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<u>docid=0fbc04d557fd940398d75454e67128d44&authkey=AeR-HNxMpK-NJxI_OsRW1tw&e=0HdiGr_(https://binusianorg-my.sharepoint.com/personal/arvio_anandi_binus_ac_id/_layouts/15/guestaccess.aspx?docid=0fbc04d557fd940398d75454e67128d44&authkey=AeR-HNxMpK-NJxI_OsRW1tw&e=0HdiGr_)</u>

1.a.

Data Preprocessing & Exploration

In [2]:

```
1 import pandas as pd
   import numpy as np
 3 from matplotlib import pyplot as plt
 4 from scipy.stats import skew
 5 import statsmodels.tsa.stattools as sts
 6 from statsmodels.tsa.seasonal import seasonal decompose
   import statsmodels.graphics.tsaplots as sgt
8 from tensorflow.keras.models import Sequential
9 from tensorflow.keras.layers import *
10 from tensorflow.keras.callbacks import ModelCheckpoint
11 from tensorflow.keras.losses import MeanSquaredError
12 from tensorflow.keras.metrics import RootMeanSquaredError
13 from tensorflow.keras.optimizers import Adam
14 from sklearn.metrics import mean_squared_error
15 | from sklearn.metrics import mean_absolute_error, mean_absolute_percentage_error as m
16 from tensorflow.keras.models import load_model
   from tensorflow.keras.losses import MeanAbsolutePercentageError
17
18 import matplotlib.pyplot as plt
19 import scipy.stats as stats
20 import numpy as np
21 from datetime import datetime
22 from keras.callbacks import EarlyStopping
23 import seaborn as sns
24 import warnings
   warnings.filterwarnings("ignore")
```

In [3]:

```
# Baca dataset dari file CSV
df = pd.read_csv('C://Users/User/Downloads/UAS_DL/AMD.csv')
df.head()
```

Out[3]:

	Date	Open	High	Low	Close	Adj Close	Volume
0	1980-03-17	0.0	3.302083	3.125000	3.145833	3.145833	219600
1	1980-03-18	0.0	3.125000	2.937500	3.031250	3.031250	727200
2	1980-03-19	0.0	3.083333	3.020833	3.041667	3.041667	295200
3	1980-03-20	0.0	3.062500	3.010417	3.010417	3.010417	159600
4	1980-03-21	0.0	3.020833	2.906250	2.916667	2.916667	130800

In [4]:

```
1 df.info()
```

```
RangeIndex: 10098 entries, 0 to 10097
Data columns (total 7 columns):

# Column Non-Null Count Dtype
--- ---- 0 Date 10098 non-null object
1 Open 10098 non-null float64
2 High 10098 non-null float64
```

<class 'pandas.core.frame.DataFrame'>

2 High 10098 non-null float64 3 Low 10098 non-null float64 4 Close 10098 non-null float64 5 Adj Close 10098 non-null float64

6 Volume 10098 non-null int64 dtypes: float64(5), int64(1), object(1)

memory usage: 552.4+ KB

In [5]:

```
1 df.describe()
```

Out[5]:

	Open	High	Low	Close	Adj Close	Volume
count	10098.000000	10098.000000	10098.000000	10098.000000	10098.000000	1.009800e+04
mean	10.889136	11.462153	10.958702	11.210802	11.210802	1.451625e+07
std	8.615288	8.475056	8.077069	8.283645	8.283645	2.396199e+07
min	0.000000	1.690000	1.610000	1.620000	1.620000	0.000000e+00
25%	4.562500	5.062500	4.812500	4.937500	4.937500	1.098600e+06
50%	9.062500	9.280625	8.875000	9.062500	9.062500	5.518500e+06
75%	14.747500	15.000000	14.435625	14.707500	14.707500	1.742722e+07
max	58.439999	59.270000	57.509998	58.900002	58.900002	3.250584e+08
4						•

```
In [6]:
```

```
1 df.isna().sum()
```

Out[6]:

Date 0
Open 0
High 0
Low 0
Close 0
Adj Close 0
Volume 0
dtype: int64

In [7]:

```
1 target = df.drop(['Open','High','Low','Adj Close','Volume'],axis=1)
```

In [8]:

```
1 target.index = pd.to_datetime(target.Date)
```

In [9]:

1 target

Out[9]:

	Date	Close
Date		
1980-03-17	1980-03-17	3.145833
1980-03-18	1980-03-18	3.031250
1980-03-19	1980-03-19	3.041667
1980-03-20	1980-03-20	3.010417
1980-03-21	1980-03-21	2.916667
2020-03-26	2020-03-26	47.500000
2020-03-27	2020-03-27	46.580002
2020-03-30	2020-03-30	47.860001
2020-03-31	2020-03-31	45.480000
2020-04-01	2020-04-01	43.660000

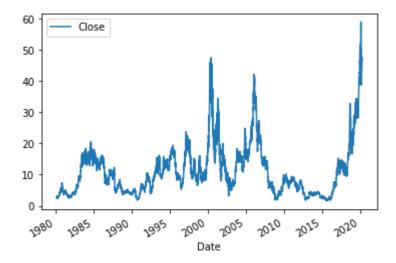
10098 rows × 2 columns

In [10]:

```
1 target.plot()
```

Out[10]:

<AxesSubplot:xlabel='Date'>



In [11]:

```
# Transform the data using Box-Cox transformation
transformed_data, lambda_value = stats.boxcox(target['Close'])

target['Close'] = transformed_data

# Print the transformed data and lambda value
print("Transformed Data:")
print(transformed_data)
print("Lambda Value:", lambda_value)
```

Transformed Data:

[1.1712063 1.13249088 1.13606819 ... 4.16466299 4.10570132 4.05857396] Lambda Value: 0.0377112539235464

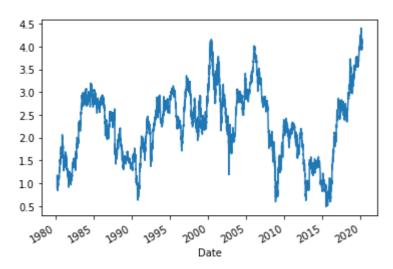
To handle the outliers in the time series data, we use the boxcox transformation method to normalize the values of the dataset using the lambda value of 0.037.

```
In [12]:
```

```
1 target["Close"].plot()
```

Out[12]:

```
<AxesSubplot:xlabel='Date'>
```



Using the boxplot to check for outliers. The outliers were handled using the boxcox transformation method.

In [13]:

```
# Convert 'Date' column to datetime type
 1
   target['Date'] = pd.to_datetime(target['Date'])
 3
   # Get the start of the week for each date
4
5
   target['WeekStart'] = target['Date'] - pd.to_timedelta(target['Date'].dt.dayofweek,
6
 7
   # Group by week and count the number of unique dates in each week
8
   week_counts = target.groupby('WeekStart')['Date'].nunique()
9
   # Find the weeks with 5 unique dates (complete weeks)
10
11
   complete_weeks = week_counts[week_counts == 5].index
12
13
   # Filter the DataFrame to keep only the complete weeks
   cleaned_df = target[target['WeekStart'].isin(complete_weeks)]
14
15
   # Reset the index if desired
16
   cleaned_df.reset_index(drop=True, inplace=True)
17
```

To handle missing dates in the dataset, we create a new column called WeekStart which is the replication of Date column, then we find the week with 5 unique date dates (complete weeks), and lastly we filter the dataframe to keep only the complete weeks and reset the index to get a new dataframe with only complete weekdays.

In [14]:

- 1 # Print the resulting DataFrame
- cleaned_df.head(30)

Out[14]:

	Date	Close	WeekStart
0	1980-03-17	1.171206	1980-03-17
1	1980-03-18	1.132491	1980-03-17
2	1980-03-19	1.136068	1980-03-17
3	1980-03-20	1.125301	1980-03-17
4	1980-03-21	1.092341	1980-03-17
5	1980-03-24	0.999195	1980-03-24
6	1980-03-25	0.974595	1980-03-24
7	1980-03-26	0.910521	1980-03-24
8	1980-03-27	0.879260	1980-03-24
9	1980-03-28	0.949421	1980-03-24
10	1980-04-07	0.949421	1980-04-07
11	1980-04-08	0.970440	1980-04-07
12	1980-04-09	0.999195	1980-04-07
13	1980-04-10	1.027202	1980-04-07
14	1980-04-11	0.986965	1980-04-07
15	1980-04-14	0.957878	1980-04-14
16	1980-04-15	0.957878	1980-04-14
17	1980-04-16	0.870159	1980-04-14
18	1980-04-17	0.901682	1980-04-14
19	1980-04-18	0.856361	1980-04-14
20	1980-04-21	0.842383	1980-04-21
21	1980-04-22	0.957878	1980-04-21
22	1980-04-23	0.978734	1980-04-21
23	1980-04-24	1.042886	1980-04-21
24	1980-04-25	1.015288	1980-04-21
25	1980-04-28	1.023245	1980-04-28
26	1980-04-29	0.999195	1980-04-28
27	1980-04-30	0.953658	1980-04-28
28	1980-05-01	0.914913	1980-04-28
29	1980-05-02	0.919288	1980-04-28

```
In [15]:
```

```
1 target = cleaned_df.drop(['WeekStart'],axis=1)
```

Filter the dataset from unused column WeekStart.

In [16]:

```
target.index = pd.to_datetime(target.Date)
target = target.drop(['Date'],axis=1)
target.head(20)
```

Out[16]:

Close

Date	
1980-03-17	1.171206
1980-03-18	1.132491
1980-03-19	1.136068
1980-03-20	1.125301
1980-03-21	1.092341
1980-03-24	0.999195
1980-03-25	0.974595
1980-03-26	0.910521
1980-03-27	0.879260
1980-03-28	0.949421
1980-04-07	0.949421
1980-04-08	0.970440
1980-04-09	0.999195
1980-04-10	1.027202
1980-04-11	0.986965
1980-04-14	0.957878
1980-04-15	0.957878
1980-04-16	0.870159
1980-04-17	0.901682
1980-04-18	0.856361

Stationarity

```
In [17]:

1 sts.adfuller(target)

Out[17]:

(-2.503185792772723,
    0.11470110998151595,
    9,
    8710,
    {'1%': -3.431101002096113,
        '5%': -2.861871892839921,
        '10%': -2.566946661596196},
    -29511.08136764168)
```

By looking at the p-value, there is very low chance of 0.11 that the data comes from a non-stationary process, therefore the dataset comes from a stationary process. Hence, detrending methods such as differencing or fitting a regression model and subtracting the fitted values are not needed for this dataset.

Window Partition

In [18]:

```
def window_partition(df,window_size=5):
 2
        df_np = df.to_numpy()
 3
        X = []
4
        y = []
 5
        for i in range(0,len(df_np)-window_size,5):
            row = [[a] for a in df_np[i:i+5]]
 6
 7
            col = df np[i+5]
8
            X.append(row)
9
            y.append(col)
10
        return np.array(X), np.array(y)
```

We partition the data by iterating through the dataset with timestep of 5, where in each iteration, we assign the first 5 values to the row variable, and the next value to the col variable, then we append these values to an empty list of X and y. After the iterations, we return the X and y values as numpy.

In [19]:

```
1 WINDOW_SIZE = 5
2 X, y = window_partition(target, WINDOW_SIZE)
3 X.shape, y.shape
```

```
Out[19]:
```

```
((1743, 5, 1, 1), (1743, 1))
```

We apply the function to the dataset with window size of 5, and we print out the shape resulting the shape shown above.

```
In [20]:
```

```
1 # Reshape 'x' to (1743, 5)
2 X = X.reshape(1743, 5)
```

In [22]:

```
1 X.shape
```

Out[22]:

(1743, 5)

We reshape the data to the format of (None,5) to fit the model input shape. The dataset is fit for data splitting.

Data Splitting (80% Train, 10% Test, 10% Val)

In [23]:

```
train_size = int(len(X)*0.8)
val_size = int(len(X)*0.1)

X_train, y_train = X[:train_size],y[:train_size]

X_val, y_val = X[train_size:train_size+val_size], y[train_size:train_size+val_size]

X_test, y_test = X[train_size+val_size:],y[train_size+val_size:]

X_train.shape, y_train.shape,X_val.shape, y_val.shape, X_test.shape, y_test.shape
```

Out[23]:

```
((1394, 5), (1394, 1), (174, 5), (174, 1), (175, 5), (175, 1))
```

The dataset is split into 80% training data, 10% testing data, and 10% validation data.

Short summary for preprocessing and exploration part: Overall, the dataset requires some preprocessing and exploration to be done such as handling outliers, handling missing dates in the dataset, window partitioning, and data splitting. But aside from that, the data does not suffer from stationarity nor missing values and is ready for model training. Therefore, we can proceed to next steps.

1.b.

1st Architecture

In [84]:

```
model1 = Sequential()
model1.add(LSTM(units=50, activation='relu', input_shape=(5,1)))
model1.add(Dense(1))
model1.summary()
```

Model: "sequential"

Layer (type)	Output Shape	Param #
lstm (LSTM)	(None, 50)	10400
dense (Dense)	(None, 1)	51

Total params: 10,451 Trainable params: 10,451 Non-trainable params: 0

In [85]:

```
model1.compile(loss=MeanSquaredError(), optimizer=Adam(learning_rate=0.0001), metric
    model1.fit(X_train,y_train, validation_data=(X_val, y_val), epochs=10)
INFO:tensorflow:Assets written to: model1\assets
44/44 [============== ] - 1s 31ms/step - loss: 0.0987 -
root_mean_squared_error: 0.3141 - val_loss: 0.0752 - val_root_mean_squa
red error: 0.2743
Epoch 8/10
24/44 [========>.....] - ETA: 0s - loss: 0.0943 - root_
mean squared error: 0.3071
WARNING:absl:Found untraced functions such as update step xla while sa
ving (showing 1 of 1). These functions will not be directly callable af
ter loading.
INFO:tensorflow:Assets written to: model1\assets
INFO:tensorflow:Assets written to: model1\assets
44/44 [========== ] - 1s 34ms/step - loss: 0.0921 -
root mean squared error: 0.3034 - val loss: 0.0713 - val root mean squa
red_error: 0.2671
```

1.c.

2nd Architecture

In [244]:

```
model2 = Sequential()
   model2.add(Input(shape=(5, 1)))
   model2.add(Conv1D(filters=32, kernel_size=1, activation="relu"))
   model2.add(Conv1D(filters=32, kernel_size=2, activation="relu"))
   model2.add(LSTM(units=50, return_sequences=True))
   model2.add(LSTM(units=50, return_sequences=True))
   model2.add(Flatten())
 7
   model2.add(Dense(32))
   model2.add(Dense(16))
   model2.add(Dense(8))
10
   model2.add(Dense(4))
   model2.add(Dense(1))
   model2.add(ReLU())
13
14
15
   model2.summary()
```

Model: "sequential_37"

Layer (type)	Output Shape	Param #
conv1d_69 (Conv1D)	(None, 5, 32)	64
conv1d_70 (Conv1D)	(None, 4, 32)	2080
lstm_54 (LSTM)	(None, 4, 50)	16600
lstm_55 (LSTM)	(None, 4, 50)	20200
flatten_11 (Flatten)	(None, 200)	0
dense_117 (Dense)	(None, 32)	6432
dense_118 (Dense)	(None, 16)	528
dense_119 (Dense)	(None, 8)	136
dense_120 (Dense)	(None, 4)	36
dense_121 (Dense)	(None, 1)	5
re_lu_9 (ReLU)	(None, 1)	0

Total params: 46,081 Trainable params: 46,081 Non-trainable params: 0

In [252]:

```
model2.compile(loss=MeanAbsolutePercentageError(), optimizer=Adam(learning rate=0.00
model2.fit(X_train,y_train, validation_data=(X_val, y_val), epochs=10)
```

```
Epoch 1/10
44/44 [============== ] - 16s 41ms/step - loss: 6.9360 - ro
ot_mean_squared_error: 0.2487 - val_loss: 7.3413 - val_root_mean_squared_e
rror: 0.0949
Epoch 2/10
44/44 [============ ] - 0s 4ms/step - loss: 3.4545 - root
mean squared error: 0.0978 - val loss: 5.1602 - val root mean squared err
or: 0.0708
Epoch 3/10
_mean_squared_error: 0.0927 - val_loss: 4.8839 - val_root_mean_squared_err
or: 0.0701
Epoch 4/10
44/44 [============ ] - 0s 4ms/step - loss: 3.5584 - root
_mean_squared_error: 0.1041 - val_loss: 4.8312 - val_root_mean_squared_err
or: 0.0682
Epoch 5/10
_mean_squared_error: 0.0974 - val_loss: 7.5596 - val_root_mean_squared_err
or: 0.0972
Epoch 6/10
44/44 [============= ] - 0s 7ms/step - loss: 3.5722 - root
_mean_squared_error: 0.1010 - val_loss: 4.6523 - val_root_mean_squared_err
or: 0.0666
Epoch 7/10
44/44 [============= ] - 0s 4ms/step - loss: 4.0583 - root
_mean_squared_error: 0.1160 - val_loss: 7.2404 - val_root_mean_squared_err
or: 0.0946
Epoch 8/10
44/44 [============= ] - 0s 4ms/step - loss: 4.1114 - root
_mean_squared_error: 0.1171 - val_loss: 5.2058 - val_root_mean_squared err
or: 0.0722
Epoch 9/10
44/44 [============== ] - 0s 4ms/step - loss: 3.5354 - root
_mean_squared_error: 0.1000 - val_loss: 4.7487 - val_root_mean_squared_err
or: 0.0668
Epoch 10/10
44/44 [============== ] - 0s 4ms/step - loss: 3.3147 - root
_mean_squared_error: 0.0964 - val_loss: 5.4562 - val_root_mean_squared_err
or: 0.0763
```

Out[252]:

<keras.callbacks.History at 0x187c9242f70>

In the second LSTM architecture, we have an input layer that expects sequences of length 5, with each sequence having a single feature. This sets the foundation for processing our sequential data.

Next, we employ two convolutional layers. The first layer uses a kernel size of 1, allowing it to focus on individual elements within the sequence. The second layer, with a kernel size of 2, can capture patterns across neighboring elements. Both convolutional layers employ 32 filters to extract relevant features.

Moving forward, we introduce two LSTM layers. These layers have 50 units each, enabling them to learn and remember patterns across the sequences. By setting return sequences=True, we ensure that the LSTM layers retain and output the full sequence of information.

To prepare the output for further processing, we utilize a flatten layer, which transforms the multidimensional output from the LSTM layers into a 1D vector.

The subsequent part of our architecture involves several dense layers. Each dense layer connects every neuron to those in the previous layer, gradually reducing the dimensionality of the data. We start with a dense layer of size 32, followed by layers of size 16, 8, and 4, respectively. Finally, we end with a dense layer of size 1, which yields the final output of our model.

To introduce non-linearity and enhance the model's ability to capture complex patterns, we employ the ReLU activation function throughout the network. ReLU allows the model to make nonlinear transformations on the data and learn intricate relationships.

In summary, this architecture combines convolutional and recurrent layers, making it ideal for processing sequential data such as time series or natural language. By utilizing convolutional layers, we extract local patterns, while LSTM layers enable the model to learn and remember long-term dependencies. The dense layers progressively reduce the dimensionality, leading to the final output.

1.d.

Evaluation

In [227]:

In [254]:

```
def mean_absolute_percentage_error(y_true, y_pred):
    return np.mean(np.abs((y_true - y_pred) / y_true))

model1_rmse = np.sqrt(mean_squared_error(model1_predictions,y_test))
model2_rmse = np.sqrt(mean_squared_error(model2_predictions,y_test))
model1_mae = mean_absolute_error(model1_predictions,y_test)
model2_mae = mean_absolute_error(model2_predictions,y_test)
model1_mape=mape(model1_predictions,y_test)
model2_mape=mape(model2_predictions,y_test)
```

In [256]:

```
# Create a dictionary with the evaluation results
 2
   evaluation_data = {
 3
        'Model': ['Model 1', 'Model 2'],
        'RMSE': [model1 rmse, model2 rmse],
 4
 5
        'MAE': [model1_mae, model2_mae],
 6
        'MAPE': [model1_mape, model2_mape]
 7
   }
 8
9
   # Create a DataFrame from the evaluation data
10
   evaluation = pd.DataFrame(evaluation data)
11
   # Set the 'Model' column as the index
12
13
   evaluation.set_index('Model', inplace=True)
14
   # Round the values to 4 decimal places
15
16
   evaluation = evaluation.round(4)
17
   # Print the evaluation DataFrame
18
19
   print(evaluation)
20
```

```
RMSE MAE MAPE
Model
Model 1 0.2472 0.2324 0.2454
Model 2 0.0792 0.0652 0.0583
```

RMSE (Root Mean Square Error) measures the prediction accuracy of the model by calculating the square root of the average of the squared differences between the predicted values and the actual values. The lower the RMSE value, the smaller the average deviation or error between the predictions and the actual values. In the context of stock prices, a low RMSE value indicates that the model's predictions tend to closely approximate the actual values accurately.

MAE (Mean Absolute Error) measures the average absolute deviation between the predicted values and the actual values. MAE disregards the direction (positive or negative) of the prediction errors. The lower the MAE value, the closer the predictions are to the actual values overall. In the context of stock prices, a low MAE value indicates that the model generally has the ability to predict prices with low levels of error.

MAPE (Mean Absolute Percentage Error) measures the average percentage of absolute errors relative to the actual values. MAPE provides an indication of how large the prediction errors are in proportion to the actual values. The lower the MAPE value, the smaller the percentage of prediction errors relative to the actual values. In the context of stock prices, a low MAPE value indicates that the model has a low level of error in predicting percentage changes in stock prices.

Overall, the RMSE, MAE, and MAPE values of the second model are lower than those of the first model, indicating that the second model has better ability to capture patterns and trends in the data and minimize prediction errors compared to the first model. Therefore, the model that William S. Cleveland would use to create an application to help the company predict stock prices would be the second LSTM model.