Haskell – the noCRUD way

History

1987 by a committee

Lennart Augustsson, Dave Barton, Brian Boutel, Warren Burton, Joseph Fasel, Kevin Hammond, Ralf Hinze, Paul Hudak, John Hughes, Thomas Johnsson, Mark Jones, Simon Peyton Jones, John Launchbury, Erik Meijer, John Peterson, Alastair Reid, Colin Runciman, Philip Wadler

< Java (1995)

Haskell agnostic

- Purely functional
- Statically typed
- Lazy

Also important and being handled today:

- Syntax in Functions
- Higher Order
- Monad

Ecosystem

Compiler: GHC

• REPL: GHCi

Linter: Hlint

• IDE: VIM/Emacs/ATOM/Leksah

Mainstream Comparison

- Imperative: all about state
- Functional: all about values
 - Expression yields Value
 - Every Value has an associated type

Code Examples

- Types
- Functions
 - Guards
 - Pattern Matching
- List Comprehensions
- Recursion

Higher Order

- A higher-order function is a function that does at least one of the following:
 - takes one or more functions as arguments
 - returns a function as its result.

- map :: (a -> b) -> [a] -> [b]
- fold(l/r) :: (b -> a -> b) -> b -> t a -> b
- filter :: (a -> Bool) -> [a] -> [a]

Algebraic Types

- data Bool = True | False
- data Student = Cruder | NoCruder

Record Syntax

Type Classes

- ad hoc polymorphism, better known as overloading
- Personally: look at them as interfaces

Functor

```
class Functor f where

XXXX :: (a -> b) -> f a -> f b
```

- most basic and ubiquitous type class in the Haskell libraries
- Functor represents a "container" of some sort, along with the ability to apply a function uniformly to every element in the container

Functor

class Functor f where

$$XXXX$$
 :: (a -> b) -> f a -> f b

Example: fmap (+1)

Apply: (+1)

(fa -> fb)

1,2,3,4

fa

2,3,4,5

fb

Example: Functor []

Applicative

```
class Functor f => Applicative f where
Pure :: a -> fa
Infixl 4 <*>
  (<*>) :: f (a -> b) -> f a -> f b
```

- most basic and ubiquitous type class in the Haskell libraries
- Functor represents a "container" of some sort, along with the ability to apply a function uniformly to every element in the container

Applicative

```
class Functor f => Applicative f where
Pure :: a -> fa
Infixl 4 <*>
(<*>) :: f (a -> b) -> f a -> f b
  Example: [(+1), (+2)] < > [1, 2]
                                 1,2
               (+1), (+2)
                                              2,3,3,4
  Apply:
                                 fa
                                                fb
```

Fact: fmap g x = pure g <*> x

Monoid

 Type with a rule for how two elements of that type can be combined to make another element of the same type

```
class Monoid m where
  mappend :: m -> m -> m
  mempty :: m
instance Monoid Integer where
                                        Num a => Monoid (Sum a)
  mappend = (+)
  mempty = 0
instance Monoid Integer where
                                        Num a => Monoid (Product a)
  mappend = (*)
  mempty = 1
```

Monad

Lazy but crazy

- Values don't need to be computed if they're not going to be used
- Infinite lists
 - used fairly often in certain areas of mathematics from what I've heard