1.

$$(1)X \rightarrow a$$
, predict-set $(X \rightarrow a) = first(a) = \{a\}$

$$(2)X \rightarrow b$$
, predict-set $(X \rightarrow b) = first(b) = \{b\}$

2.

$$(1)X \rightarrow W$$
, predict-set $(X \rightarrow W) = first(W) = \{a\}$

$$(2)X \rightarrow Z$$
, predict-set $(X \rightarrow Z) = first(Z) = \{b\}$

$$(3)W \rightarrow a$$
, predict-set($W \rightarrow a$) = first(a) = { a }

$$(4)Z \rightarrow b$$
, predict-set($Z \rightarrow b$) = first(b) = {b}

3.

(1)
$$X \rightarrow WY$$
, predict-set($X \rightarrow WY$) = first(W)= {b, ε }

=
$$\{b, \varepsilon \} \setminus \{\varepsilon \} \cup first(Y)$$

$$= \{b\} \cup first(Y)$$

$$= \{b\} \cup \{a\}$$

$$= \{b, a\}$$

$$(2)W \rightarrow b$$
, predict-set $(W \rightarrow b) = first(b) = \{b\}$

$$(3)W \rightarrow \varepsilon$$
, predict-set($W \rightarrow \varepsilon$) = FOLLOW(W) = first(Y) ={a}

$$(4)Y \rightarrow a$$
, predict-set $(Y \rightarrow a) = first\{a\} = \{a\}$

4.

(1)
$$X \Rightarrow WY$$
, predict-set($X \Rightarrow WY$) = first(W) = {b, ε }
$$= \{b, \varepsilon\} \setminus \{\varepsilon\} \cup \text{ first}(Y)$$

$$= \{b\} \cup \{a, \varepsilon\} = \{b, a, \varepsilon\}$$

$$= \{b, a\} \cup \text{ FOLLOW}(X)$$

$$= \{b, a\} \cup \text{ FOLLOW}(X)$$

$$= \{b, a, \$\}$$

$$(2) W \Rightarrow b, \text{ predict-set}(W \Rightarrow b) = \text{ first}(b) = \{b\}$$

$$(3) W \Rightarrow \varepsilon, \text{ predict-set}(W \Rightarrow \varepsilon) = \text{FOLLOW}(W) = \text{ first}(Y)$$

$$= \{a, \varepsilon\}$$

$$= \{a\} \cup \text{ FOLLOW}(X)$$

$$= \{a, \$\}$$

$$(4) Y \Rightarrow a, \text{ predict-set}(Y \Rightarrow a) = \text{ first}\{a\} = \{a\}$$

$$(5) Y \Rightarrow \varepsilon, \text{ predict-set}(Y \Rightarrow \varepsilon) = \text{FOLLOW}(Y) = \text{FOLLOW}(X) = \{\$\}$$
5.
$$(1) X \Rightarrow W, \text{ predict-set}(X \Rightarrow W) = \text{ first}(W) = \{\varepsilon\}$$

$$= \text{FOLLOW}(W)$$

$$= \text{FOLLOW}(W)$$

$$= \{\$\}$$

$$(2) W \Rightarrow \varepsilon, \text{ predict-set}(W \Rightarrow \varepsilon) = \text{FOLLOW}(W)$$

$$= \{\$\}$$