```
EXPERIMENT:1
QR method-
Clc
clear
a=[2 -%i 2*%i;%i 4 3;-2*%i 3 5]
b=spec(a)
for i=1:20
 [Q,R]=qr(a)
 a=R*Q
 disp(a,R)
end
output:
  column 1 to 2
-7.6955887 + 0.i 0. - 0.0000216i
      + 0.i -3.6916109 + 0.i
      + 0.i 0. + 0.i
 0.
    column 3
     - 1.108D-17i
 3.852D-16 + 0.i
-0.3871996 + 0.i
POWER SERIES:-
clc
a=[1 -\%i 3+4*\%i,\%i 2 4;3-4*\%i 4 3]
x0=[1\ 1\ 1]
tol=0.0001
err=1
k=1
lambda0=1
while (abs(err)>tol)
 x1=x0*a
 lambda1=max(abs(x1))
 x0=x1/lambda1
 err=abs(lambda0-lambda1)
 lambda0=lambda1
 disp(k,lambda1,x0/norm(x0))
 k=k+1
end
[E,d]=spec(a)
disp("Eigen vector ",E)
disp("Eigen value ",d)
```

OUTPUT:

```
column 1 to 2
column 3
0.7495317 + 0.2998127i
2.
7.3748174
 column 1 to 2
column 3
0.7109737 + 0.1367257i
3.
9.0110533
 column 1 to 2
column 3
0.7485072 + 0.2345249i
4.
8.0083256
 column 1 to 2
```

```
column 3
```

0.731381 + 0.1798887i

5.

8.5542724

column 1 to 2

 $0.3905099 - 0.2651991i \quad 0.4224358 + 0.0538868i$

column 3

0.7424033 + 0.2113124i

6.

8.2369856

column 1 to 2

column 3

0.736527 + 0.1935468i

7.

8.4152163

column 1 to 2

column 3

0.7399889 + 0.2036791i

```
8.3132518
```

column 1 to 2 column 3 0.7380584 + 0.1979289i 9. 8.3710200 column 1 to 2 column 3 0.7391676 + 0.2012009i 10. 8.3381199 column 1 to 2 column 3 0.7385407 + 0.1993418i11.

column 1 to 2

```
0.4014735 - 0.2628241i 0.4239285 + 0.0624251i
  column 3
0.7388982 + 0.2003989i
12.
8.3461770
  column 1 to 2
column 3
0.7386953 + 0.1997981i
13.
8.3522168
  column 1 to 2
column 3
0.7388108 + 0.2001397i
14.
8.3487828
  column 1 to 2
column 3
0.7387452 + 0.1999455i
```

8.3507348

column 1 to 2

 $0.4018171 - 0.2627356i \quad 0.4239839 + 0.0626797i$

column 3

0.7387825 + 0.2000559i

16.

8.3496251

column 1 to 2

column 3

0.7387613 + 0.1999931i

17.

8.3502559

column 1 to 2

 $0.4018442 - 0.2627286i \quad 0.4239883 + 0.0626998i$

column 3

0.7387733 + 0.2000288i

18.

```
column 1 to 2
column 3
0.7387665 + 0.2000085i
19.
8.3501011
  column 1 to 2
column 3
0.7387704 + 0.2000201i
20.
8.3499852
  column 1 to 2
0.4018595 - 0.2627246i \quad 0.4239908 + 0.0627112i
  column 3
0.7387682 + 0.2000135i
21.
8.3500511
  column 1 to 2
column 3
0.7387694 + 0.2000172i
```

```
"Eigen vector"
    column 1 to 2
 -0.3404771 - 0.5212558i -0.2734105 + 0.5541666i
 -0.4539695 + 0.0504648i -0.3645474 - 0.6890355i
 0.6353997 + 0.i
                    0.1023784 + 0.i
    column 3
-0.3192331 - 0.3586139i
-0.4256442 - 0.0502727i
 -0.7653665 + 0.i
 "Eigen value"
-4.746829 0.
                  0.
 0.
       2.3968018 0.
 0.
       0.
              8.3500273
INVERSE POWER:-
clc
a=[2 1 1;1 3 2;3 1 4]
b=inv(a)
u = [1 \ 1 \ 1]
x0=u'
tol=0.0001
err=1
k=1
lam0=1
while(abs(err)>tol)
 x1=b*x0
 lam1=max(abs(x1))
 x0=x1/lam1
  err=abs(lam0-lam1)
 lam0=lam1
  disp("iteration ",k)
  disp("eigen value",1/lam1)
  disp(x0/norm(x0))
 k=k+1
end
[E,d]=spec(a)
disp(E,d)
```

```
OUTPUT:
"iteration "
 266.
 "eigen value"
 1.6082542
 0.2445533
 0.7180401
-0.6516227
    column 1 to 2
 0.3243216 + 0.i 0.3899937 - 0.1875413i
 0.5849985 + 0.i 0.5379993 + 0.2718959i
 0.7433655 + 0.i -0.6703451 + 0.i
    column 3
 0.3899937 + 0.1875413i
 0.5379993 - 0.2718959i
-0.6703451 + 0.i
    column 1 to 2
 6.095824 + 0.i 0. + 0.i
 0. + 0.i 1.452088 + 0.4336988i
 0. + 0.i 0. + 0.i
   column 3
 0. + 0.i
 0. + 0.i
```

1.452088 - 0.4336988i

```
clear;
A=[2 1 1;1 3 2;3 1 4]
X0=[1;1;1];
lmb0=1;
tol=1e-4;err=1;k=1;
while(abs(err)>tol)
 X=inv(A)*X0;
 lmb=max(abs(X));
 X0=X/lmb;
 err=lmb-lmb0;
 lmb0=lmb;
 disp("iter lambda",[k,1/lmb],"Eigenvector",X0/norm(X0));
 k=k+1;
end
[v,d]=spec(A);
disp(v,d)
OUTPUT:
"iter lambda"
 263. 1.3482917
 "Eigenvector"
 0.4683579
 0.5093367
 -0.7219536
 "iter lambda"
 264. 1.4761086
 "Eigenvector"
 0.4002879
 0.5831895
 -0.7068661
```

```
"iter lambda"
265. 1.6082254
"Eigenvector"
0.3295203
0.6497755
-0.6849878
"iter lambda"
266. 1.6082542
"Eigenvector"
0.2445533
0.7180401
-0.6516227
   column 1 to 2
0.3243216 + 0.i 0.3899937 - 0.1875413i
0.5849985 + 0.i 0.5379993 + 0.2718959i
0.7433655 + 0.i -0.6703451 + 0.i
   column 3
0.3899937 + 0.1875413i
0.5379993 - 0.2718959i
-0.6703451 + 0.i
   column 1 to 2
```

6.095824 + 0.i 0. + 0.i

```
0. + 0.i 1.452088 + 0.4336988i
 0. + 0.i 0.
                  + 0.i
     column 3
 0.
     + 0.i
 0.
       + 0.i
 1.452088 - 0.4336988i
EXPERIMENT:2
clc
m = [2; 1; 3];
r = [1, -1, 2;
  1, 1, -2;
  2, -2, 2];
I = zeros(3, 3);
for i = 1:3
  Ixx = m(i) * (r(i, 2)^2 + r(i, 3)^2);
  Iyy = m(i) * (r(i, 1)^2 + r(i, 3)^2);
  Izz = m(i) * (r(i, 1)^2 + r(i, 2)^2);
  Ixy = m(i) * r(i, 1) * r(i, 2);
  Ixz = m(i) * r(i, 1) * r(i, 3);
  Iyz = m(i) * r(i, 2) * r(i, 3);
 I = I + [Ixx, -Ixy, -Ixz;
      -Ixy, Iyy, -Iyz;
      -Ixz, -Iyz, Izz];
end
disp(I);
[f,e]=spec(I)
disp(f,e)
OUTPUT:
39. 13. -14.
 13. 39. 18.
 -14. 18. 30.
 -0.4913199 0.8145894 0.3082999
 0.549112  0.0149395  0.8356152
 -0.6760775 -0.5798456 0.4546409
```

5.2062517 0.

```
0.
        0.
                53.589772
clc
m = [2;3;0];
r = [2.1213, 0, 2.1213;
  -2.1213, 0, -2.1213;
   0, 0, 0];
I = zeros(3, 3);
for i = 1:3
  Ixx = m(i) * (r(i, 2)^2 + r(i, 3)^2);
  Iyy = m(i) * (r(i, 1)^2 + r(i, 3)^2);
  Izz = m(i) * (r(i, 1)^2 + r(i, 2)^2);
  Ixy = m(i) * r(i, 1) * r(i, 2);
  Ixz = m(i) * r(i, 1) * r(i, 3);
  Iyz = m(i) * r(i, 2) * r(i, 3);
 I = I + [Ixx, -Ixy, -Ixz;
      -Ixy, Iyy, -Iyz;
      -Ixz, -Iyz, Izz];
end
disp(I);
[f,e]=spec(I)
disp(f,e)
OUTPUT:
22.499568 0.
                  -22.499568
        44.999137 0.
 0.
 -22.499568 0.
                     22.499568
 -0.7071068  0.2038503  -0.6770857
 1.517D-16 -0.9575438 -0.2882878
 -0.7071068 -0.2038503 0.6770857
 7.105D-15 0.
                     0.
 0.
        44.999137 0.
 0.
         0.
                44.999137
```

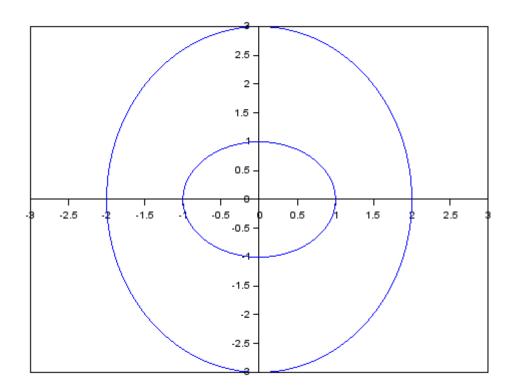
0.

49.203977 0.

EXPERIMENT-3

//scaling

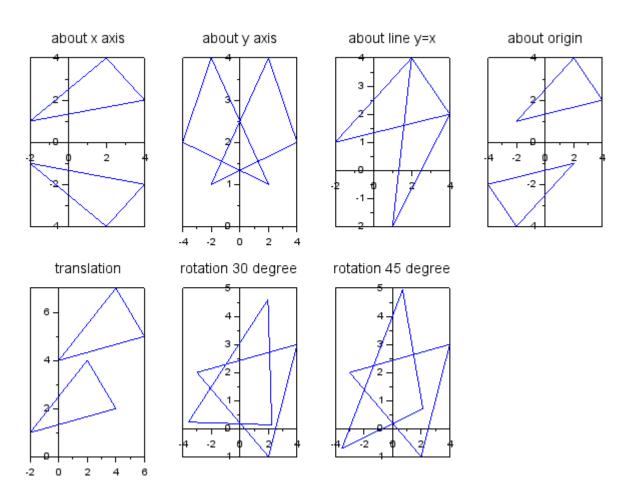
```
clc
clear
<u>clf</u>
s=[2\ 0;0\ 3]
xc=0;
yc=0;
r=1;
a=linspace(0,2*%pi,100)
x=xc+r*cos(a);
y=yc+r*sin(a);
\underline{plot}(x,y)
X=[x'y']
b=X*s
x1=b(:,1)
x2=b(:,2)
plot(x1,x2)
a=gca()
a.x_location="origin"
a.y_location="origin"
a.data_bounds=[-3 -3;3 3]
```



```
//reflection transformations clc clf x=[-2\ 2\ 4\ -2] y=[1\ 4\ 2\ 1] subplot(2,4,1) plot(x,y) a=[1\ 0;0\ -1]
```

```
b=[x' y']
c=b*a
<u>plot(c(:,1),c(:,2))</u>
a=gca()
a.x_location="origin"
a.y_location="origin"
title("about x axis")
subplot(2,4,2)
plot(x,y)
a=[-1\ 0;0\ 1]
c=b*a
plot(c(:,1),c(:,2))
a=gca
a.x_location="origin"
a.y_location="origin"
title("about y axis")
<u>subplot(2,4,3)</u>
plot(x,y)
a=[0 1;1 0]
c=b*a
<u>plot(c(:,1),c(:,2))</u>
a=gca()
a.x_location="origin"
a.y_location="origin"
title("about line y=x")
subplot(2,4,4)
plot(x,y)
a = [-1 \ 0; 0 \ -1]
c=b*a
<u>plot(c(:,1),c(:,2))</u>
a=gca()
a.x_location="origin"
a.y_location="origin"
title("about origin")
<u>subplot(2,4,5)</u>
plot(x,y)
a=ones(4,1)
A=2*a
B=3*a
c=[A B]
d=b+c
plot(d(:,1),d(:,2))
a=gca()
a.x_location="origin"
a.y_location="origin"
title(" translation ")
x = [24 - 32]
y=[-132-1]
subplot(2,4,6)
plot(x,y)
a=[cos(%pi/6) sin(%pi/6);-sin(%pi/6) cos(%pi/6)]
```

```
b=[x' y']
c=b*a
plot(c(:,1),c(:,2))
a=gca()
a.x_location="origin"
a.y_location="origin"
title(" rotation 30 degree ")
<u>subplot(2,4,7)</u>
plot(x,y)
a = [\cos(\%pi/4) \sin(\%pi/4); -\sin(\%pi/4) \cos(\%pi/4)]
c=b*a
plot(c(:,1),c(:,2))
a=gca()
a.x_location="origin"
a.y_location="origin"
title(" rotation 45 degree ")
```



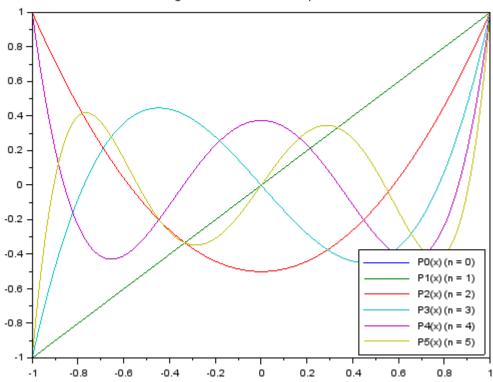
EXPERIMENT:4

```
//solving legendre diff. eq and proving orthogonality
scf(2);clc;clear;clf(2);
a=-1; b=1; beeta=1; nmax=5;
n1=500; g=n1-1; h=(b-a)/n1;
y1=zeros(g,nmax+1);
```

```
x=linspace(a+h,b-h,n1-1); plegend=[]
for n=0:nmax
  alpha=-2*modulo(n,2)+1;
  for i=1:g
     t=(1-x(i)^2);
     p(i)=-2*x(i)/t;
     q(i)=n*(n+1)/t;
     k(i)=2-h*p(i);
     m(i)=2*h*h*q(i)-4;
     l(i)=2+h*p(i);
     r(i)=0;
     B(i)=2*h*h*r(i);
  A=zeros(g,g)+diag(m)+diag(l(1:g-1),1)+diag(k(2:g),-1)
  B(g)=B(g)-l(g)*beeta;
  B(1)=B(1)-k(1)*alpha;
  y=A\setminus B;
  y1(:,n+1)=y(:,1);
  plegend(n+1)="P"+string(n)+"(x) (n = "+string(n)+")"
  for j=0:n
     I=0
     I=I+4*y1(1:2:g,n+1)'*y1(1:2:g,j+1);//sum(h*y1(:,n+1)'*y1(:,j+1))
     I=I+2*y1(2:2:g,n+1)'*y1(2:2:g,j+1);
     I=(h/3)*(I-2*(modulo(n-j,2)-1));
     disp("Integration of P"+string(n)+"(x)*P"+string(j)+"(x):"+string(I))
  end
end
func=y1(1:g,1:nmax+1)
plot(x',func,style=1:nmax+1)
legend(plegend,4)
<u>title</u>("Solution of Legendre Differential equation for n = 0 to "+string(nmax))
OUTPUT:
"Integration of P0(x)*P0(x): 2"
 "Integration of P1(x)*P0(x) : -1.169D-13"
 "Integration of P1(x)*P1(x): 0.6666667"
 "Integration of P2(x)*P0(x) : -1.095D-14"
 "Integration of P2(x)*P1(x) : -2.961D-18"
 "Integration of P2(x)*P2(x): 0.4"
 "Integration of P3(x)*P0(x):-1.175D-16"
 "Integration of P3(x)*P1(x) : 0.0000053"
 "Integration of P3(x)*P2(x) : 1.127D-15"
 "Integration of P3(x)*P3(x) : 0.2857097"
 "Integration of P4(x)*P0(x) : 0.0000093"
 "Integration of P4(x)*P1(x) : -3.527D-15"
```

```
"Integration of P4(x)*P2(x): 0.0000133"
```

Solution of Legendre Differential equation for n = 0 to 5



```
//Hermite
clc;clear;clf();
a=-5; b=5; nmax=5;
n1=500; g=n1-1; h=(b-a)/n1;
y1=zeros(g,nmax+1);
x=linspace(a+h,b-h,n1-1); plegend=[];
H(1)=1;H(2)=2*a;
for n=0:nmax
    if n>0&n<=nmax-1 then
        H(n+2)=2*a*H(n+1)-2*n*H(n)
```

[&]quot;Integration of P4(x)*P3(x) : 1.497D-14"

[&]quot;Integration of P4(x)*P4(x) : 0.2222053"

[&]quot;Integration of P5(x)*P0(x) : -1.984D-15"

[&]quot;Integration of P5(x)*P1(x) : 0.0000173"

[&]quot;Integration of P5(x)*P2(x) : -2.984D-16"

[&]quot;Integration of P5(x)*P3(x) : 0.000024"

[&]quot;Integration of P5(x)*P4(x) : -4.833D-15"

[&]quot;Integration of P5(x)*P5(x) : 0.1817782"

```
end
  alpha=H(n+1)
  beeta=alpha*((-1)^n);
  for i=1:g
     p(i)=-2*x(i);
     q(i)=2*n;
     k(i)=2-h*p(i);
     m(i)=2*h*h*q(i)-4;
     l(i)=2+h*p(i);
     r(i)=0;
     B(i)=2*h*h*r(i);
  A = zeros(g,g) + diag(m) + diag(l(1:g-1),1) + diag(k(2:g),-1)
  B(g)=B(g)-l(g)*beeta;
  B(1)=B(1)-k(1)*alpha;
  y=A\setminus B;
  y1(:,n+1)=y(:,1);
  plegend(n+1)="H"+string(n)+"(x) (n = "+string(n)+")"
for n=0:nmax
  for j=0:n
     I=0:
     I=I+4*exp(-(x(1:2:g).^2))*(y1(1:2:g,n+1).*y1(1:2:g,j+1));
     I=I+2*exp(-(x(2:2:g).^2))*(y1(2:2:g,n+1).*y1(2:2:g,j+1));
     I=(h/3)*(I+alpha+beeta);
     disp("Integration of H"+string(n)+"(x)*H"+string(j)+"(x):"+string(I))
  end
end
func=y1(1:g,1:nmax+1)
plot(x',func,style=1:nmax+1)
legend(plegend,4)
<u>title</u>("Solution of Hermite Differential equation for n = 0 to "+string(nmax))
a=gca()
a.data_bounds=[-5 -150;5 150]
OUTPUT:
 "Integration of H0(x)*H0(x) : 1.7727106"
 "Integration of H1(x)*H0(x):0"
 "Integration of H1(x)*H1(x): 3.5447201"
 "Integration of H2(x)*H0(x) : -2.963D-10"
 "Integration of H2(x)*H1(x):0"
 "Integration of H2(x)*H2(x) : 14.179652"
 "Integration of H3(x)*H0(x) : 1.940D-13"
 "Integration of H3(x)*H1(x): 0.0028358"
 "Integration of H3(x)*H2(x) : -9.701D-14"
 "Integration of H3(x)*H3(x): 85.076329"
```

```
"Integration of H4(x)*H0(x) : 0.002836"
```

"Integration of H4(x)*H2(x) : 0.0453704"

"Integration of H4(x)*H3(x) : -2.910D-13"

"Integration of H4(x)*H4(x) : 680.57349"

"Integration of H5(x)*H0(x) : -6.791D-13"

"Integration of H5(x)*H1(x): 0.0283668"

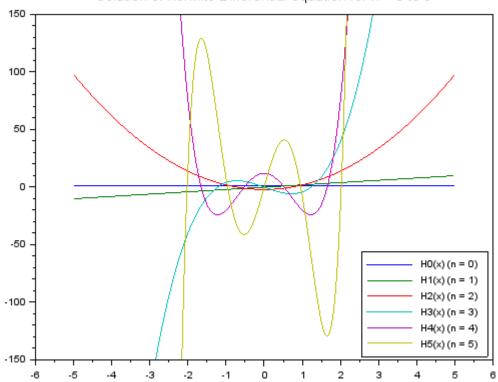
"Integration of H5(x)*H2(x): 1.358D-12"

"Integration of H5(x)*H3(x) : 0.6803149"

"Integration of H5(x)*H4(x) : -1.242D-11"

"Integration of H5(x)*H5(x): 6804.9216"

Solution of Hermite Differential equation for n = 0 to 5



EXOERIMENT-5

Reflection-

```
scf(1);clc;clear;clf(1);
x1=[1 6]
x2=[2 4]
n=1000;
x=linspace(x1(1,1),x2(1,1),n);
```

[&]quot;Integration of H4(x)*H1(x):0"

```
 \begin{aligned} & \text{d=sqrt}((x1(1,1)-x)^2 + (x1(1,2)-0)^2) + \text{sqrt}((x-x2(1,1))^2 + (0-x2(1,2))^2); \\ & [m,k] = \min(d) \\ & \text{disp}("Point of reflection: ("+string}(x(1,k)) + ",0)") \\ & \text{disp}("Angle of incidence(deg): "+string}(90-180*atan(x1(1,2)/(x(1,k)-x1(1,1)))/\%pi)) \\ & \text{disp}("Angle of reflection(deg): "+string}(90-180*atan(x2(1,2)/-(x(1,k)-x2(1,1)))/\%pi)) \\ & \text{plot}([x1(1,1) \ x(1,k) \ x2(1,1)], [x1(1,2) \ 0 \ x2(1,2)]) \\ & \text{plot}(x,0,'k') \\ & \text{plot}(x(1,k)*ones(x),x-x1(1,1),'--k') \\ & \text{legend}('Light Beam','Mirror(y=0)','Normal') \\ & \text{title}('Shortest path of reflection') \\ & \text{xlabel}('x') \\ & \text{ylabel}('y') \end{aligned}
```

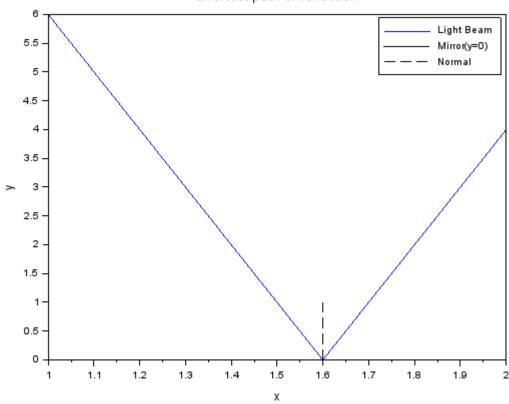
OUTPUT:

"Point of reflection: (1.5995996,0)"

"Angle of incidence(deg): 5.7068074"

"Angle of reflection(deg): 5.7162716"

Shortest path of reflection



Refraction-

```
 \begin{array}{l} \underline{scf}(0); clc; clear; \underline{clf}(0); \\ x1=[1\ 6] \\ x2=[2\ -4] \\ n=[1.5\ 1] \\ v1=1; v2=v1*n(1,1)/n(1,2); \\ np=1000; \\ x=linspace(x1(1,1),x2(1,1),np); \\ d1=sqrt((x1(1,1)-x)^2+(x1(1,2)-0)^2) \\ d2=sqrt((x-x2(1,1))^2+(0-x2(1,2))^2); \\ t=d1/v1+d2/v2; \end{array}
```

```
[m,k]=\min(t)\\ i=90-180*atan(x1(1,2)/(x(1,k)-x1(1,1)))/\%pi\\ r=90-180*atan(x2(1,2)/(x(1,k)-x2(1,1)))/\%pi\\ disp("Point of refraction: ("+string(x(1,k))+",0)")\\ disp("Angle of incidence i(deg): "+string(i))\\ disp("Angle of refraction r(deg): "+string(r))\\ disp("Ratio sin(i)/sin(r) = "+string(sind(i)/sind(r))+", Ratio n2/n1 = "+string(n(1,2)/n(1,1)))\\ plot([x1(1,1) x(1,k) x2(1,1)],[x1(1,2) 0 x2(1,2)])\\ plot(x,0,'k')\\ plot(x(1,k)*ones(x),x-4.5,'--k')\\ legend('Light Beam','Media Boundary(y=0)','Normal')\\ title('Shortest path of refraction')\\ xlabel('x')\\ ylabel('y')
```

output:

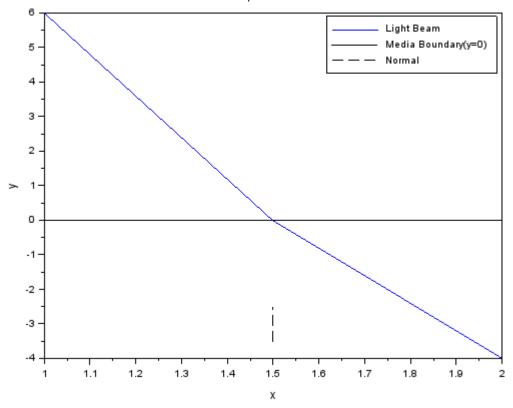
"Point of refraction: (1.4984985,0)"

"Angle of incidence i(deg): 4.749402"

"Angle of refraction r(deg): 7.1461919"

"Ratio $\sin(i)/\sin(r) = 0.6655694$, Ratio n2/n1 = 0.6666667"

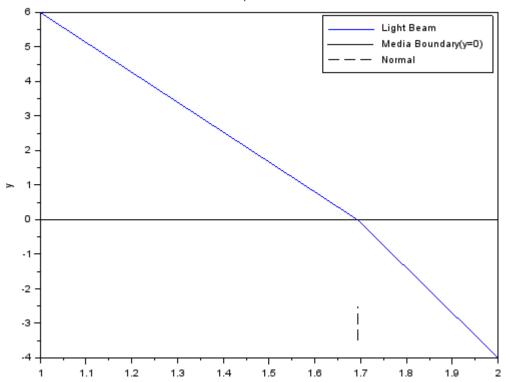
Shortest path of refraction



scf(0);clc;clear;clf(0);

```
x1=[1 6]
x2=[2-4]
n=[1.1.5]
v1=1;v2=v1*n(1,1)/n(1,2);
np=1000;
x = linspace(x1(1,1),x2(1,1),np);
d1=sqrt((x1(1,1)-x)^2+(x1(1,2)-0)^2)
d2=sqrt((x-x2(1,1))^2+(0-x2(1,2))^2);
t=d1/v1+d2/v2;
[m,k]=min(t)
i=90-180*atan(x1(1,2)/(x(1,k)-x1(1,1)))/\%pi
r=90-180*atan(x2(1,2)/(x(1,k)-x2(1,1)))/%pi
disp("Point of refraction : ("+string(x(1,k))+",0)")
disp("Angle of incidence i(deg) : "+string(i))
disp("Angle of refraction r(deg) : "+string(r))
disp("Ratio sin(i)/sin(r) = "+string(sind(i)/sind(r)) + ", Ratio n2/n1 = "+string(n(1,2)/n(1,1)))
<u>plot([x1(1,1) x(1,k) x2(1,1)],[x1(1,2) 0 x2(1,2)])</u>
plot(x,0,'k')
plot(x(1,k)*ones(x),x-4.5,'--k')
legend('Light Beam','Media Boundary(y=0)','Normal')
title('Shortest path of refraction')
xlabel('x')
ylabel('y')
output:
"Point of refraction: (1.6926927,0)"
 "Angle of incidence i(deg): 6.5855728"
 "Angle of refraction r(deg): 4.393223"
 "Ratio sin(i)/sin(r) = 1.4971981, Ratio n2/n1 = 1.5"
```

Shortest path of refraction



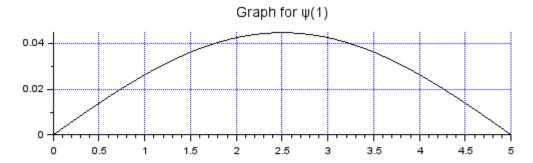
EXPERIMENT-6

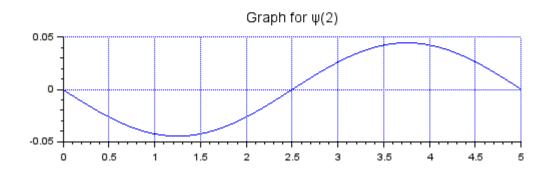
```
//infinite potential well
<u>clf</u>
hbar = 1973
m = 0.511e6
xmin = 0
xmax = 5
n = 1000
x = linspace(xmin, xmax, n)
d = x(2) - x(1)
V = zeros(n, 1)
V_{inf} = 1e10
V(x < xmin \mid x > xmax) = V_inf
K = eye(n, n) * (-2)
for i = 1:(n - 1)
  K(i, i + 1) = 1
  K(i + 1, i) = 1
H = (-(hbar^2) / (2 * m * d^2)) * K + diag(V)
[U, EV] = spec(H)
E = diag(EV);
disp("ground state energy "+string(E(1))+" eV ","1st excited state energy "+string(E(2))+" eV")
for i = 1:2
  <u>subplot(3, 1, 2*i-1)</u>
  plot2d(x', U(:,i),i)
  xtitle("Graph for \psi(" + string(i) + ")")
  xgrid(2)
end
```

OUTPUT:

"ground state energy 1.4977022 eV "

"1st excited state energy 5.9907942 eV"





EXPERIMENT-7

```
//harmonic oscillator
clf;clc;
hbar = 1973
m = 0.511e6;
k=1;

xmin = -5;
xmax = 5;
n = 1500;

x = linspace(xmin, xmax, n)
d = (xmax-xmin)/n
```

```
V=zeros(n,n)
for i = 1:n
    V(i, i) = (0.5*k*x(i)^2)
end
K = eye(n, n) * (-2)
for i = 1:(n-1)
  K(i, i + 1) = 1
  K(i + 1, i) = 1
H = (-(hbar^2) / (2 * m * d^2)) * K + V
[U, EV] = spec(H)
E = diag(EV)
z = 0.4
disp("ground state energy "+string(E(1))+" \ eV ","1st \ excited \ state \ energy "+string(E(2))+" \ eV ","2nd
excited state energy "+string(E(3))+" eV ","3RD excited state energy "+string(E(4))+" eV ")
<u>subplot(1,2,1)</u>
\underline{plot}(x,0.5*k*x^2/10,'linewidth',2)
xlabel('x')
ylabel('1/2kx^2')
xgrid(5)
<u>subplot(1,2,2)</u>
plot(x',[U(:,1),U(:,2),U(:,3),U(:,4)],'linewidth',2)
xlabel('x')
ylabel('wavefunction')
xgrid(5)
OUTPUT:
"ground state energy 1.3819492 eV "
 "1st excited state energy 4.1586229 eV "
 "2nd excited state energy 7.0126126 eV "
 "3RD excited state energy 10.10147 eV "
```

