

I. Convolution Property of GFT:

1. Consider the following signals on a Bucky ball graph, $x_1(n)$ (*inputSignal.mat*) and $x_2(n)$ (*inputSignal1.mat*) then plot the convoluted output ($y(n)$), for the following systems Where $h_1(n) = [0.5, 0.5]$, $h_2(n) = [0.5, -0.5]$, $h_3 = [0.5, 0.5, \dots, 0.5, 0.5]$, $h_4 = [0.5, 0.5, \dots, 0.5, 0.5]$ and $h_5 = [0, 1, 0, \dots, 0, 0]$. Plot the same thing on the graph.

II. Filtering

- 1) Plot the highest variation signals(defined in 1) on the bucky ball graph
- 2) Plot the zero variation signals (defined on 1) on same graph.
3. Define Low pass filter in GFT domain (passing only smallest three variations)
- 4) define High pass filter in GFT domain (passing only 5 high variations)
- 5) define Bandpass filter, which maximizing middle variation by 10
- 6 Define Bandstop filter which minimizes highest variation by 40 dB
- 7) plot the outputs of (4,5,6) on Bucky ball graph.