

```
import pandas as pd
import numpy as np
from sklearn.model_selection import train_test_split
from sklearn.linear_model import LinearRegression, Lasso, Ridge
from sklearn.metrics import mean_squared_error, mean_absolute_error
from sklearn.preprocessing import StandardScaler
```

Use pandas library to read our data from the California_Houses.csv file

```
df = pd.read_csv(r'D:\term 7\machine learning\ML- Assignment 1\ML-
Assignment 1\California_Houses.csv')
df.head()
```

	Median_House_Value	Median_Income	Median_Age	Tot_Rooms
0	452600.0	8.3252	41	880
1	358500.0	8.3014	21	7099
2	352100.0	7.2574	52	1467
3	341300.0	5.6431	52	1274
4	342200.0	3.8462	52	1627

	Population	Households	Latitude	Longitude	Distance_to_coast
0	322	126	37.88	-122.23	9263.040773
1	2401	1138	37.86	-122.22	10225.733072
2	496	177	37.85	-122.24	8259.085109
3	558	219	37.85	-122.25	7768.086571
4	565	259	37.85	-122.25	7768.086571

	Distance_to_LA	Distance_to_SanDiego	Distance_to_SanJose
0	556529.158342	735501.806984	67432.517001
1	554279.850069	733236.884360	65049.908574
2	554610.717069	733525.682937	64867.289833
3	555194.266086	734095.290744	65287.138412
4	555194.266086	734095.290744	65287.138412

	Distance_to_SanFrancisco
0	21250.213767
1	20880.600400
2	18811.487450
3	18031.047568
4	18031.047568

next cell split data to target that want to be predicted and feature that will be used to predict the target

```
target = df["Median_House_Value"]
feature =
df[["Median_Income", "Median_Age", "Tot_Rooms", "Tot_Bedrooms", "Population", "Households", "Latitude", "Longitude", "Distance_to_coast", "Distance_to_LA", "Distance_to_SanDiego", "Distance_to_SanJose", "Distance_to_SanFrancisco"]]
```

Split the data into Train, Test, and Validation sets This train_test_split data 70% train data and 30% temp data that will be split This split temp data to two equal parts part for val and other for testing

```
x_train,x_test_temp,y_train,y_test_temp = train_test_split(feature,
target, test_size= 0.3, random_state= 42)
x_test,x_val,y_test,y_val = train_test_split(x_test_temp, y_test_temp,
test_size=0.5, random_state=42)

scaler = StandardScaler()
x_train_norm = scaler.fit_transform(x_train)
x_test_norm = scaler.transform(x_test)
x_val_norm = scaler.transform(x_val)
```

StandardScaler is an object that will normalize the features by removing the mean and scaling each feature to unit variance Normalization or standardization is done to bring all features onto a similar scale

#1-linear regression

```
linear = LinearRegression()
linear.fit(x_train_norm, y_train)
linear_pred_val = linear.predict(x_val_norm)

linear_pred_test = linear.predict(x_test_norm)

#calculate Mean Square Error and Mean Absolute Error for validate data
mse_linear_val = mean_squared_error(y_val, linear_pred_val)
mae_linear_val = mean_absolute_error(y_val, linear_pred_val)

#calculate Mean Square Error and Mean Absolute Error
mse_linear_test = mean_squared_error(y_test, linear_pred_test)
mae_linear_test = mean_absolute_error(y_test, linear_pred_test)
print(f"Linear Regression")
print("Mean Squared error and Mean Absolute Error using validate data:")
print(f"Mean Squared Error: {mse_linear_val:.4f}\nMean Absolute Error: {mae_linear_val:.4f}")
print("Mean Squared error and Mean Absolute Error using test data:")
print(f"Mean Squared Error: {mse_linear_test:.4f}\nMean Absolute Error: {mae_linear_test:.4f}")
```

Linear Regression

Mean Squared error and Mean Absolute Error using validate data:

Mean Squared Error: 4400953150.6137

Mean Absolute Error: 48782.0311

Mean Squared error and Mean Absolute Error using test data:

Mean Squared Error: 4907211997.3748

Mean Absolute Error: 50790.0603

Here, we're creating an instance of the LinearRegression model from scikit-learn. Then we're fitting the linear model to the training data. After the model is trained, it is used to make predictions on the validation data and test. It generates predicted values for the median house prices based on the features. Mean Squared Error (MSE) and Mean Absolute Error (MAE) are calculated to evaluate the model's performance.

#2-lasso regression

Define a range of alpha values to try

```
alpha_values = [0.1, 1, 50, 45]
```

```
best_alpha = None
```

```
best_mse_val = float('inf')
```

```
best_model = None
```

Loop through each alpha value

```
for alpha in alpha_values:
```

Create a Lasso model with the current alpha value and increased max_iter

```
    lasso = Lasso(alpha=alpha, max_iter=5000)
```

```
    lasso.fit(x_train_norm, y_train)
```

Predict on the validation set

```
    lasso_pred_val = lasso.predict(x_val_norm)
```

Calculate the Mean Squared Error on the validation set

```
    mse_val = mean_squared_error(y_val, lasso_pred_val)
```

Update best alpha if this one has the lowest validation MSE

```
    if mse_val < best_mse_val:
```

```
        best_mse_val = mse_val
```

```
        best_alpha = alpha
```

```
        best_model = lasso # Save the best model
```

Print the best alpha and validation MSE

```
print(f"Best alpha found: {best_alpha}")
```

```
print(f"Validation Mean Squared Error (MSE): {best_mse_val:.4f}")
```

Use the best model to make predictions on the test set

```
lasso_pred_test = best_model.predict(x_test_norm)
```

```
mse_lasso_test = mean_squared_error(y_test, lasso_pred_test)
```

```
mae_lasso_test = mean_absolute_error(y_test, lasso_pred_test)
```

```
# Print results for test set
print("Test Mean Squared Error (MSE):", mse_lasso_test)
print("Test Mean Absolute Error (MAE):", mae_lasso_test)
```

```
Best alpha found: 45
Validation Mean Squared Error (MSE): 4398910243.3335
Test Mean Squared Error (MSE): 4910977739.600413
Test Mean Absolute Error (MAE): 50836.47618953052
```

Here, we create an instance of the Lasso regression model from scikit-learn. The alpha parameter is calculated based on the minimum mse when applied on the validation dataset. The lasso model is trained on the training data. After training, the model is used to predict the target variable values for the validation data and test data. It generates predicted values for the median house prices based on the features. Mean Squared Error (MSE) and Mean Absolute Error (MAE) are calculated to evaluate the performance of the Lasso model.

#3-ridge regression

```
# Define a range of alpha values to try
alpha_values = [0.1, 1, 50, 45]
best_alpha = None
best_mse_val = float('inf')
best_model = None

# Loop through each alpha value
for alpha in alpha_values:
    # Create a Ridge model with the current alpha value
    ridge = Ridge(alpha=alpha)
    ridge.fit(x_train_norm, y_train)

    # Predict on the validation set
    ridge_pred_val = ridge.predict(x_val_norm)

    # Calculate the Mean Squared Error on the validation set
    mse_val = mean_squared_error(y_val, ridge_pred_val)

    # Update best alpha if this one has the lowest validation MSE
    if mse_val < best_mse_val:
        best_mse_val = mse_val
        best_alpha = alpha
        best_model = ridge # Save the best model

# Print the best alpha and validation MSE
print(f"Best alpha found: {best_alpha}")
print(f"Validation Mean Squared Error (MSE): {best_mse_val:.4f}")

# Use the best model to make predictions on the test set
ridge_pred_test = best_model.predict(x_test_norm)
```

```

mse_ridge_test = mean_squared_error(y_test, ridge_pred_test)
mae_ridge_test = mean_absolute_error(y_test, ridge_pred_test)

# Print results for test set
print("Test Mean Squared Error (MSE):", mse_ridge_test)
print("Test Mean Absolute Error (MAE):", mae_ridge_test)

Best alpha found: 1
Validation Mean Squared Error (MSE): 4400540039.5975
Test Mean Squared Error (MSE): 4907281049.444644
Test Mean Absolute Error (MAE): 50793.61026819888

```

Here, we're creating an instance of the Ridge regression model from scikit-learn. The alpha parameter is calculated based on the minimum mse when applied on the validation dataset. The ridge model is trained on the training data. After training, the model is used to make predictions for the validation data and test data. It generates predicted values for the median house prices based on the features.

```

print("Mean Squared error and Mean Absolute Error using test data:")
print(f"Linear Regression\nMean Squared Error: {mse_linear_test:.4f}\nMean Absolute Error: {mae_linear_test:.4f}")
print(f"Lasso Regression\nMean Squared Error: {mse_lasso_test:.4f}\nMean Absolute Error: {mae_lasso_test:.4f}")
print(f"Ridge Regression\nMean Squared Error: {mse_ridge_test:.4f}\nMean Absolute Error: {mae_ridge_test:.4f}")

Mean Squared error and Mean Absolute Error using test data:
Linear Regression
Mean Squared Error: 4907211997.3748
Mean Absolute Error: 50790.0603
Lasso Regression:
Mean Squared Error: 4910977739.6004
Mean Absolute Error: 50836.4762
Ridge Regression:
Mean Squared Error: 4907281049.4446
Mean Absolute Error: 50793.6103

```

Linear Regression showed the lowest mean squared error and mean absolute error. Lasso Regression produced a higher mean squared error and mean absolute error. Ridge Regression produced a lower mean squared error than lasso. Conclusion: Linear Regression is performing well. Both Lasso and Ridge regressions did not provide a noticeable advantage in predictive accuracy.