

Week 2 - Data Science Assignment

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2.16

Abbreviations:

Peanut Butter - PB
Jelly - J

Probability of liking PB = $P(PB) = 0.8$

Probability of liking J = $P(J) = 0.89$

Probability of liking PB and J = $P(PB \text{ and } J) = 0.78$

$$\begin{aligned} P(\text{Liking J given that the person likes PB}) &= P(J | PB) \\ &= P(J \text{ and } PB) / P(PB) \\ &= 0.78 / 0.8 \\ &= 0.95 \end{aligned}$$

2.18

a. $P(\text{Obese}) = 0.2839$

b. $P(\text{Obese} | \text{Has Health Coverage}) = P(\text{Obese and has health coverage}) / P(\text{has health coverage})$

$$= 0.2503 / 0.8954 = 0.2795$$

c. $P(\text{Obese} | \text{Have health coverage}^c) = P(\text{Obese and have health coverage}^c) / P(\text{Health Coverage}^c)$

$$= 0.0336 / 0.1046 = 0.3212.$$

d. Being overweight is dependent on having health coverage.

Reason - $P(\text{Overweight}) = 0.3664 = 36.64\%$

$$\begin{aligned} P(\text{Overweight} | \text{Having health coverage}) &= P(O \text{ and } H) / P(H) = 0.3306 / 0.8954 = \\ &0.3692 = 36.92\% \end{aligned}$$

As $P(\text{Overweight})$ is not same as $P(\text{overweight and having health coverage})$, the events are dependent.

2.20

Abbreviations

M -> Male

P -> Partner

a. $P(\text{Mblue or Pblue}) = P(\text{Mblue}) + P(\text{Pblue}) - P(\text{Mblue and Pblue})$
 $= 114/204 + 108/204 - 78/204$
 $= 144/204 = 0.7058$

b. $P(\text{Pblue} | \text{Mblue}) = P(\text{Mblue and Pblue}) / P(\text{Mblue})$
 $= (78/204) / (114/204) = 78/114 = 0.6842$

c.
 $P(\text{Pblue} | \text{Mbrown}) = P(\text{Pblue and Mbrown}) / P(\text{Mbrown}) = (19/204) / (54/204) = 19/54 = 0.3518$

$P(\text{Pblue} | \text{Mgreen}) = P(\text{Pblue and Mgreen}) / p(\text{Mgreen}) = (11/204) / (36/204) = 11/36 = 0.3055$

d. Eye color of male is not independent of partner's eye color.

Reason: $P(\text{Pblue})$ is not equal to $P(\text{Pblue} | \text{Mblue})$

$P(\text{Pblue}) = 108/204 = 0.5294$

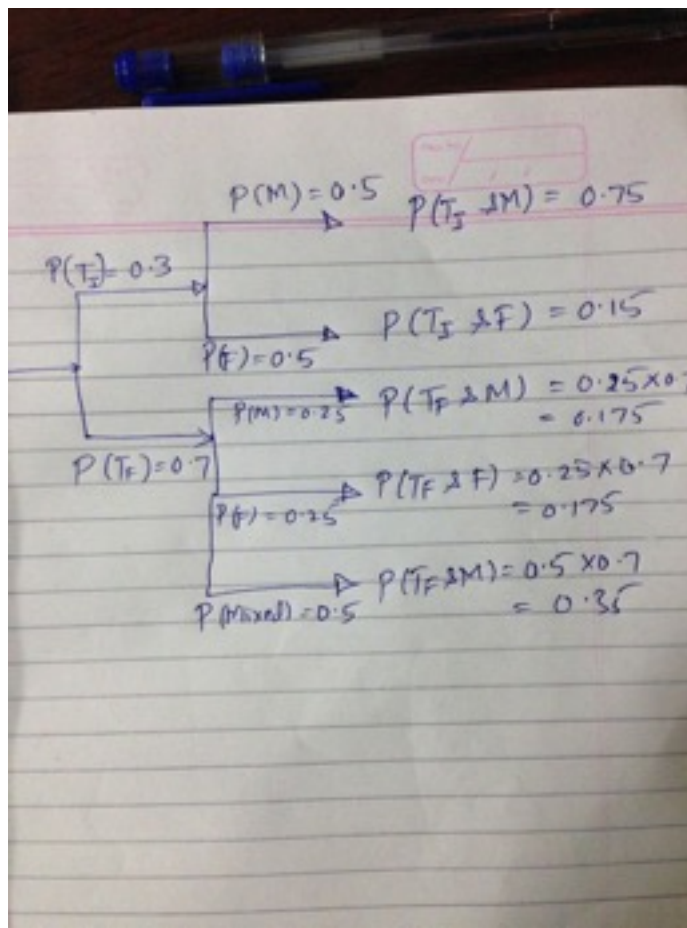
$P(\text{Pblue} | \text{Mblue}) = 78/114 = 0.6842$

The same can be inferred by looking at $P(\text{Pgreen}) \neq P(\text{Pgreen} | \text{Mgreen})$

2.26

Abbreviation

Identical Twins - TI



Fraternal Twins - TF

$$\begin{aligned} P(\text{Identical Twins} \mid \text{Both are girls}) &= P(TI \text{ and } F) + P(TF \text{ and } F) \\ &= 0.15 + 0.175 = 0.325 = 32.5 \% \end{aligned}$$