Themes of Powerdot Package

- autumn
- binder
- blends
- rico
- UNLTheme
- winter
- wj

autumn

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The quest for π

- The following formula computes 8 correct digits per iteration (Ramanujan):

$$\frac{1}{\pi} = \sum_{n=0}^{\infty} \frac{\left(\frac{1}{4}\right)_n \left(\frac{2}{4}\right)_n \left(\frac{3}{4}\right)_n}{n!^3} \left(2\sqrt{2}(1103 + 26390n)\right) \frac{1}{(99^2)^{2n+1}}$$

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