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title: "Quant. MGMT Modeling Assignment 2"
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output: html_document
```{r}
# Problem 1:
        The decision variables are the Collegiate and Mini backpacks. Precisely how many of each
can be produced in a week
        The Objective Function for this problem would be;
# B.
# P(profit) = 32C($32per collegiate) + 24M($24 per mini)
        The constraints would be:
# 3C + 2M <= 5000
# 45C + 40M <= 84000
# 0<= C <= 1000
# 0<= M <= 1200
# D.
# 3(911) + 2(1075) = 4883 sq ft
#45(911) + 40(1075) = 83995 mins
# 32(911) + 24(1075) = $54,952
. . .
```{r}
# Probelm 2:
# A: Finding the Decision Variables:
# L[1] = Number of large units produced per day at Plant 1
# M[1] = Number of medium units produced per day at Plant 1
# S[1] = Number of small units produced per day at Plant 1
# L[2] = Number of large units produced per day at Plant 2
        M[2] = Number of medium units produced per day at Plant 2
# S[2] = Number of small units produced per day at Plant 2
# L[3] = Number of large units produced per day at Plant 3
# M[3] = Number of medium units produced per day at Plant 3
# S[3] = Number of small units produced per day at Plant 3
# B: Formulate a linear programming model for this problem.
obj2 <- c(420, 360, 300, 420, 360, 300, 420, 360, 300, 0)
constr2 <- matrix(0, nrow=10, ncol=10)</pre>
constr2[1, 1:3] <- 1; constr2[1, 10] <- -750
constr2[2, 4:6] <- 1; constr2[2, 10] <- -900
constr2[3, 7:9] <- 1; constr2[3, 10] <- -450
constr2[4, 1:3] <- c(20, 15, 12); rhs4 <- 13000
constr2[5, 4:6] <- c(20, 15, 12); rhs5 <- 12000
constr2[6, 7:9] <- c(20, 15, 12); rhs6 <- 5000
constr2[7, c(1,4,7)] <- 1; rhs7 <- 900
constr2[8, c(2,5,8)] <- 1; rhs8 <- 1200
constr2[9, c(3,6,9)] <- 1; rhs9 <- 750
constr2[10, 10] <- 1; rhs10 <- 1
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