

Energy Disaggregation:

A Case Study of Large Number of Components

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Presentation Outline

- Introduction to the field
- Motivation & Problem Statement
- Related work
- Research Objectives
- Proposed Approach
- Datasets and Setup
- Results (Performance Evaluation and Comparison)



Energy Disaggregation/Non-intrusive Load Monitoring (NILM)

Definition:

The process of breaking down the total energy consumption of a household into its individual appliance-level components

Goal:

Obtaining the information about appliance level energy consumption

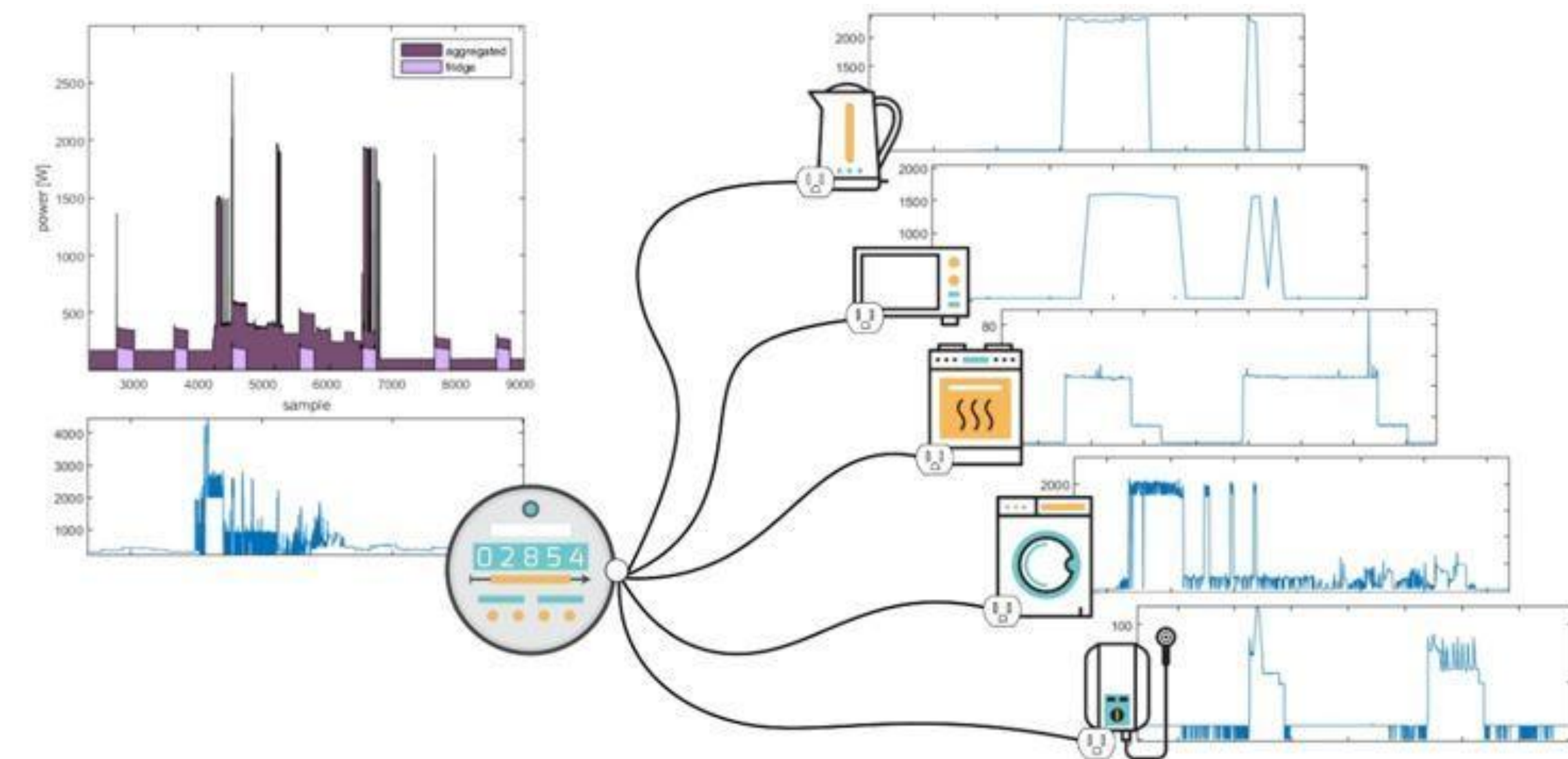
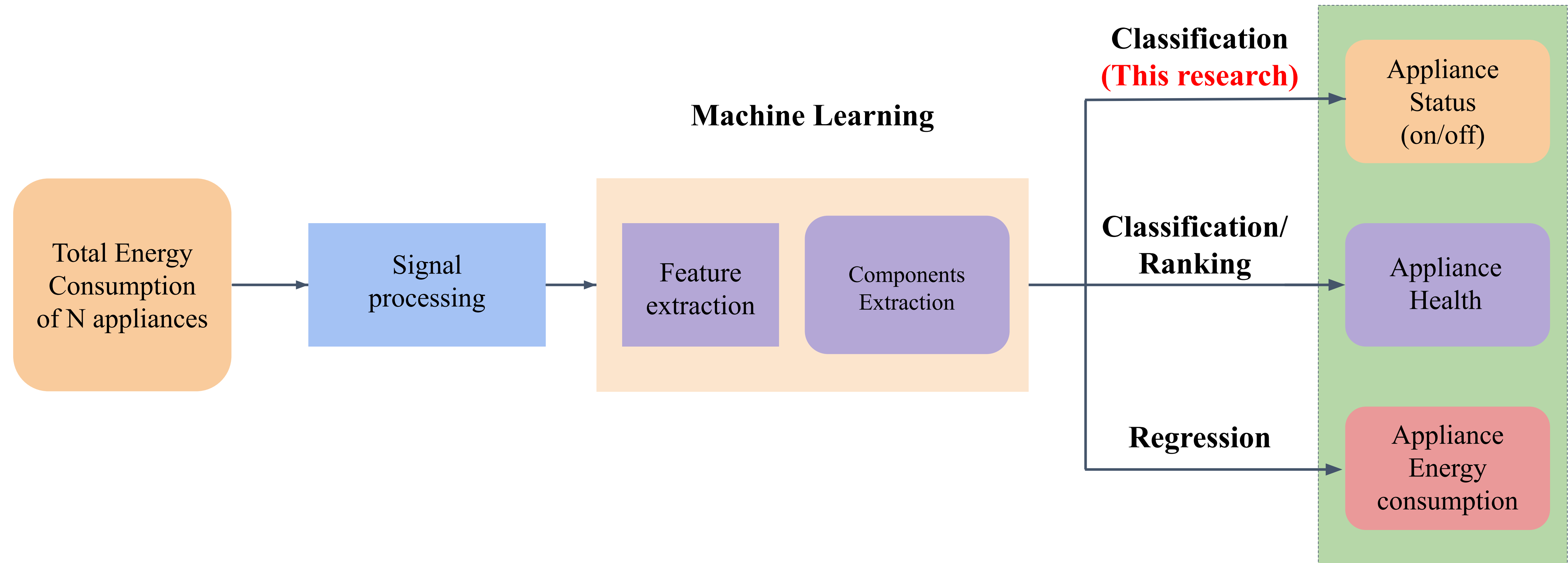


Illustration of Energy Disaggregation

Pujić, Dea & Jelić, Marko & Tomasevic, Nikola & Batic, Marko. (2020). Chapter 10 *Case Study from the Energy Domain*.

Introduction



- Algorithm complexity

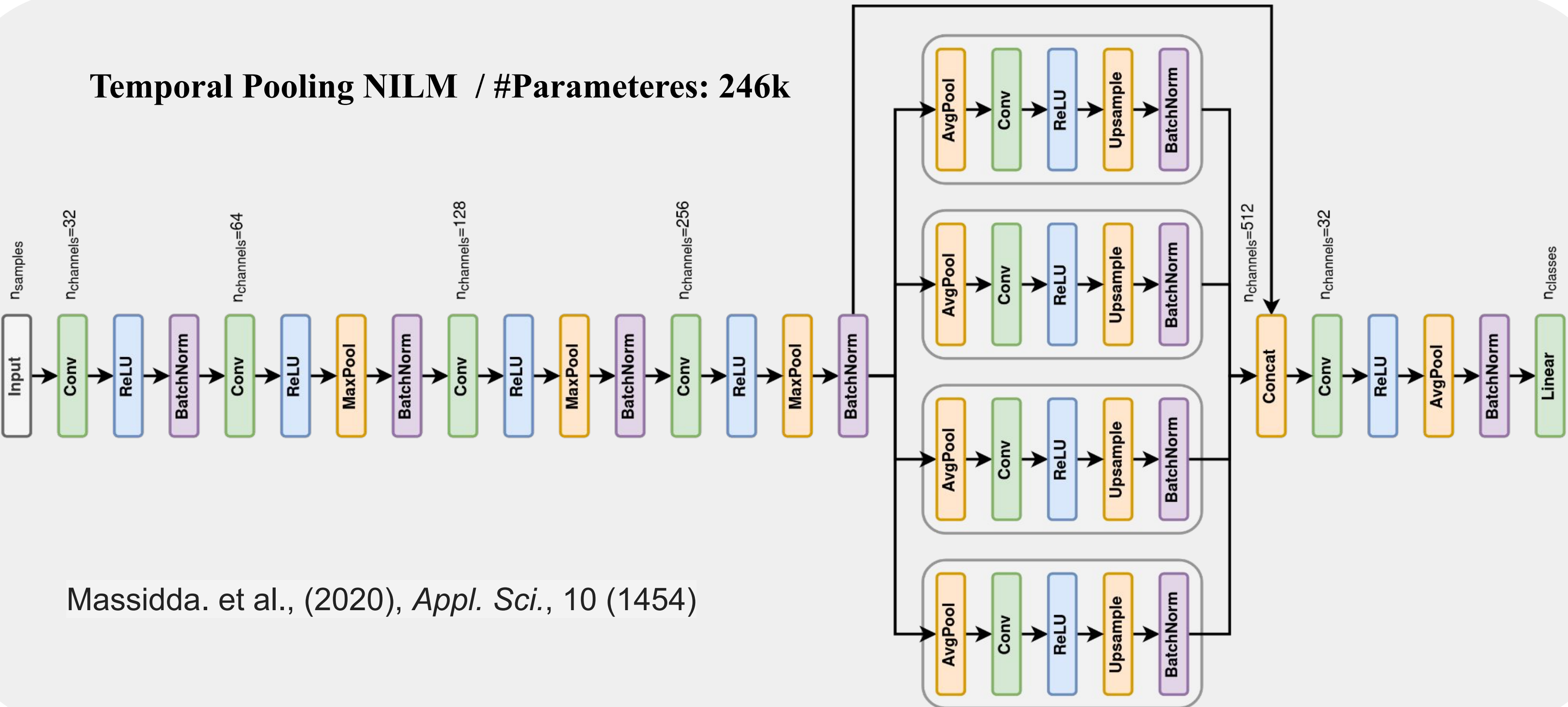
1. Typical algorithms are heavy in memory to be ported to the sensor
2. Sensitive to overfitting
3. Most of the algorithms in the research are trained on 5 most known types of appliances, while datasets contain dozens classes of appliances on average
4. No related studies on “goodness” of disaggregation with a large number of individual components presented in the aggregated signal

- Datasets

1. Limited number of combinations of different appliances is available
2. Combinations biased towards most frequently used appliances, e.g. washing machine + fridge + air conditioner
3. Only one dataset is available which follows the conventional format i.e. $\{(\mathbf{X}, y)\}^n$, the rest are raw measurements

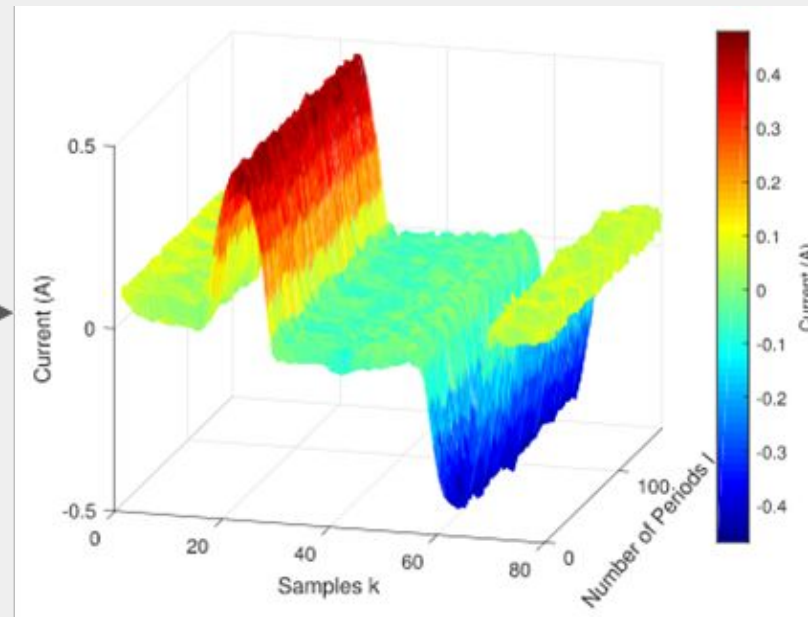
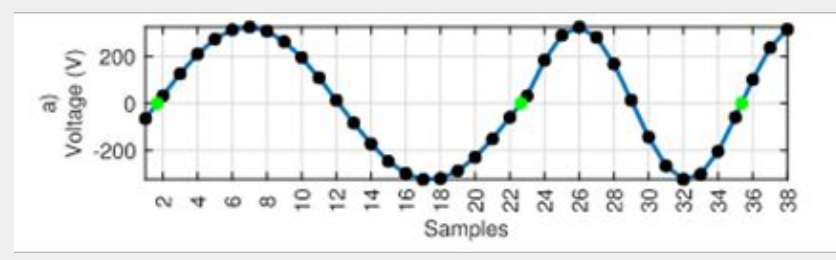
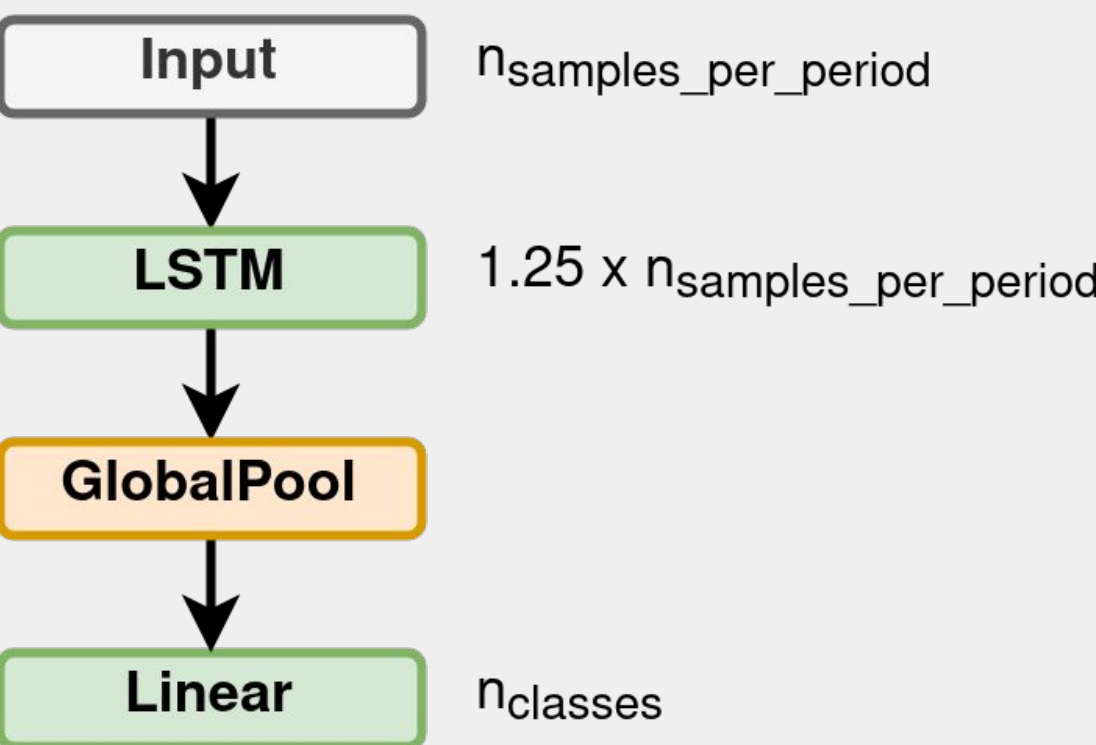
Related work

Temporal Pooling NILM / #Parameters: 246k



Massidda. et al., (2020), *Appl. Sci.*, 10 (1454)

Held P. et al. / #Parameters: 29k



Frequency Invariant Transformation of Periodic Signals

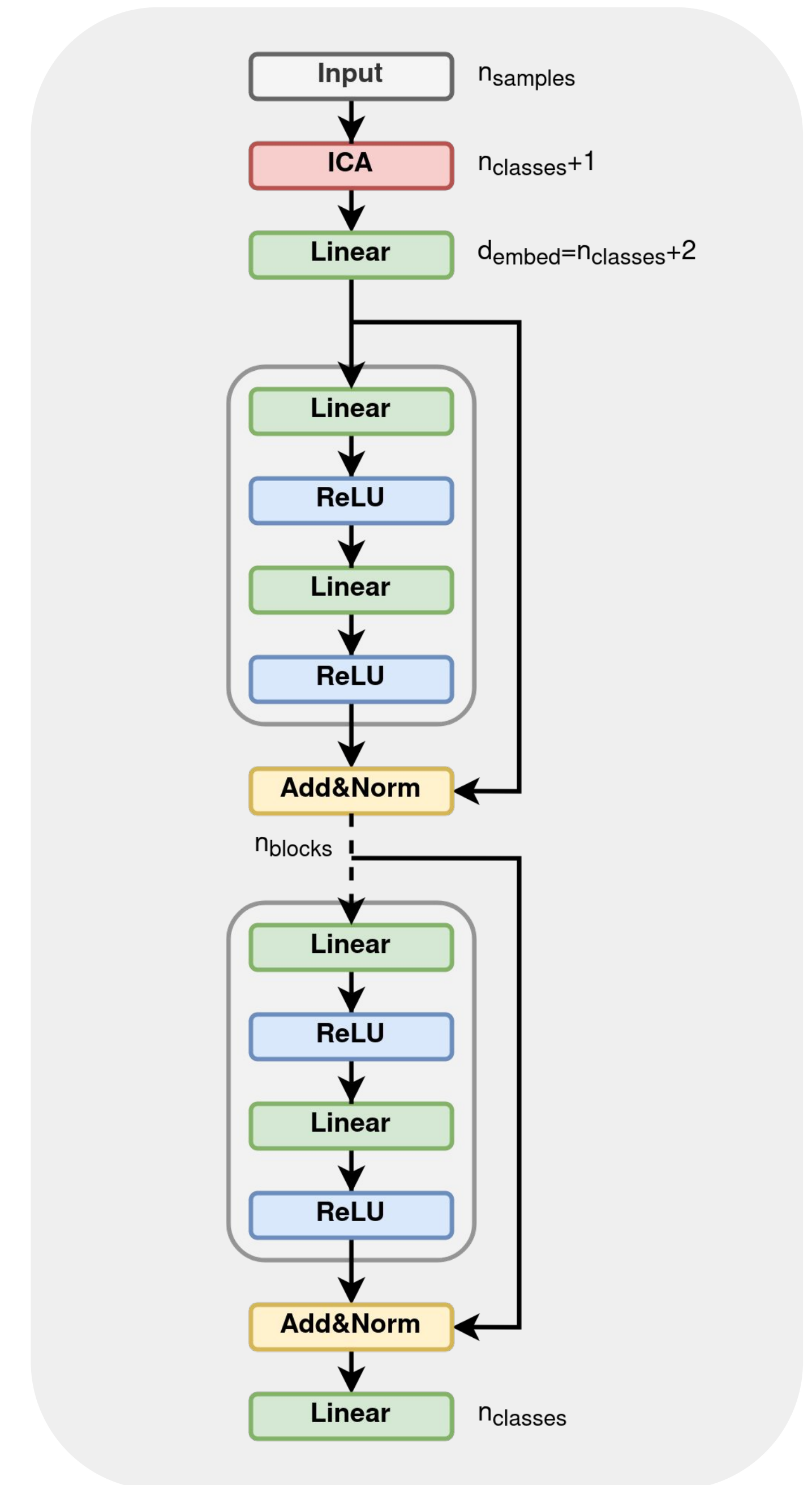
Held P. et al., (2018), *IEEE Transactions on Smart Grid*, 10 (5)

- Develop a **classification** algorithm which:
 1. accounts the physics of the problem
 2. is not overfitting
 3. has lower complexity
 4. is capable of decomposing signals with large number of components
- Evaluate the impact of growing number of components on classification algorithm

Proposed Approach

ICAResNetFFN

- Generate synthetic classes of appliances
- Generate samples of aggregated signals once based on real and then on synthetic appliances
- Apply ICA on the previously obtained data with $n_{\text{components}} = n_{\text{classes}} + 1$
- Take unmixing matrix \mathbf{U} and insert to FFN with residual connections to transform the input signal \mathbf{X} i.e. $\mathbf{X}' = \mathbf{X}\mathbf{U}^T$
- Train the FFN
- Compare the proposed approach with 2 promising algorithms: Temporal Pooling NILM, LSTM on signals passed through FIT-PS

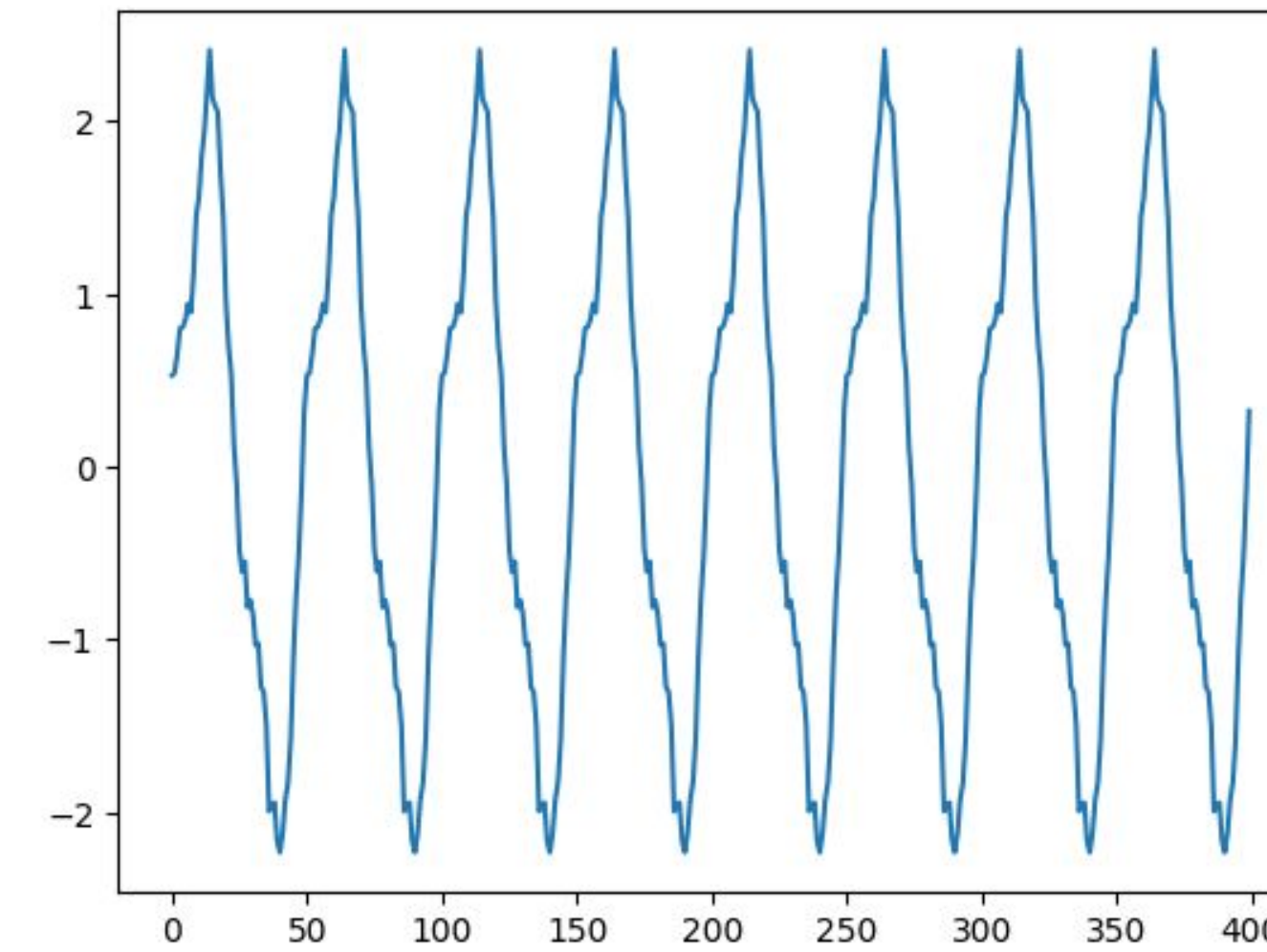
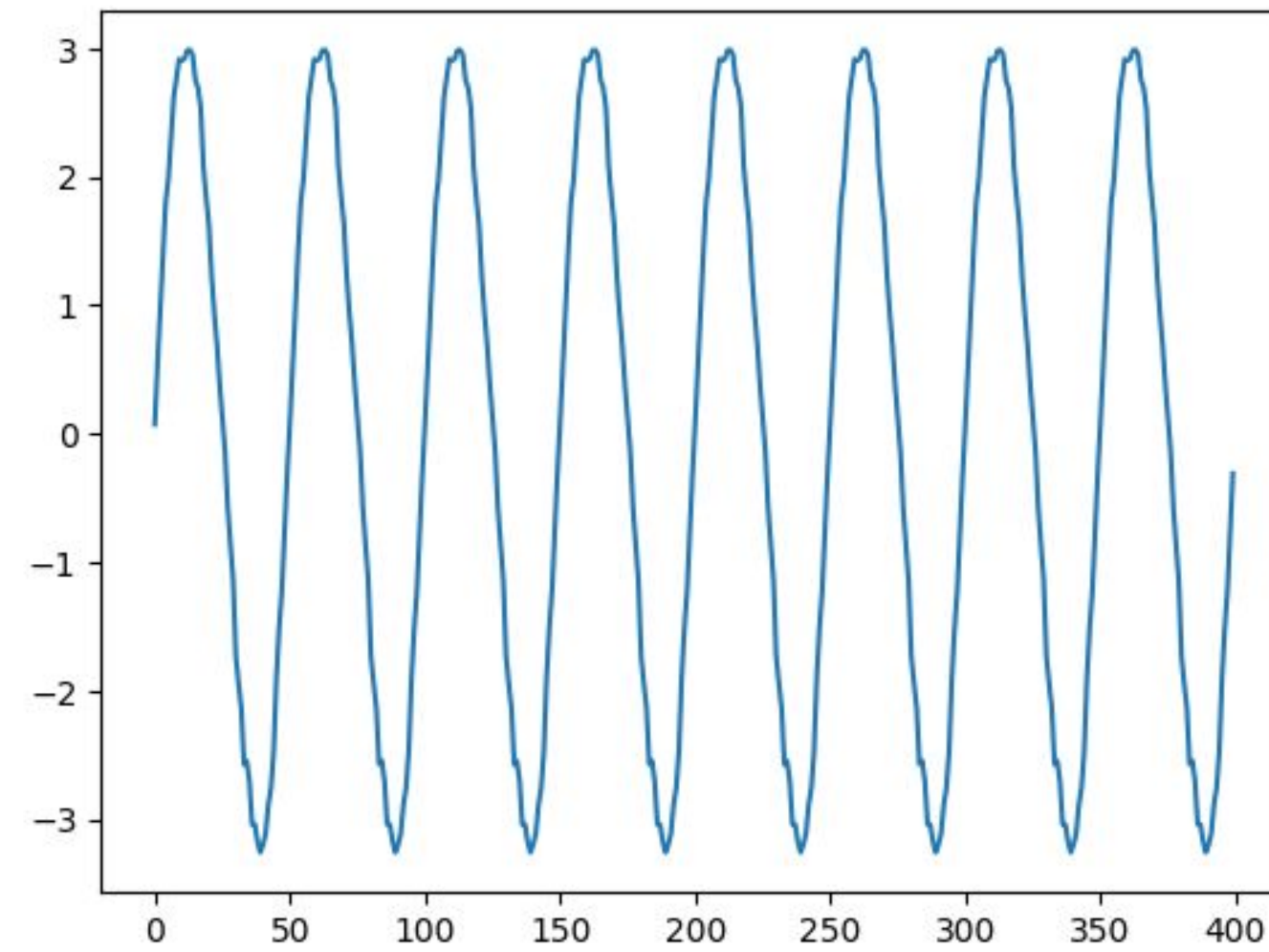


Proposed FFN/ #Parameters: 10k

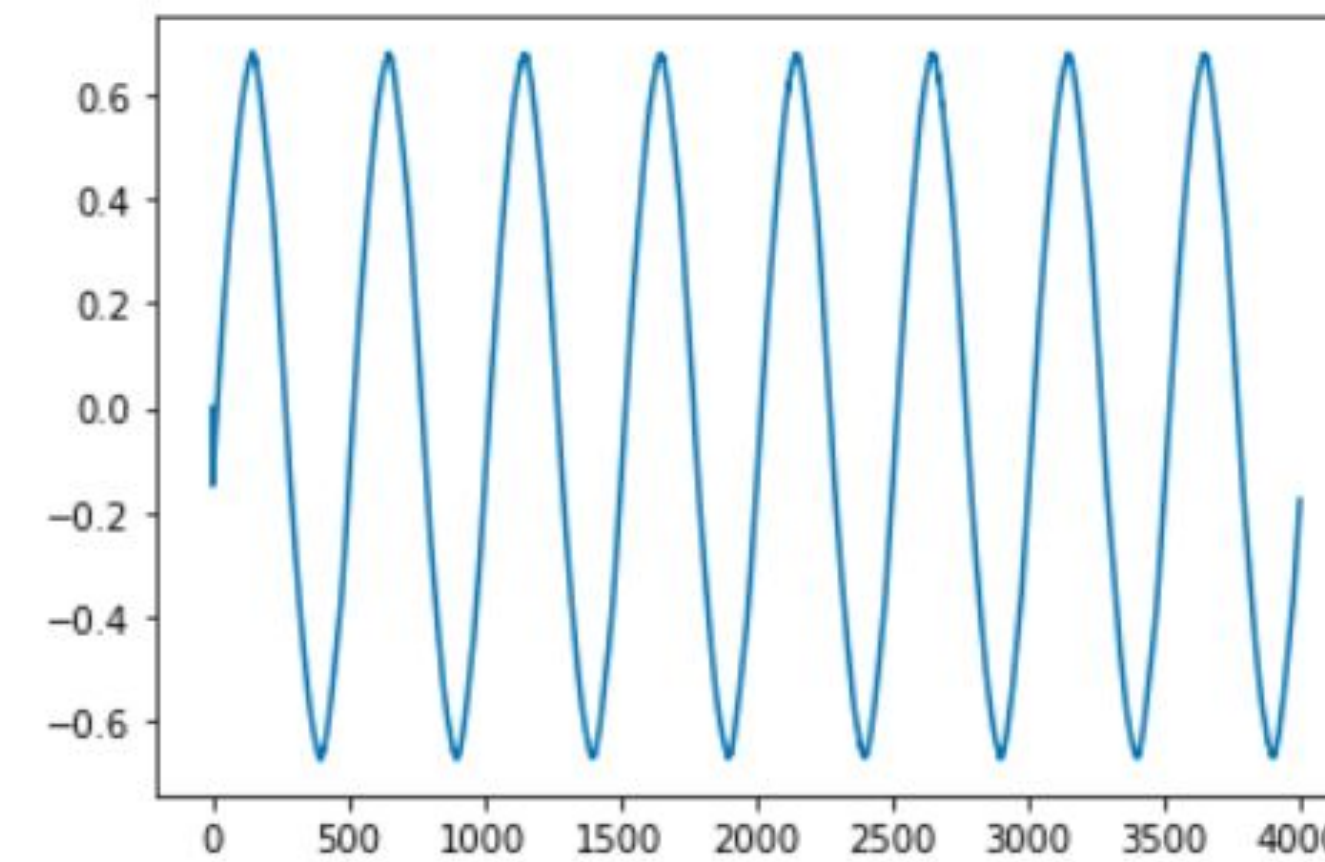
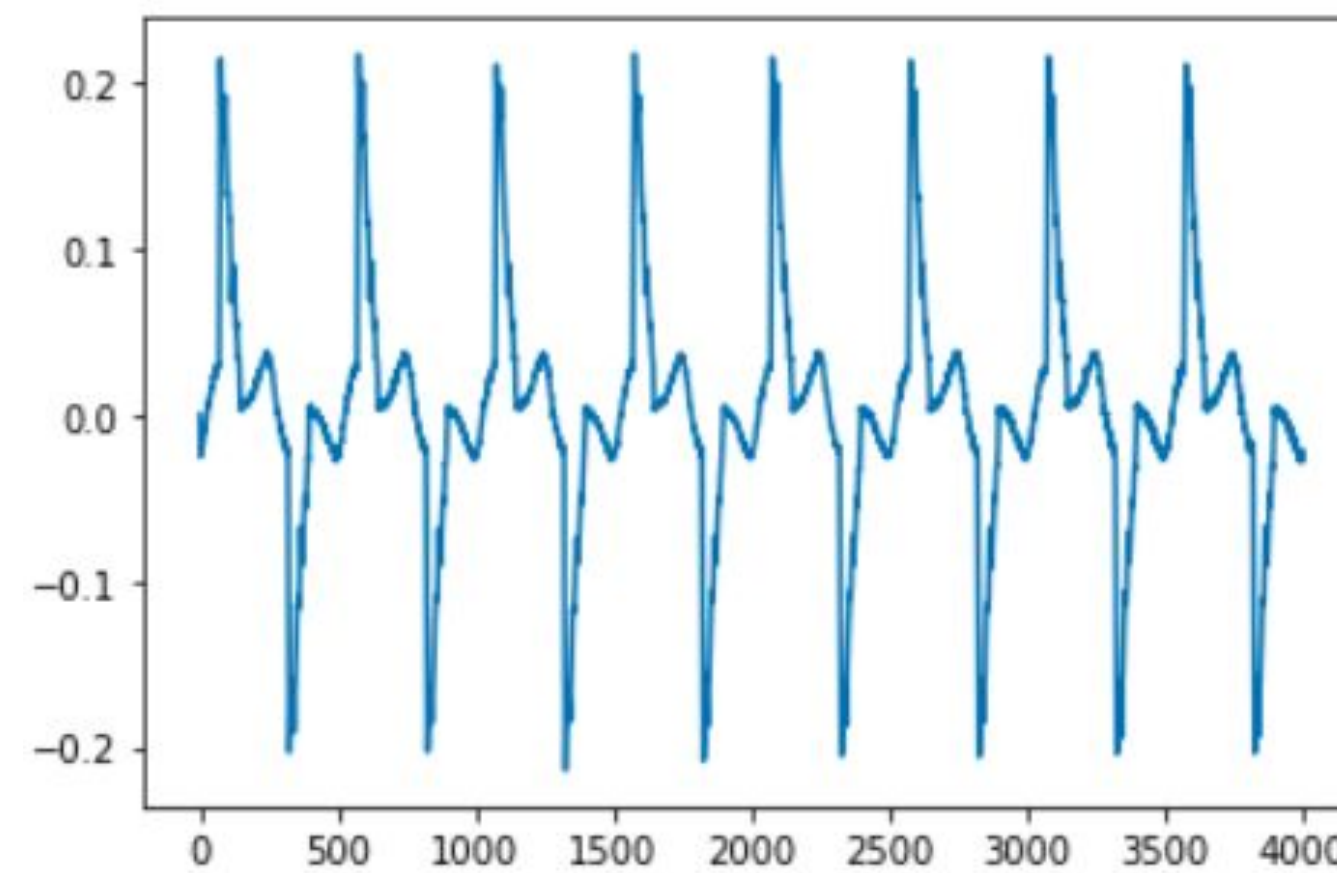
Setup

- Input data: aggregated signals / Output data: binary vector i.e. $Y = \{0,1\}^{n_classes}$
- Min number of components = 1, Max number of components = 15
i.e. $\min(\text{sum}(Y)) = 1$ and $\max(\text{sum}(Y)) = 15$ respectively
- Each component may be repeated from 1 to 10 times
- Sampling rate: 3000 / Samples per signal: 400 i.e. input size $B \times 400$
- Output size: $B \times 15$ (B is a batch size)
- 7k train / 1k validation / 3k test samples of aggregated signals and their labels
- Number of epochs: 200
- Number of experiments: 2 (synthetic and real classes of appliances)
- Number of models: 6
- Total number of model runs: 12

Datasets

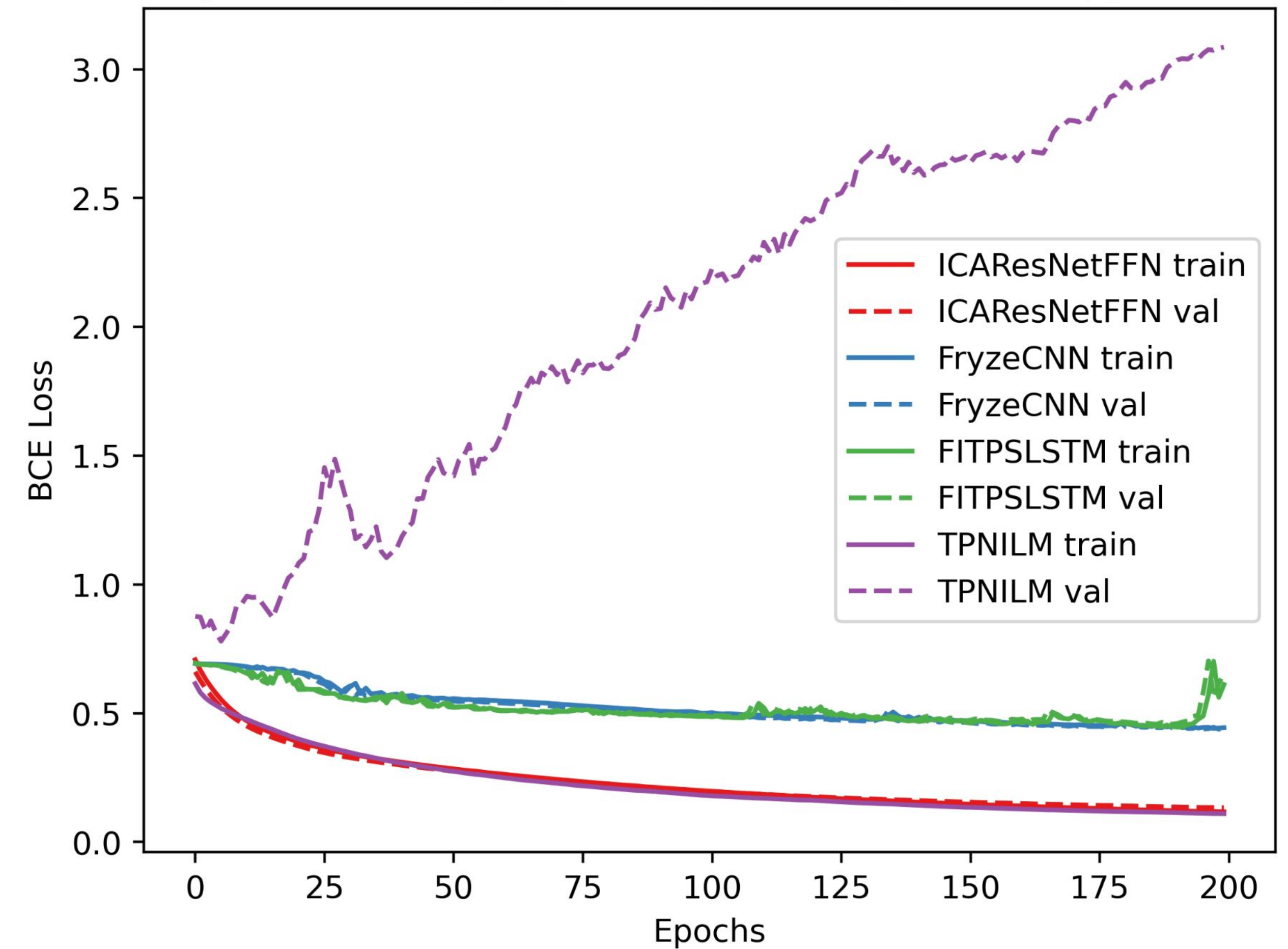
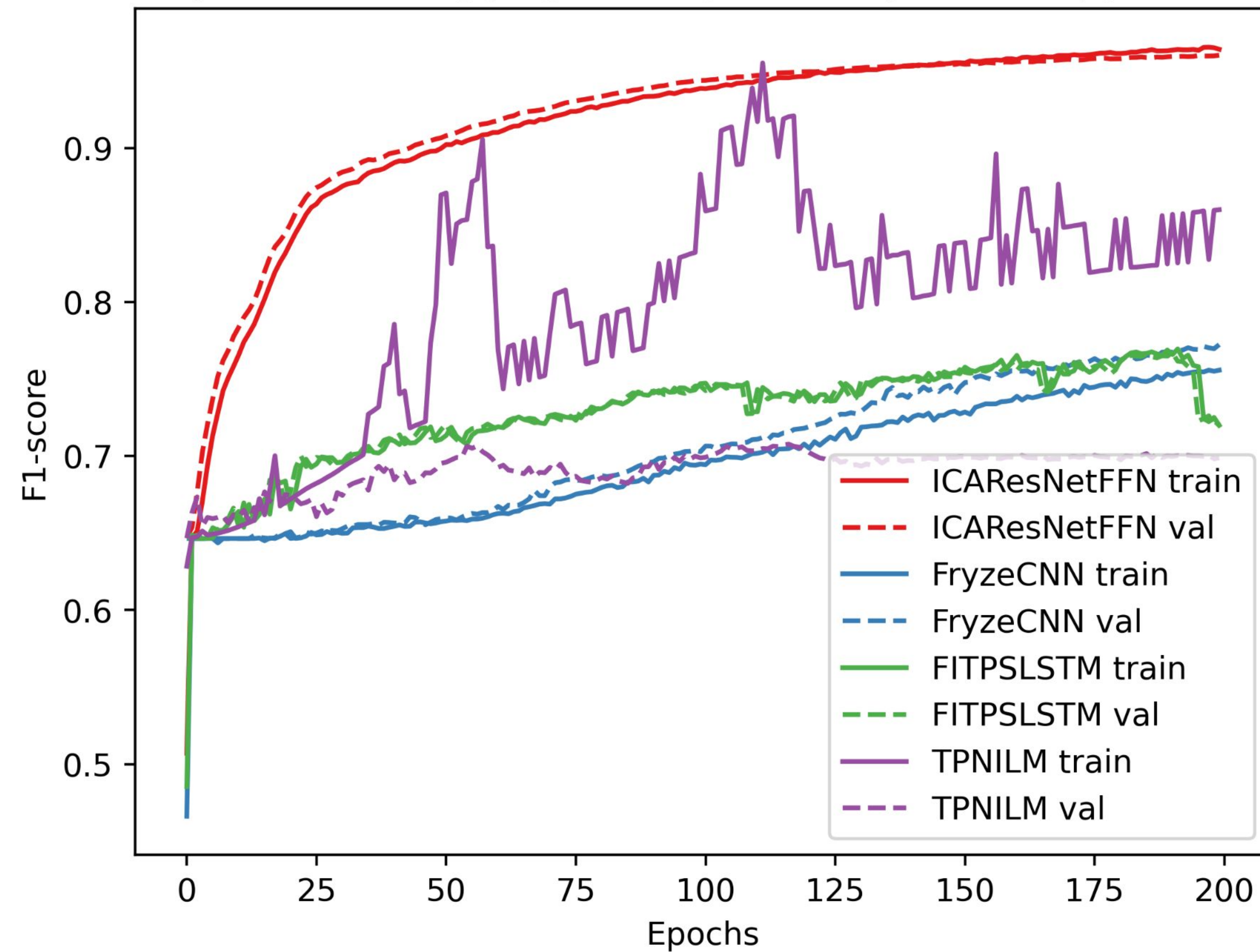


Synthetic classes of appliances.



Real classes of appliances from the Plug-Load Appliance Identification Dataset (PLAID).

Results. Synthetic classes. Train



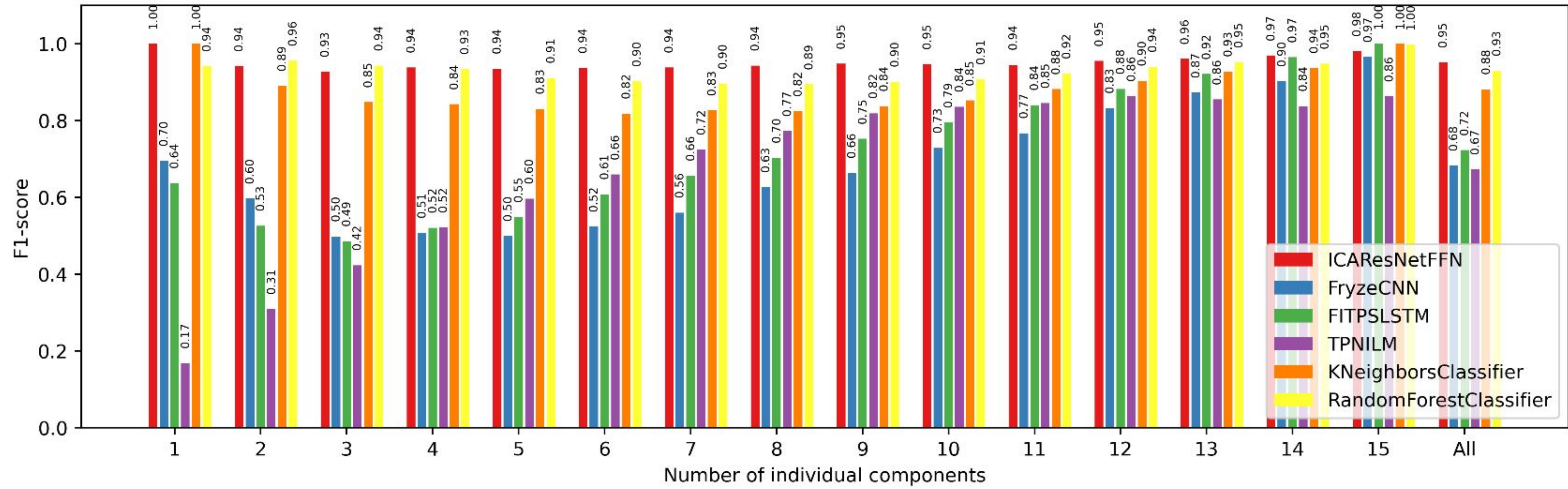
Loss Function: Binary- cross entropy

$$H_p(q) = -\frac{1}{N} \sum_{i=1}^N y_i \cdot \log(p(y_i)) + (1 - y_i) \cdot \log(1 - p(y_i))$$

$$F\text{-measure} = \frac{2 \cdot \text{precision} \cdot \text{recall}}{\text{precision} + \text{recall}},$$

$$\text{precision} = \frac{TP}{TP + FP}, \quad \text{recall} = \frac{TP}{TP + FN}.$$

Results. Synthetic classes. Test

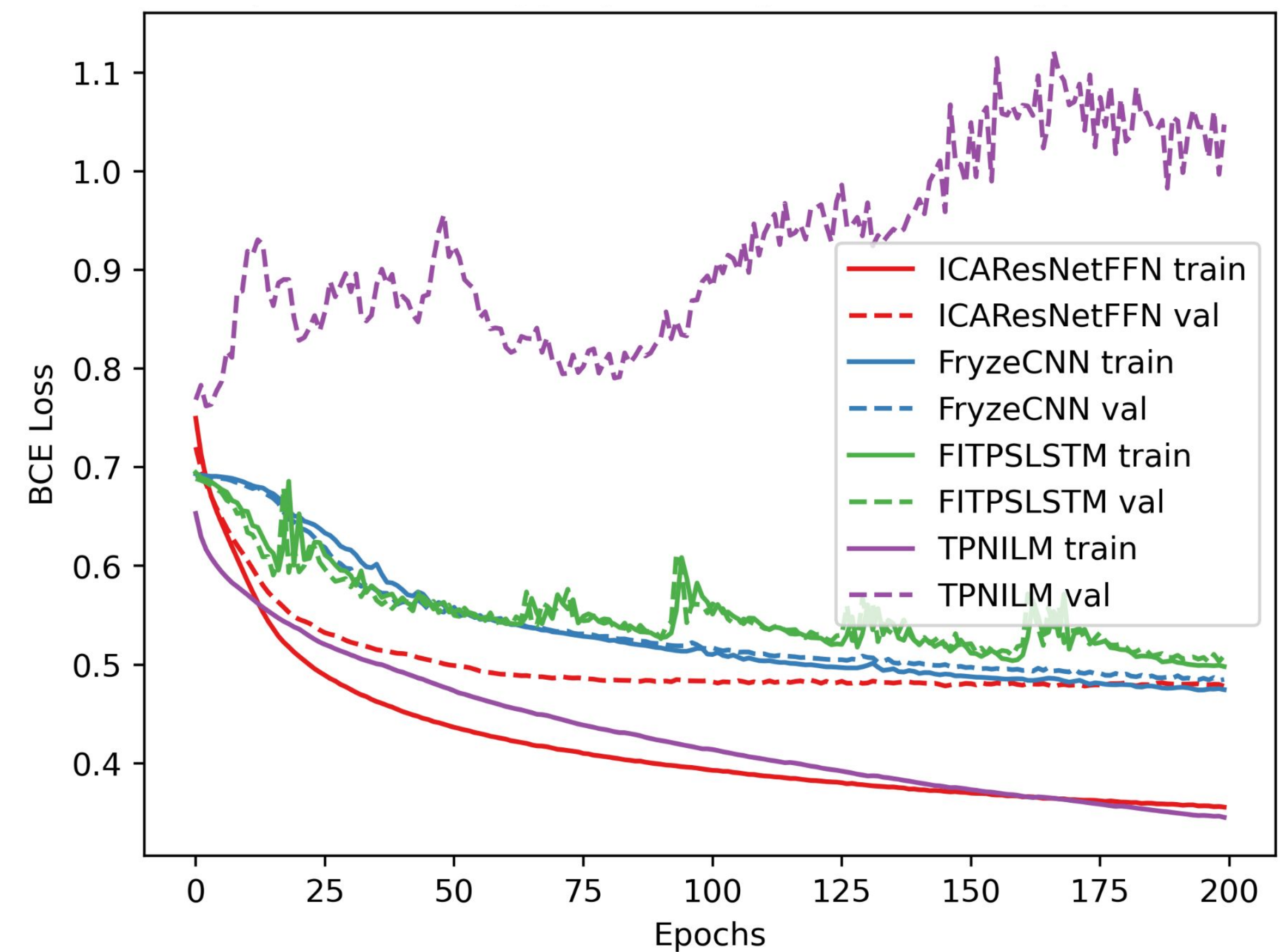
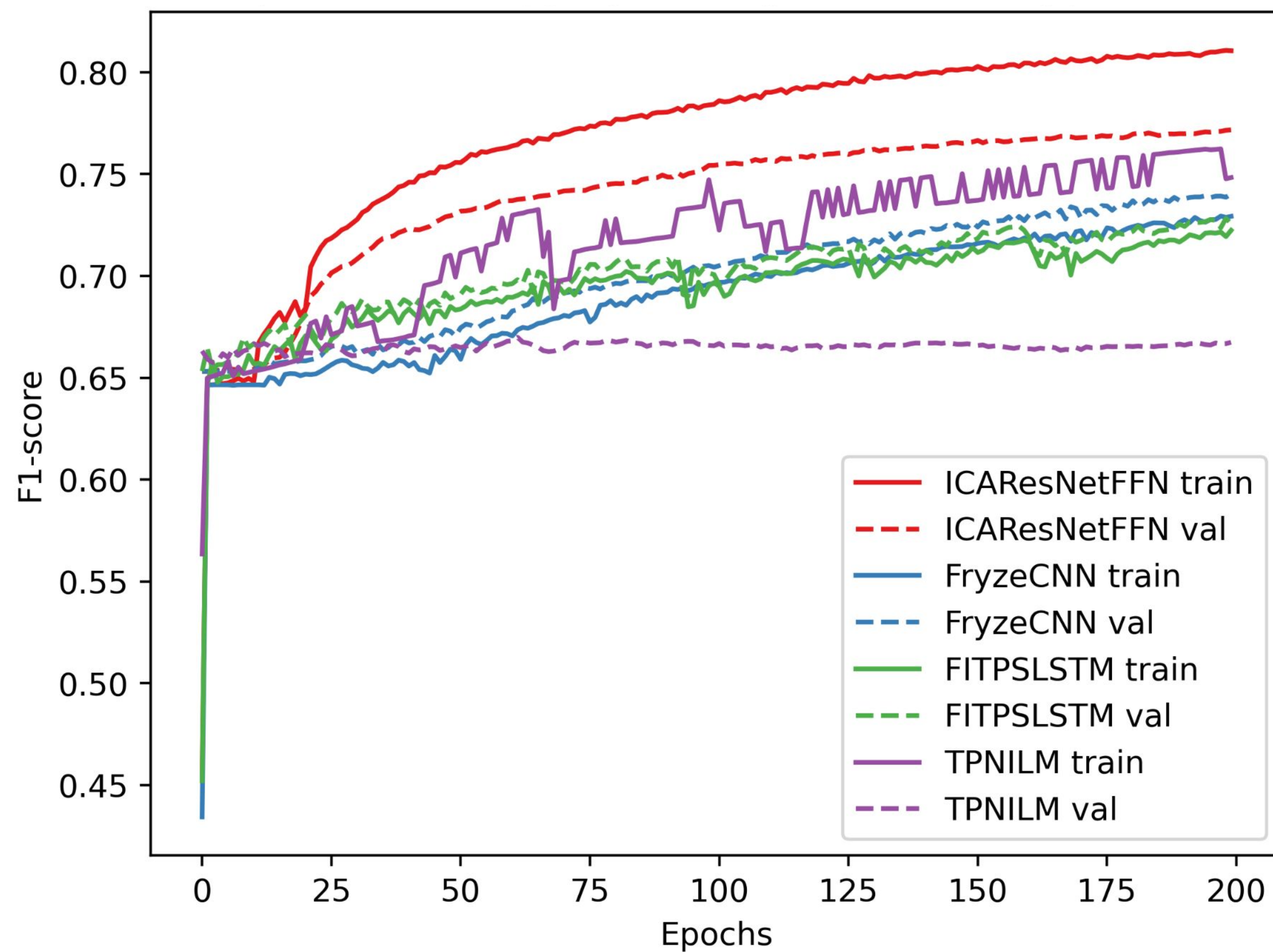


Results. Synthetic classes. Test

Model: ICAResNetFFN

Evaluation metrics	Number of components															
	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	All
F1-score (samples)	1.00	0.94	0.93	0.94	0.94	0.94	0.94	0.94	0.95	0.95	0.94	0.95	0.96	0.97	0.98	0.95
F1-score (macro)	1.00	0.95	0.94	0.94	0.94	0.94	0.94	0.95	0.95	0.95	0.95	0.96	0.96	0.97	0.98	0.96
Precision (samples)	1.00	1.00	1.00	1.00	1.00	1.00	0.99	0.99	0.99	0.98	0.98	0.98	0.98	0.99	1.00	0.99
Precision (macro)	1.00	1.00	1.00	1.00	1.00	0.99	0.99	0.99	0.98	0.97	0.98	0.98	0.98	0.99	1.00	0.99
Recall (samples)	1.00	0.91	0.88	0.90	0.89	0.90	0.90	0.91	0.92	0.92	0.92	0.93	0.94	0.95	0.96	0.92
Recall (macro)	1.00	0.91	0.88	0.90	0.89	0.90	0.90	0.91	0.92	0.92	0.92	0.93	0.94	0.95	0.96	0.93

Results. Real classes. Train



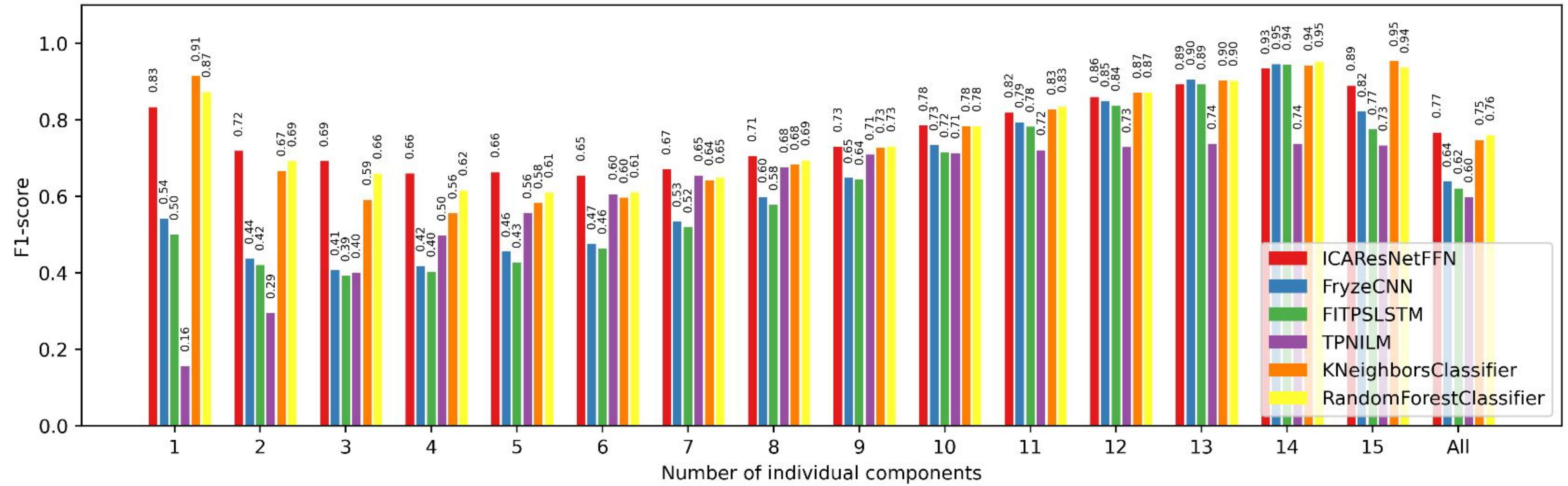
$$F\text{-measure} = \frac{2 \cdot \text{precision} \cdot \text{recall}}{\text{precision} + \text{recall}},$$

$$\text{precision} = \frac{\text{TP}}{\text{TP} + \text{FP}}, \quad \text{recall} = \frac{\text{TP}}{\text{TP} + \text{FN}}.$$

Loss Function: Binary- cross entropy

$$H_p(q) = -\frac{1}{N} \sum_{i=1}^N y_i \cdot \log(p(y_i)) + (1 - y_i) \cdot \log(1 - p(y_i))$$

Results. Real classes. Test



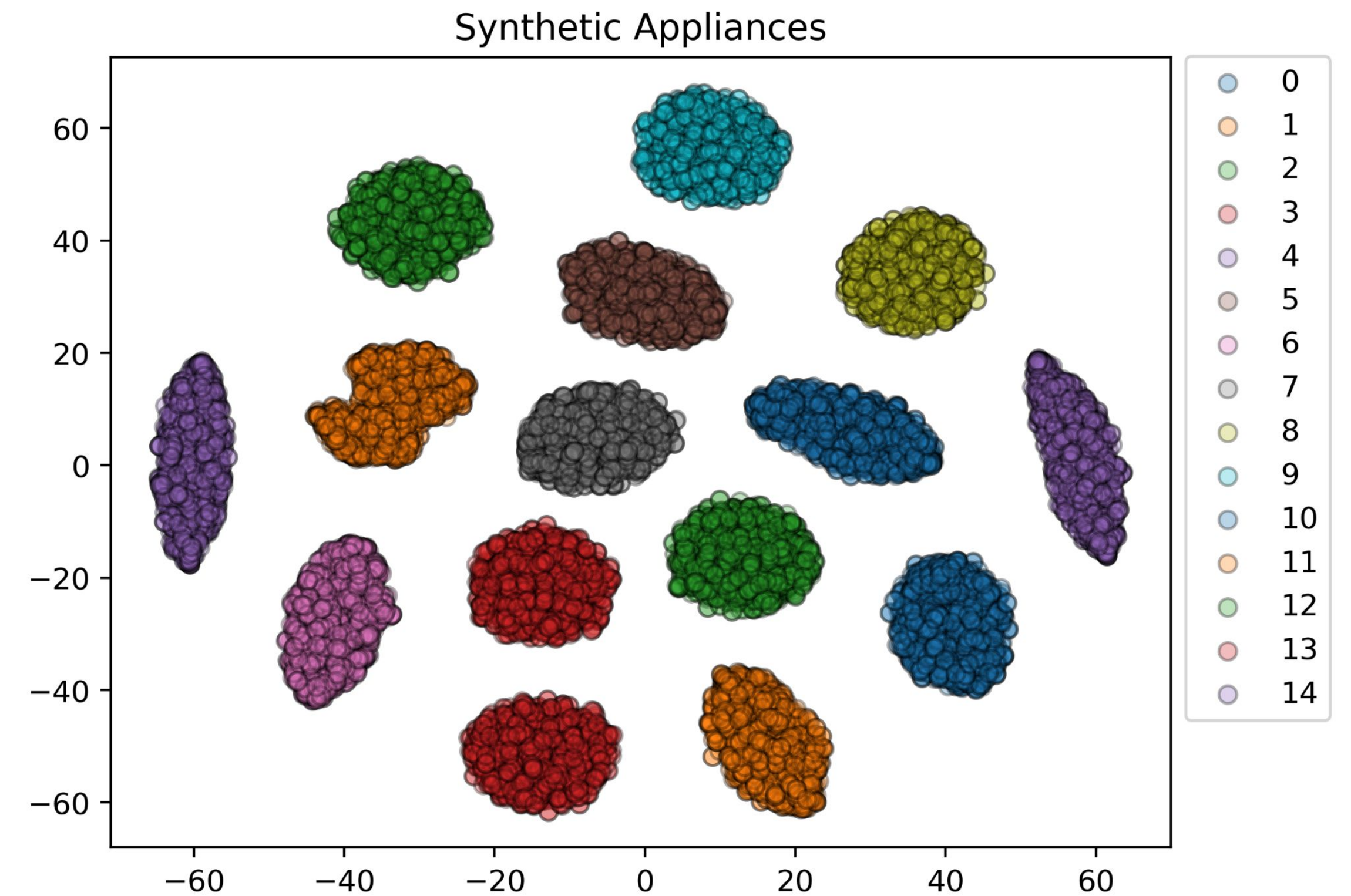
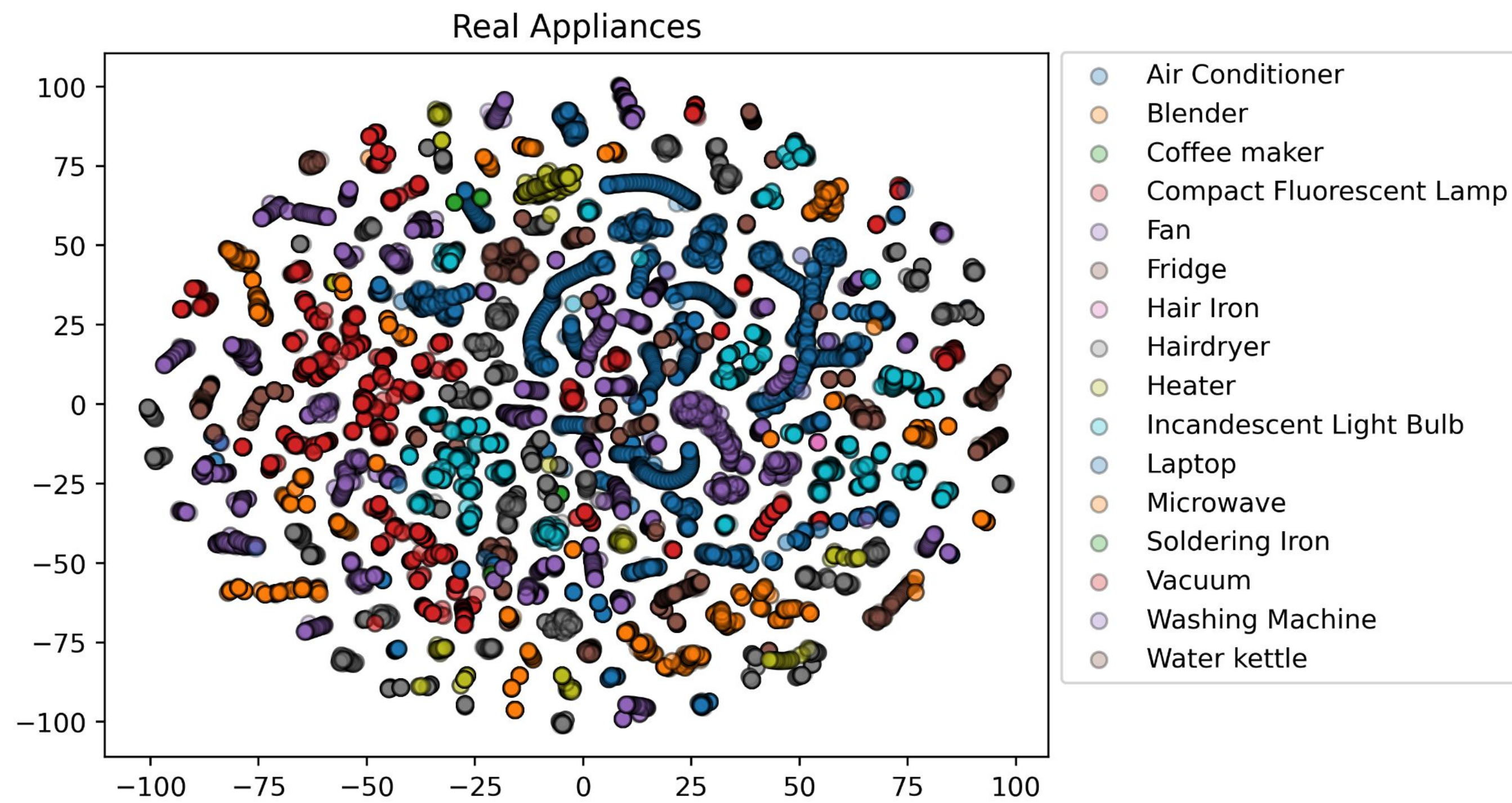
Results. Real classes. Test

Model: ICAResNetFFN

Evaluation metrics	Number of components															
	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15	All
F1-score (samples)	0.89	0.74	0.70	0.68	0.67	0.67	0.68	0.71	0.73	0.78	0.82	0.86	0.88	0.93	0.87	0.77
F1-score (macro)	0.91	0.71	0.67	0.64	0.64	0.65	0.68	0.72	0.74	0.79	0.82	0.86	0.89	0.93	0.86	0.81
Precision (samples)	0.88	0.92	0.92	0.89	0.86	0.84	0.82	0.79	0.81	0.83	0.84	0.88	0.91	0.96	1.00	0.88
Precision (macro)	0.94	0.91	0.79	0.72	0.72	0.71	0.72	0.73	0.76	0.80	0.83	0.87	0.91	0.96	1.00	0.85
Recall (samples)	0.89	0.65	0.61	0.60	0.60	0.61	0.65	0.71	0.73	0.78	0.83	0.86	0.88	0.90	0.78	0.74
Recall (macro)	0.91	0.65	0.61	0.60	0.59	0.61	0.64	0.71	0.73	0.78	0.83	0.86	0.88	0.90	0.78	0.77

Discussion

- Real data is a way complex and some classes **are not separable at all**



Thank you

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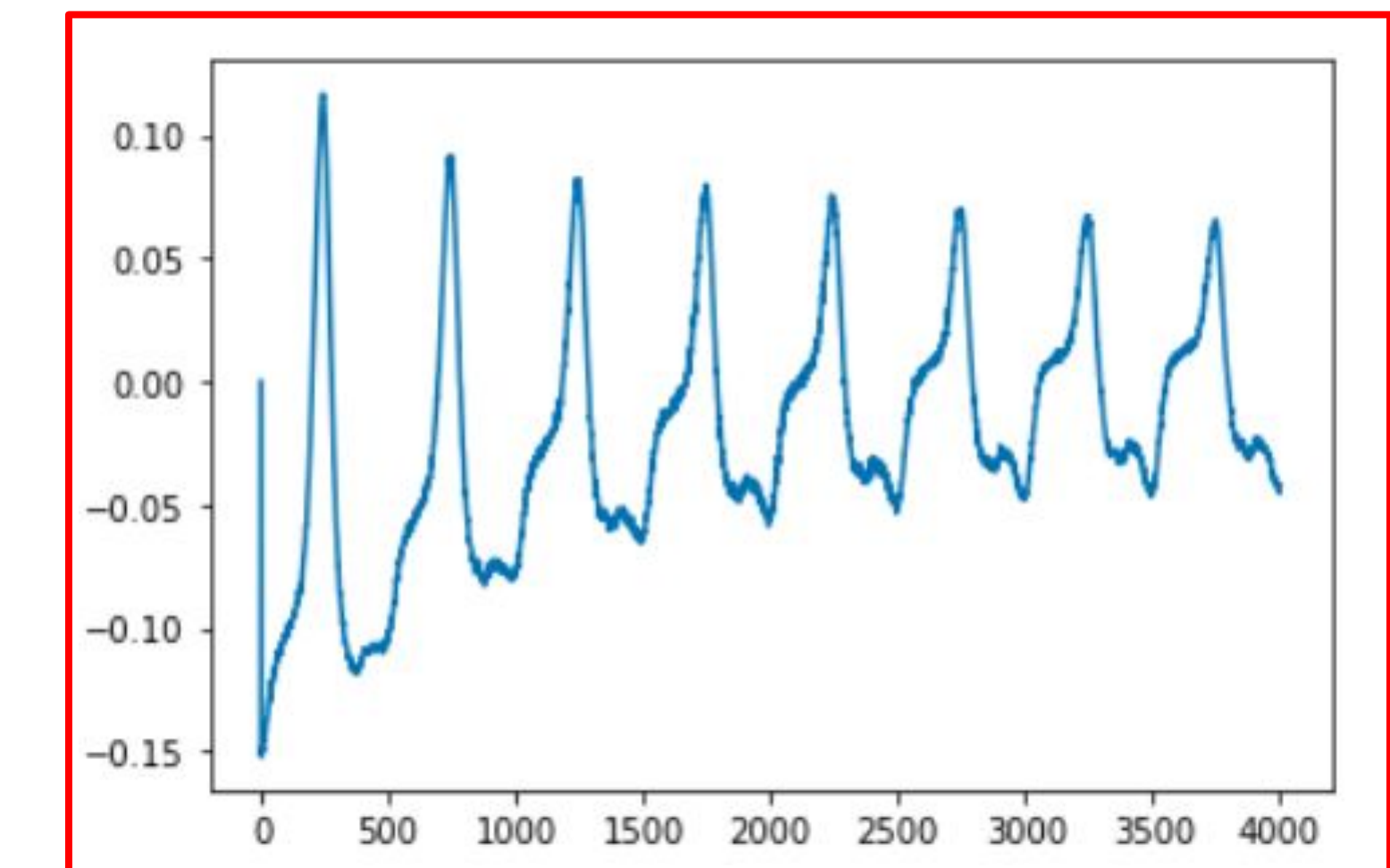
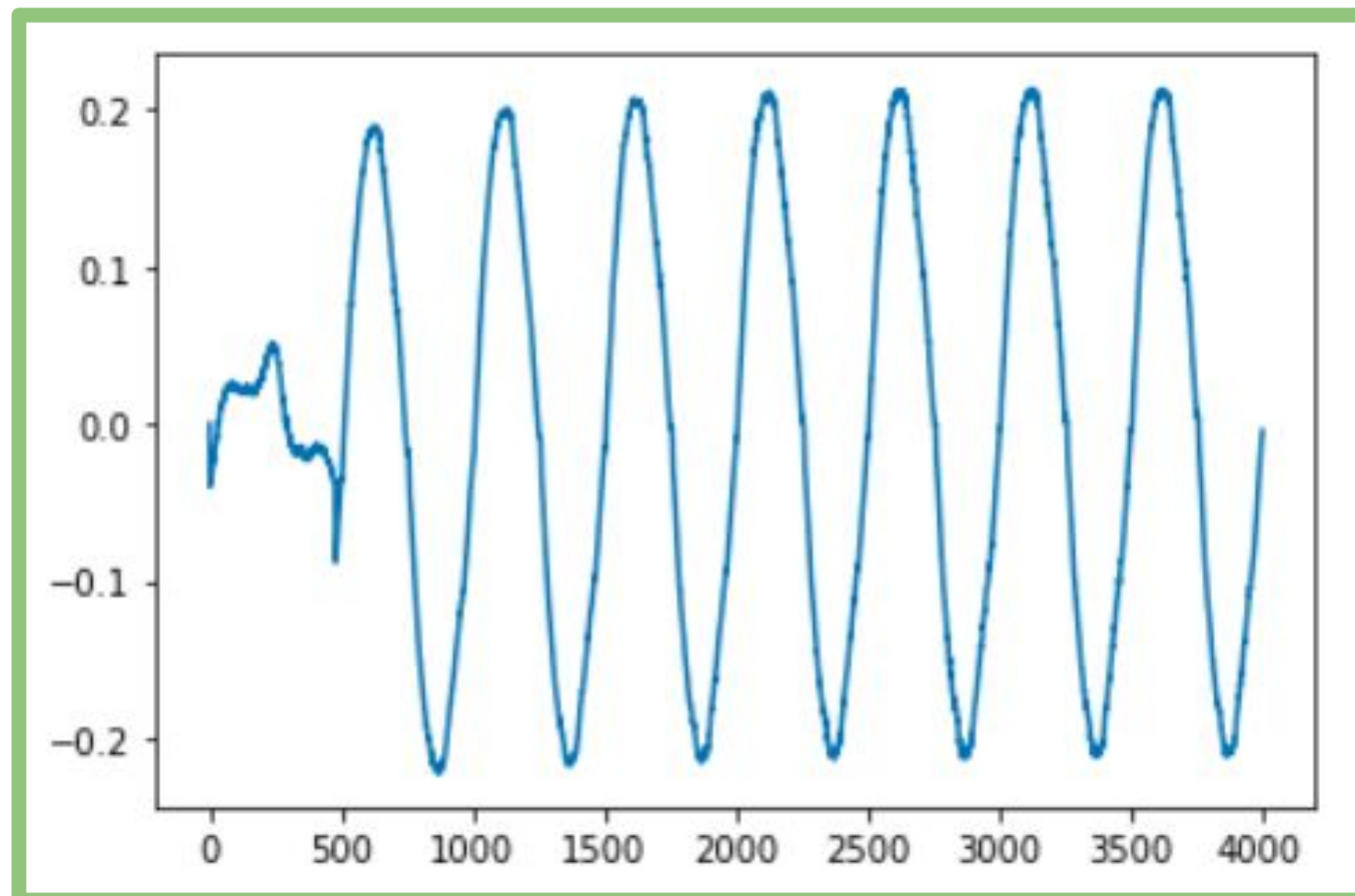
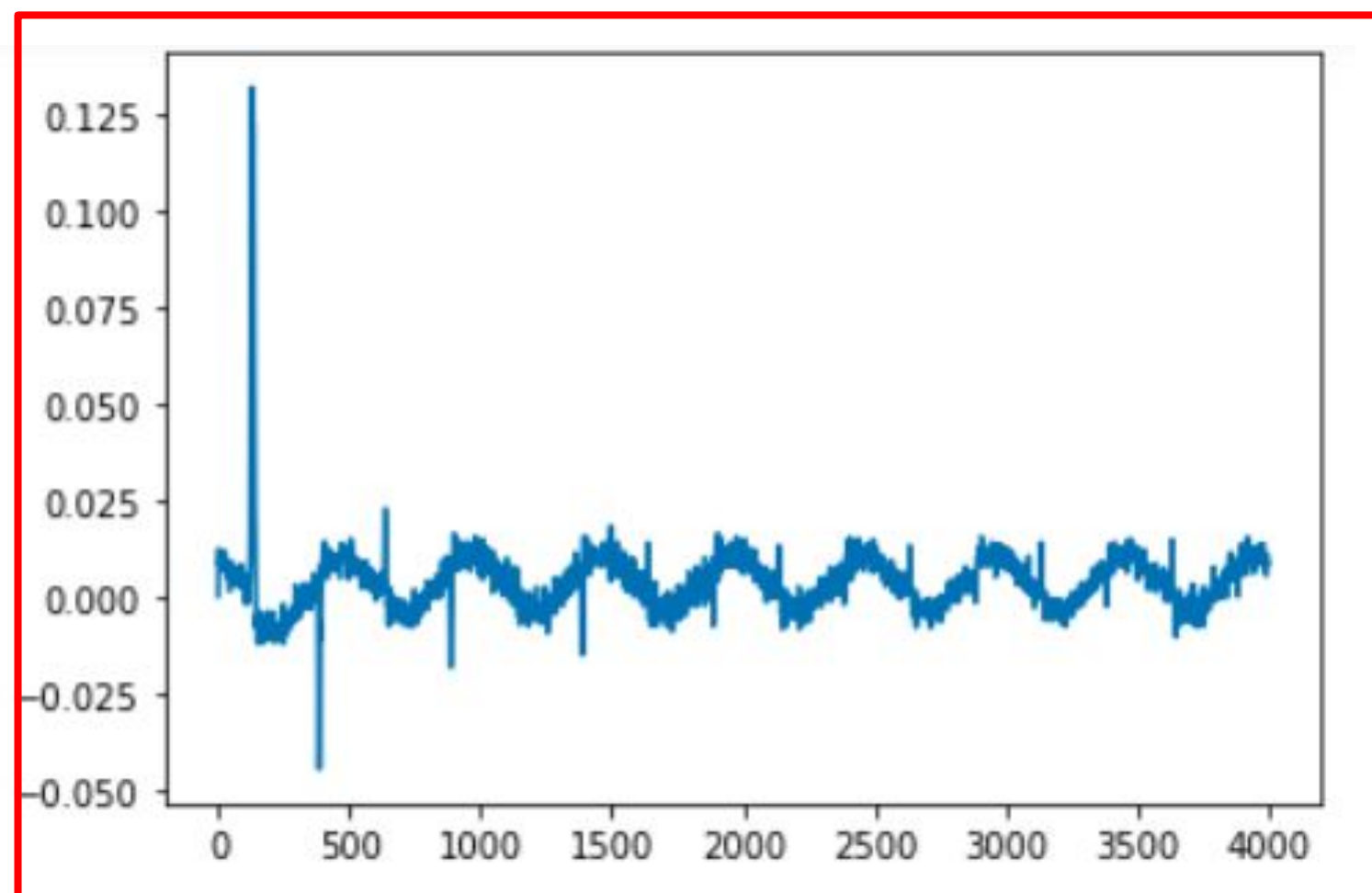
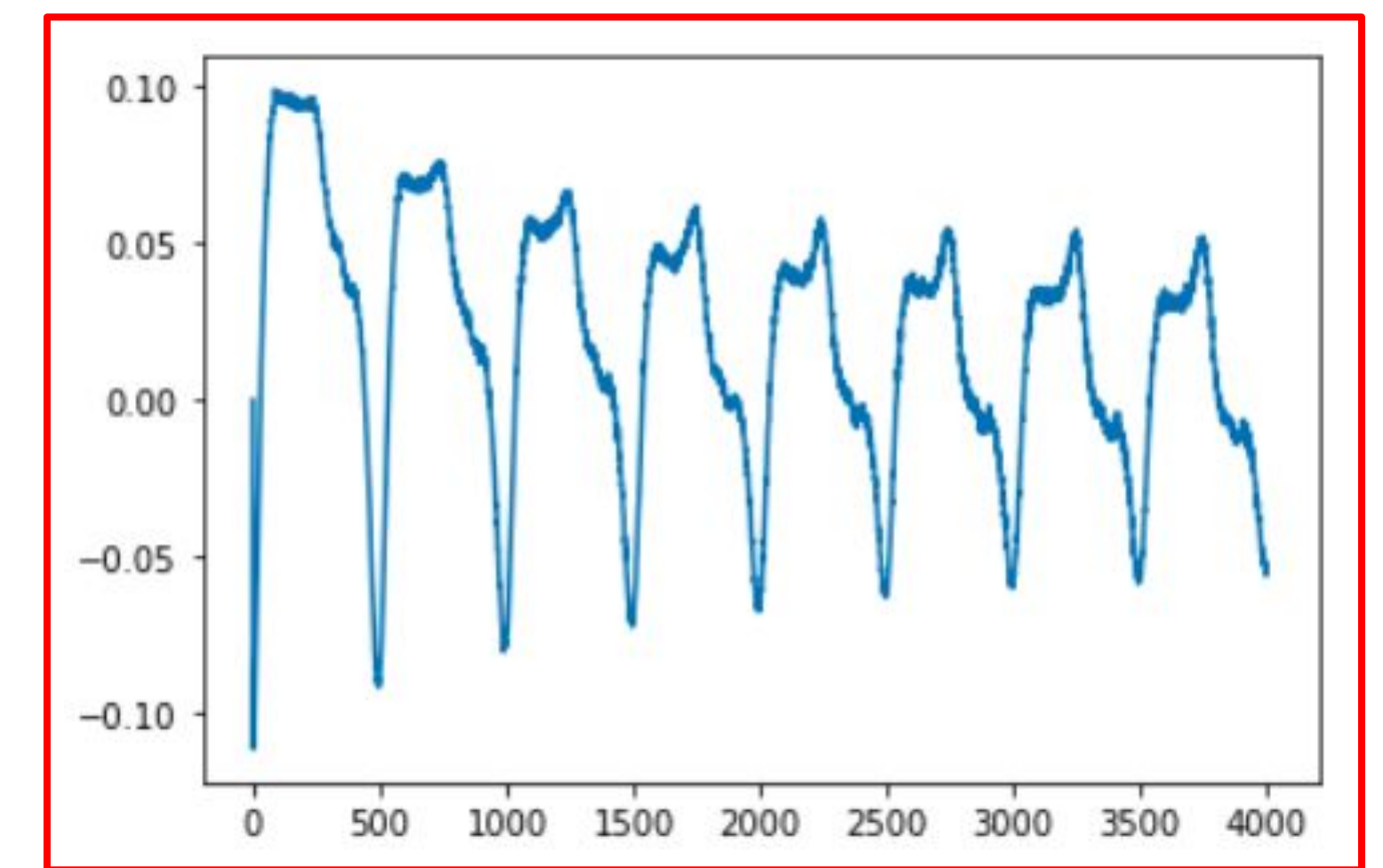
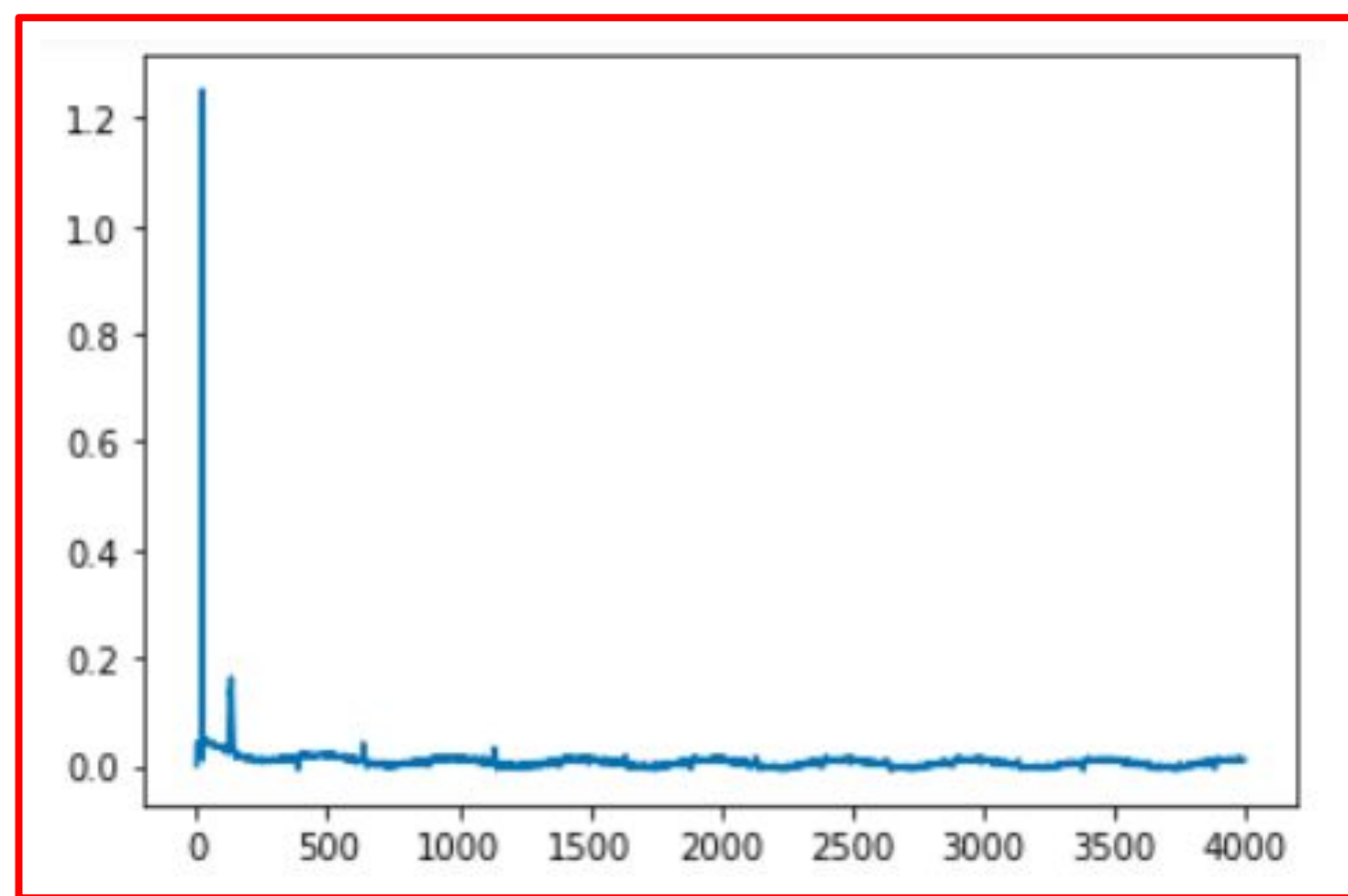
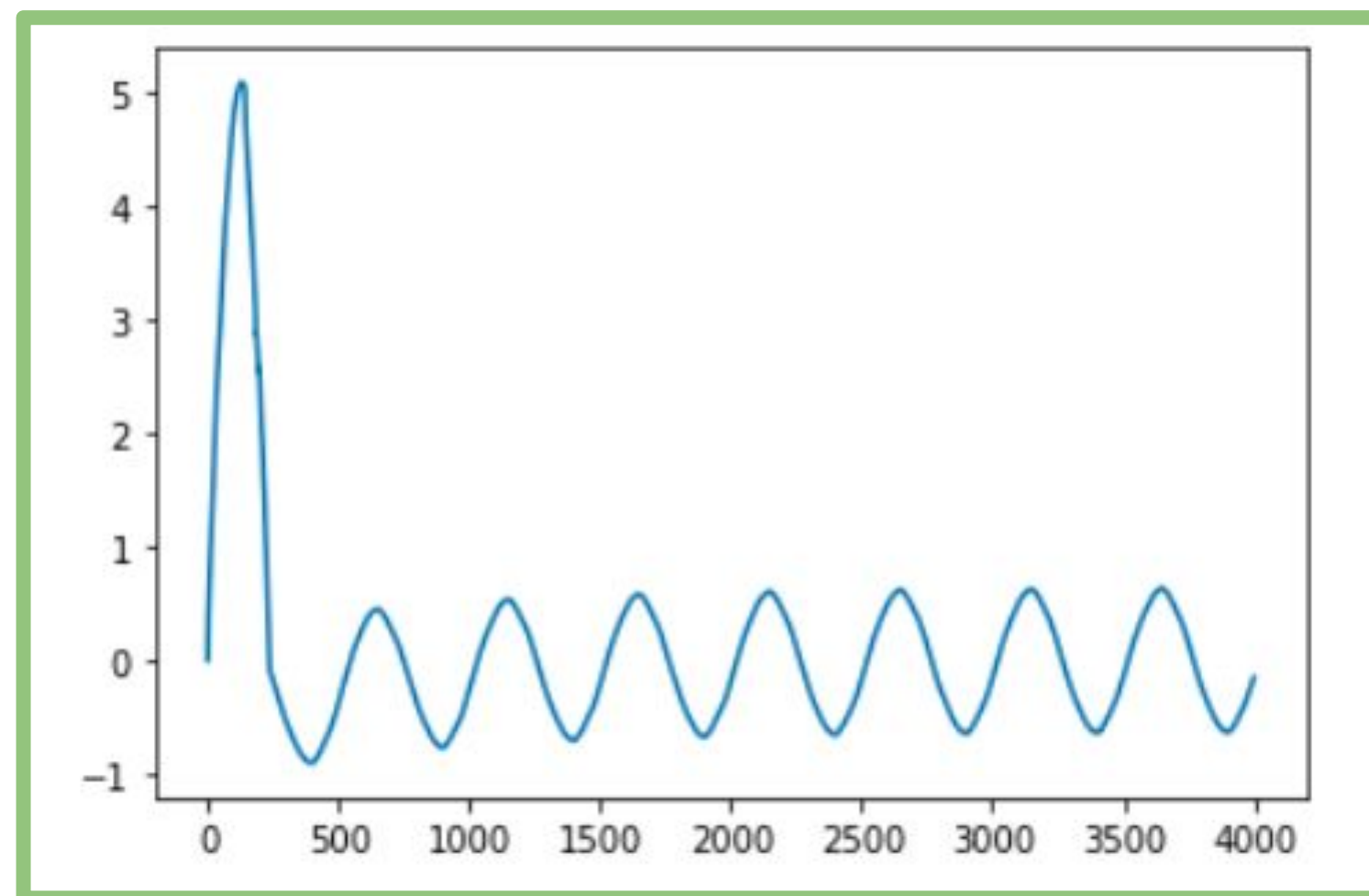


Extra slides

Publicly available NILM dataset:

Dataset	Resolution	# Appliances	Ground truth	Access	Citations
PLAID (US)	30 kHz	12	Individual appliances	Open	~120
REDD (US)	16.5 kHz 1 Hz	20	Labelled events Submeter channels	Private	~1130
BLUED (US)	12 kHz	30	Labelled events	Private	~280
UK-DALE (UK)	16 kHz 1 Hz	40	Labelled events Submeter channels	Open	~400
WHITED (EU, US)	41 kHz	55	Individual appliances	Open	~50

Data anomalies



Anomalies of separated aggregated or sub-metered signals. A proper signal should have a high amplitude and preserve periodicity over most of the periods. Green color highlights signals that are fine for the models' training, whereas red color highlights the withdrawn signals.