Assignment 3: 22-Queen Problem

In this assignment, you are going to use <u>backtracking</u> to solve n-queen problem and n is required to be 22 in this assignment. Your program will place 22 queens on a 22 \times 22 chess board while the queens are not attacking each other. You must give 4 solutions.

Backtracking Ideas:

- Idea 1: One variable at a time
 - Variable assignments are commutative, so fix ordering
 - I.e., [WA = red then NT = green] same as [NT = green then WA = red]
 - Only need to consider assignments to a single variable at each step
- Idea 2: Check constraints as you go
 - I.e., consider only values which do not conflict previous assignments
 - Might have to do some computation to check the constraints
 - "Incremental goal test"

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function Backtracking-Search(csp) returns solution/failure return Recursive-Backtracking(\{ }, csp)

function Recursive-Backtracking(assignment, csp) returns soln/failure if assignment is complete then return assignment var \leftarrow Select-Unassigned-Variable(Variables[csp], assignment, csp) for each value in Order-Domain-Values(var, assignment, csp) do if value is consistent with assignment given Constraints[csp] then add \{var = value\} to assignment result \leftarrow Recursive-Backtracking(assignment, csp) if result \neq failure then return result remove \{var = value\} from assignment return failure
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Requirements:

- 1. The given ipynb file must be used in this assignment.
- 2. You need to print out at least *four* of the solutions. The result should be in this format (row, column). Each pair shows a queen's position.
- 3. **Backtracking** should be used to check when you are placing a queen at a position.
- 4. Your code should be capable of solving other n-queen problems. For example, if n is changed to 10, your code also will solve 10-queen problem.

Example Output for 4-queens Problem

(0,1) (1,3) (2,0) (3,2)

(0,2) (1,0) (2,3) (3,1)