

III.1-§.

159. Barcha butun sonlar 1 moduli bo'yicha o'zaro taqqoslanuvchi. **160.** Masalan 9, 17 lar. **161.** a), b). **165.** $x = 2 + 10t$, $t \in \mathbb{Z}$, $x = 2, 12, 22, -8, -18$. **166.** a). $x \equiv 0 \pmod{3}$, $x = 3t$, $t \in \mathbb{Z}$. b). $x \equiv 1 \pmod{2}$, $x = 1 + 2t$, $t \in \mathbb{Z}$. **167.** a). $m = 1, 2, 3, 4, 6, 12$. b). $m = 1, 2, p, 2p$. **168.** $m = 1, 2, 4, 8$. **169.** Misol uchun 1, 11, 101, 1001, **170.** a), b), c). **171.** $x = 2 + 5t_1$, t_1 - ixtiyoriy butun son. **181.** 1). 8 va 9. 2). 0 va 7.

III.2-§.

195. $x \equiv 0, 1, 2, \dots, 9 \pmod{10}$. **196.** 1). 1, 2, 3, 4, ..., 9 lar 9 moduli bo'yicha eng kichik musbat chegirmalarining to'la sistemasi. -9, -8, -7, ..., -2, -1 lar 9 moduli bo'yicha eng katta manfiy chegirmalarning to'la sistemasi; $0; \pm 1; \pm 2; \pm 3; \pm 4$ lar 9 moduli bo'yicha absolyut qiymati jihatidan eng kichik chegirmalarining to'la sistemasi. Chegirmalarning keltirilgan sistemalar 1, 2, 4, 5, 7, 8; $-8, -7, -5, -4, -2, -1; \pm 1; \pm 2; \pm 4$ lardan iborat.

2). Chegirmalarining to'la sistemalari 1, 2, 3, 4, ..., 8; $-8, -7, -6, -5, \dots, -2, -1; \pm 1; \pm 2; \pm 3; \pm 4$. Chegirmalarning keltirilgan sistemalari 1, 3, 5, 7; $-1, -3, -5, -7; \pm 1; \pm 3$ lardan iborat.

3). Chegirmalarining to'la sistemalari:

1, 2, 3, 4, ..., 13; $-13, -12, -11, \dots, -2, -1; 0, \pm 1, \pm 2, \pm 3, \pm 4, \pm 5, \pm 6$.

Chegirmalarning keltirilgan sistemalari:

1, 2, 3, 4, ..., 12; $-12, -11, \dots, -2, -1; \pm 1, \pm 2, \pm 3, \pm 4, \pm 5, \pm 6$.

4). Chegirmalarining to'la sistemalari:

1, 2, 3, 4, ..., 12; $-12, -11, -10, \dots, -2, -1; \pm 1, \pm 2, \pm 3, \pm 4, \pm 5, \pm 6$.

Chegirmalarning keltirilgan sistemalari:

1, 5, 7, 11; $-1, -5, -7, -11; \pm 1; \pm 5$.

5). Chegirmalarining to'la sistemalari:

1, 2, 3, 4, 5, 6, 7; $-7, -6, -5, -4, -3, -2, -1; 0, \pm 1, \pm 2, \pm 3$.

Chegirmalarning keltirilgan sistemalari:

1, 2, 3, 4, 5, 6; -7 - 6, -5, -4, -3, -2, -1; $\pm 1, \pm 2, \pm 3$.

6).Chegirmalarining to'la sistemalari:

1, 2, 3, 4, ... , 10; -10, -9, -8, ... , -2, -1; $\pm 1, \pm 2, \pm 3, \pm 4, \pm 5$,

Chegirmalarning keltirilgan sistemalari:

1, 3, 7, 9; -9, -7, -3, -1; $\pm 1, \pm 3$.

197. $x = 10q + r, 0 \leq r < 10$ yoki $x = 10q, x = 10q + 1, x = 10q + 2, x = 10q + 3, x = 10q + 4, x = 10q + 5, x = 10q + 6, x = 10q + 7, x = 10q + 8, x = 10q + 9$.

198. a). $x \equiv 1, 3, 7, 9 \pmod{10}$. b). $x \equiv 2, 4, 6, 8 \pmod{10}$. c). $x \equiv 5 \pmod{10}$. d).

. $x \equiv 0 \pmod{10}$. **200.** Masalan:

1, 2, 3, 4, 5, 6, 7, 8, 9, 10; -10, -9, -8, -7, -6, -5, -4, -3, -2, -1; $\pm 1, \pm 2, \pm 3, \pm 4, \pm 5$, umumiy holda $x = 10q + r, 0 \leq r < 10$ va $q \in \mathbb{Z}$. **202.** $m = 5$. **206.**

9, 2, 5, 8, 1, 4, 7, 0, 3, 6. **207.** 0, 1, 2, 3. **210.** Masalan: 1, 5; -5, 5; -5, -1; 7, 11; 13, 17.

211. $(3, 12) = 3$. **219.** 1, 2, 3, 4, 5, 6, 7, 8, 9- lar $m=9$ moduli boyicha musbat eng kichik chegirmalarning to'la sistemasi; 0, 1, 2, 3, 4, 5, 6, 7, 8- lar $m = 9$ moduli boyicha manfiy bo'lmagan eng kichik chegirmalarning to'la sistemasi;

0, $\pm 1, \pm 2, \pm 3, \pm 4$ - lar $m=9$ moduli boyicha absolyut qiymati jihatidan eng kichik chegirmalarning to'la sistemasi bo'ldi. 1, 2, 4, 5, 7, 8 - lar $m=9$ moduli boyicha musbat eng kichik chegirmalarning keltirilgan sistemasi; 1, 2, 4, 5, 7, 8 - lar $m=9$ moduli boyicha manfiy bo'lmagan eng kichik chegirmalarning keltirilgan sistemasi; $\pm 1, \pm 2, \pm 4$ - lar $m=9$ moduli boyicha absolyut qiymati jihatidan eng kichik chegirmalarning keltirilgan sistemasi bo'ladi.

III.3-§.

224.12. **225.**7. **227.**8. **228.**2. **229.**1. **230.**22. **235.**7 va 6. **236.**1. **236.**049. **246.** $p = 3$.