

# Modeling coherent slow-wave activity in the Drosophila central complex

(Extended Report)

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# 1 Testing Izhikevich Model

## 1.1 Normalizing $\sigma$ of the External Current

Generally, if one changes the simulation step size, one should adapt the  $\sigma$  of the Gaussian white noise. The reason behind this is, that the variance of the Wiener process (or, Brownian motion) is:

$$\text{var}(W_{\Delta t}) = \Delta t$$

where  $\Delta W(t) \sim N(0, \Delta t)$  For the scaled Wiener process ( $X = \sigma W$ ):

$$\text{var}(X_{\Delta t}) = \text{var}(\sigma W_{\Delta t}) = \sigma^2 \text{var}(W_{\Delta t}) = \sigma^2 \Delta t$$

Now, let's  $\Delta t_1$  be the step size and  $\sigma_1$  be the standard deviation. Variance within the time unit equal to  $\Delta t_1$  will be:

$$\text{var}(X_{\Delta t_1}) = \sigma_1^2 \Delta t_1$$

If we change the step size to  $\Delta t_2 = k\Delta t_1$ , then the variance within the time unit  $\Delta t_1$  will equal to:

**TODO 1.** Finish Remark 1

□

**Remark 1.** For the simulations, the standard deviation was normalized with regard to the simulation step size ONLY for helicon cells.

**TODO 2.** Write the reasoning and reference the pictures