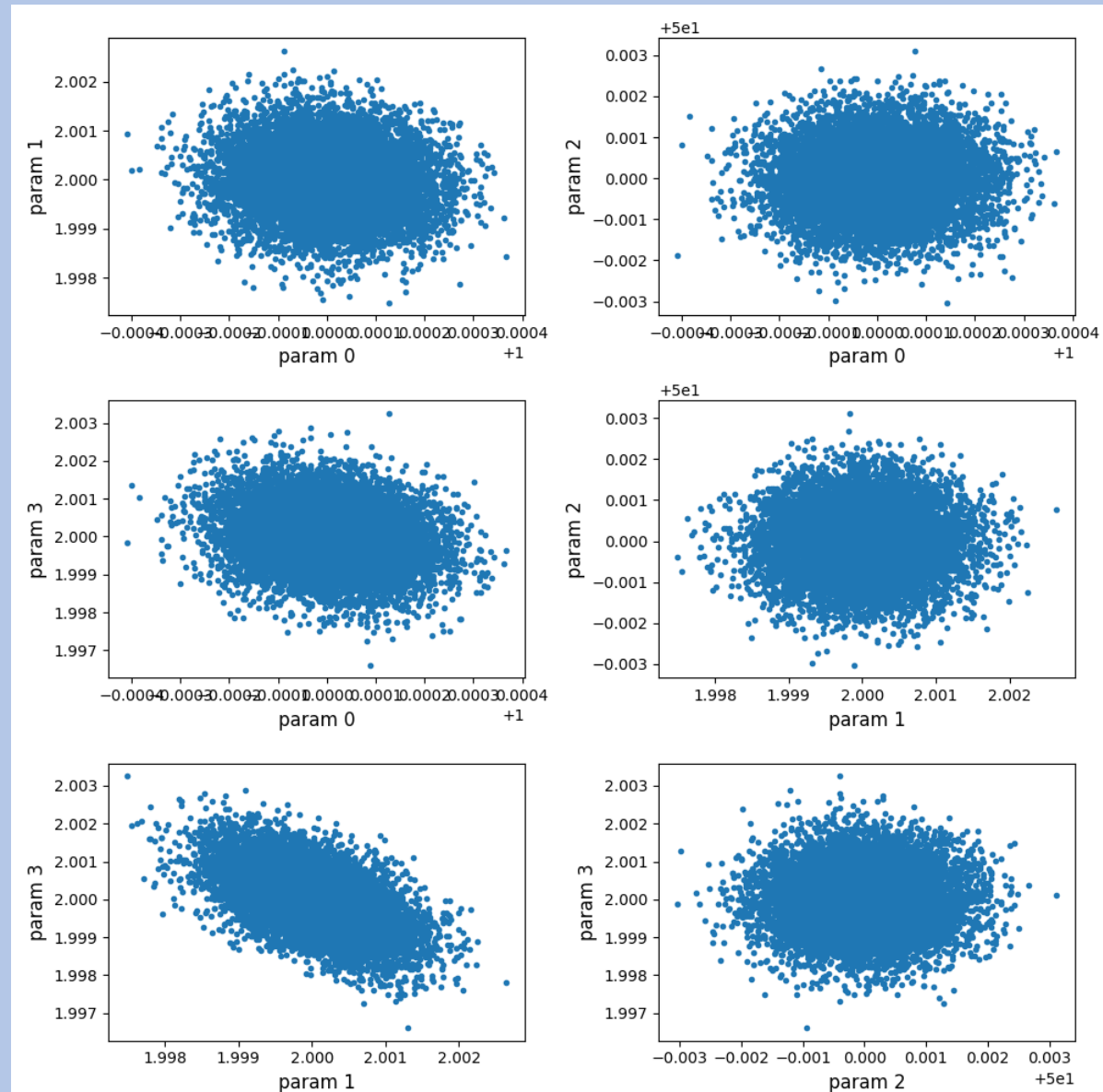
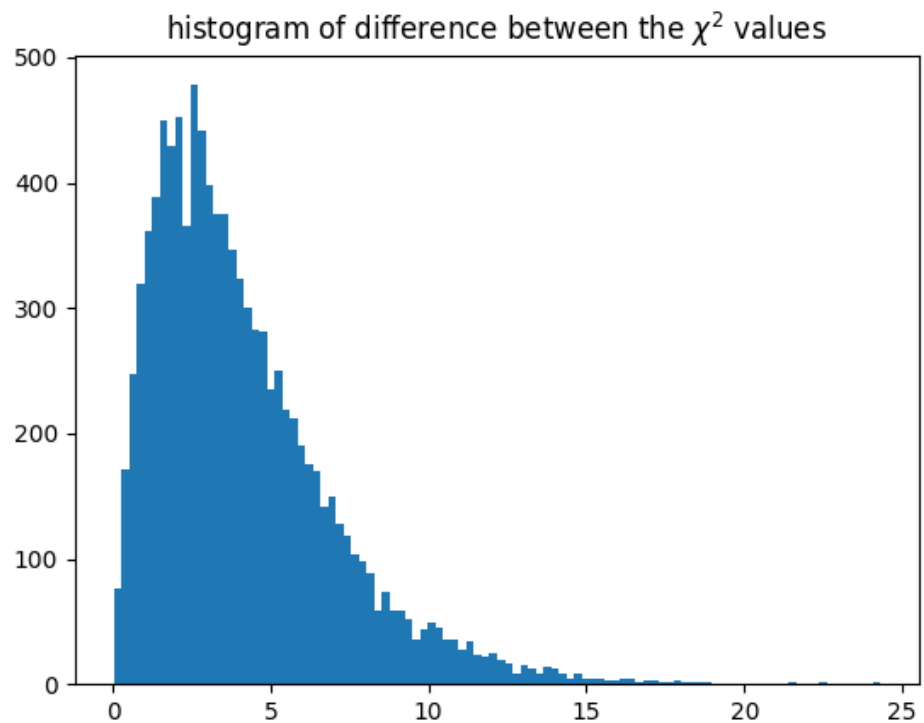
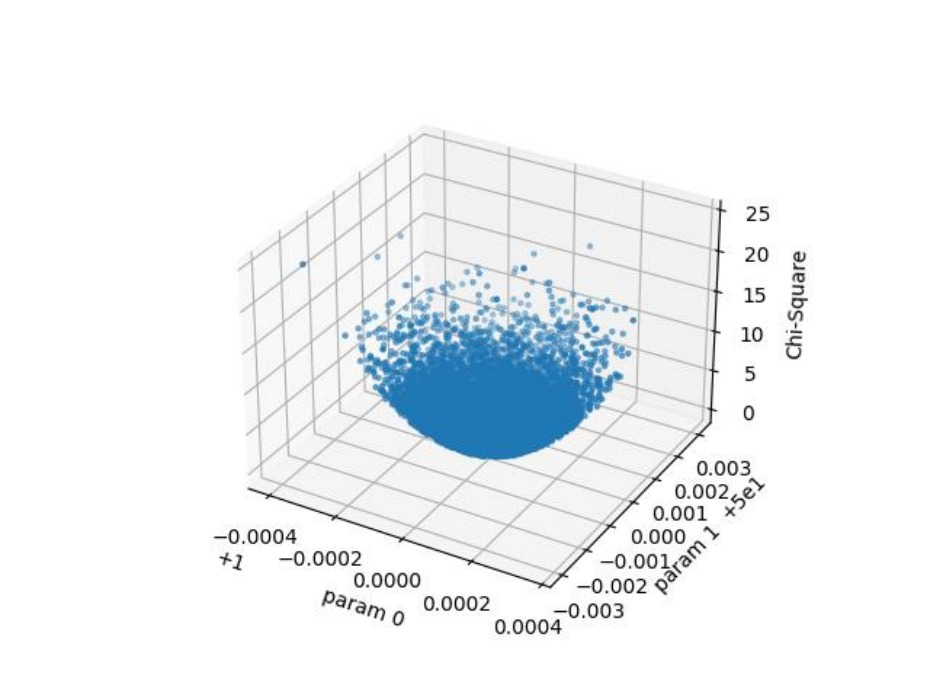
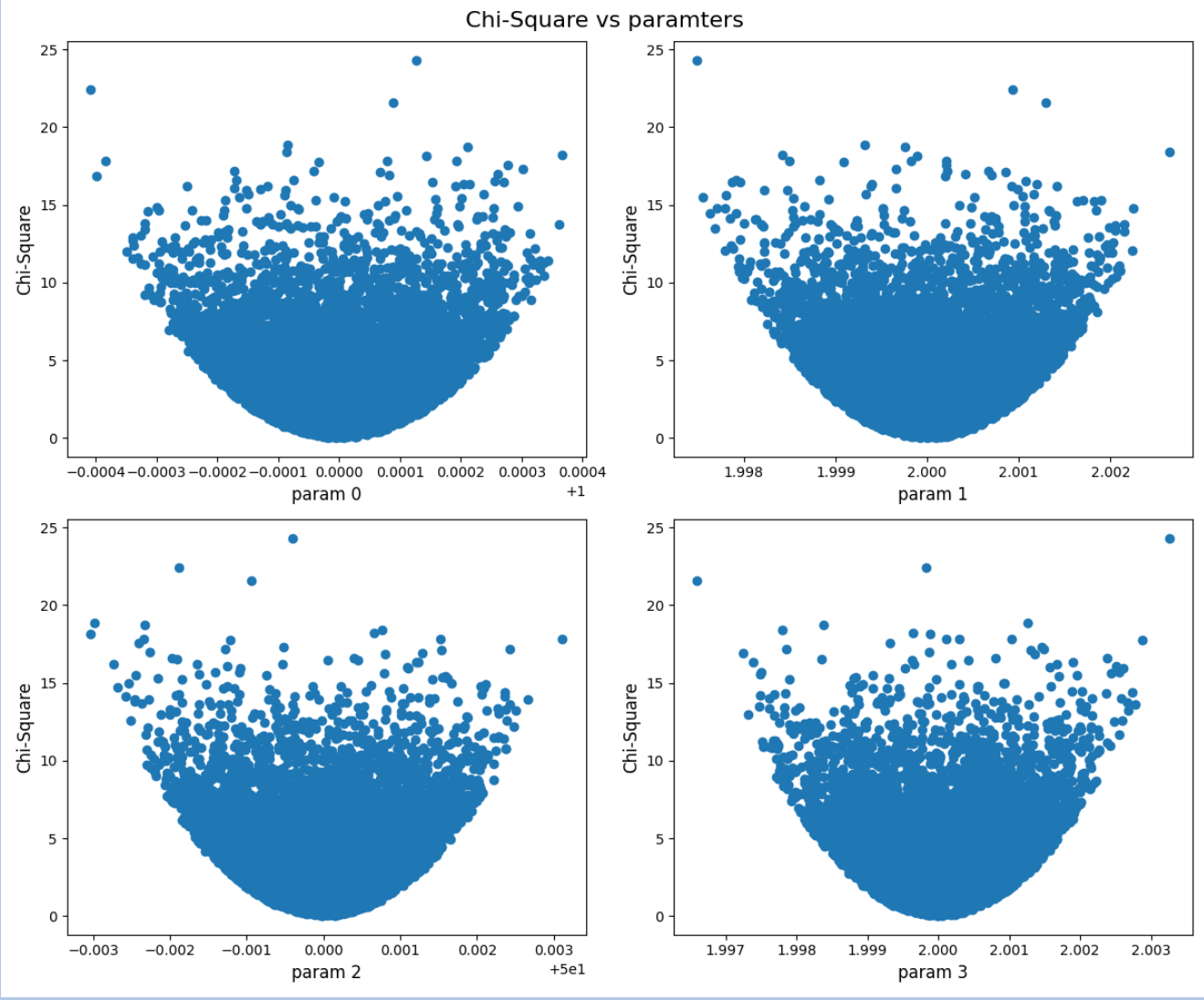
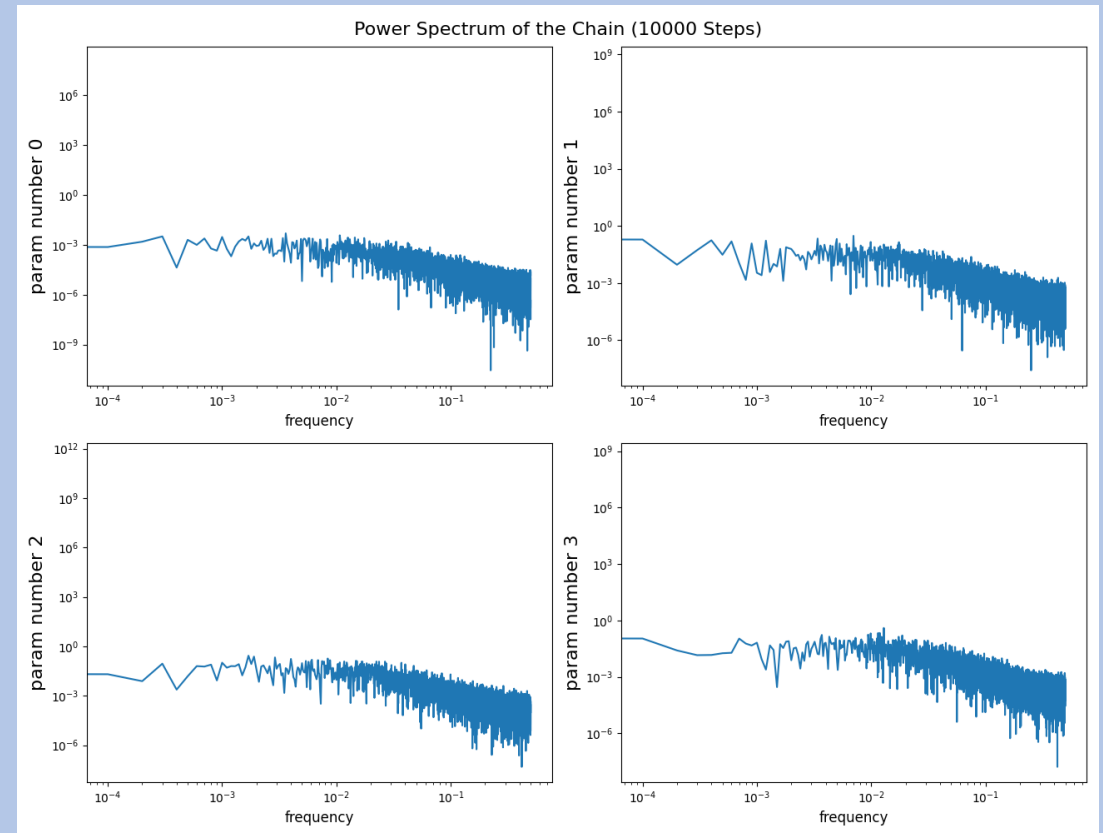
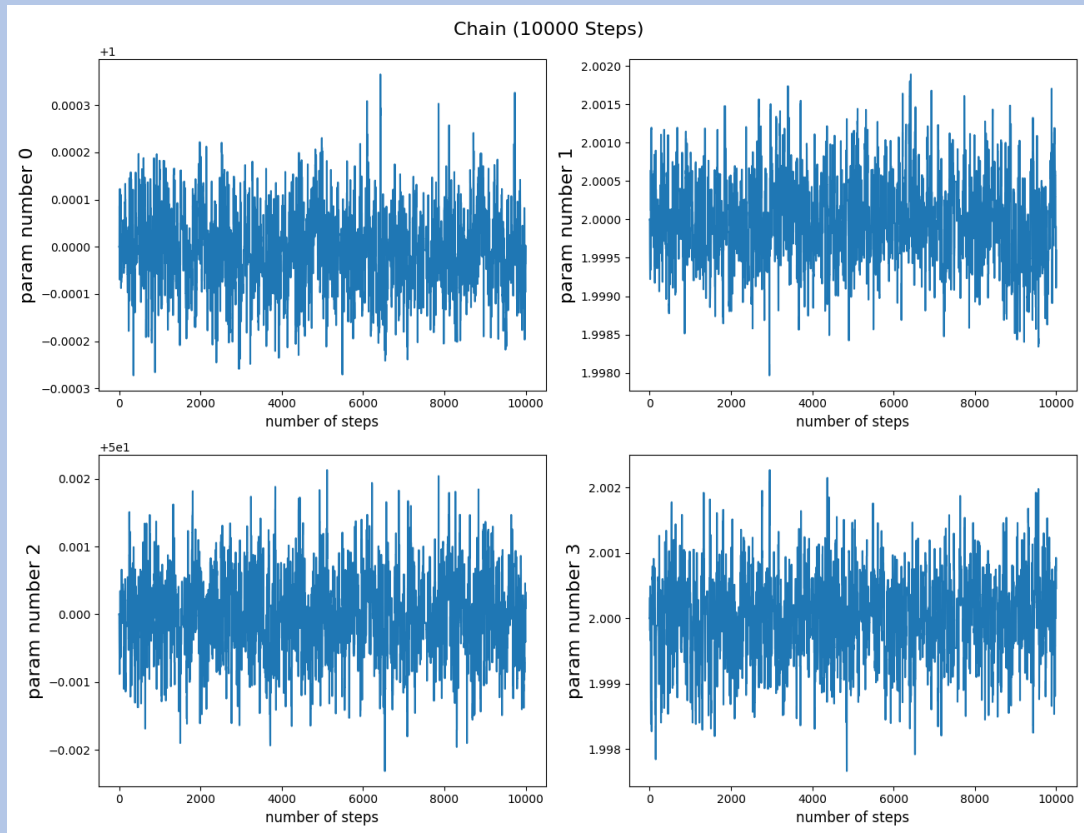


Gaussian Version

$$y = a + be^{\frac{(x-x_0)^2}{2\sigma^2}}$$



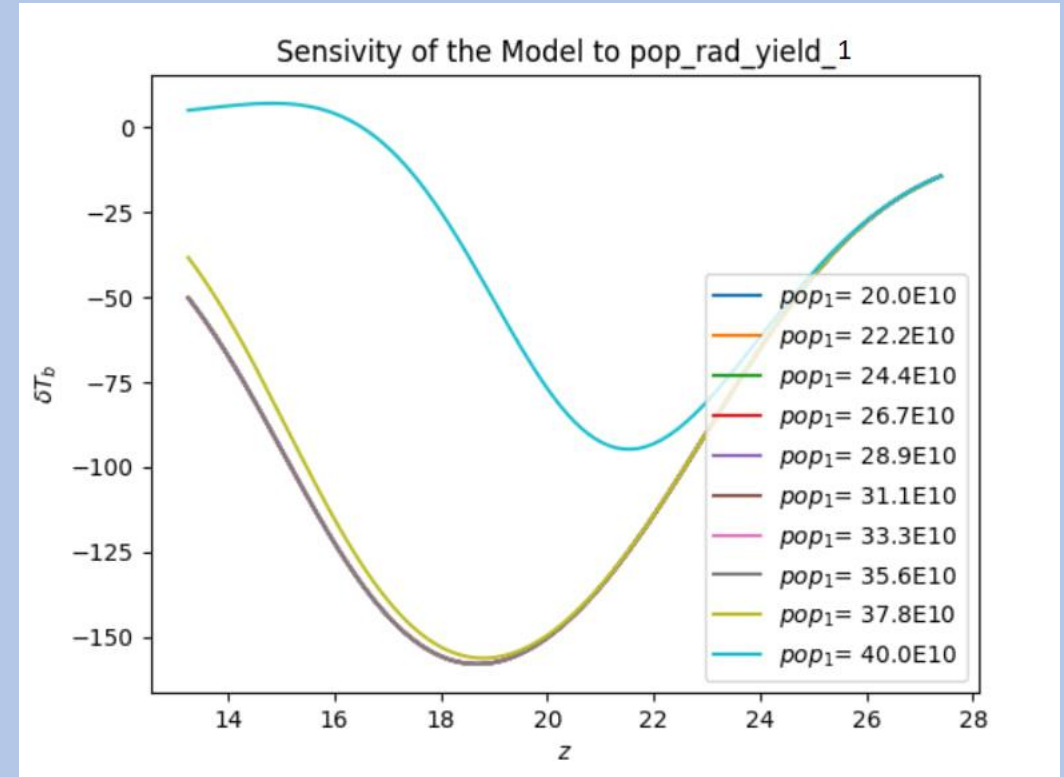




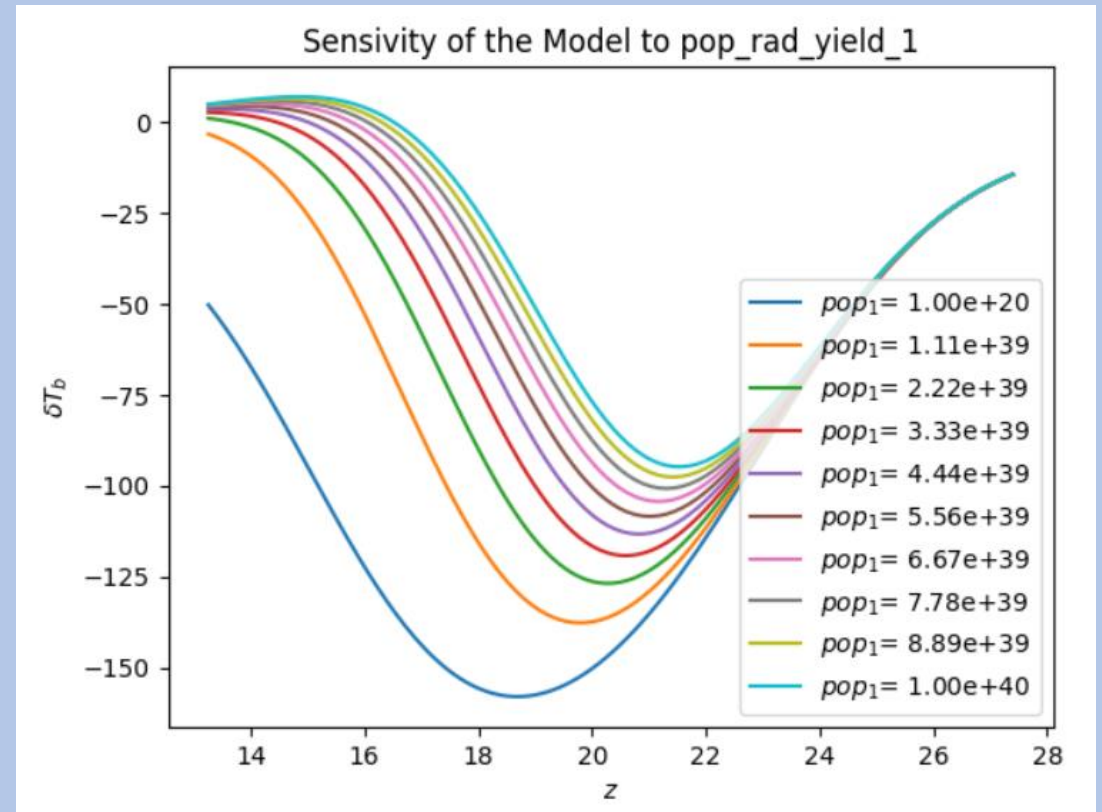
Chi-Square of original guess: 25181787.125625763
Chi-Square of LM: 2.165056186892636e-07
Chi-Square of MCMC: 0.003688935306907828
Acceptance Ratio: 24.73 %

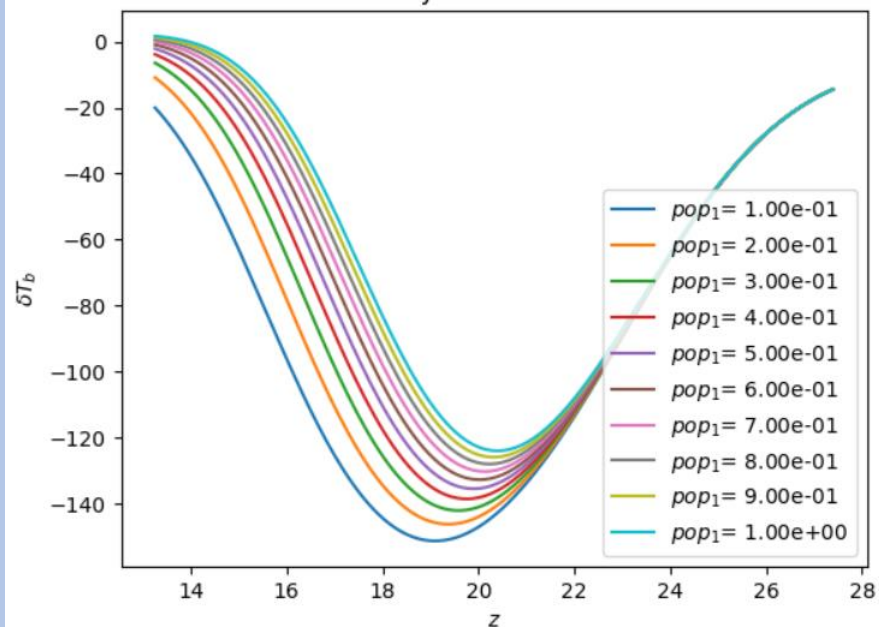
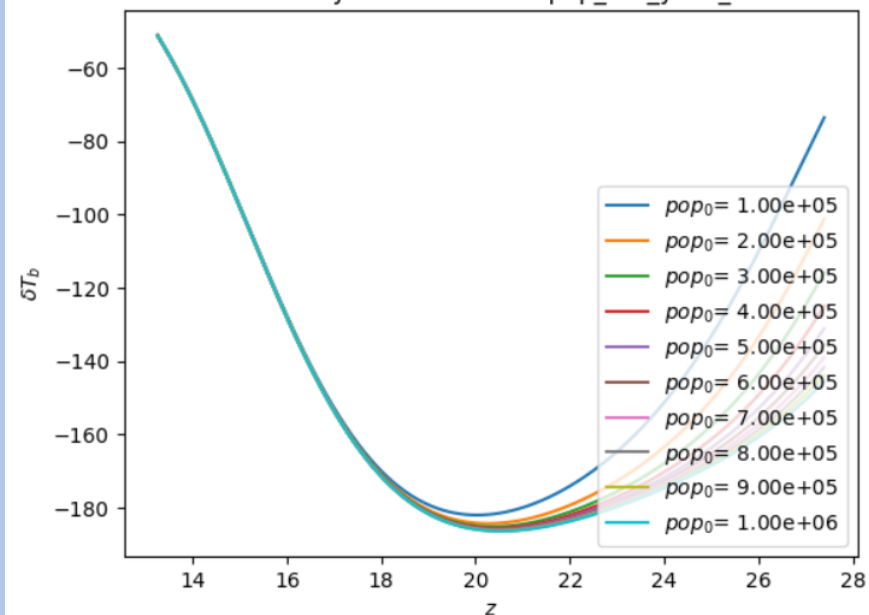
LM + MCMC on a known ARES curve

- A very strange covariance matrix: one of the diagonal elements was $\sim 1\text{E}60$, but others were between $1\text{E}-5$ to $1\text{E}-3$
- Messing the drawn samples
- Went back to check the sensitivity of the model to this parameter
- The model was not showing enough change with the change of parameter

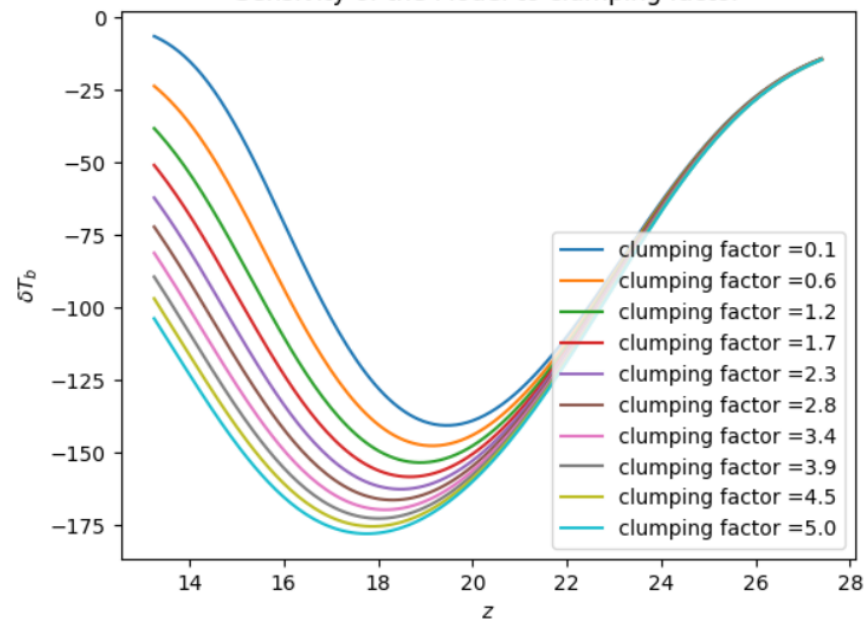
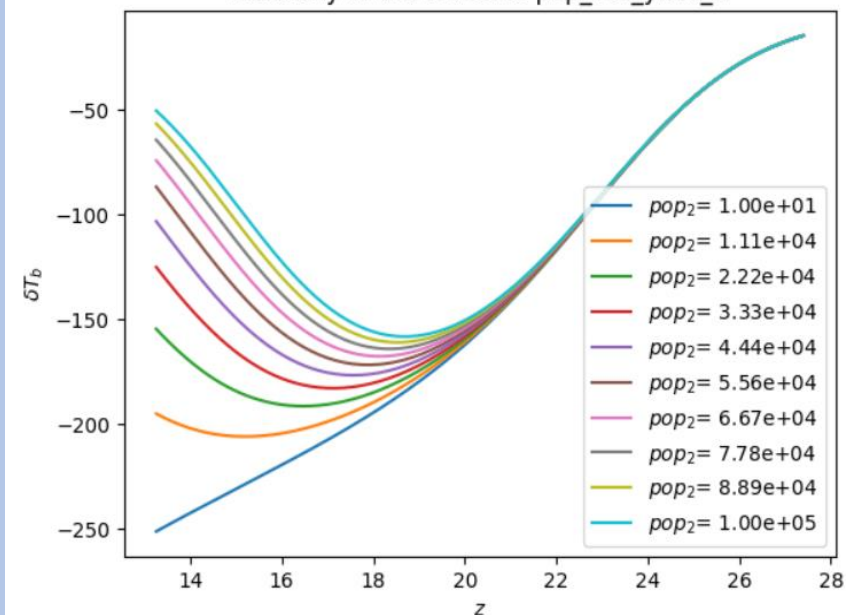


- Changed the search method in phase space for log to normal
- The sensitivity problem seemed to be solved, but the covariance matrix was still messed up
- Eventually, I decided to change the parameter to it's alternative: The issue was solved

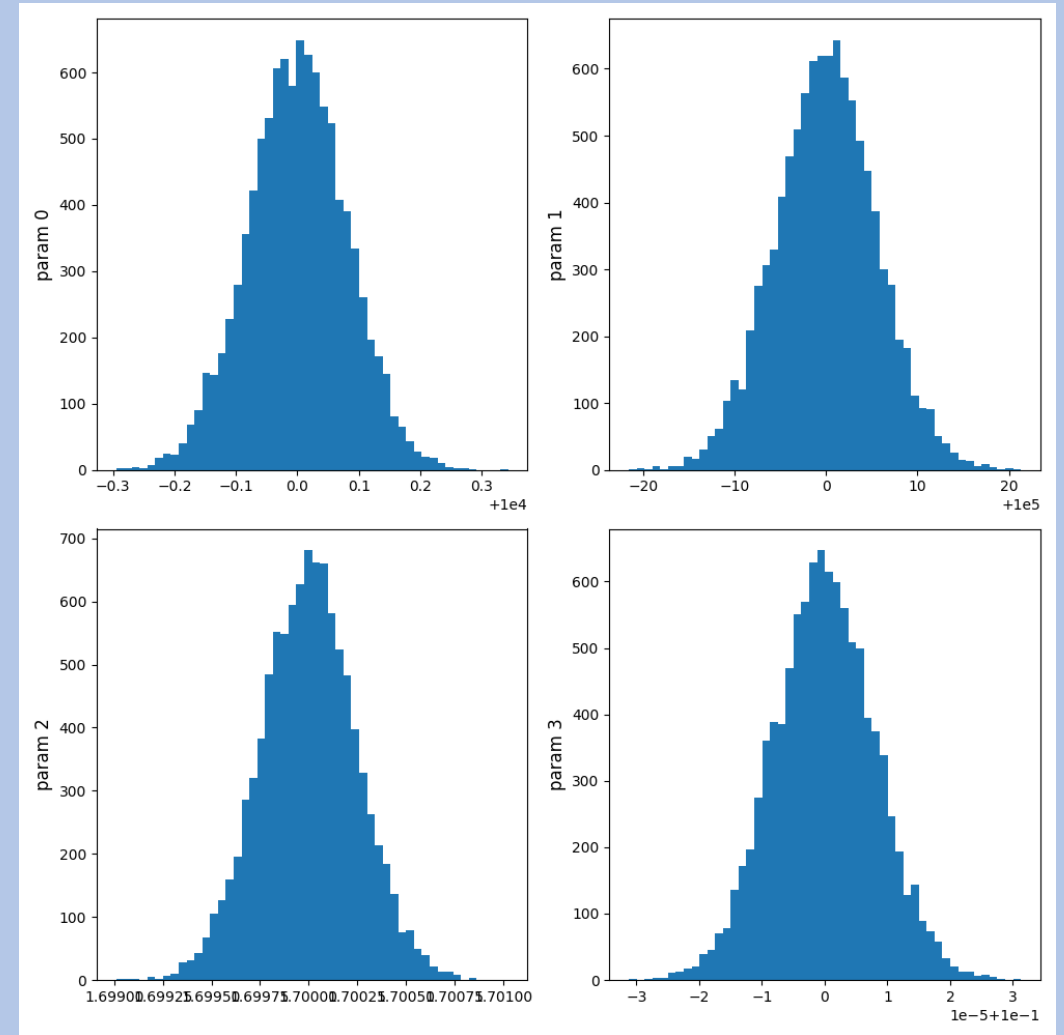
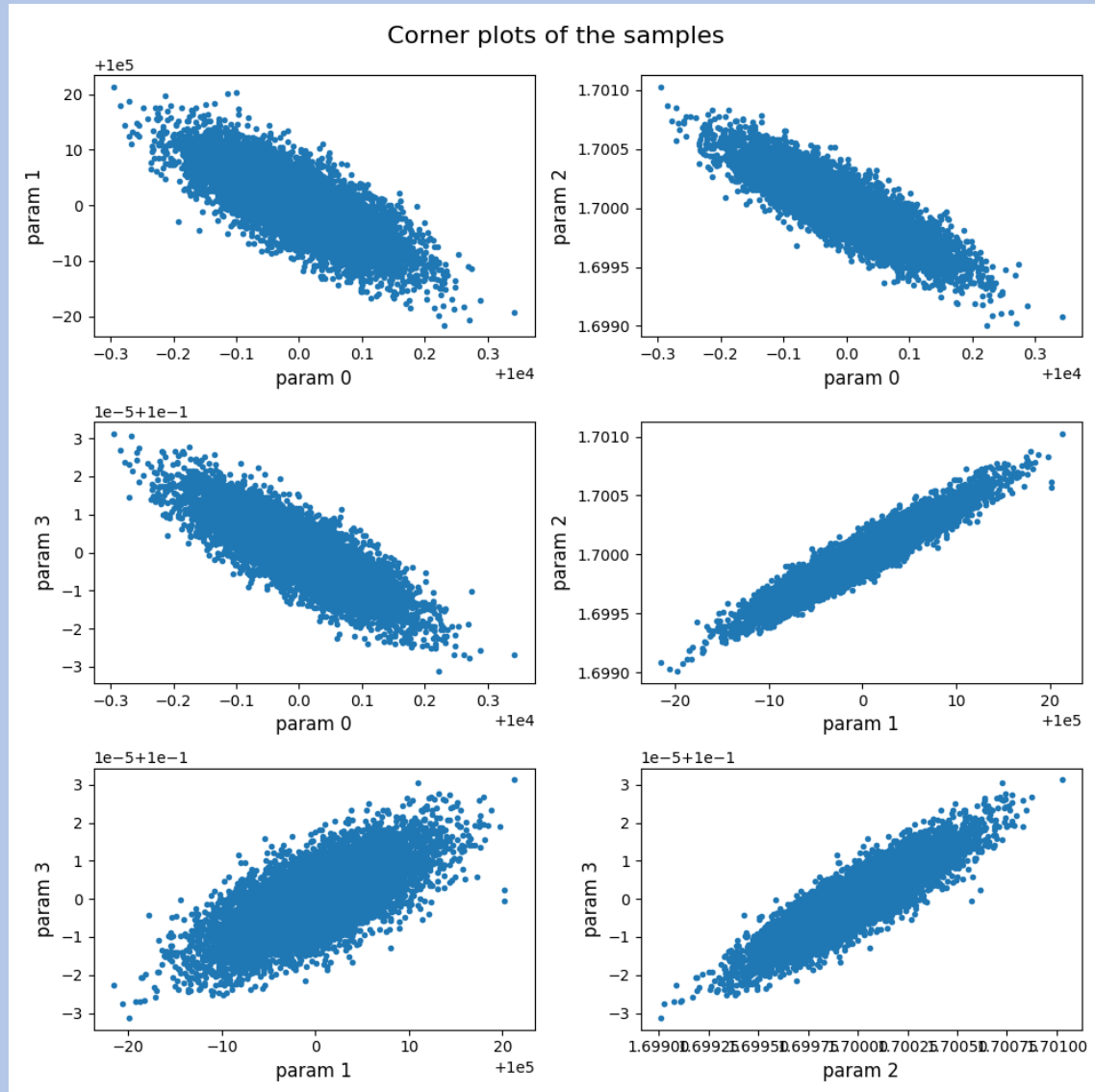


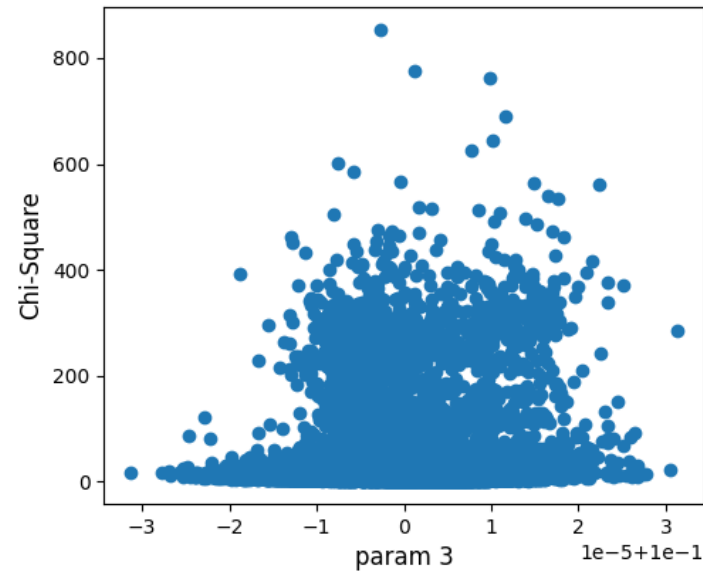
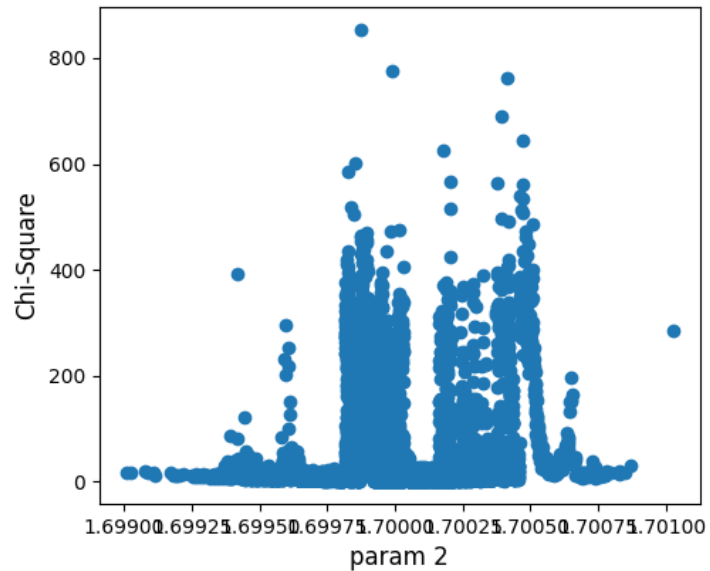
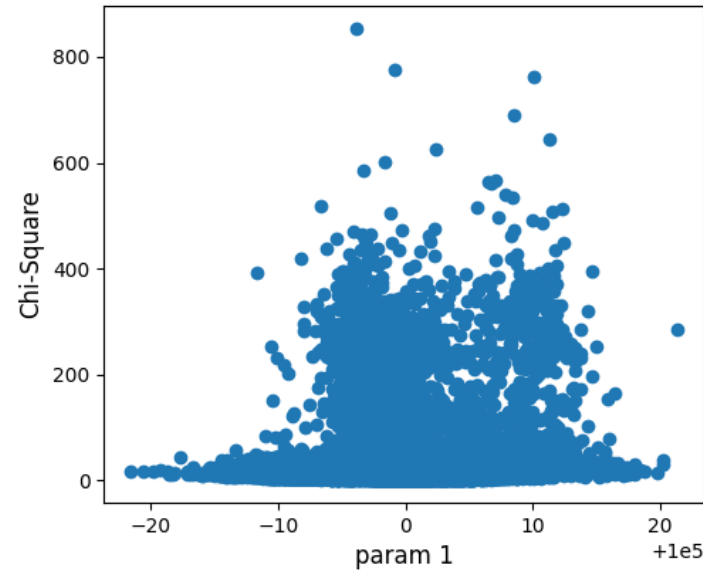
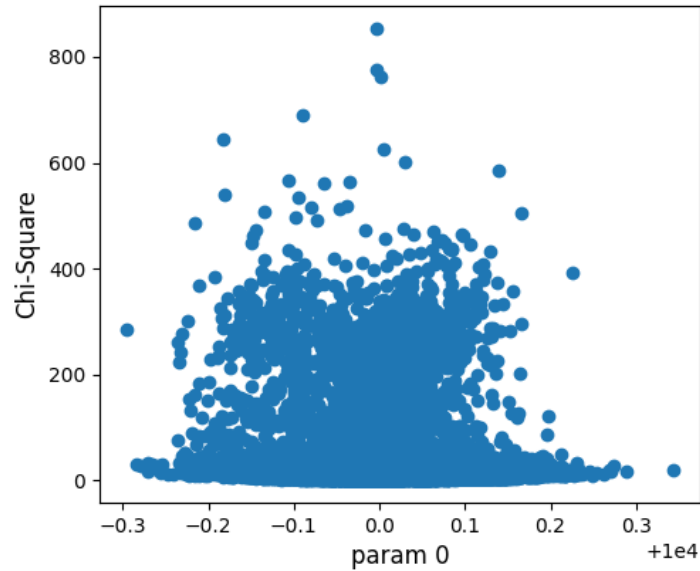
Sensitivity of the Model to f_X Sensitivity of the Model to $pop_rad_yield_0$ 

Sensitivity of the Model to clumping factor

Sensitivity of the Model to $pop_rad_yield_2$ 

Drawing samples from the covariance matrix





- Does not look like a parabola
- Mean of difference between the chi-squares: ~ 45 which should be ~ 4

MCMC with these parameters:

- Not yet converged after 10000 steps
- The acceptance ratio was fixed at 99.99 percent (does not respond to the change of error bars values)