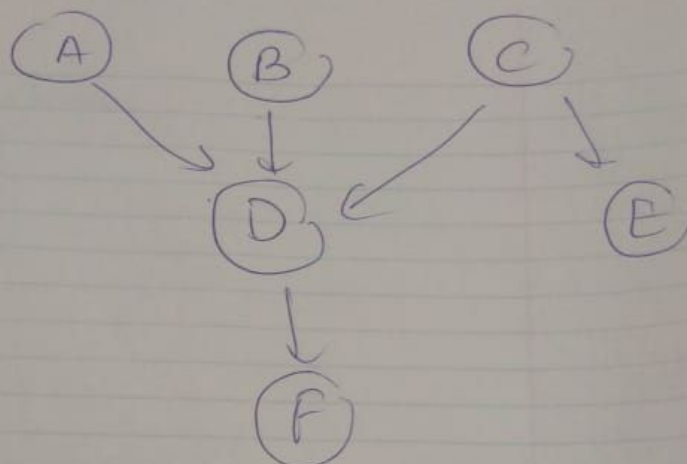


Assignment 7

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Question 1:

Part a:



① ①. $P(B=T, E=T) = ?$

$$\sum_{\substack{D \in \{T, F\} \\ E \in \{T, F\}}} \sum_{\substack{A \in \{a, b\} \\ C \in \{c, d\}}} P(A=a) P(B=T) P(C=c) P(E=T|C=c) \\ \times P(D=d|A=a, B=b, C=c) \times P(F=f|D=d)$$

② $2 \times 3 \times 2 \times 2 \times 5 = 120$ products.

$$2 \times 3 \times 2 \times 1 + 2 \times 3 \times 1 + 2 \times 2 + 1$$

$$= 12 + 6 + 4 + 1$$

$$= 23$$

Part b:

Q-1.

part b

$$\sum_f \sum_d \sum_c \sum_a P(F/D) P(D/A, B=T, C) P(E=T/C) P(A) \times P(B=T) \times P(C)$$

$$= P(B=T) \sum_{\substack{d \in T, F, X}} \left[\sum_{f \in T, F} P(F/D) \right] \sum_{c \in T, F} P(E=T/C) P(C) \sum_{\substack{a \in T, F \\ a \in T, F}} P(D/A, B=T, C) P(A)$$

No of products =

$$1 + 3 + 0 + 3 \times 2 \times 2 + 3 \times 2 \times 2 \times 1$$

$$= 28$$

No of sums = $2 \times 1 + 3 \times 1 + 3 \times 1 + 3 \times 2 \times 1$

$$= 14$$

No of products reduced from 120 to 28
 " " " " 23 to 14

Question 2

Part a

Code submitted.

ThethaFever =0.6060

ThethaPaleness =.5040

ThethaCough = 0.1160

ThethaHwbc = 0.5060

ThethaPheunomia = 0.0200

Thetha0Fever =

0.6000

Thetha0Paleness =

0.5000

Thetha0Cough =

0.1000

Thetha0Hwbc =

0.5000

Thetha0Pheunomia =

0

Thetha1Fever =

0.9000

Thetha1Paleness =

0.7000

Thetha1Cough =

0.9000

Thetha1Hwbc =

0.8000

Thetha1Pneumonia =

1

Part b.

Part b) $P(\text{Pne} R_n = T / \text{Fever} = T, \text{Pale} = F, \text{Cough} = T, \text{Hwbc} = F)$

$$= P(\text{Fever} = T, \text{Pale} = F, \text{Cough} = T, \text{Hwbc} = F / R_n = T)$$

$$\times P(R_n = T)$$

$$P(\text{Fever} = T, \text{Pale} = F, \text{Cough} = T, \text{Hwbc} = F)$$

$$= P(\text{Fever} = T / R_n = T) P(\text{Pale} = F / R_n = T) P(\text{Cough} = T / R_n = T)$$

$$\times P(\text{Hwbc} = F / R_n = T) \times P(R_n = T)$$

$$P(\text{Fever} = T, \text{Pale} = F, \text{Cough} = T, \text{Hwbc} = F)$$

$$= \frac{\#(R_n = T)}{\#(R_n)}$$

$$= \frac{\#(\text{Fever} = T \& R_n = T)}{\# R_n = T} \times \frac{\#(\text{Pale} = F \& R_n = T)}{\# R_n = T} \times$$

$$\times \frac{\#(\text{Cough} = T \& R_n = T)}{\# R_n = T} \times \frac{\#(\text{Hwbc} = F \& R_n = T)}{\# R_n = T}$$

$$\times \frac{\#(R_n = T)}{\#(\text{Total})} \times \frac{\#(\text{Fever} = T \& \text{Pale} = F, \text{Cough} = T, \text{Hwbc} = F)}{\#(\text{Total})}$$

In Matlab main7 file, I put values

```
Na=size(find(nemo(:,1)==1))
Nb=size(find(nemo(:,2)==0))
Nc=size(find(nemo(:,3)==1))
Nd=size(find(nemo(:,4)==0))
Ny=size(find(nemo(:,5)==1))
```

```
%bs=size(example)
out=zeros(bs(1),1)
Na=size(find(nemo(:,1)==1))
Nb=size(find(nemo(:,2)==0))
Nc=size(find(nemo(:,3)==1))
Nd=size(find(nemo(:,4)==0))
Ny=size(find(nemo(:,5)==1))
Naay=size(find(nemo(:,1)==1 & nemo(:,5)==1))
Nbay=size(find(nemo(:,2)==0 & nemo(:,5)==1))
Ncay=size(find(nemo(:,3)==1 & nemo(:,5)==1))
Nday=size(find(nemo(:,4)==0 & nemo(:,5)==1))
NNNN=size(find(nemo(:,4)==0 & nemo(:,1)==1 & nemo(:,2)==0 & nemo(:,3)==1))
NN=size( find(nemo(:,1)==1 & nemo(:,3)==1) )
```

```
R=(Naay).*(Nbay).*(Ncay).*(Nday)./(Ny)./(Ny)./(Ny)./(NNNN)
```

Ans: 0.0608

Part c:

$$\text{Part b)} P(\text{Pne} R=T / \text{Fever}=T, \text{Pale}=F, \text{Cough}=T, \text{Hwbc}=F) \\ = P(\text{Fever}=T, \text{Pale}=F, \text{Cough}=T, \text{Hwbc}=F / R=T)$$

$$\frac{\times P(R=T)}{P(\text{Fever}=T, \text{Pale}=F, \text{Cough}=T, \text{Hwbc}=F)}$$

$$= \frac{P(\text{Fever}=T / R=T) P(\text{Pale}=F / R=T) P(\text{Cough}=T / R=T) \\ \times P(\text{Hwbc}=F / R=T) \times P(R=T)}{P(\text{Fever}=T, \text{Pale}=F, \text{Cough}=T, \text{Hwbc}=F)}$$

$$= \frac{\cancel{P(R=T)}}{\cancel{P(R=T)}}$$

$$= \frac{\#(\text{Fever}=T \& R=T)}{\# R=T} \times \frac{\#(\text{Pale}=F \& R=T)}{\# R=T} \times$$

$$\times \frac{\#(\text{Cough}=T \& R=T)}{\# R=T} \times \frac{\#(\text{Hwbc}=F \& R=T)}{P_{R=T}}$$

$$\times \frac{\#(R=T)}{\#(\text{Total})} \times \frac{\#(\text{Fever}=T \& \text{Pale}=F, \text{Cough}=T, \text{Hwbc}=F)}{\#(\text{Total})}$$

Matlab main file I have put value

$R2 = (Naay) \cdot (Ncay) ./ (Ny) ./ (NN)$

Answer:0.2077

Part d;

Code submitted.