



# A Comprehensive Study of Deep Learning Techniques for Supply Chain Demand Forecasting

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Submitted by,  
Asef Shahriar  
Roll no. 1611010  
Department of IEM, KUET

Supervised by,  
Md. Al Amin  
Assistant Professor  
Department of IEM, KUET

# Significance Overview



Demand forecast has always been a vital part of supply chain.



Accurate forecasts = More Response, Failure Resiliency, Profit



Forecasting error = Costs to the organization



Traditional methods have low accuracy.



Today's supply chain demand is more complex incorporating more variables, seasonal components, special days, e-commerce etc..



Deep Learning have the potential to address these problems.

# Objectives



To study different deep learning techniques for supply chain demand forecasting.



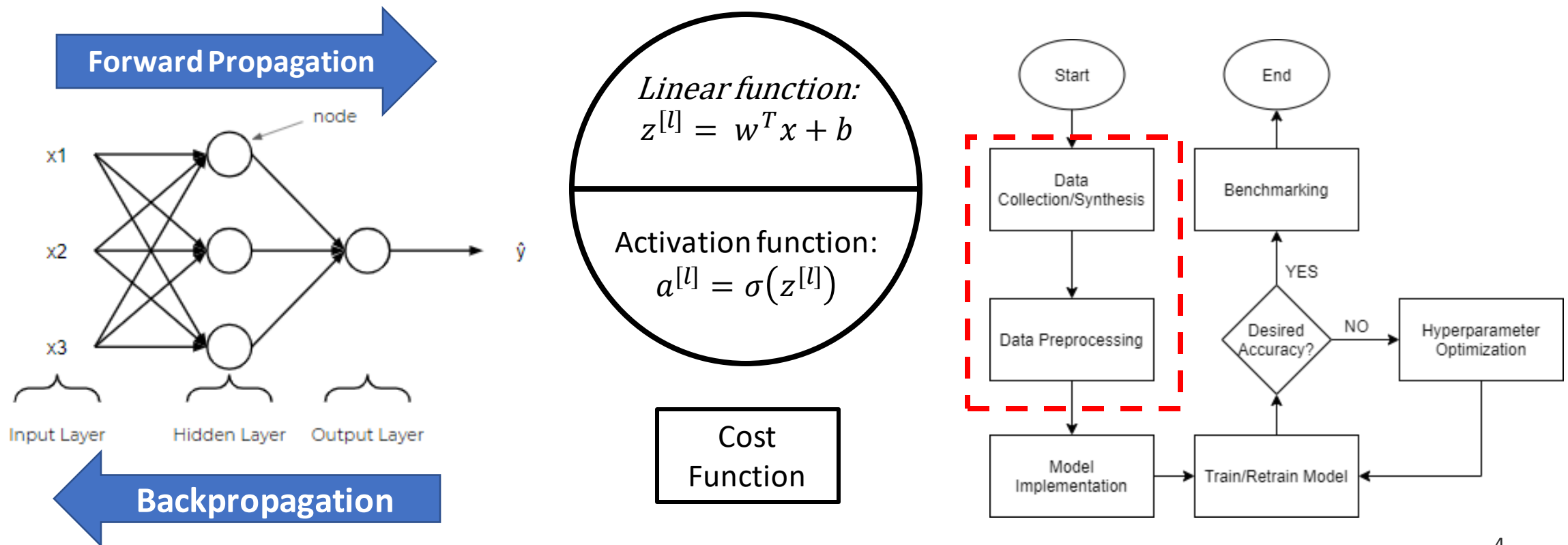
To evaluate the performance of advanced deep learning techniques in forecasting demand with high variability and seasonal components.

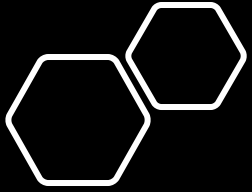
# Methodology

Forecasting problem can be modeled as a supervised learning problem:

$$\mathbf{y} = \mathbf{f}(\mathbf{x})$$

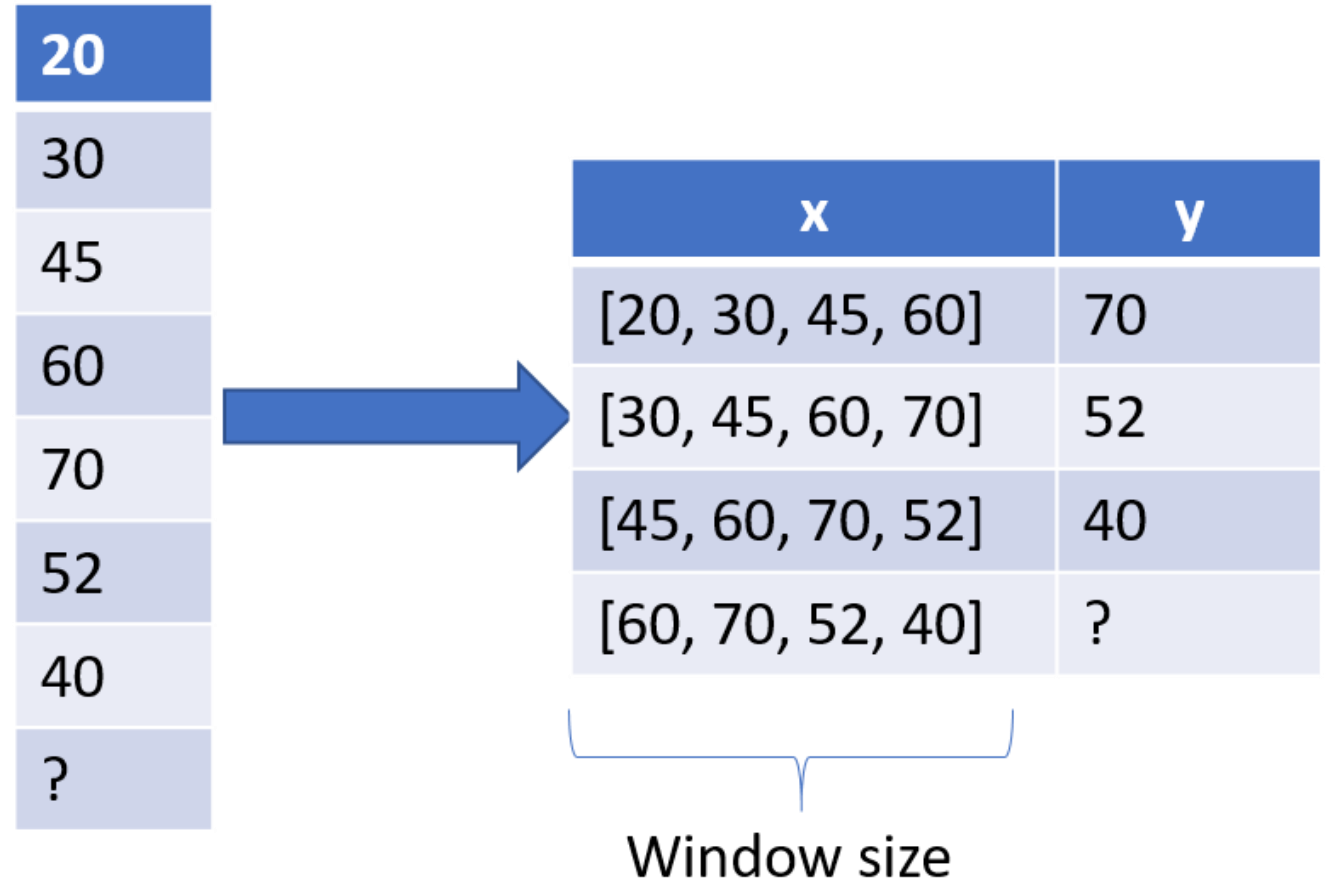
Where,  $\mathbf{x}$  is previous demand data and  $\mathbf{y}$  is the forecast output.



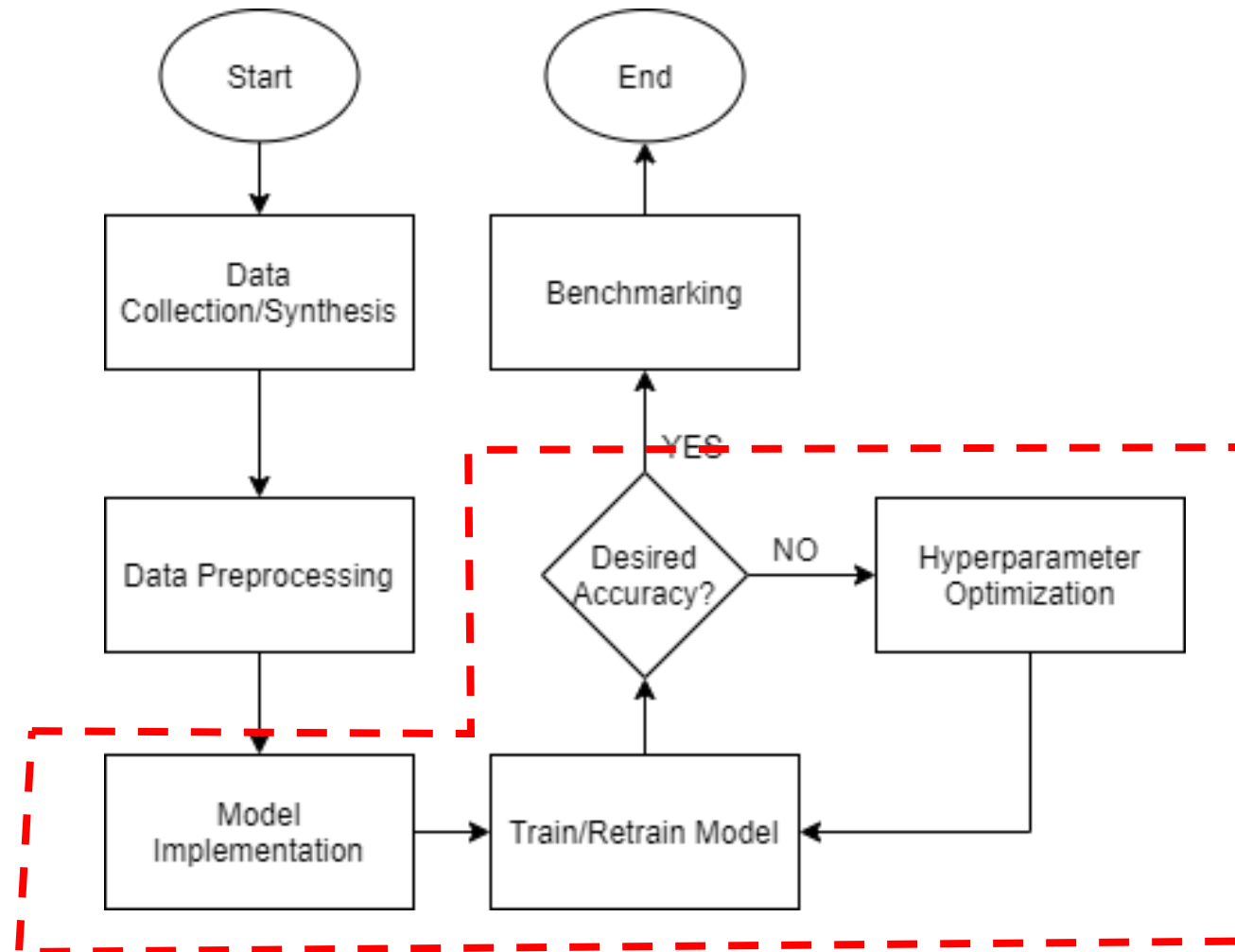


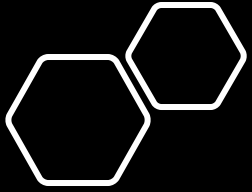
# Methodology-Data

- Two datasets:
  - Simulated Supply Chain
  - Real-world
- Windowing



# Methodology





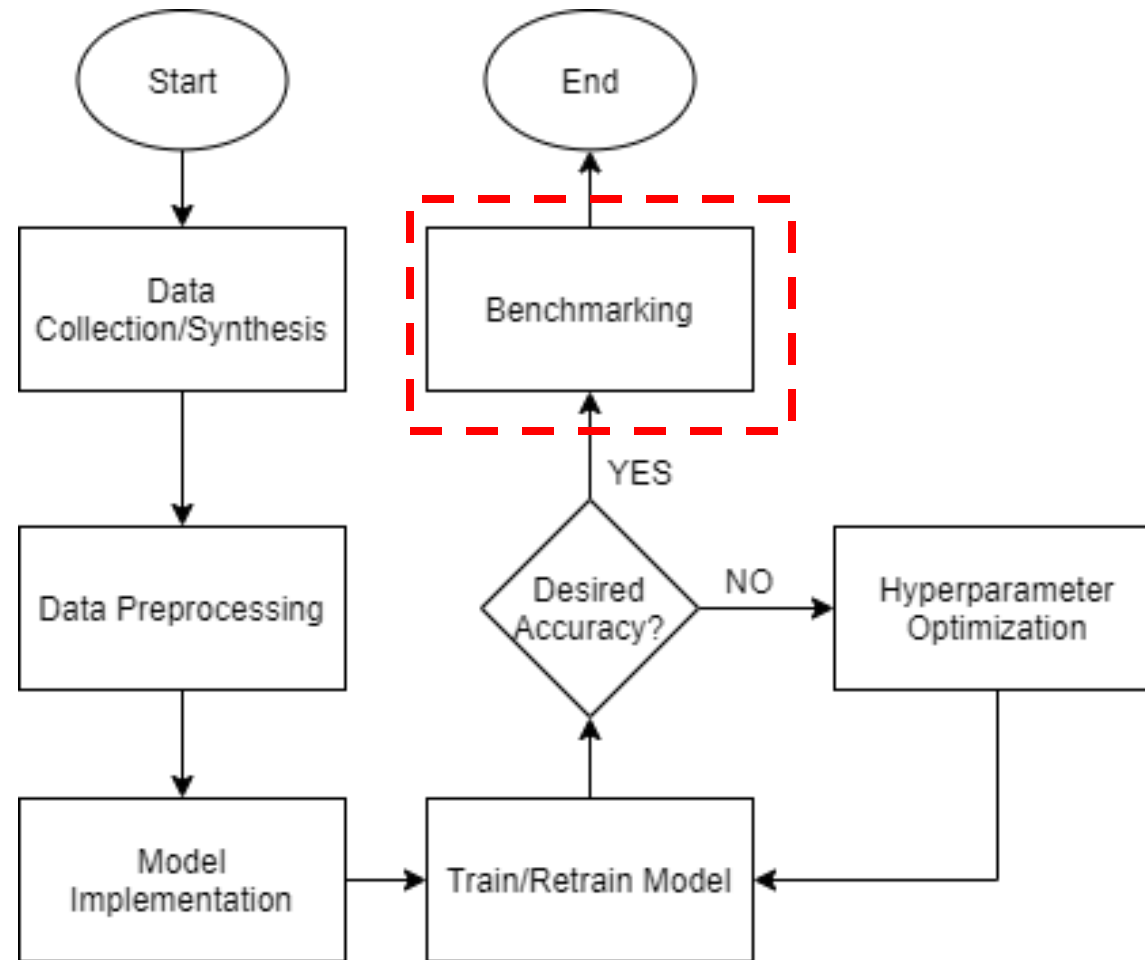
# Methodology-Models

## Model optimization

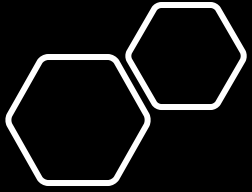
- Number of hidden layers
- Learning rate
- Choice of activation function
- Window size

State-of – the-art techniques	Hybrid- models	Other approaches
<ul style="list-style-type: none"><li>• ANN</li><li>• CNN</li><li>• RNN</li><li>• LSTM</li></ul>	<ul style="list-style-type: none"><li>• CNN- RNN</li><li>• CNN- LSTM</li></ul>	<ul style="list-style-type: none"><li>• Decomposition-based model</li><li>• Auxiliary variable addition</li><li>• Transfer Learning</li></ul>

# Methodology





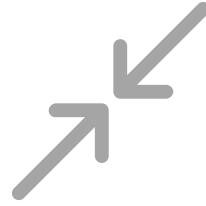


# Methodology- Benchmarking

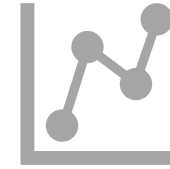
*Three metrics:*

- $RMSE = \sqrt{\frac{\sum_1^n (\hat{y} - y)^2}{n}}$
- $MAPE = \frac{1}{n} \sum_1^n \left| \frac{y - \hat{y}}{y} \right|$
- Data costs

# Expected Results



Reduced **RMSE** and **MAPE**.



Low data and  
development costs.



Model feasibility  
considering costs and  
other challenges.

# Timeframe



Literature Study – Already  
completed



Data Collection – by  
February 2020



Model Implementation  
and Benchmarking - by  
March 2020



Results and Discussion –  
by April 2020

Thank  
you!

