

## reprojectImageTo3D()

```
void cv::reprojectImageTo3D ( InputArray    disparity,
                             OutputArray  _3dImage,
                             InputArray    Q,
                             bool          handleMissingValues = false ,
                             int           ddepth = -1
                             )
```

### Python:

```
cv.reprojectImageTo3D( disparity, Q[, _3dImage[, handleMissingValues[, ddepth]]] ) -> _3dImage
```

```
#include <opencv2/calib3d.hpp>
```

Reprojects a disparity image to 3D space.

### Parameters

- disparity** Input single-channel 8-bit unsigned, 16-bit signed, 32-bit signed or 32-bit floating-point disparity image. The values of 8-bit / 16-bit signed formats are assumed to have no fractional bits. If the disparity is 16-bit signed format, as computed by [StereoBM](#) or [StereoSGBM](#) and maybe other algorithms, it should be divided by 16 (and scaled to float) before being used here.
- \_3dImage** Output 3-channel floating-point image of the same size as disparity. Each element of `_3dImage(x,y)` contains 3D coordinates of the point (x,y) computed from the disparity map. If one uses Q obtained by [stereoRectify](#), then the returned points are represented in the first camera's rectified coordinate system.
- Q**  $4 \times 4$  perspective transformation matrix that can be obtained with [stereoRectify](#).
- handleMissingValues** Indicates, whether the function should handle missing values (i.e. points where the disparity was not computed). If `handleMissingValues=true`, then pixels with the minimal disparity that corresponds to the outliers (see [StereoMatcher::compute](#)) are transformed to 3D points with a very large Z value (currently set to 10000).
- ddepth** The optional output array depth. If it is -1, the output image will have CV\_32F depth. ddepth can also be set to CV\_16S, CV\_32S or CV\_32F.

The function transforms a single-channel disparity map to a 3-channel image representing a 3D surface. That is, for each pixel (x,y) and the corresponding disparity  $d = \text{disparity}(x,y)$ , it computes:

$$\begin{bmatrix} X \\ Y \\ Z \\ W \end{bmatrix} = Q \begin{bmatrix} x \\ y \\ \text{disparity}(x,y) \\ 1 \end{bmatrix}.$$

### See also

To reproject a sparse set of points  $\{(x,y,d), \dots\}$  to 3D space, use [perspectiveTransform](#).