

F. 1. ΔV 9°

سماوی دانشجویی:

آرڈن سیال اصل

میرزا اول: آنہوں درودیاں ہیں :

$$\text{I) } \begin{aligned} r^x x - r^x &= rr^x \rightarrow r^x x + 1 - r^x = rx + r \rightarrow \\ r^x x - rx &= r - 1 \rightarrow x = b \end{aligned}$$

شخص اول :

$$\text{II) } (\lambda AB)y + (\lambda y C)y = (C \circ A)y \rightarrow \\ Ay^2 + 1 \cdot y + 11 + Cy^2 + Cy + 19 = 15y^2 + 0 \cdot y + 10 \rightarrow \\ y^2 - 15y - 19 = 0 \rightarrow \begin{cases} y = -1 \\ y = 19 \end{cases} \rightarrow \boxed{y = 19}$$

$$\begin{aligned}
 & \text{III) } (r^r \times f r z + r^r l z) \times l^r z = 11^r l^r z \rightarrow \\
 & ((r^r \times (f z + r)) + r^r z^r + r z + r) \times (z + r) = (z^r + z^r + r z^r + z + r) \\
 & (r^r z^r + r^r z + r) (z + r) = z^r + z^r + r z^r + z + r \rightarrow \\
 & r^r z^r + r \cdot z^r + r^r z + r^r z = z^r + z^r + r z^r + z + r \rightarrow \\
 & z^r - r z^r - r^r z^r - r^r f z - r^r = 0 \rightarrow \\
 & (z - r) (z^r + f z^r + r z + r) = 0 \rightarrow \boxed{z = r} \quad \checkmark
 \end{aligned}$$

$$I) \quad (\underline{2} \underline{2} \underline{100220})_3 = (?)_9 = (8326)_9$$

نحو (ج) :

$$\text{II) } \langle \underline{\underline{12}} \underline{\underline{33}} \underline{\underline{21}} \rangle_4 = (?)_{16} = (6 \text{ F } 9)_{16}$$

$$\text{III) } 0503724 = \text{ob?} = \text{ob } \underline{101} \underline{000} \underline{011} \underline{111} \underline{010} \underline{100}$$

Ir } Ob 1100101011100 = 0x? = 0x 32 BC

$$\checkmark (431022)_5 = (?)_9 \rightarrow 4 \times 5^5 + 3 \times 5^4 + 1 \times 5^3 + 0 \times 5^2 + 2 \times 5 + 2 = \\ 12500 + 1875 + 125 + 10 + 2 = 14512 = (21814)_9$$

آدرين بعل اصل :

I) $((\underline{0x24} \text{ ROTL } 2) \vee (\underline{0b100110} \wedge 12)) \oplus \underline{0172}$

$\text{ROTL2} \quad 00100100$ $\wedge \quad 00100110$ $\oplus \quad \underline{01111010}$

10010000 $\underline{\underline{00001100}}$ $\underline{\underline{00000100}}$

$10010100 \rightarrow 10010100 \oplus 01111010 =$

$$00010010 = 18 \leftarrow 11101110 \leftarrow 11101110 = \underline{-18}$$

II) $((\underline{0b110101} \text{ ROTR } 3) \wedge (\underline{0x47} \vee \underline{0b10101})) \oplus (\underline{0xF3} \text{ ROTL } 1) =$

$\text{ROTR3} \quad 00110101$ $\wedge \quad 10100111 \vee 00010101$ $\oplus \quad \underline{11110011}$

10100110 $\underline{\underline{10110111}}$ $\text{ROTL1} \quad \underline{\underline{11100111}}$

$$\rightarrow 10100110 \oplus 11100111 = 01000001 =$$

$$2^6 + 1 = \underline{\underline{65}}$$

III) $((\underline{0x3A} \gg 2) \wedge (\underline{0b10011001} \text{ ROTL } 1)) \oplus (\underline{0xC7} \ll 1) =$

$\gg 2 \quad 00111010$ $\text{ROTL1} \quad 00110011$ $\ll 1 \quad 11000111$

00001110 $\wedge \quad \underline{\underline{00000010}}$ $\rightarrow 10001110$

$$\rightarrow 00000010 \oplus 10001110 = 10001100$$

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$10001011 = \underline{-116}$

not $\rightarrow 01110100$

$= \downarrow 64 + 32 + 16 + 4 = 116$