

## Cabin H26

### LECTURE NO 1

8-02-18

### Pillars of Computer

Graphics

- Imaging
- modeling
- Rendering
- Animation

### Books

### Project

Android app

user panel      admin panel

login

password

camera open - Scan barcode - add attendance

aamash.mahmood@ciitphdne.  
edu.pk

L 1

- How to build android app
- Barcode detection
- 

pdf drive.net

### Book

- Fundamental of computer graphics 2<sup>nd</sup> edition
- computer graphics et with Open GL Reference Book

### Pipeline/Pillars

#### Imaging:-

working in 2D model

#### Modeling:-

working in 3D Model.

#### Rendering:-

on

Projection, 3D model to 2D Screen.

#### Animation

## LECTURE NO 2

14-02-18

### Pillars of computer Graphics:-

✓ Imaging:-

Representing 2D images.

✓ Modeling:-

Representing 3D object.

✓ Rendering:-

constructing 2D image from 3D model.

✓ Animation:-

Simulating changes over time.

✓ Application

entertainment

computer aided design (Modulation of anything contains  
scientific visualization specific properties)

Training (Training via Simulators)

education

E-commerce

Computer

## LECTURE NO.3.

15-02-18.

### Raster Systems

- Basic unit of Raster Systems are pixels
- cubic - specific dimensions. (two dimensions x & y.)
- examples:-

monitor- TV screen, mobile etc.

### Resolutions :-

- Total number of pixels present on a Raster System is known as the resolution of raster system.

400

- Single image present on raster system → frames.

250

- Greater the number of frames/sec higher the quality of picture.

- How many frames are processed in Raster System  
    ↳ images present in Raster system.

- every pixels has definite integer values.

### ⇒ Algorithms

- Line Drawing Algorithms.

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### LINE DRAWING ALGORITHM:-

$$y = mx + c$$

Slope (m)      y intercept

## PROBLEM

1) we get float values as a result of which we have to use round off functions which increase the processing time.

2) we cannot get exact values in case of float

e.g.  $1.1, 1.4, 1.2 \approx 1$  etc

3) Multiplication of m & x  
is not desirable. It slows down the processor.      Processing time of multiplication > addition

Value of m is also in float

S                            ↓ preferable  
Visual Studio 2010.  
open cv                    = (how to integrate)  
                                  ↳ youtube video

## LECTURE NO 4

21-02-18.

DDA virtually  
on paper saves question

### Digital Differential Analyzer

$$\Delta y = y_2 - y_1$$

$$\Delta x = x_2 - x_1$$

$$m = \frac{\Delta y}{\Delta x}$$

int  $y = y_1$   
if ( $m < 1$ )

Draw = pixel( $x_1, y$ , RGB-value)

↑  $x$

library



#include <graphics.h>

↑ 0-255

$x$  coordinate  $y$  coordinate

for ( $x_1 = 0$ ;  $x_1 \leq x_f$ ;  $x++$ ) {

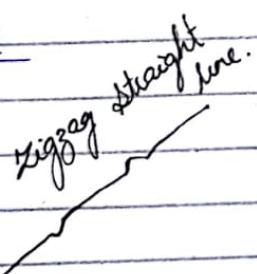
$x_1 = x_1$        $x \leq x_f$  fixed value of  $x$

$$y = y + m;$$

Draw-pixel( $x_1, (Round)y, RGB$ );  
 $x, (Round)y, RGB$

}

output:



1) value of  $m$  is float

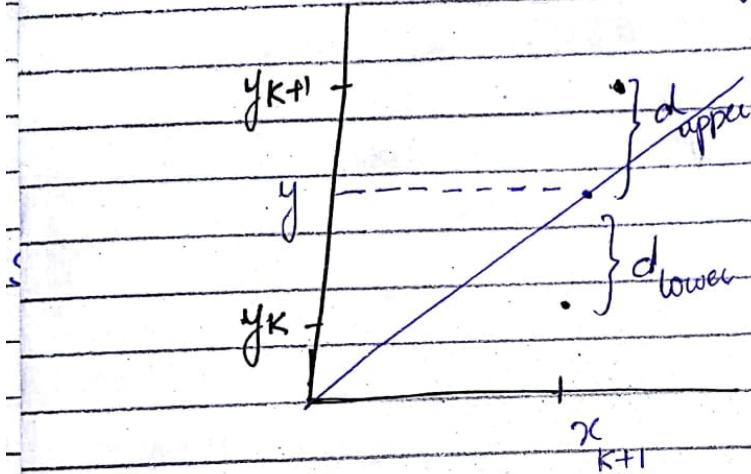
2) Result is in float

3) Only sol is that it solves problem of mul

Q Why we have to face problems while drawing line using line drawing or why we use DDA or what is a problem.

## BRESENHAM's Midpoint Line Drawing Algo.

- The main problem is solving floating values
- Takes great processing time.
- Design algo is such a way that we don't have to solve any floating value.
- automatically select  $y_k$  or  $y_{k+1}$ , only condition is that there is no floating value.



$$y = mx + c$$

$$y = m x_k + c$$

$$y = m(x_{k+1}) + c$$

$$d_{upper} = y_{k+1} - y$$

$$= y_{k+1} - m(x_{k+1}) - c$$

$$d_{lower} = y - y_k$$

$$= m(x_{k+1}) + c - y_k$$

$$\begin{aligned}
 d_{\text{lower}} - d_{\text{upper}} &= m(x_{k+1}) + c - y_k - y_{k+1} + \\
 &\quad m(x_{k+1}) + c \\
 &= 2m(x_{k+1}) + \cancel{2c} - \cancel{2y_{k+1}} \quad \text{constant} \\
 &= 2\frac{\Delta y}{\Delta x}(x_{k+1}) - 2y_k + A \\
 &\quad \cdot A = 2c - 1
 \end{aligned}$$

$$\Delta x(d_{\text{lower}} - d_{\text{upper}}) = 2\Delta y(x_{k+1}) - 2\Delta xy_k + A\Delta x$$

$\uparrow \quad P_K$

will never give floating value

$$P_K = 2\Delta y(x_{k+1}) - 2\Delta xy_k + A\Delta x$$

$\uparrow$

decision parameter

will determine whether  $y$  pixel will be up or down.

if  $P_K < 0$

then  $y_k$  because the distance of  $y_{\text{upper}} > y_k$

and  $y_{\text{lower}} < y_k$  so  $(x_{k+1}, y_k)$

if  $P_K > 0$

$(x_{k+1}, y_{k+1})$

## LECTURE NO 5

22-02-18.

$$P_k = \frac{2\Delta y}{k} x_{k+1} - \frac{2\Delta xy}{k} + A\Delta x$$

$$P_k = \frac{2\Delta y}{k} x - \frac{2\Delta xy}{k} + A\Delta x + 2\Delta y$$

constant  $\chi$

$$P_{k+1} = \frac{2\Delta y}{k+1} x - \frac{2\Delta xy}{k+1} + \chi$$

$$P_{k+1} - P_k = \frac{2\Delta y}{k+1} x - \frac{2\Delta xy}{k+1} + \chi - \frac{2\Delta y}{k} x + \frac{2\Delta xy}{k} - \chi$$

$$P_{k+1} = \frac{2\Delta y}{k+1} \underbrace{\left( x - \frac{x}{k} \right)}_1 - \frac{2\Delta x}{k+1} \underbrace{\left( y - \frac{y}{k} \right)}_1 + P_k$$

$$P_{k+1} = \frac{2\Delta y}{k+1} \underbrace{\left( y - \frac{y}{k} \right)}_0 + P_k \quad \text{Note} \quad - \frac{x}{k+1} - \frac{x}{k} = 1$$

case1  $P_k < 0$

$$\frac{x}{k+1} \rightarrow \frac{y}{k}$$

$$P_{k+1} = 2\Delta y + P_k$$

$$\text{e.g. } 5 - 4 = 1$$

- if  $P_k < 0$

choose  $x_{k+1}, y_k$   
 $y_k - \frac{y}{k} = 0$ .

case2  $P_k > 0$

$$\frac{x}{k+1} \rightarrow \frac{y}{k+1}$$

$$P_{k+1} = 2\Delta y - 2\Delta x + P_k$$

- if  $P_k > 0$

choose  $y_{k+1}$   
 $\frac{y}{k+1} - 1 = 0$

## Assignment.

Convert this pseudocode into proper program and also show output.

### Example

(20, 10) (30, 18)  
if  $m < 1$

1) Take values of  $(x_0, y_0)$ ,  $(x_f, y_f)$

2) Draw  $(x_0, y_0)$

3) Calculate all constants

$$P_0 = 2\Delta y - \Delta x$$

$$= 16 - 10$$

$$\begin{aligned} P_0 &= 2\Delta y - \Delta x \\ &= 2(8) - 10 \\ &= 16 - 10 \\ &= 6. \end{aligned}$$

4) if  $P_k < 0$

$(x_{k+1}, y_k)$



$$P_{k+1} = 2\Delta y + P_k$$

if  $P_k > 0$

$(x_{k+1}, y_{k+1})$

$$P_{k+1} = 2\Delta y - 2\Delta x + P_k$$

### Extra

if  $m > 1$

- select  $P_k$ , don't draw it

- just replace value of  $x_{k+1}$  with  $y_k$  and  $y_k$  with  $x_{k+1}$ .  
swap.

$$\text{e.g } (2, 4) \Leftrightarrow (4, 2)$$

5) Repeat step 3 & 4 till  $(x, y) = (x_f, y_f)$

## Extra

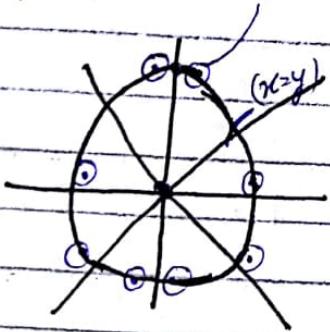
if  $x_f < x_0$  and  $y_f < y_0$  then instead of  
use  $x_{k+1}$  and  $y_{k+1}$  we'll use  $x_{k-1}$  &  $y_{k-1}$ .

## Bresenham's Circle Drawing Algorithm.

- Divide Raster System into 8 parts.  $(x, y) \approx (2, 4)$

$$x^2 + y^2 = R^2$$

$$\begin{cases} y = R \\ x = 0 \end{cases}$$



draw  $(x, y), (-x, y), (x, -y), (-x, -y)$   
 $(y, x), (y, -x), (-y, x), (-y, -x)$

Repeat till  $x = y$  or  $m(\frac{\Delta x}{\Delta y}) = 1$

### Note

decision on the basis of  $(x_{k+1}, y_k)$  OR  $(x_{k+1}, y_{k+1})$

## LECTURE NO 6

### Polygon Filling Algorithm.

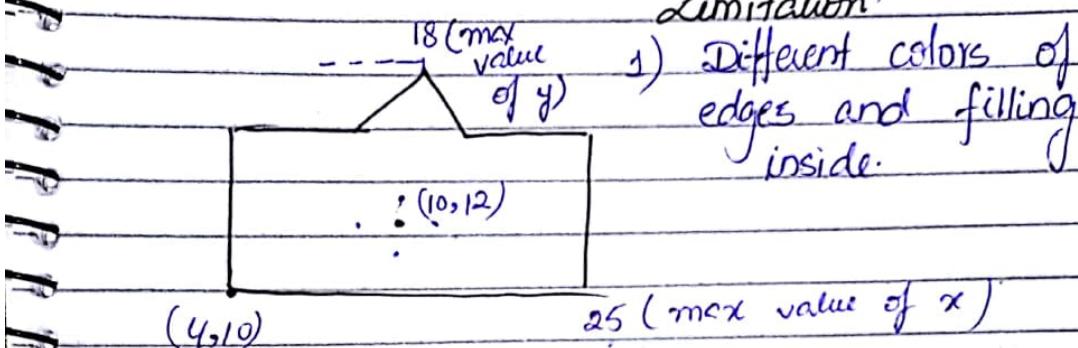
↳ Shape formed by the connection of three or more lines.

#### 1) 4 connectivity

edges = lines

corner vertex :- connection of edges in a point  
- connected point

Limitation



intensity value :- RGIB value.

R G I B

0 0 255 for Blue.

if  $l(x, y, 0) = 255$

open cu  
B G I R

& if  $(x, y, 1) = 0$

if  $(x, y, 2) = 0$

1) Give color to background (edges)

2) Give check whether pixel color is background

and foreground or not

if not then assign foreground color.

..

..

1) Select one pixel, make four connections

$(x_k, y_{k+1}), (x_{k+1}, y_k), (x_{k-1}, y_k),$

$(x_k, y_{k-1})$

2) 8-connectivity

- Select foreground & background  $\circ \circ \circ$

- Make 8 connection of  $\circ \square \circ$   
a pixel at any point.  $\circ \circ \circ$

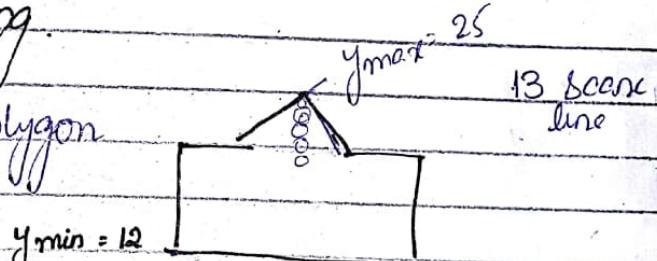
- check for foreground and background color.

if ( $\dots, 0 == 0 \text{ & } \dots, 1 == 0 \text{ & } \dots, 2 == 0$ )

$\uparrow$   
    Black.

3) Scanline Filling.

1) Take size of polygon  
as input



$x_{\min}, y_{\min}, x_{\max}, y_{\max}$

2) calculate no of scanline passing through  
this polygon.

travelling of pixel from  
left and right

Scan line =  $y_{\max} - y_{\min}$

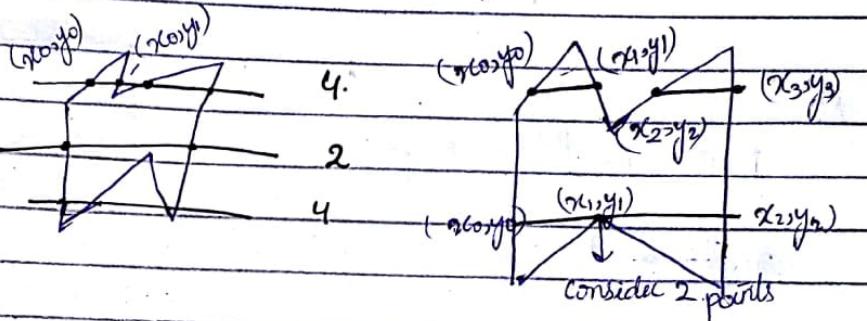
Retracing  $\rightarrow$  Remove dump value

Reducing - vertical (edge to edge)   
 "jump to top right"

- horizontal (from left to right & jump to left)



3) if scanline passes through the edges this will always give even no of intersection points

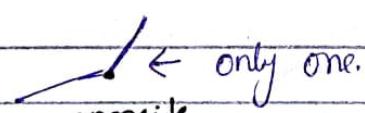


if scanline passes through the vertex then the no of intersection point depends upon the position of a vertex.

either even or odd

note

- u) While forming the vertex both lines are at same side then we consider only one point of intersection

 only one.  
opposite side

on the other hand if lines are not at same side (one increasing/other decreasing) then consider two intersection point

 2.  
(same side)

## LECTURE NO 6

7-03-18.

### Resolution

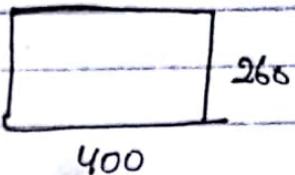
Total number of pixel present on a raster system

### Aspect Ratio

$$= \frac{\text{height}}{\text{width}} = \frac{H}{W} = \frac{\text{Rows}}{\text{columns}}$$

### Note

Never in floating point



$$\frac{260}{400} = 13:20.$$

Frame Buffer: temporarily Memory.

image: Frames

e.g.

30-fps  $\Rightarrow$  30 images in one sec.

images/frames are stored in frame buffer.

- temporarily memory which contains the intensity value of pixel of next frame

- which is in KB; MB etc.

- Intensity value:-

RGB value of pixel stored in binary value in 8 bits.

- greater/higher the fps real the animation would be.

Animation:  $29.7 \text{ fps} \Rightarrow \text{Real Animation}$   
higher than 29.7  $\Rightarrow$  there is no difference.

#### 4) Scan Conversion.

Process in which we convert intensity value of pixel in binary and stored them into frame buffer for further processing.

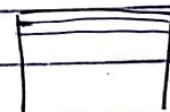
#### 5) Retracing:- / Refresh:

Process in which remove value of old pixel and then add new pixel from frame buffer.

- Movement of scanline from left
- Remove old pixel.
- Add new pixel.  
put

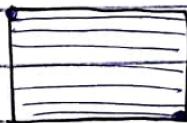
##### 5.1 Horizontal Retracing.

- Scan line from left to Right
- Again come to left Position.



##### 5.2 Vertical Retracing:-

- left top - Right bottom
- Again come to left top
- For whole single frame
- completion of frame



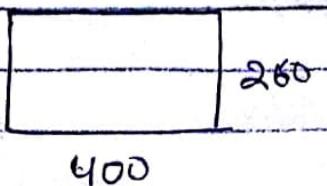
##### Note

##### Random System.

- exact coordinate is noted.
- No movement of scanline.

## Numericals

26 f/s



$$- \text{value change} = 400 \times 260 \times 26$$

$$- \text{frame in one sec} = 26 \Rightarrow \text{frames in nano-sec} = 26 \times 10^9$$

one frame in sec =  $\frac{1}{26}$

$$\text{nano sec} = \frac{1}{26} \times 10^{-9}$$

Resolution?  $400 \times 260$

[25 f/s]

intensity value= 4 bit.

$$\text{Memory Required for frame buffer in sec} = \frac{4 \times 400 \times 260 \times 25}{8}$$

$$= 52000 \times 25$$

$$= 52 \times 10^3 \text{ bytes}$$

$$= 52 \text{ KB}$$

$$= 1300 \text{ KB}$$

Note

when values like value of intensity level is not given then assume it.

$25 \text{ fps} \Rightarrow 4 \text{ bit}$ .

Time Required to Refresh one Row =

$$\frac{260 \times 4 \times 1}{260 \times 25} = 1.5 \times 10^{-4}$$

Q How much time is required in Scanning one Row.

$\Rightarrow$  Refresh 4 columns.

$$\text{Total} = 400 = \frac{4}{400} \text{ (gives four columns)}$$

$$\frac{4}{400 \times 25} = \frac{0.0004 \times 10^6}{10^6} = 4.00 \times 10^{-6}$$

Note

There is no columnwise (vertical) relocking.