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Question 3.1

Check for full rank of Hankel matrix

```
n = 6;
N = size(u1);
N = N(1);
u_hankel = zeros(n,N);
for i=1:N-(n-1)
    for j=1:n
        u_hankel(j,i) = ul(i+j-1);
    end
end
rank(u_hankel)
N = size(u2);
N = N(1);
u hankel = zeros(n,N);
for i=1:N-(n-1)
    for j=1:n
        u_hankel(j,i) = u2(i+j-1);
    end
end
rank(u_hankel)
N = size(u3);
N = N(1);
u_hankel = zeros(n,N);
```

```
for i=1:N-(n-1)
                           for j=1:n
                                                     u_hankel(j,i) = u3(i+j-1);
 end
rank(u_hankel)
N = size(u4);
N = N(1);
u_hankel = zeros(n,N);
 for i=1:N-(n-1)
                           for j=1:n
                                                    u_hankel(j,i) = u4(i+j-1);
                           end
 end
rank(u_hankel)
 % We see that the rank of the hankel matrix is full(6) only for input
\mbox{\ensuremath{\uposes}{$^{\circ}$}}\ \mbox{\ensuremath{\mbox{$vectors$}$}}\ \mbox{\ensuremath{\mbox{$u$}}\ \mbox{\ensuremath{\mbox{$a$}}}\ \mbox{\ensuremath{\mbox{$a$}}}\ \mbox{\ensuremath{\mbox{$a$}}\ \mbox{\mbox{$a$}}\ \mbox{\ensuremath{\mbox{$a$}}\ \mbox{\ensuremath{\mbox{$a
     identification.
 ans =
                                 6
 ans =
                                  2
 ans =
                                 2
 ans =
                                 6
```

Question 3.2

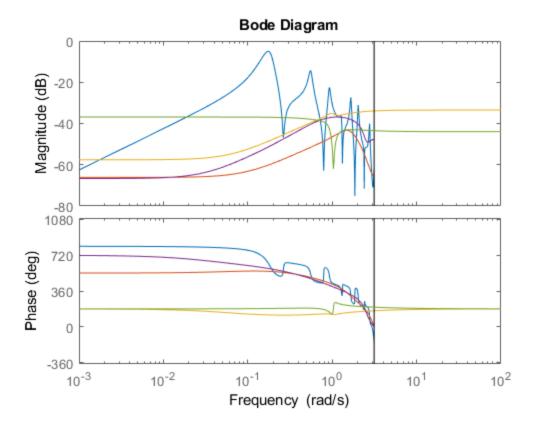
```
% s should be greater than or equal to the order of the system so as
to
% make the system observable, and should be less than the total number
of
% measurements.
```

Question 3.3

- $\mbox{\ensuremath{\upsigma}}$ The singular values are used for determining which values of the output
- % are not used for system identification.

Question 3.4 and 3.5

```
% We choose s = 7, since it should be greater than the system order,
 6.
% Using set 1:
s = 7;
n = 6;
[At1, Bt1, Ct1, Dt1, x0t1, S1] = mysubid(y1, u1, s, n);
[aest1,best1] = myarx(y1,u1,n);
[At4, Bt4, Ct4, Dt4, x0t4, S4] = mysubid(y4, u4, s, n);
[aest4,best4] = myarx(y4,u4,n);
bode(tfse);
hold on;
% a1
sys_id_a1_arx = tf(best1',aest1',-1);
sys_id_al_subid = ss(At1,Bt1,Ct1,Dt1);
bode(sys_id_a1_arx);
bode(sys_id_a1_subid);
sys_id_a4_arx = tf(best4',aest4',-1);
sys_id_a4_subid = ss(At4,Bt4,Ct4,Dt4);
bode(sys_id_a4_arx);
bode(sys_id_a4_subid);
% We can see that there is a fair difference between the plots of the
% model and the subspace identification one, the latter being more
accurate
% compared with the given transfer function tfse.
```

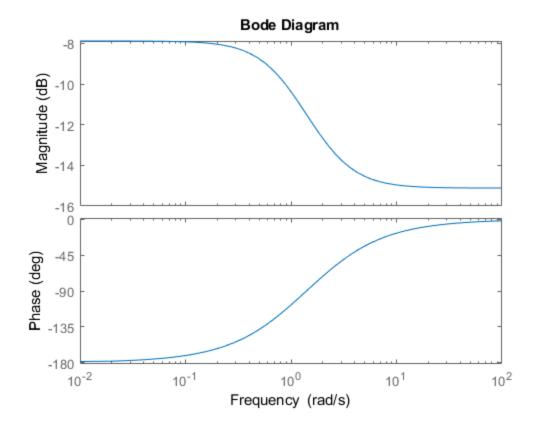


Question 4

```
[At, Bt, Ct, Dt, x0t, S] = mysubid(y0, u0, s, 2);
sys_id_a0_subid = ss(At,Bt,Ct,Dt);
```

% Having an order of 2 seems to give a correct estimate based on the % transfer function, and hence the order of the system can be said to be 2.

figure(2)
bode(sys_id_a0_subid);



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