Additional Exercise

For an East-West array, all the antennas lie on the y-axis in the corresponding XYZ frame. This means that when we transform to UVW co-ordinates everything lies in a plane that pivots into $w \neq 0$ around v = 0, i.e. the u-axis. This means we only need a single rotation to bring the w-axis inline with the NCP and that w is just a function of v:

$$w = -v \cot \delta$$

For an array with some North-South geometry the plane will not pivot solely around v=0, but rather in a plane that is a function of both u and v. This means that two rotations are needed to bring the w-axis in line with the NCP. In this case

$$w = u \sin \chi \tan Z - v \cos \chi \tan Z$$

Derive this expression.