

EXPERIMENT NO 7

QUESTION NUMBER 1

NUMERICAL DIFFERENTIATION AND INTEGRATION

OUTPUT

FIRST DERIVATIVE OF $\sin(t)$ USING gradient

$\cos(t)$

SECOND DERIVATIVE OF $\sin(t)$ USING gradient

$-\sin(t)$

FIRST DERIVATIVE OF $\cos(t)$ USING gradient

$-\sin(t)$

SECOND DERIVATIVE OF $\cos(t)$ USING gradient

$-\cos(t)$

FIRST DERIVATIVE OF $\sinh(t)$ USING gradient

$\cosh(t)$

SECOND DERIVATIVE OF $\sinh(t)$ USING gradient

$\sinh(t)$

FIRST DERIVATIVE OF $\cosh(t)$ USING gradient

$\sinh(t)$

SECOND DERIVATIVE OF $\cosh(t)$ USING gradient

$\cosh(t)$

FIRST DERIVATIVE OF $\sin(t)$ USING diff

$\cos(t)$

SECOND DERIVATIVE OF $\sin(t)$ USING diff

$-\sin(t)$

FIRST DERIVATIVE OF $\cos(t)$ USING diff

$-\sin(t)$

SECOND DERIVATIVE OF $\cos(t)$ USING diff

$-\cos(t)$

FIRST DERIVATIVE OF $\sinh(t)$ USING diff

$\cosh(t)$

SECOND DERIVATIVE OF $\sinh(t)$ USING diff

$\sinh(t)$

FIRST DERIVATIVE OF $\cosh(t)$ USING diff

$\sinh(t)$

SECOND DERIVATIVE OF $\cosh(t)$ USING diff

$\cosh(t)$

Figure1

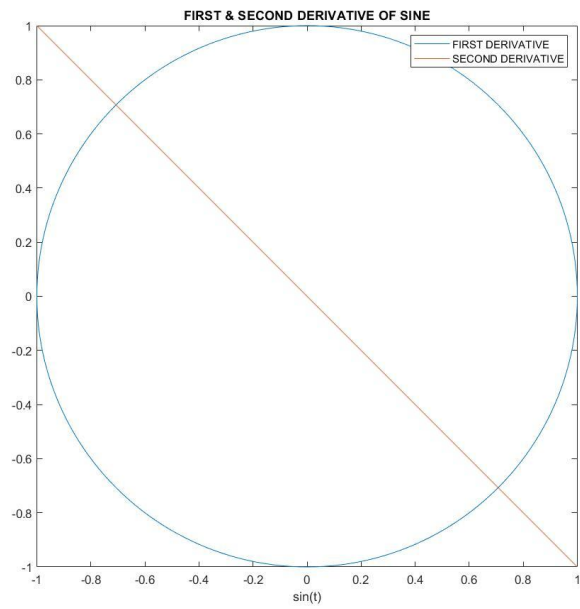
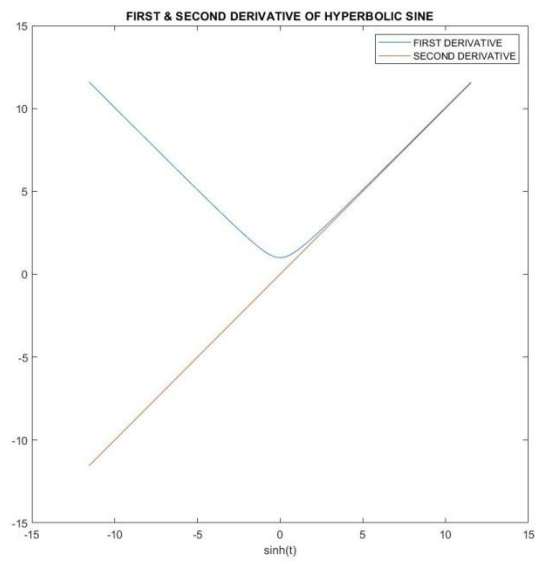


Figure2



EXPERIMENT NO 7

QUESTION NUMBER 2

NUMERICAL DIFFERENTIATION AND INTEGRATION

OUTPUT

INTEGRATING $f(t) = t$ FROM 0 TO 2

INTEGRATION USING integral FUNCTION 2.0000

INTEGRATION USING TRAPEZOIDAL NUMERICAL INTEGRATION 2

INTEGRATING $f(t) = 4t.^2+3$ FROM -4 TO 0

INTEGRATION USING integral FUNCTION 97.3333

INTEGRATION USING TRAPEZOIDAL NUMERICAL INTEGRATION 100

INTEGRATING $f(t) = t.^2$ FROM -2 TO 2

INTEGRATION USING integral FUNCTION 5.3333

INTEGRATION USING TRAPEZOIDAL NUMERICAL INTEGRATION 6

INTEGRATING $f(x) = 1/\sqrt{2*\pi}*\exp(-x.^2/2)$ FROM 0 TO INFINITY

INTEGRATION USING integral FUNCTION 0.5000

INTEGRATION USING TRAPEZOIDAL NUMERICAL INTEGRATION
0.5000

EXPERIMENT NO 7

QUESTION NUMBER 3

NUMERICAL DIFFERENTIATION AND INTEGRATION

OUTPUT

DOUBLE INTEGRATION USING integral2 FUNCTION

$$f(x,y) = xy, 0 < x < 2, 0 < y < 3$$

9.0000

TRIPLE INTEGRATION USING integral3 FUNCTION

$$f(x,y,z) = x.^2+y.^2+z.^2, -1<x<1, -1<y<1, -1<z<1$$

8.0000

EXPERIMENT NO 7

QUESTION NUMBER 4

NUMERICAL DIFFERENTIATION AND INTEGRATION

OUTPUT

INTEGRATING A POLYNOMIAL USING polyint FUNCTION

INTEGRAL OF $P(x) = 3x^4 - 4x^2 + 10x - 25$ WRT x FROM -1 to 3

49.0667

DIFFERENTIATING A POLYNOMIAL USING polyder FUNCTION

DIFFERENTIAL OF $P(x) = 3x^4 - 4x^2 + 10x - 25$

12 0 -8 10

DIFFERENTIAL, OF $P(x) = 3x^5 - 2x^3 + x + 5$

15 0 -6 0 1

DIFFERENTIAL OF $P(x) = (x^4 - 2x^3 + 11)(x^2 - 10x + 15)$

-6 60 -140 90 22 -110

EXPERIMENT NO 8

QUESTION NUMBER 1

SOLUTION OF ORDINARY DIFFERENTIAL EQUATION

OUTPUT

Equation 1:

$$Dy = y*x$$

Solution without initial condition

$$C1*\exp(x^2/2)$$

Solution with initial condition, $y(0) = 1$

$$\exp(x^2/2)$$

Equation 2:

$$Dx + 2*x = 0$$

Solution with initial condition, $x(0) = 1$

$$\exp(-2*t)$$

Figure1

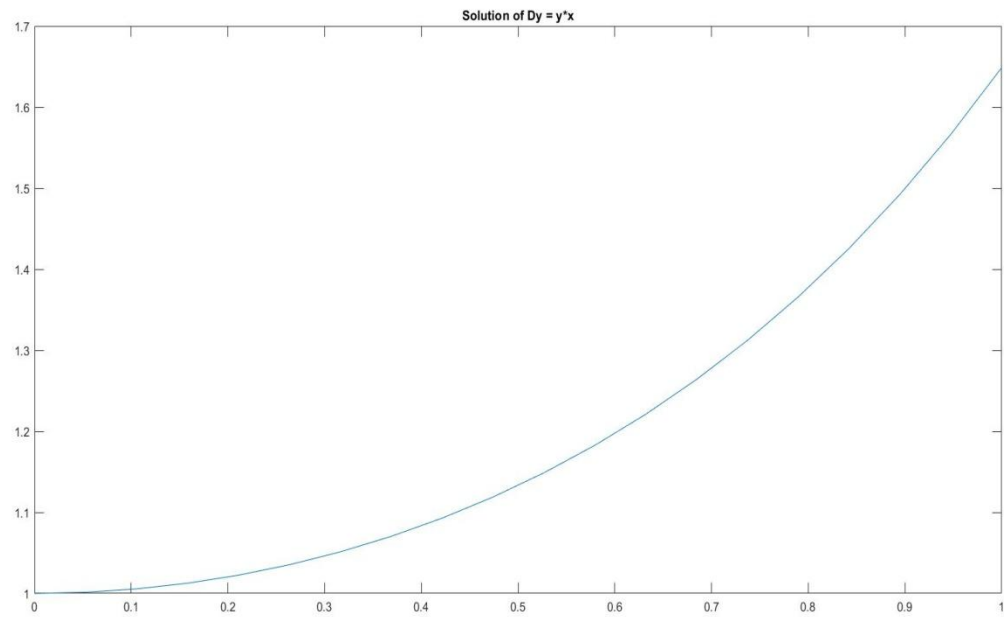
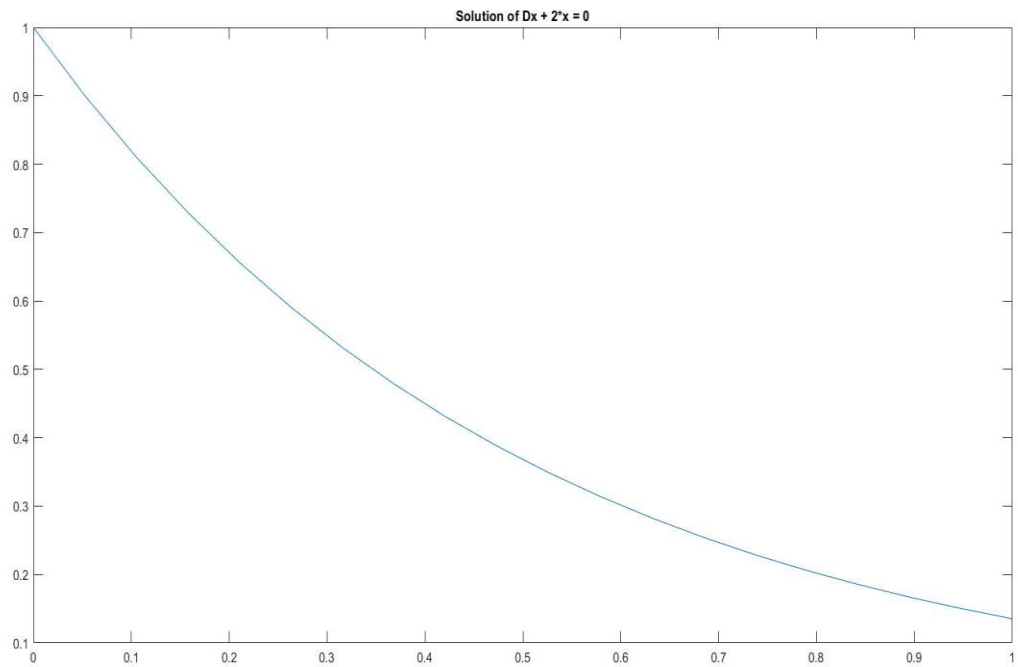


Figure2



EXPERIMENT NO 8

QUESTION NUMBER 2

SOLUTION OF ORDINARY DIFFERENTIAL EQUATION

OUTPUT

Equation 1:

$$D^2y + 8*Dy + 2*y = \cos(x)$$

Solution with initial condition, $y(0)=0, y'(0)=1$

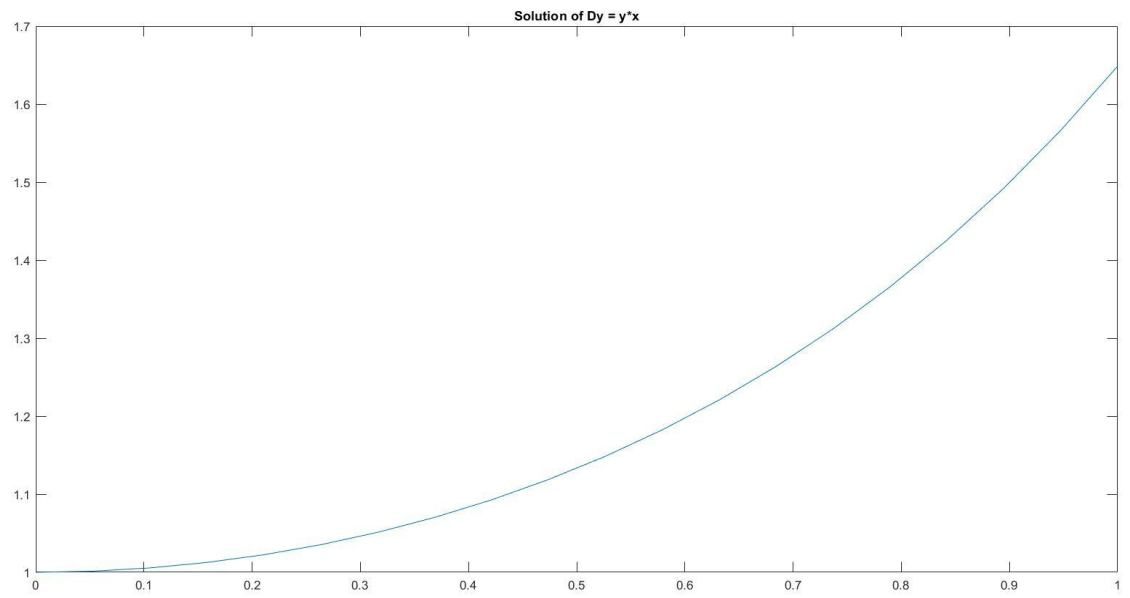
$$\begin{aligned} & (14^{1/2} * \exp(x * (14^{1/2} - 4)) * (7 * 14^{1/2} - 27)) / (28 * (8 * 14^{1/2} - 31)) - \\ & (14^{1/2} * \exp(4 * x + 14^{1/2} * x) * \exp(-x * (14^{1/2} + 4)) * (\sin(x) \\ & + \cos(x) * (14^{1/2} + 4))) / (28 * ((14^{1/2} + 4)^2 + 1)) + (14^{1/2} * \exp(4 * x - \\ & 14^{1/2} * x) * \exp(x * (14^{1/2} - 4)) * (\sin(x) - \cos(x) * (14^{1/2} - 4))) / (28 * ((14^{1/2} \\ & - 4)^2 + 1)) + (14^{1/2} * \exp(-x * (14^{1/2} + 4)) * (393 * 14^{1/2} - \\ & 1531)) / (28 * (8 * 14^{1/2} - 31)^2 * (8 * 14^{1/2} + 31)) \end{aligned}$$

Equation 2:

$$D^2x + 2*Dx + 2*x = \exp(-t)$$

Solution without initial condition

$$\exp(-t) + C6 * \exp(-t) * \cos(t) - C7 * \exp(-t) * \sin(t)$$



EXPERIMENT NO 8

QUESTION NUMBER 3

SOLUTION OF ORDINARY DIFFERENTIAL EQUATION

OUTPUT

INPUT SIGNAL, $V =$

5

EQUATION FOR CURRENT IS

$$I(t)/3 + \text{diff}(I(t), t) == 0$$

symbolic function inputs: t

WITH INITIAL CONDITION

$$I(0) == 5/3$$

TRANSIENT CURRENT FOR RC CIRCUIT FOR 5V DC INPUT

$$(5*\exp(-t/3))/3$$

INPUT SIGNAL, $V = 5*\exp(-t)$

EQUATION FOR CURRENT IS

$$I(t)/3 + \text{diff}(I(t), t) == -(5*\exp(-t))/3$$

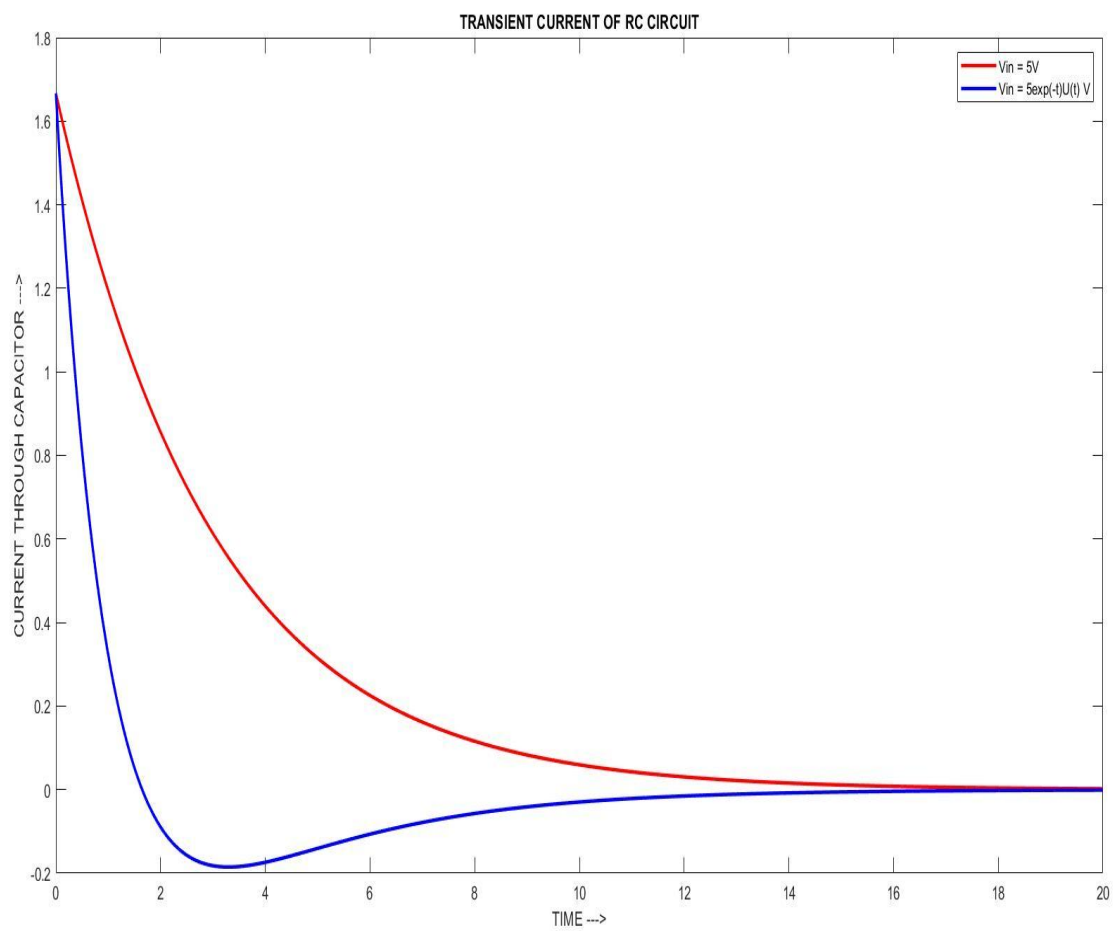
symbolic function inputs: t

WITH INITIAL CONDITION

$$I(0) == 5/3$$

TRANSIENT CURRENT FOR RC CIRCUIT FOR INPUT $5\exp(-t)U(t)$

$$(5*\exp(-t/3)*\exp(-(2*t)/3))/2 - (5*\exp(-t/3))/6$$



EXPERIMENT NO 8

QUESTION NUMBER 4

SOLUTION OF ORDINARY DIFFERENTIAL EQUATION

OUTPUT

R =

1

L =

1.0000e-03

C =

1.0000e-06

INPUT SIGNAL,

V =

5

EQUATION FOR CURRENT IS

$$10000000000 \cdot I(t) + 1000 \cdot \text{diff}(I(t), t) + \text{diff}(I(t), t, t) == 0$$

symbolic function inputs: t

WITH INITIAL CONDITION

$$[I(0) == 0, \text{subs}(\text{diff}(I(t), t), t, 0) == 5]$$

TRANSIENT CURRENT FOR RLC CIRCUIT FOR 5V DC INPUT

$$(3999^{1/2} \cdot \exp(-500 \cdot t) \cdot \sin(500 \cdot 3999^{1/2} \cdot t)) / 399900$$

INPUT SIGNAL, $V = 5 \cdot \exp(-t)$

EQUATION FOR CURRENT IS

$$1000000000 \cdot I(t) + 1000 \cdot \text{diff}(I(t), t) + \text{diff}(I(t), t, t) == -5000 \cdot \exp(-t)$$

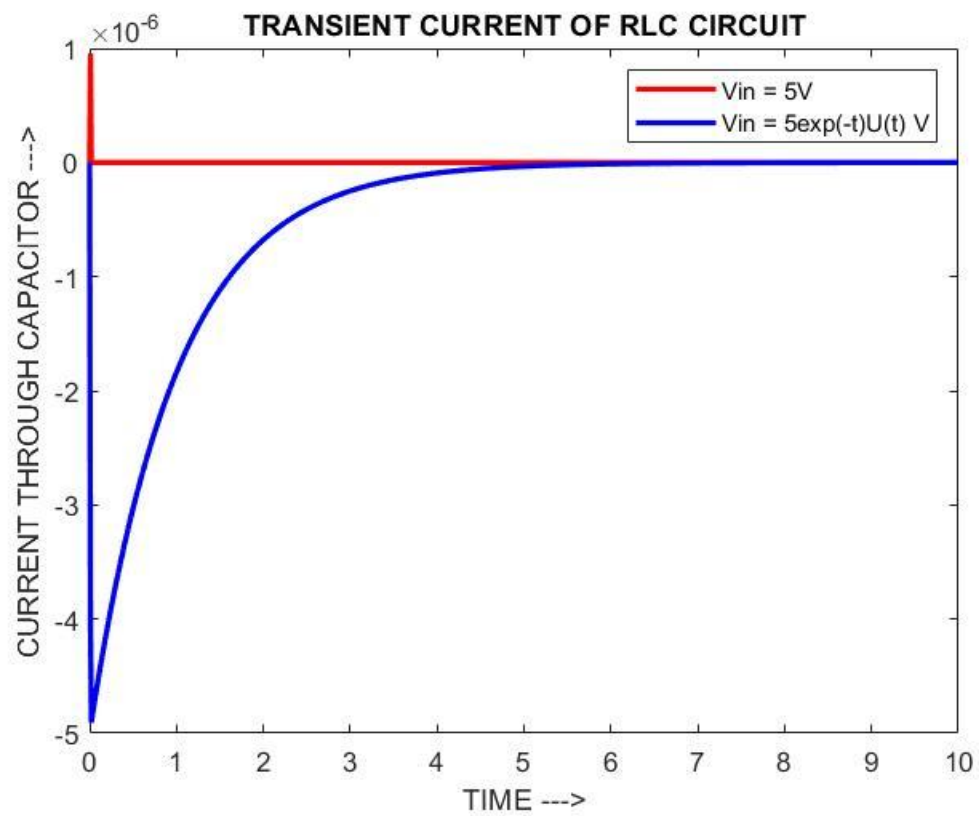
symbolic function inputs: t

WITH INITIAL CONDITION

$$[I(0) == 0, \text{subs}(\text{diff}(I(t), t), t, 0) == 5]$$

TRANSIENT CURRENT FOR RLC CIRCUIT FOR INPUT $5 \exp(-t)U(t)$

$$\begin{aligned} & (5000 \cdot \exp(-500 \cdot t) \cdot \cos(500 \cdot 3999^{1/2} \cdot t)) / 999999001 + \\ & (1000498001 \cdot 3999^{1/2} \cdot \exp(-500 \cdot t) \cdot \sin(500 \cdot 3999^{1/2} \cdot t)) / 399899600499900 \\ & + (10 \cdot 3999^{1/2} \cdot \exp(-t) \cdot \cos(500 \cdot 3999^{1/2} \cdot t) \cdot (499 \cdot \sin(500 \cdot 3999^{1/2} \cdot t) - \\ & 500 \cdot 3999^{1/2} \cdot \cos(500 \cdot 3999^{1/2} \cdot t))) / 3998996004999 - (10 \cdot 3999^{1/2} \cdot \exp(-t) \cdot \sin(500 \cdot 3999^{1/2} \cdot t) \cdot (499 \cdot \cos(500 \cdot 3999^{1/2} \cdot t) + \\ & 500 \cdot 3999^{1/2} \cdot \sin(500 \cdot 3999^{1/2} \cdot t))) / 3998996004999 \end{aligned}$$



EXPERIMENT NO 8

QUESTION NUMBER 5

SOLUTION OF ORDINARY DIFFERENTIAL EQUATION

OUTPUT

Equation 1:

$$Dx = x + 2y - z$$

Equation 2:

$$Dy = x + z$$

Equation 3:

$$Dz = 4x - 4y + 5z$$

Solution with initial condition, $x(0)=1, y(0)=2, z(0)=3$

$x =$

$$6\exp(2t) - (5\exp(3t))/2 - (5\exp(t))/2$$

$y =$

$$(5\exp(3t))/2 - 3\exp(2t) + (5\exp(t))/2$$

$z =$

$$10\exp(3t) - 12\exp(2t) + 5\exp(t)$$

