

B2. Task

Specification:

Input: $\text{numOfStat} \in \mathbb{N}$, $\text{on}[1.. \text{numOfStat}] \in \mathbb{N}^{\text{numOfStat}}$,
 $\text{off}[1.. \text{numOfStat}] \in \mathbb{N}^{\text{numOfStat}}$, $\text{seem}: \mathbb{N} \rightarrow \mathbb{N}$;

$$\text{seem}(n) = \sum_{i=0}^n (\text{on}[i] - \text{off}[i])$$

Output: $\text{numOfPassEachStation}[\text{maxInd}] \in \mathbb{N}^{\text{numOfStat}}$.

Precondition: $1 \leq \text{numOfStat} \leq 100$, $\forall i (1 \leq i \leq \text{numOfStat})$:
 $0 \leq \text{on}[i]$, $\forall i (1 \leq i \leq \text{numOfStat})$: $50 \geq \text{off}[i]$

Post condition:

$\text{maxNumOfPass} := \text{MAX}_{i=1}^{\text{numOfStat}} \left(\forall i (1 \leq i \leq \text{numOfStat}) \right)$:

$\text{numOfPassEachStation}[i] = \text{seem}(i)$

Seemation (Pattern table for seem() function in input)

Pattern		Task
length (x)	→	n
x[]	→	on[] - off[]
sc	→	seem
fo	→	0
f()	→	+

Maximum Selection

Pattern		Task
length(x)	→	numOfStat
x[]	→	numOfPassEachStation[]
maxInd	→	maxInd

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Pattern		Task
length(x)	→	numOfStat
x[]	→	on[], off[]
y[]	→	numOfPassEachStation[]
f(i)	→	seem(i)

// Comment: Since I have defined seem(i) function earlier in the input, as a value of $f(i)$ in the copy ~~of~~ pattern of algorithm I indicated only the name of the function. If the detail of the function is important, I would have written:

$$\sum_{j=0}^i \text{on}[j] - \text{off}[j] \cdot \text{pattern table} \rightarrow$$

→ for the seem(i) function you can find in the First page!

Maximum of Passenger

In: numOfStat, on[], off[]

seem := 0, maxInd := 0; numOfPassEachStation[]

i := 1 .. numOfStat

seem := seem + (on[i] - off[i])

numOfPassEachStation[i] = seem

j := 1 .. numOfStat

numOfPassEachStation[maxInd] < numOfPassEachStation[i]

maxInd := i

skip

Out: numOfPassEachStation[maxInd]

Algorithm ↑