520.110824	0.000000e+00
	0	battery_power	31.598158	5.948688e-20
	11	px_width	22.620882	2.116911e-14
	10	px_height	19.484842	1.886085e-12
	8	mobile_wt	3.594318	1.311739e-02
	6	int_memory	2.922996	3.277694e-02
	13	sc_h	2.225984	8.324991e-02
	14	SC_W	1.671000	1.712146e-01
	15	talk_time	1.628811	1.806686e-01
	7	m_dep	1.500682	2.124595e-01
	17	touch_screen	1.293302	2.750433e-01
	22	cores_5	1.291585	2.756251e-01
	21	cores_4	1.065282	3.626575e-01
	5	four_g	1.059525	3.651552e-01
	9	рс	0.825446	4.797489e-01
	24	cores_7	0.784417	5.025467e-01

	feature	fscore	pvalue
4	fc	0.772182	5.095042e-01
20	cores_3	0.574106	6.320524e-01
25	cores_8	0.513034	6.733232e-01
19	cores_2	0.509003	6.760970e-01
2	clock_speed	0.493708	6.866752e-01
1	blue	0.476768	6.984831e-01
16	three_g	0.457320	7.121507e-01
3	dual_sim	0.428239	7.327869e-01
18	wifi	0.284940	8.363070e-01
23	cores_6	0.163473	9.209778e-01

#### Note:

We can see that **RAM** has the **highest F-score** and **minimum p-value** which is expected. From 22 features we will be selecting top 10 features based on their *f-score* using *SelectKBest* method.

```
In [29]:
           # Perform feature selection we will select best 10 features
           fvalue_Best = SelectKBest(f_classif, k = 10)
           # Fit and transform feature selector on given dataset
           X_best = fvalue_Best.fit_transform(X, y)
In [30]:
           print(f'Original dataset have \033[4m\033[1m{X.shape[1]}\033[0m\033[0m features.\nAf
          Original dataset have 26 features.
          After feature selection dataset have 10 features.
In [31]:
           # The list of your K best features
           mask = fvalue_Best.get_support()
           # Get list of selected features
           selected_features = [feature for bool_val, feature in zip(mask, X.columns.values.tol
           # print best features
           print("Selected features are : ", selected features)
          Selected features are : ['battery_power', 'int_memory', 'm_dep', 'mobile_wt', 'px_h
eight', 'px_width', 'ram', 'sc_h', 'sc_w', 'talk_time']
```

# 4.4. Data Transformation

...goto toc

### 4.4.1 Normalization

Normalization is used to scale the data of an attribute so that it falls in a smaller range, such as -1.0 to 1.0 or 0.0 to 1.0. It is generally useful for classification algorithms.

We will use Standard Scaler to perform normalization.

...goto toc

### 4.4.2. Split dataset

We will be splitting the dataset into train and test set with 70-30 split

...goto toc

```
In [36]:
# let us now split the dataset into train & test
X_train, X_test, y_train, y_test = train_test_split(X_normal, y, test_size = 0.3, ra
# print the shape of 'x_train'
print("X_train : ",X_train.shape)

# print the shape of 'y_train'
print("y_train : ",y_train.shape)

# print the shape of 'y_train'
print("y_test : ",y_test.shape)

X_train : (1400, 10)
X_test : (600, 10)
y_train : (1400,)
y_test : (600,)
```

## 5. Model Development

We will be training different classification model and choose the one with best performance

...goto toc

#### 5.1. KNN

To find optimal value of **K** we will be performing hyperparameter tuning using **Grid Search Cross Validation**.

```
...goto toc
```

```
In [39]: | # Hyperparameter tuning
          # Initialize a knn object
          knn = KNeighborsClassifier()
          # Create a dictionary of all values we want to test for n_neighbors
          param_grid = {'n_neighbors': np.arange(2, 6)}
In [40]:
          # Perform gridsearch
          knn_gscv = GridSearchCV(knn, param_grid, cv=5)
          # fit the data
          knn_gscv.fit(X_train, y_train)
Out[40]: GridSearchCV(cv=5, estimator=KNeighborsClassifier(),
                      param_grid={'n_neighbors': array([2, 3, 4, 5])})
In [41]:
          # predict the values
          y_pred_knn = knn_gscv.predict(X_test)
In [42]:
          # compute the confusion matrix
          cm = confusion_matrix(y_test, y_pred_knn)
          # label the confusion matrix
          conf_matrix = pd.DataFrame(data=cm,columns=['Predicted:0','Predicted:1','Predicted:2
          # set sizeof the plot
          plt.figure(figsize = (8,5))
          # plot a heatmap
          sns.heatmap(conf_matrix, annot=True, fmt='d', cmap="YlGnBu", cbar=False)
          plt.show()
```



```
In [44]: # Generate classiffication report

# accuracy measures by classification_report()
result = classification_report(y_test, y_pred_knn)

# print the result
print(result)
```

```
recall f1-score
             precision
                                             support
        0.0
                  0.78
                            0.81
                                      0.80
                                                 151
                  0.53
                            0.58
                                     0.55
                                                 146
        1.0
                  0.57
                                     0.59
                                                 148
        2.0
                            0.61
        3.0
                  0.89
                            0.71
                                      0.79
                                                 155
                                                 600
   accuracy
                                      0.68
                  0.69
                            0.68
                                      0.68
                                                 600
   macro avg
                                      0.68
weighted avg
                  0.69
                            0.68
                                                 600
```

```
In [51]:
          # Tabulate the result
          # create a list of column names
          cols = ['Model', 'Precision Score', 'Recall Score', 'Accuracy Score', 'f1-score']
          # creating an empty dataframe of the colums
          result_tabulation = pd.DataFrame(columns = cols)
          # compiling the required information
          knn_estimator = pd.Series({'Model': "KNN",
                            'Precision Score': metrics.precision_score(y_test, y_pred_knn, aven
                            'Recall Score': metrics.recall_score(y_test, y_pred_knn, average="m
                            'Accuracy Score': metrics.accuracy_score(y_test, y_pred_knn),
                             'f1-score':metrics.f1_score(y_test, y_pred_knn, average="macro")})
          # appending our result table
          result_tabulation = result_tabulation.append(knn_estimator , ignore_index = True)
          # view the result table
          result_tabulation
```

#### Out[51]: Model Precision Score Recall Score Accuracy Score f1-score 0 KNN 0.69005 0.676924 0.678333 0.680475

### 5.2 Random Forest

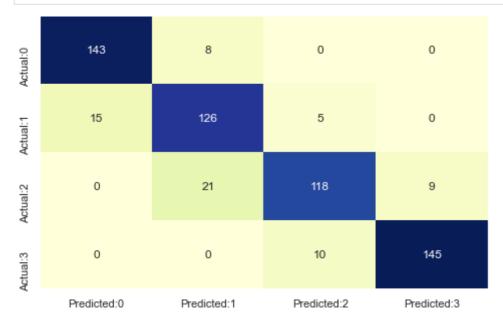
# label the confusion matrix

...goto toc

```
In [53]:
          # Fitting Random Forest Classification to the Training set
          classifier = RandomForestClassifier(n_estimators = 10, criterion = 'entropy', random
          classifier.fit(X_train, y_train)
Out[53]: RandomForestClassifier(criterion='entropy', n_estimators=10, random_state=42)
In [54]:
          # Predicting the Test set results
          y_pred_random = classifier.predict(X_test)
In [55]:
          # compute the confusion matrix
          cm = confusion_matrix(y_test, y_pred_random)
```

conf\_matrix = pd.DataFrame(data=cm,columns=['Predicted:0','Predicted:1','Predicted:2'

```
# set sizeof the plot
plt.figure(figsize = (8,5))
# plot a heatmap
sns.heatmap(conf_matrix, annot=True, fmt='d', cmap="YlGnBu", cbar=False)
plt.show()
```



```
In [57]: # Generate classification report

# accuracy measures by classification_report()
result = classification_report(y_test, y_pred_random)

# print the result
print(result)
```

	precision	recall	f1-score	support
0.0 1.0 2.0 3.0	0.91 0.81 0.89 0.94	0.95 0.86 0.80 0.94	0.93 0.84 0.84 0.94	151 146 148 155
accuracy macro avg weighted avg	0.89 0.89	0.89 0.89	0.89 0.89 0.89	600 600 600

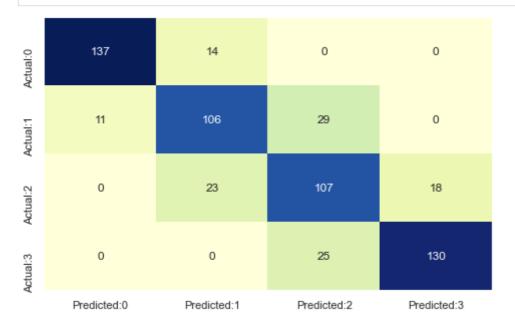
Out[60]:		Model	Precision Score	Recall Score	Accuracy Score	f1-score
	0	KNN	0.690050	0.676924	0.678333	0.680475
	1	Random Forest	0.886686	0.885704	0.886667	0.885286

## 5.3 Naive Bayes

...goto toc

In [61]:

```
# build the model
          GNB = GaussianNB()
          # fit the model
          GNB.fit(X_train, y_train)
Out[61]: GaussianNB()
In [62]:
          # predict the values
          y_pred_GNB = GNB.predict(X_test)
In [63]:
          # compute the confusion matrix
          cm = confusion_matrix(y_test, y_pred_GNB)
          # label the confusion matrix
          conf_matrix = pd.DataFrame(data=cm,columns=['Predicted:0','Predicted:1','Predicted:2
          # set sizeof the plot
          plt.figure(figsize = (8,5))
          # plot a heatmap
          sns.heatmap(conf_matrix, annot=True, fmt='d', cmap="YlGnBu", cbar=False)
          plt.show()
```



```
In [64]:
          # Generate classiffication report
          # accuracy measures by classification_report()
```

```
result = classification_report(y_test, y_pred_GNB)
# print the result
print(result)
```

```
recall f1-score
             precision
                                            support
        0.0
                  0.93
                           0.91
                                     0.92
                                               151
        1.0
                 0.74
                           0.73
                                     0.73
                                               146
                                     0.69
        2.0
                 0.66
                           0.72
                                               148
                 0.88
                                     0.86
                                               155
        3.0
                           0.84
                                     0.80
                                               600
   accuracy
                0.80
                           0.80
  macro avg
                                    0.80
                                               600
                                     0.80
weighted avg
                 0.80
                           0.80
                                               600
```

#### Out[65]: Model Precision Score Recall Score Accuracy Score f1-score 0 KNN 0.690050 0.676924 0.678333 0.680475 Random Forest 0.886686 0.885704 0.886667 0.885286 2 Naive Bayes 0.802477 0.798749 0.800000 0.800149

## 5.4 Gradient Boosting

We will be performing hyperparameter tuning

...goto toc

```
In [68]: # Choose the best Hyperparameters
# We have chosen, learning_rate, max_depth and the n_estimators.

# Define hyperparameters
parameters = {
    "n_estimators":[5,50,250,500],
    "max_depth":[1,3,5,7,9],
    "learning_rate":[0.01,0.1,1,10,100]
}

# Call the Boosting classifier constructor
gbc = GradientBoostingClassifier()
```

```
# Use the GridSearhCV() for the cross -validation
          cv = GridSearchCV(gbc,parameters,cv=5)
          # Fit the data
          cv.fit(X train, y train)
Out[69]: GridSearchCV(cv=5, estimator=GradientBoostingClassifier(),
                      param_grid={'learning_rate': [0.01, 0.1, 1, 10, 100],
                                   'max_depth': [1, 3, 5, 7, 9],
                                   'n_estimators': [5, 50, 250, 500]})
In [70]:
          # Function to display best parameters
          def display(results):
              print(f'Best parameters are: {results.best_params_}')
              print("\n")
              mean_score = results.cv_results_['mean_test_score']
              std_score = results.cv_results_['std_test_score']
              params = results.cv_results_['params']
              for mean,std,params in zip(mean_score,std_score,params):
                  print(f'{round(mean,3)} + or -{round(std,3)} for the {params}')
In [71]:
          # Display best parameters
          display(cv)
         Best parameters are: {'learning_rate': 1, 'max_depth': 1, 'n_estimators': 500}
         0.734 + or -0.026 for the {'learning_rate': 0.01, 'max_depth': 1, 'n_estimators': 5}
         0.754 + or -0.023 for the {'learning_rate': 0.01, 'max_depth': 1, 'n_estimators': 5
         0}
         0.76 + or -0.032 for the {'learning_rate': 0.01, 'max_depth': 1, 'n_estimators': 25
         0.781 + or -0.024 for the {'learning_rate': 0.01, 'max_depth': 1, 'n_estimators': 50
         0.784 + or -0.024 for the {'learning_rate': 0.01, 'max_depth': 3, 'n_estimators': 5}
         0.794 + or -0.023 for the {'learning_rate': 0.01, 'max_depth': 3, 'n_estimators': 5
         0.836 + or -0.019 for the {'learning_rate': 0.01, 'max_depth': 3, 'n_estimators': 25
         0.876 + or -0.011 for the {'learning_rate': 0.01, 'max_depth': 3, 'n_estimators': 50
         0.841 + or -0.018 for the {'learning_rate': 0.01, 'max_depth': 5, 'n_estimators': 5}
         0.857 + or -0.009 for the {'learning_rate': 0.01, 'max_depth': 5, 'n_estimators': 5
         0.879 + or -0.016 for the {'learning_rate': 0.01, 'max_depth': 5, 'n_estimators': 25
         0.885 + or -0.014 for the {'learning_rate': 0.01, 'max_depth': 5, 'n_estimators': 50
         0}
         0.834 + or -0.02 for the {'learning_rate': 0.01, 'max_depth': 7, 'n_estimators': 5}
         0.846 + or -0.019 for the {'learning_rate': 0.01, 'max_depth': 7, 'n_estimators': 5
         0.868 + or -0.026 for the {'learning_rate': 0.01, 'max_depth': 7, 'n_estimators': 25
         0}
         0.877 + or -0.021 for the {'learning_rate': 0.01, 'max_depth': 7, 'n_estimators': 50
         0.824 + or -0.022 for the {'learning_rate': 0.01, 'max_depth': 9, 'n_estimators': 5}
         0.832 + or -0.021 for the {'learning_rate': 0.01, 'max_depth': 9, 'n_estimators': 5
         0}
         0.852 + or -0.02 for the {'learning_rate': 0.01, 'max_depth': 9, 'n_estimators': 25
         0}
         0.86 + or -0.025 for the {'learning_rate': 0.01, 'max_depth': 9, 'n_estimators': 50
```

0.754 + or -0.023 for the {'learning\_rate': 0.1, 'max\_depth': 1, 'n\_estimators': 5} 0.781 + or -0.024 for the {'learning\_rate': 0.1, 'max\_depth': 1, 'n\_estimators': 50} 0.871 + or -0.014 for the {'learning\_rate': 0.1, 'max\_depth': 1, 'n\_estimators': 25

0}

```
0}
0.901 + or -0.01 for the {'learning_rate': 0.1, 'max_depth': 1, 'n_estimators': 500} 0.792 + or -0.025 for the {'learning_rate': 0.1, 'max_depth': 3, 'n_estimators': 5} 0.88 + or -0.007 for the {'learning_rate': 0.1, 'max_depth': 3, 'n_estimators': 50} 0.894 + or -0.012 for the {'learning_rate': 0.1, 'max_depth': 3, 'n_estimators': 25
0.897 + or -0.013 for the {'learning_rate': 0.1, 'max_depth': 3, 'n_estimators': 50
0.852 + or -0.004 for the {'learning_rate': 0.1, 'max_depth': 5, 'n_estimators': 5}
0.889 + or -0.012 for the {'learning_rate': 0.1, 'max_depth': 5, 'n_estimators': 50}
0.899 + or -0.014 for the {'learning_rate': 0.1, 'max_depth': 5, 'n_estimators': 25
0.896 + or -0.015 for the {'learning_rate': 0.1, 'max_depth': 5, 'n_estimators': 50
0.842 + or -0.021 for the {'learning_rate': 0.1, 'max_depth': 7, 'n_estimators': 5}
0.88 + or -0.017 for the {'learning_rate': 0.1, 'max_depth': 7, 'n_estimators': 50}
0.892 + or -0.02 for the {'learning_rate': 0.1, 'max_depth': 7, 'n_estimators': 250}
0.895 + or -0.016 for the {'learning_rate': 0.1, 'max_depth': 7, 'n_estimators': 50
0.834 + or -0.022 for the {'learning_rate': 0.1, 'max_depth': 9, 'n_estimators': 5}
0.854 + or -0.023 for the {'learning_rate': 0.1, 'max_depth': 9, 'n_estimators': 50}
0.878 + or -0.018 for the {'learning_rate': 0.1, 'max_depth': 9, 'n_estimators': 25
0.884 + or -0.017 for the {'learning_rate': 0.1, 'max_depth': 9, 'n_estimators': 50
0.784 + or -0.017 for the {'learning_rate': 1, 'max_depth': 1, 'n_estimators': 5}
0.899 + or -0.012 for the {'learning_rate': 1, 'max_depth': 1, 'n_estimators': 50}
0.917 + or -0.013 for the {'learning_rate': 1, 'max_depth': 1, 'n_estimators': 250}
0.921 + or -0.011 for the {'learning_rate': 1, 'max_depth': 1, 'n_estimators': 500} 0.86 + or -0.018 for the {'learning_rate': 1, 'max_depth': 3, 'n_estimators': 5}
0.893 + or -0.018 for the {'learning_rate': 1, 'max_depth': 3, 'n_estimators': 50}
0.897 + or -0.011 for the {'learning_rate': 1, 'max_depth': 3, 'n_estimators': 250}
0.899 + or -0.012 for the {'learning_rate': 1, 'max_depth': 3, 'n_estimators': 500}
0.856 + or -0.011 for the {'learning_rate': 1, 'max_depth': 5, 'n_estimators': 5}
0.891 + or -0.014 for the {'learning_rate': 1, 'max_depth': 5, 'n_estimators': 50}
0.895 + or -0.006 for the {'learning_rate': 1, 'max_depth': 5, 'n_estimators': 250} 0.895 + or -0.01 for the {'learning_rate': 1, 'max_depth': 5, 'n_estimators': 500}
0.866 + or -0.016 for the {'learning_rate': 1, 'max_depth': 7, 'n_estimators': 5}
0.893 + or -0.018 for the {'learning_rate': 1, 'max_depth': 7, 'n_estimators': 50}
0.886 + or -0.011 for the {'learning_rate': 1, 'max_depth': 7, 'n_estimators': 250} 0.87 + or -0.018 for the {'learning_rate': 1, 'max_depth': 7, 'n_estimators': 500}
0.868 + or -0.011 for the {'learning_rate': 1, 'max_depth': 9, 'n_estimators': 5}
0.887 + or -0.005 for the {'learning_rate': 1, 'max_depth': 9, 'n_estimators': 50}
0.876 + or -0.011 for the {'learning_rate': 1, 'max_depth': 9, 'n_estimators': 250}
0.864 + or -0.01 for the {'learning_rate': 1, 'max_depth': 9, 'n_estimators': 500}
0.121 + or -0.017 for the {'learning_rate': 10, 'max_depth': 1, 'n_estimators': 5}
0.121 + or -0.017 for the {'learning_rate': 10, 'max_depth': 1, 'n_estimators': 50}
0.121 + or -0.017 for the {'learning_rate': 10, 'max_depth': 1, 'n_estimators': 250}
0.121 + or -0.017 for the {'learning_rate': 10, 'max_depth': 1, 'n_estimators': 500}
0.221 + or -0.142 for the {'learning_rate': 10, 'max_depth': 3, 'n_estimators': 5}
0.221 + or -0.142 for the {'learning_rate': 10, 'max_depth': 3, 'n_estimators': 50}
0.221 + or -0.142 for the {'learning_rate': 10, 'max_depth': 3, 'n_estimators': 250}
0.221 + or -0.142 for the {'learning_rate': 10, 'max_depth': 3, 'n_estimators': 500}
0.362 + or -0.12 for the {'learning_rate': 10, 'max_depth': 5, 'n_estimators': 5}
0.369 + or -0.137 for the {'learning_rate': 10, 'max_depth': 5, 'n_estimators': 50}
0.346 + or -0.106 for the {'learning_rate': 10, 'max_depth': 5, 'n_estimators': 250}
0.284 + or -0.148 for the {'learning_rate': 10, 'max_depth': 5, 'n_estimators': 500}
0.799 + or -0.033 for the {'learning_rate': 10, 'max_depth': 7, 'n_estimators': 5}
0.605 + or -0.228 for the {'learning_rate': 10, 'max_depth': 7, 'n_estimators': 50}
0.709 + or -0.108 for the {'learning_rate': 10, 'max_depth': 7, 'n_estimators': 250}
0.619 + or -0.158 for the {'learning_rate': 10, 'max_depth': 7, 'n_estimators': 500}
0.838 + or -0.02 for the {'learning_rate': 10, 'max_depth': 9, 'n_estimators': 5}
0.808 + or -0.037 for the {'learning_rate': 10, 'max_depth': 9, 'n_estimators': 50}
0.731 + or -0.077 for the {'learning_rate': 10, 'max_depth': 9, 'n_estimators': 250}
0.772 + or -0.037 for the {'learning_rate': 10, 'max_depth': 9, 'n_estimators': 500}
0.103 + or -0.018 for the {'learning_rate': 100, 'max_depth': 1, 'n_estimators': 5} 0.103 + or -0.018 for the {'learning_rate': 100, 'max_depth': 1, 'n_estimators': 50} 0.103 + or -0.018 for the {'learning_rate': 100, 'max_depth': 1, 'n_estimators': 25
0}
```

```
0.103 + or -0.018 for the {'learning_rate': 100, 'max_depth': 1, 'n_estimators': 50
         0.177 + or -0.08 for the {'learning_rate': 100, 'max_depth': 3, 'n_estimators': 5}
         0.177 + or -0.08 for the {'learning_rate': 100, 'max_depth': 3, 'n_estimators': 50}
         0.177 + or -0.08 for the {'learning_rate': 100, 'max_depth': 3, 'n_estimators': 250}
         0.176 + or -0.08 for the {'learning_rate': 100, 'max_depth': 3, 'n_estimators': 500}
         0.289 + or -0.106 for the {'learning_rate': 100, 'max_depth': 5, 'n_estimators': 5}
         0.335 + or -0.12 for the {'learning_rate': 100, 'max_depth': 5, 'n_estimators': 50}
         0.289 + or -0.098 for the {'learning_rate': 100, 'max_depth': 5, 'n_estimators': 25
         0}
         0.31 + or -0.13 for the {'learning_rate': 100, 'max_depth': 5, 'n_estimators': 500}
         0.64 + or -0.186 for the {'learning_rate': 100, 'max_depth': 7, 'n_estimators': 5}
         0.501 + or -0.228 for the {'learning_rate': 100, 'max_depth': 7, 'n_estimators': 50}
         0.584 + or -0.183 for the {'learning_rate': 100, 'max_depth': 7, 'n_estimators': 25
         0.538 + or -0.211 for the {'learning rate': 100, 'max depth': 7, 'n estimators': 50
         0.794 + or -0.072 for the {'learning_rate': 100, 'max_depth': 9, 'n_estimators': 5}
         0.786 + or -0.052 for the {'learning_rate': 100, 'max_depth': 9, 'n_estimators': 50}
         0.721 + or -0.185 for the {'learning_rate': 100, 'max_depth': 9, 'n_estimators': 25
         0.775 + or -0.08 for the {'learning_rate': 100, 'max_depth': 9, 'n_estimators': 500}
         Note:
         Best parameters are:
          • learning_rate = 1
          max depth = 1
          • n estimators = 500
          # Train the classifier
          GBM = GradientBoostingClassifier(learning_rate=1, max_depth=1, n_estimators=500)
          # fit on data
          GBM.fit(X_train, y_train)
Out[101... GradientBoostingClassifier(learning_rate=1, max_depth=1, n_estimators=500)
          # Create a dataframe to store importance of features
          feature importance = pd.DataFrame()
          feature importance['feature'] = selected features
          feature_importance['Importance'] = GBM.feature_importances_
          # Sort in decreasing order
          feature_importance = feature_importance.sort_values(ascending = False, by = 'Importa
          feature importance
Out[112...
                 feature Importance
```

_			-
	0	ram	0.881613
	1	battery_power	0.057333
	2	px_height	0.025328
	3	px_width	0.022853
	4	int_memory	0.005798
	5	mobile_wt	0.003682
	6	m_dep	0.001509

In [101...

In [112...

```
        feature
        Importance

        7
        sc_w
        0.001049

        8
        talk_time
        0.000602

        9
        sc_h
        0.000232
```

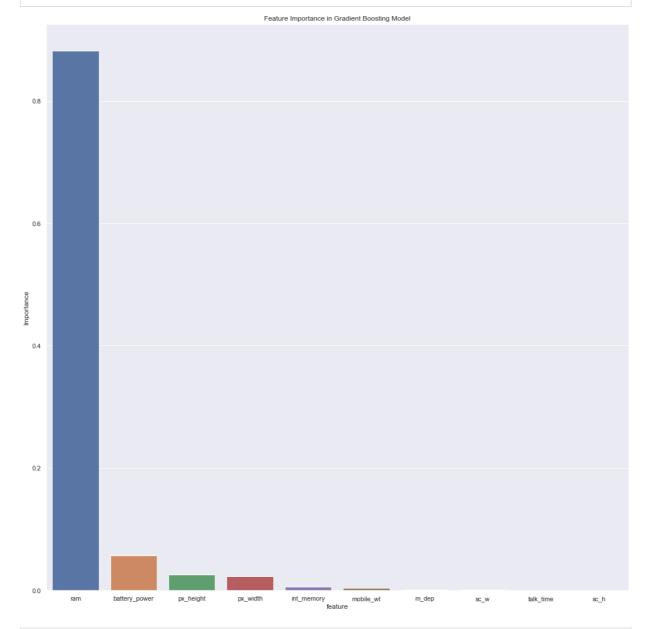
```
In [119...
# Plot feature importance
fig, ax = plt.subplots(figsize = (18,18))

# Barplot
sns.barplot(x = 'feature' , y = 'Importance', data = feature_importance, ax = ax)

# Add title
ax.set_title("Feature Importance in Gradient Boosting Model")

# Save the plot
fig.savefig('Feature_importance.png')

# Show the plot
plt.show()
```



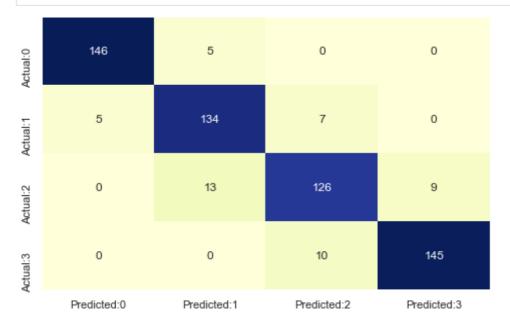
```
y_pred_gbm = GBM.predict(X_test)
```

```
In [81]: # compute the confusion matrix
    cm = confusion_matrix(y_test, y_pred_gbm)

# Label the confusion matrix
    conf_matrix = pd.DataFrame(data=cm,columns=['Predicted:0','Predicted:1','Predicted:2

# set sizeof the plot
    plt.figure(figsize = (8,5))

# plot a heatmap
    sns.heatmap(conf_matrix, annot=True, fmt='d', cmap="YlGnBu", cbar=False)
    plt.show()
```



```
In [82]: # Generate classification report

# accuracy measures by classification_report()
    result = classification_report(y_test, y_pred_gbm)

# print the result
    print(result)
```

	precision	recall	f1-score	support
0.0 1.0 2.0 3.0	0.97 0.88 0.88 0.94	0.97 0.92 0.85 0.94	0.97 0.90 0.87 0.94	151 146 148 155
accuracy macro avg weighted avg	0.92 0.92	0.92 0.92	0.92 0.92 0.92	600 600 600

```
# appending our result table
result_tabulation = result_tabulation.append(GBM_metrices , ignore_index = True)
# view the result table
result_tabulation
```

Out[77]:		Model	<b>Precision Score</b>	Recall Score	<b>Accuracy Score</b>	f1-score
	0	KNN	0.690050	0.676924	0.678333	0.680475
	1	Random Forest	0.886686	0.885704	0.886667	0.885286
	2	Naive Bayes	0.802477	0.798749	0.800000	0.800149
	3	Gradient Boosting	0.917786	0.917883	0.918333	0.917677

## 6. Model Comparision

...goto toc

```
In [78]: result_tabulation

Out[78]: Model Precision Score Recall Score Accuracy Score f1-score
```

	Model	Precision Score	Recall Score	Accuracy Score	f1-score
(	) KNN	0.690050	0.676924	0.678333	0.680475
1	Random Forest	0.886686	0.885704	0.886667	0.885286
2	Naive Bayes	0.802477	0.798749	0.800000	0.800149
3	Gradient Boosting	0.917786	0.917883	0.918333	0.917677

Note: We can see that Gradient Boosting Method has outperformed.

```
In [84]: best_model = GBM
```

### Save the model

```
In [121... pickle.dump(best_model, open("mobile_price_predictor.sav", "wb"))
```

...goto toc

### **Conclusion**

During the analysis the given problem of predicting the price range we found that the problem is a multiclass classiffication problem and the dataset given is balanced with respect different categories of target feature (price\_range).

We built different classifier for the given problem like KNN, Naive Bayes, Random Forest but **Gradient Boosting Classifier** outperformed other classifiers with test accuracy of **91.8%** and a f1-score of **0.917**.

Additionaly, while extracting feature importance from trained gradient boosting classifier we found that the feature **RAM** is the most important feature to predict price among all the features which is also true in practical scenario.

Best Model				
Model	Precision Score	Recall Score	Accuracy Score	f1-score
Gradient Boosting	0.917786	0.917883	0.918333	0.917677