



INDIAN INSTITUTE OF  
INFORMATION  
TECHNOLOGY

## INTRODUCTION TO ALGORITHMS

EC351

ASSIGNMENT 1

### *FIBONACCI SERIES*

#### Submitted by:

##### **TEAM 7**

Abdul Rahman	18BEC001
Ajmal A	18BEC003
Aryan Kumar	18BEC004
B.K Likhith Kumar	18BEC005
Safwan Mohammad	18BEC028

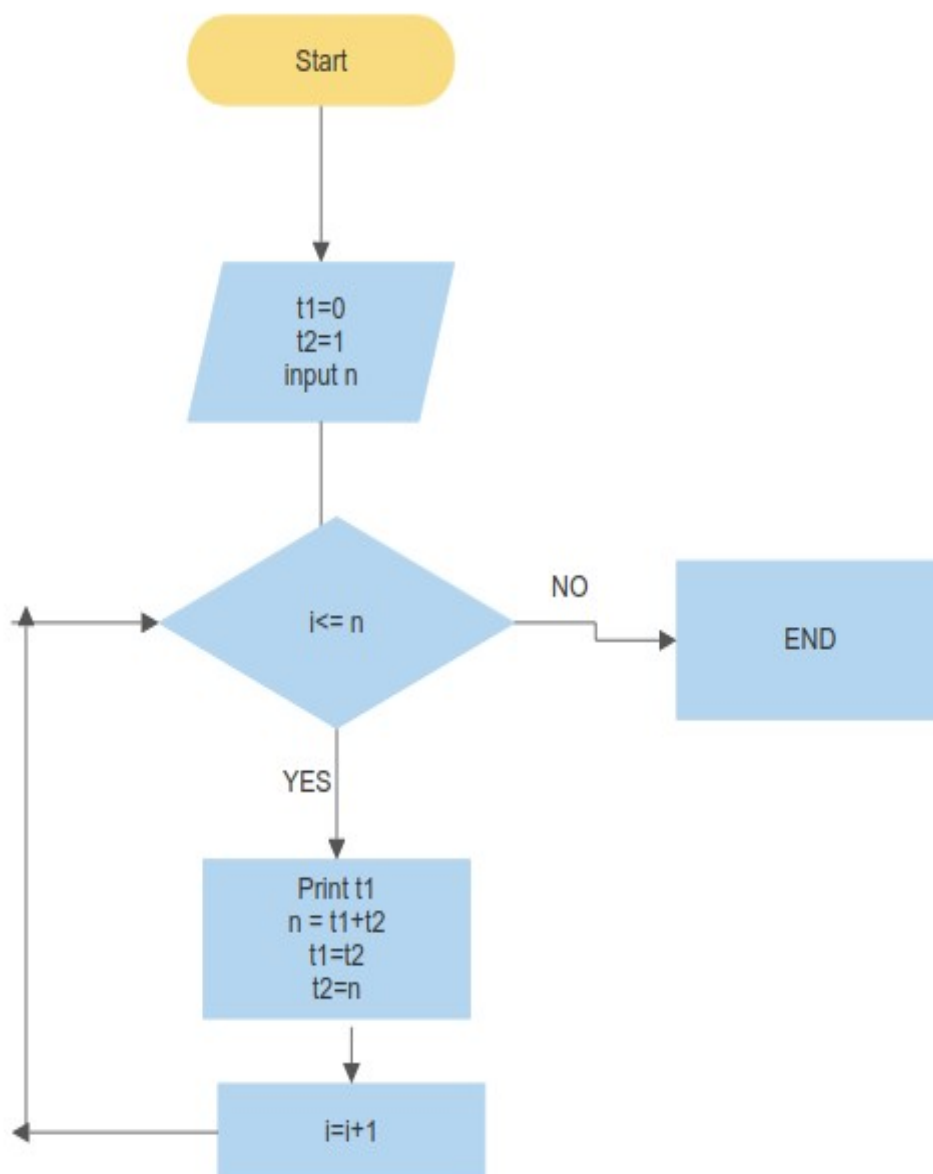
#### Submitted To:

DR. UMA S  
04 Sept 2010

**QUESTION:** Consider the following Fibonacci series and solve the following conditions

$\text{fib}(n) = \text{fib}(0), \text{fib}(1), \text{fib}(2), \dots, \text{fib}(n)$   
where  $\text{fib}(n) = \text{fib}(n-1) + \text{fib}(n-2)$

- **Flowchart**



- **Itrative Code**

```
#include <stdio.h>
int count =0;
int main() {
    int i, n, t1 = 0, t2 = 1, nextTerm;
    printf("Enter the number of terms: ");
    scanf("%d", &n);
    printf("Fibonacci Series: ");

    for (i = 1; i <= n; ++i) {
        printf("%d, ", t1);
        nextTerm = t1 + t2;
        t1 = t2;
        t2 = nextTerm;
        count++;
    }
    printf("\nVariable used %d times\n",count);
    return 0;
}
```

- **Recursive Code**

```
#include<stdio.h>
int count =0;
int x,y,n;

int fib(int n){
    count++;
    if(n==0||n==1)
        return n;
    else
        return fib(n-1) + fib(n-2);
}

int main()
{
    printf("Enter the number ");
    scanf("%d",&n);
    printf("%d\n",fib(n));
    printf("Variable used %d times\n",count);
}
```

- For the iterative approach, the amount of space required is the same for  $\text{fib}(5)$  and  $\text{fib}(500)$ , i.e. as  $N$  changes the space/memory used remains the same. Hence its space complexity is  $O(1)$  or constant.
- For the recursive approach, the amount of space required is different for  $\text{fib}(5)$  and  $\text{fib}(500)$ , the maximum depth is proportional to the  $N$ , hence the space complexity of Fibonacci recursive is  $O(N)$ .
- The best case scenario is iterative approach as the space complexity is  $O(1)$ .
- Worst Case scenario is recursive approach where space complexity is  $O(N)$