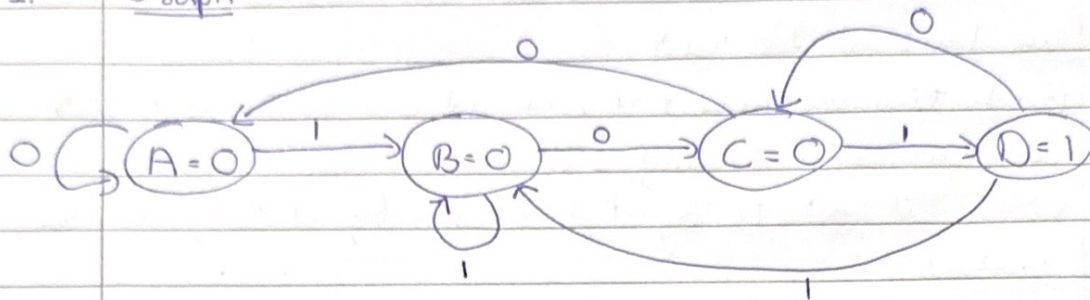


# HOMEWORK 11

## P1. Graph



Starting state is output zero, only if we get an input of '1' after that, we proceed. It then advances only if the sequence is maintained.

If not, it ~~re~~ resets accordingly. All states output '0' except final state that returns '1' (TRUE) if sequence is found.

## State Table

Present State	Next State		Output $z_0$
	$w_0 = 0$	$w_0 = 1$	
A	A	B	0
B	C	B	0
C	A	D	0
D	C	B	1

## State Assigned Table

Present State		Next State		Output
$y_1$	$y_0$	$w_0=0$	$w_0=1$	$z_0$
0	0	00	01	0
0	1	10	01	0
1	0	00	11	0
1	1	10	10	1

## Truth Table

$w$	$y_1$	$y_0$	$Y_1$	$Y_0$	$Z$
0	0	0	0	0	0
0	0	1	1	0	0
0	1	0	0	0	0
0	1	1	1	0	1
1	0	0	0	1	0
1	0	1	0	1	0
1	1	0	1	1	0
1	1	1	0	1	1

## K-Maps

$w_0 \backslash y_1 y_0$	00	01	11	10
0	0	1	1	0
1	0	0	0	1

$w_0 \backslash y_1 y_0$	00	01	11	10
0	0	0	0	0
1	1	1	1	1

$y_1 \backslash y_0$	0	1
0	0	0
1	0	1

$$Y_1 = \bar{w}_0 y_0 + w_0 y_1 \bar{y}_0$$

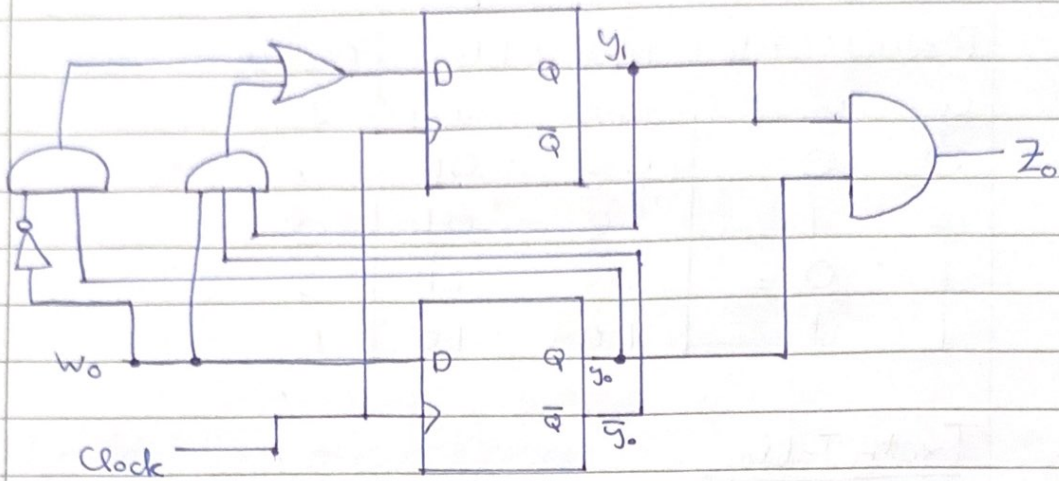
(maybe MUX,  $y_0$ -select)

$$Y_0 = w_0$$

$$Z_0 = y_1 y_0$$



## Circuit



P2. A. It is a MEALY MACHINE

B.

Present State		Next State ( $Y_2 Y_1$ )				Output			
$y_2$	$y_1$	$(x_1 x_0)$	00	01	10	11	00	01	(Z)
0	0		00	00	01	10	1	1	0
0	1		01	11	00	10	1	0	1
1	0		10	01	00	11	1	0	0
1	1		11	11	01	10	1	1	0

C.

$y_2$	$y_1$	$x_1$	$x_0$	$Y_2$	$Y_1$
0	0	0	0	0	0
0	0	0	1	0	0
0	0	1	0	0	1
0	0	1	1	1	0
0	1	0	0	0	1
0	1	0	1	1	1
0	1	1	0	0	0
0	1	1	1	1	0
1	0	0	0	1	0
1	0	0	1	0	1
1	0	1	0	0	0
1	0	1	1	1	1
1	1	0	0	1	1
1	1	0	1	1	1
1	1	1	0	0	1
1	1	1	1	1	0

K-Maps

$y_2$

$y_2 y_1$	00	01	11	10
$x_1 x_0$				
00	0	0	1	1
01	0	1	1	0
11	1	1	1	1
10	0	0	0	0

$y_1$

$y_2 y_1$	00	01	11	10
$x_1 x_0$				
00	0	1	1	0
01	0	1	1	1
11	0	0	0	1
10	1	0	1	0

$$Y_2 = y_1 x_0 + x_1 x_0 + \bar{x}_1 \bar{x}_0 y_2$$

$$Y_1 = \bar{x}_1 y_1 + x_0 y_2 \bar{y}_1 + \bar{x}_0 y_2 y_1 + x_1 \bar{x}_0 \bar{y}_2 \bar{y}_1$$



### P3. A. Logic Expression:

$$Z = y_0 + y_1$$

$$y_1 = \bar{y}_0$$

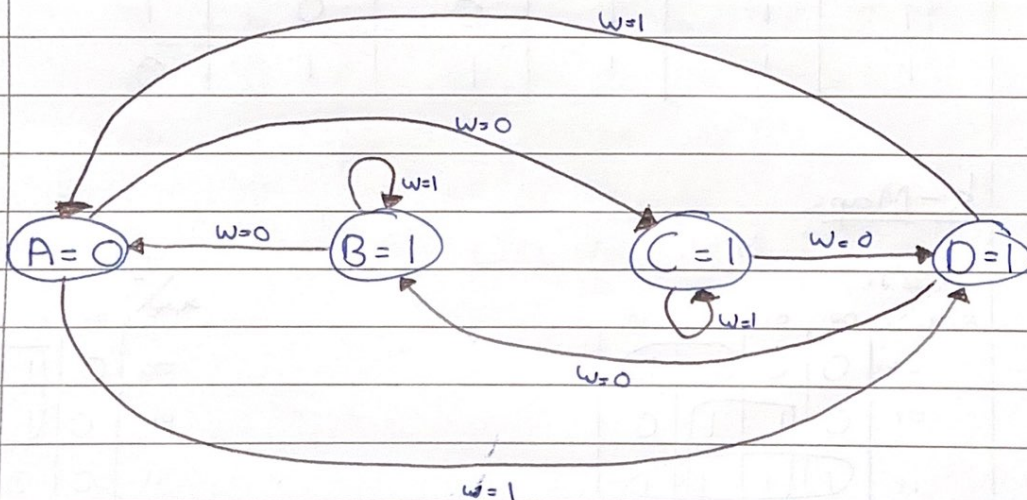
$$y_0 = w \oplus y_1$$

→ 1: if different

→ 0: if same

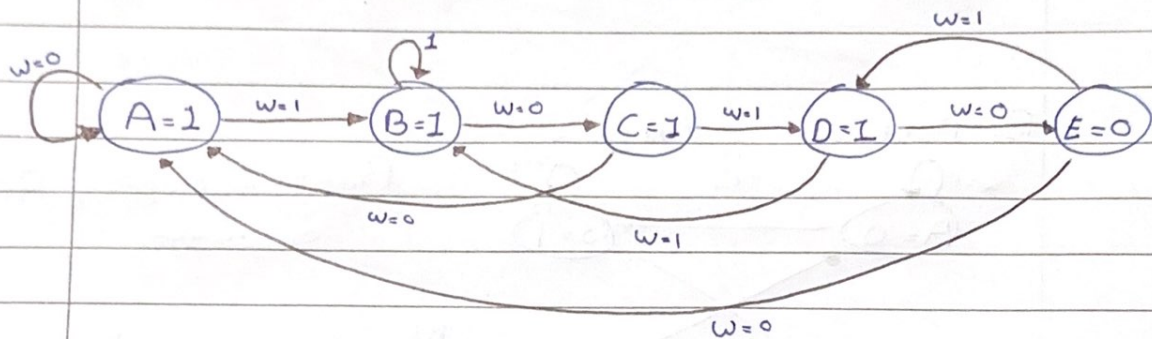
B.	Present State		Next State		Output
	$y_1$	$y_0$	$w=0$	$w=1$	
A	0	0	C   0	D   1	0
B	0	1	A   0	B   0	1
C	1	0	D   1	C   0	1
D	1	1	B   0	A   0	1

C.

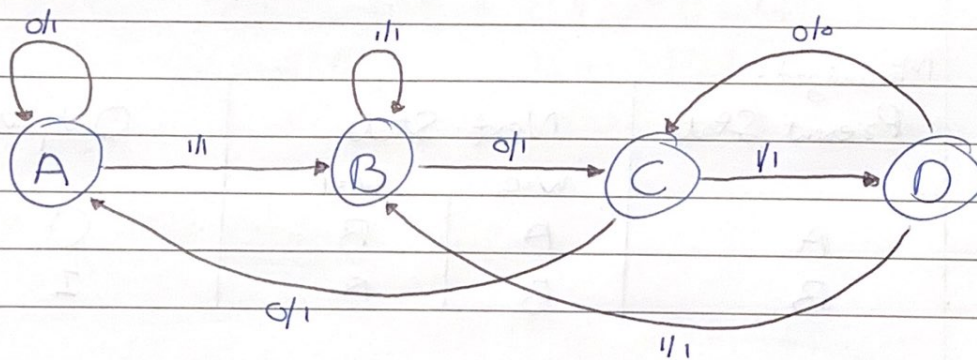


P4. OUTPUT: 0 → '1010'  
1 → Otherwise

A. Moore Machine

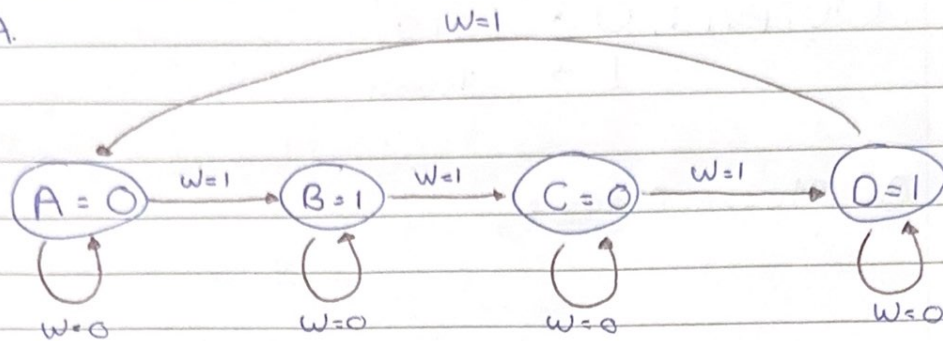


B. Mealy Machine



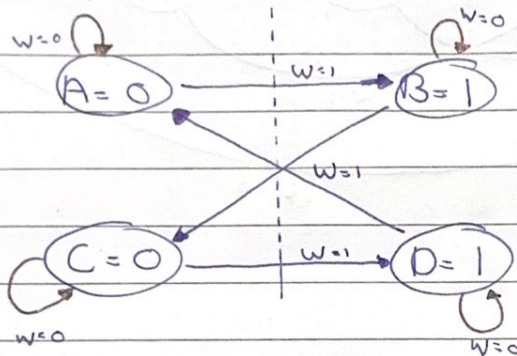


P5. A.



B. Partition 1

Partition 2



Based on outputs & '0,1' Successors.

Now, because we get same partition on (1,2) twice, we have reached the limit.

So,  $A \equiv C$  &  $B \equiv D$

Minimized:

Present State

Next State

Output

A

w=0

A

w=1

B

0

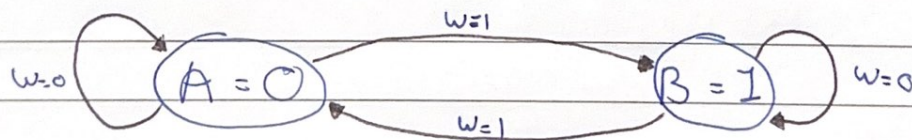
B

B

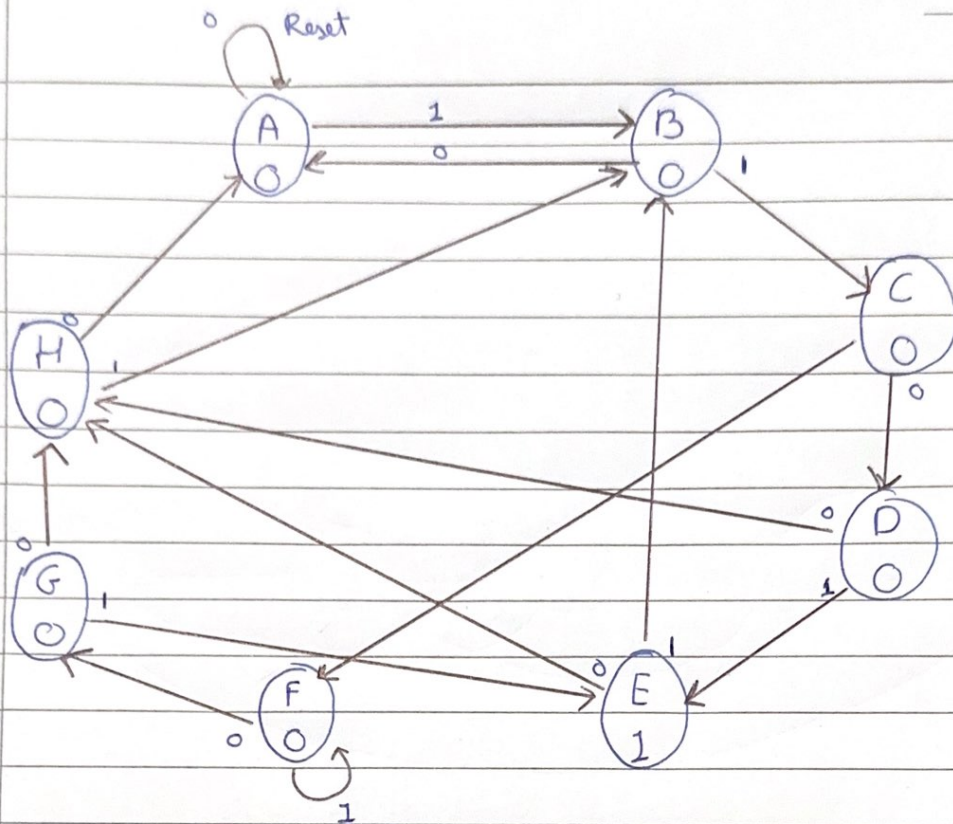
A

1

C.



P6.



Partition 1: Output based  
(A B C D E F G H) (E)

Partition 2: Where (W=1) Points  
(A B C F H) (D G) (E) → Same behaviour

Partition 3: Where (W=0) Points  
(A B H) (C F) (D G) (E)

Partition 4  
(A H) (B) (C F) (D G) (E): Partitions<sup>5</sup>  
Only have to plot underlined ones.

Minimized Diagram

