

Grounding Lifted PDDL Action Models

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1. Long-Term Motivation/Goal [1,2,3]

Run symbolic, off-the-shelf classical planners
on real world high-level planning tasks / raw data
with minimum human supervision

- Rely more on logic, less on experience (runtime theoretical guarantee, generalization)
- "Generalized" in what sense?
 - ← Domain-independent planners work on any problems *as long as* it is in Planning Domain Description Language (PDDL)
 - ← However, traditionally, PDDL is **written manually**
- Address PDDL weakness: Cube-Space AE [3] learns a PDDL from images
 - ← discrete VAE + discrete dynamics, unsupervised

2. Contribution: Learning a *lifted* action model

- Basic terminology in First Order Logic
- "Lifted" logical statement = **generalized over objects by parameters**
e.g. " $\forall x ; \text{man}(x) \Rightarrow \text{die}(x)$ "
 - "Grounded" = Statements instantiated by objects
e.g. $\text{man}(\text{Socrates}) \Rightarrow \text{die}(\text{Socrates})$
 - "Propositional" = lack the notion of objects
e.g. $\text{socrates-is-a-man} \Rightarrow \text{socrates-dies}$
- DL-Hyped students usually don't
- Proper AI researchers should have learned it in undergraduate AI classes

- Previous work
- FOSAE [2] learns a grounded FOL state representation
 - Cube-Space AE [3] learns a propositional state + dynamics

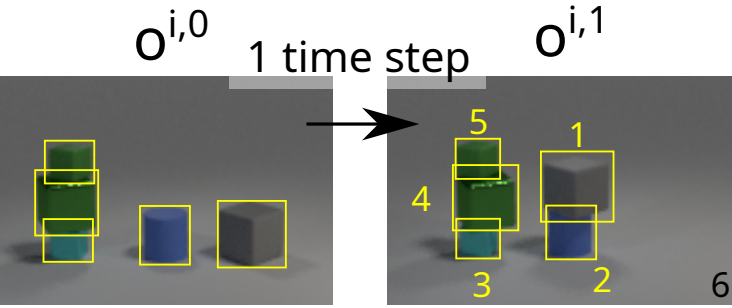
- Contribution
- Cube-Space + FOSAE + Neural Logic Machine [4] + **Variable Binding**
→ **Learn a Lifted PDDL model from object-based observations**

3. Problem setting: Object-based transition [5]

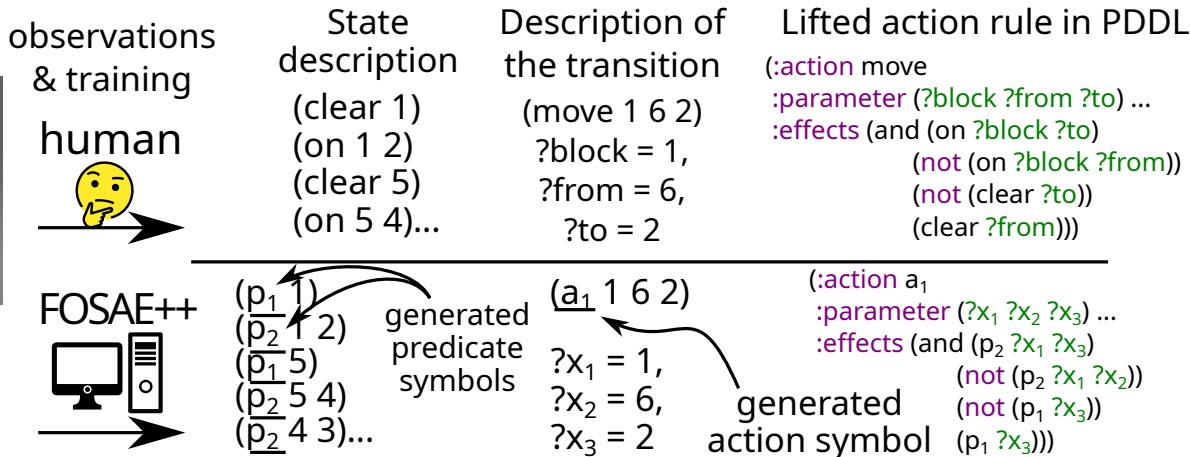
Input: dataset of state transitions ($o^{i,0}, o^{i,1}$) object vector representation

State: variable-sized set of object-vectors →

Output: Lifted PDDL (= discrete dynamics parameterized by objects)



Transition dataset
(observation + segmentation pairs)



4. Requirements to such a system

To generate a lifted PDDL from the scratch (no human supervision), the system should find the following symbols (discrete variables) unsupervised:

- A set of predicate symbols:
(identifies common relations parameterized by objects)
- A set of action symbols
(identifies the same dynamics)
- PDDL-compatible, white-box lifted descriptions of actions
(logical explanation of the dynamics)

Since all symbols are learned unsupervised, they have **anonymous names**

- They do not learn $\text{next}(x, y)$: they learn $p_1(x, y)$
- They do not learn $\text{move}(x, y)$: they learn $a_3(x, y)$

Lifted action description should be generalized over objects, therefore

The network must be **size-invariant** and **permutation-invariant**

5. Background: FOSAE[2], Cube-Space AE[3], NLM[4]

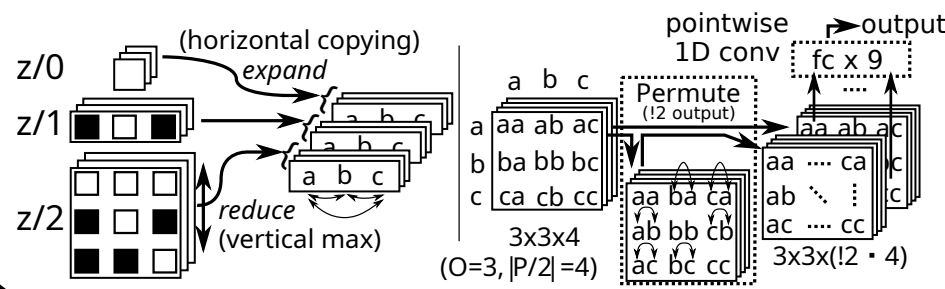
FOSAE learns a **Multi-Arity predicate representation(MAPR)**:
A boolean array of size $1 + O + O^2 + \dots + O^N$ O : number of objects

For example, with $O=3$ objects, we denote $z = (z/0, z/1, z/2)$
(traditional, standard Prolog notation)
(if you feel the notation is "weird", you are probably too young)

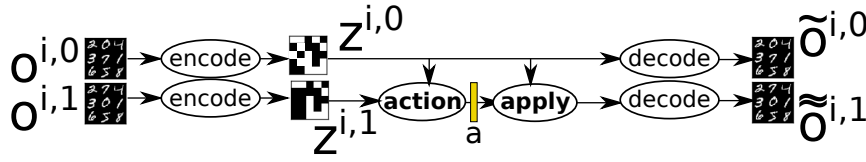
$z/2$: $3*3*3$ tensor may represent predicates
"on/2(x,y)", "next-to/2(x,y)", "above/2(x,y)"

First $3*3$ matrix represents:
on(a,a), on(a,b), ... on(c,c)

NLM provides a permutation/size invariant NN block for MAPR



Cube-Space AE learns a propositional state dynamics compatible with PDDL

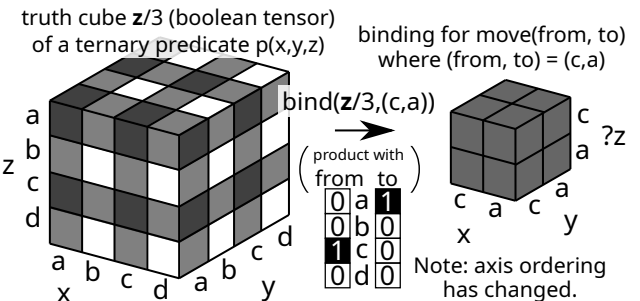


[1] Asai & Fukunaga. Classical Planning in Deep Latent Space: Bridging the Subsymbolic-Symbolic Boundary. AAAI18
[2] Asai. Unsupervised Grounding of Plannable First-Order Logic Representation from Images. ICAPS19
[3] Asai & Muise. Learning Neural-Symbolic Descriptive Planning Models via Cube-Space Priors: The Voyage Home (to STRIPS). IJCAI20
[4] Dong et. al. Neural Logic Machines. ICLR19
[5] Ugur et. al. Bottom-up Learning of Object Categories, Action Effects and Logical Rules: From Continuous Manipulative Exploration to Symbolic Planning ICRA15

6. param, bind, unbind: Operations for Lifting

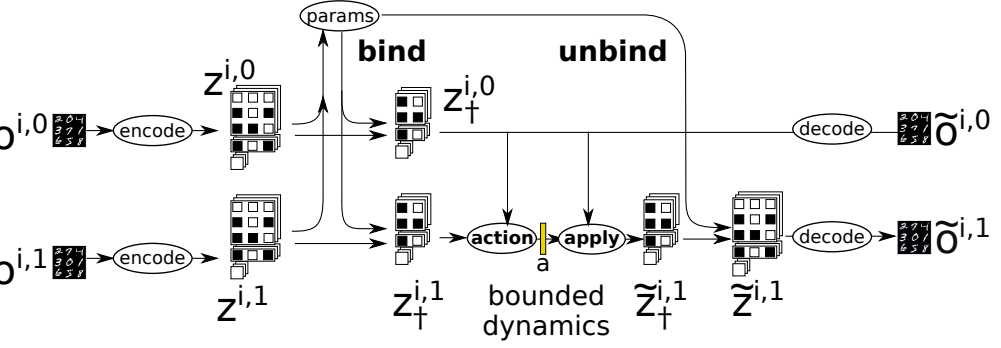
PDDL semantics: Actions can change only the values referenced by the parameters
E.g., action $\text{move}(A, B)$ can't change other objects C, D, E
→ We extract the corresponding objects/predicates
→ Apply the dynamics only to the extracted results
→ Dynamics shape is consistent under different environment

Example: Modeling an action $\text{move}(\text{from}, \text{to})$:



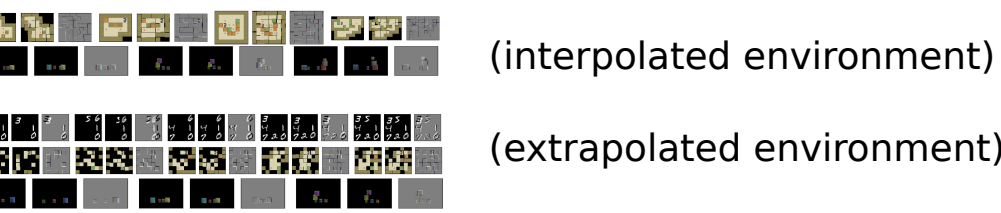
$\text{params}(z^0, z^1) = x$: Self-Attention for lifted paramters
 $\text{bind}(x, z) = z_+$: extracting the related groundings
 $\text{unbind}(x, z_+) = z$: reverse operation

Proposed network: Combine all ingredients



7. Generalization to objects (experiments)

Testing the reconstruction error for the input with smaller / larger number of objects than the training



8. Planning with Lifted PDDL(experiments)

Solving generated PDDLs with Fast Downward planner
Target domain: 8-puzzle, Example solution length: 10

