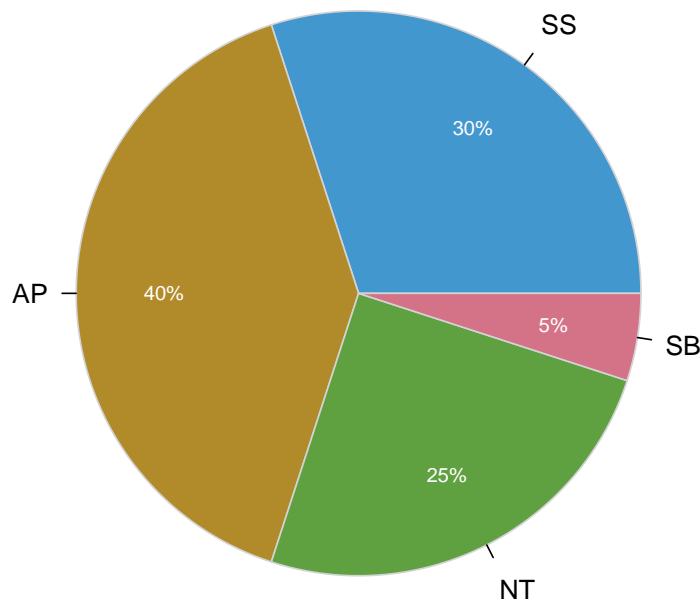
	STATISTICS EXAM	
	2nd Physiotherapy	Name:
	Subject: Statistics	DNI:
	Date: 2023/03/23	Version B

Time: 1 hour.

1. The chart below shows the percentage of grades in a Statistic course with 60 students.



a) Plot the ogive of the score, assuming the following correspondence between grades and scores

Grade	Score
SS	[0, 5)
AP	[5, 7)
NT	[7, 9)
SB	[9, 10]

- Compute the median and interpret it.
- How many students got a score greater than 8?
- Study the dispersion of the distribution.
- Study the skewness of the distribution. Is it normal?
- If we apply the transformation $y = 10x + 5$ to the scores, how changes the representativeness of the mean. And the skewness?

Use the following sums for the computations ($X = \text{Score}$):

$$\sum x_i n_i = 337,5, \sum x_i^2 n_i = 2207,25, \sum (x_i - \bar{x})^3 n_i = -172,55 \text{ and } \sum (x_i - \bar{x})^4 n_i = 2870,75.$$

2. A study tries to determine if there is a relation between the gestation time (in weeks) and the age of the mother (in years). A sample of 40 mothers was taken and the sums below summarize the results (X =Age and Y =Gestation time):

$\sum x_i = 1262$ years, $\sum \log(x_i) = 137,0078 \log(\text{years})$, $\sum y_j = 1583,6$ weeks, $\sum \log(y_j) = 147,1305 \log(\text{weeks})$, $\sum x_i^2 = 41862$ years², $\sum \log(x_i)^2 = 471,4222 \log(\text{years})^2$, $\sum y_j^2 = 62734,685$ weeks², $\sum \log(y_j)^2 = 541,2096 \log(\text{weeks})^2$, $\sum x_i y_j = 50116,7$ years·weeks, $\sum x_i \log(y_j) = 4645,8$ years·log(weeks), $\sum \log(x_i) y_j = 5428,9192 \log(\text{years})\cdot\text{weeks}$, $\sum \log(x_i) \log(y_j) = 504,0696 \log(\text{years})\cdot\log(\text{weeks})$.

- a) Which regression models, linear, exponential or logarithmic, explains better the relation between the age and the gestation time?
- b) Use the best model to predict the gestation time for a mother 45 years old. Is this prediction reliable?
- c) According to the linear model, how much increases or decreases the gestation time for every year of the mother?