Derivation for the Rate constant (K) for Second order Reaction.

$$\begin{array}{c}
2A \longrightarrow \text{Product} \\
a \\
(a-x) \\
x \\
t=t \\

\frac{dx}{dt} \times (a-x)^2 \\
\frac{dx}{dt} = |x|^2 \\
\frac{dx}{dt} = |x|^2 \\
\frac{dx}{(a-x)^2} = |x| + |x| + |x| + |x| \\
\frac{dx}{(a-x)^2} = |x| + |x| +$$

$$= k + c + D$$

Lohen +=0 , x =0 ; ; C= a , min 20 on putting the value of c in eq O 

$$\frac{a-(a-x)}{a(a-x)} = k+$$

$$|C = \frac{1}{t} \cdot \frac{x}{(a-x)a}$$

For Halt life :-

$$K = \frac{1}{\sqrt{y_2}} \cdot \frac{a}{2(a - \frac{a}{2})^a}$$

$$\frac{1}{\sqrt{x}} = \frac{1}{\sqrt{x}}$$

The decomposition of a gas is of second order. when the initial concr. of the gas is 5×10 moles/Litre and if it is 40% decompose in so minutes. Find the Rate constant

$$\alpha = 5 \times 10^{-4}$$

$$\chi = \frac{40 \times 5 \times 10^{-4}}{100} = 2 \times 10^{-4}$$

$$(a-x) = 3 \times 10^{-4}$$
 $K = \frac{1}{50} \times \frac{2 \times 10^{-4}}{(3 \times 10^{-4})} = \frac{1}{3 \times 10^{-4}}$ 

$$K = \frac{1}{50} \times \frac{2 \times 10^4}{15} = 26.66$$

A second order rxn is 20% complete in Tro seconds How long will it take for 60%. Completion of rxn. vet a=100

$$\chi = \frac{20}{100} \times 100 = 20$$
 $(a-x) = 80$ 

$$|e| = \frac{1}{500} \times \frac{4000 \times 100}{2000 \times 100} = \frac{1}{2} \times 10^{-5}$$

For 60% completion

a 
$$x = t \times 80$$
 $t \times 60$ 
 $4 \times 100$ 
 $4 \times 100$ 

- Conch. of reactant is given as 24moles/L
  if the non is 30%. complete in \$ 60 min.
  calculate.
  - i) Rate constant
  - ii) Half life
  - (ii) Time neg to comp. 75% of rxu.

$$x = 0.24 \times \frac{30}{100} = 0.072$$

$$k = \frac{1 \times 0.072}{60 \times 0.160 \times 0.24} = 29.0 \times 10^{-2}$$

$$\frac{1}{1}$$
  $\frac{1}{1/2} = \frac{1}{1/2} = \frac{1}{29.0 \times 10^{-2} \times 0.24} = 13.90 \text{ min}$ 

$$(iii) = \chi = 0.24 \times 75 = 0.10$$

Derination for the Rate constant (K) for Second order Rxni-Case I !- When both the Reactants are of Different types. A+B -> Product (a) (b) (a) (b) 0 (a-x) (b-x) x dx x [a-x] [b-x]  $\frac{dx}{dt} = k \cdot [a - x] \cdot [b - x]$ dx = kdt \_\_\_\_\_\_\_\_\_\_\_ (a-x][b-x] on spliting it in Partial Fraction  $\frac{1}{(a-b)} \left\{ \frac{dx}{b-x} - \frac{dx}{a-x} \right\} = kdt$ on Integration:  $\frac{1}{(a-b)} \left\{ -\log_e(b-x) + \log_e(a-x) \right\} = K+1$ when t=0, x=0; c=1. In a b on the putiting the nature of (c) in eq 2.  $\frac{1}{a-b}\left\{\ln\left(\frac{a-x}{b-x}\right)\right\} = Kt + \frac{1}{(a\cdot b)} \cdot \ln\frac{a}{b}$ 

$$K = \frac{1}{+(a-b)} \left\{ \frac{2 \cdot 3 \cdot 3}{(b-x)} \right\}$$

$$K = \frac{2 \cdot 3 \cdot 3}{+(a-b)} \left\{ \frac{2 \cdot 3 \cdot 3}{(b-x)} \right\} \left\{ \frac{a-x}{a} \right\}$$

$$A > 7 > 7 b$$

$$K = \frac{2 \cdot 3 \cdot 3}{+(a-b)} \left\{ \frac{a-x}{b-x} \right\} \left\{ \frac{a-x}{b-x} \right\}$$

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Collission Theory for Reaction Rates!

This theory is based on following points.

- of collision blw the reacting t species.
- do not necessarily results the product Formation.
- the product formation, their collisions are fermed as effective collision.
- iv) The total no. of collisions which occurs among the neacting species second per unit volume is called as collision Frequency (Z).

Two types of Energy barriers are considered imp. for a men to occur, -

 i) Energy barrier ii) Orientation barrier

Energy Ranier it For any reactant molecule

to take part in a chemical non it must

posses a minimum amount of Energy to

cross the Energy Ranier and changes to

product This min. ant of energy required

to cross the Energy Ranier is Called

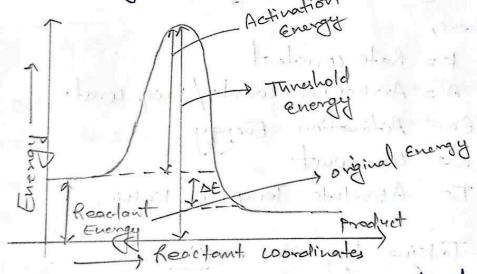
Threshold Energy. And the Extra Energy which

the reactant molecules agains or gain

A during the collision to cross reach the

level of ruin required energy is called

Activation Energy



The original Energy which to the neactant molecules posses in the form of kie is called reactant energy

Orientation Barrier

Besides the energy requirement it is also imp. for a reactant molecule that it must collide with

a proper orientation. A neactant molecules having energy higher than the neg. energy, but it it does not collide with proper orientation it will not back the energy barrier and will bounce

Arrhenius egn and Actination Energy concept Arrhevius give a morthematical relation blu the rate constant and temperature this temp. dependent nate court equ. as can be expressed ast-

-

3

3

-

[K= Ae-Ea/RT] -0

Where,

k = Rate constant

À = Arrhenius court / Freq. const.

R= Gas court

T= Absolute Temp. in Kelvin.

Taking log in eq 1  $\left[ \log R = \log A - \frac{\epsilon a}{2.363R} \cdot \frac{1}{T} \right]$ 

From the above egn it is clear that as the nature of Ge increase Rate constant/ R.O.R decreases land similarly for if the temp incr. Rate constant Increase. Suckerson a rock We can easily calculate the nature of Activation Energy for a particular nexu by determining the tate constant natures of that nexu at a diff. Temp.

If k1 and k2 are the 2 nate constant for a new at a diff temp.

Log k, = log A - \frac{Ea}{2.303R} \cdot \tau\_1 \cdot \tau\_1 \cdot \tau\_1 \cdot \tau\_1 \cdot \tau\_2 \cdot \tau\_1 \cdot \tau\_2 \cdot \tau\_1 \cdot \tau\_1 \cdot \tau\_2 \cdot \tau\_1 \cdot \tau\_2 \cdot \tau\_1 \cdot \tau\_1 \cdot \tau\_1 \cdot \tau\_1 \cdot \tau\_1 \cdot \tau\_1 \cdot \tau\_2 \cdot \tau\_1 \cdot \tau\_2 \cdot \tau\_1 \cd

 $\log k_1 = \log A - \frac{\epsilon_a}{2 \cdot 303R} \cdot \frac{1}{T_1} - 0$   $\log k_2 = \log A - \frac{\epsilon_a}{2 \cdot 303R} \cdot \frac{1}{T_2} - 0$ on Substracting eq 0 and eq 0  $\log \left(\frac{k_2}{T_3}\right) - \frac{c_{ca}}{2 \cdot 303R} \cdot \frac{1}{T_1} - \frac{1}{T_2}$ 

The R.O.R. Tripples on increasing the Temp.

from 17°C to 57°C. Calculate the Activation

Energy of the man if the nalne of Gas

Lout is 8.214 J/KBmol.

 $\log \left(\frac{31}{12}\right) = \frac{\epsilon_{a}}{2.303(0.314)} \times \left(\frac{1}{17} - \frac{1}{457}\right)$   $0.477 = \frac{\epsilon_{a}}{19.147} \left(\frac{40}{969}\right)$ 

Ea = 221.24 Cal