Al Application Lecture 1

Real-World Problems and the Formulation of Machine Learning

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Outline

Introduction

Preliminaries: Mathematical Notations

What is AI?

Task Formulation: Problems as Input-Output Relationships

Numerical Representation of Real-World Entities

Redefining AI: The Function Determination Problem

Summary and Future Outlook

Introduction

1. Introduction: Purpose

The purpose of this course is to learn the fundamentals of AI in the application context, especially **Machine Learning** using **Neural Networks**, from scratch.

1.1 Learning Outcomes

At the end of this lecture, students should be able to:

 Formulate tasks that humanity seeks to solve as a relationship between input and output.

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- Formulate tasks that humanity seeks to solve as a relationship between input and output.
- Mutually convert various real-world entities that humanity deals with and their corresponding numerical sequences.
- Formulate Artificial Intelligence as a function determination problem.

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The field of AI and machine learning is developing very rapidly, and specific technologies and models that are widely known today may well be obsolete by the time you graduate.

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Also, many Al-related courses first teach the individual components that make up Al and then introduce application examples. However, this lecture adopts the reverse approach.

- First, we will treat AI as a functional black box and start by learning "how to use it."
- 2. Then, as necessary, we will **white-box** the contents of the black box and uncover its mechanisms.

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- Promoting multifaceted understanding: Leads to a deeper understanding.
- Acquiring practical knowledge: You will at least acquire the practical knowledge of "how to use" AI.
- Gaining universal knowledge: The "framework for using AI" is relatively resistant to change.
- Addressing realistic constraints: Details of large-scale models are often trade secrets, and there is no "panacea learning method for all problems."

Preliminaries: Mathematical

Notations

We will organize the basic mathematical notations used in this lecture.

Definition:

- (LHS) := (RHS): Indicates that the left-hand side is defined by the right-hand side.
- For example, a := b indicates that a is defined as b.

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Set:

- Sets are often denoted by uppercase calligraphic letters. E.g., \mathcal{A} .
- $x \in A$: Indicates that the element x belongs to the set A.
- {}: The empty set.

Set Notation Examples:

- $\{a,b,c\}$: The set consisting of elements a,b,c (Roster notation).
- $\{x \in \mathcal{A}|P(x)\}$: The set of elements in \mathcal{A} for which the proposition P(x) is true (set-builder notation).

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Common Sets of Numbers:

- R: The set of all real numbers.
- $\mathbb{R}_{>0}$: The set of all positive real numbers.
- $\mathbb{R}_{\geq 0}$: The set of all non-negative real numbers.
- \mathbb{Z} : The set of all integers.
- $\mathbb{Z}_{>0}$: The set of all positive integers.
- $\mathbb{Z}_{\geq 0}$: The set of all non-negative integers.
- $[1,k]_{\mathbb{Z}} \coloneqq \{1,2,\ldots,k\}$: The set of integers from 1 to k.

• Function:

- $f: \mathcal{X} \to \mathcal{Y}$: f is a map from a domain \mathcal{X} to a codomain \mathcal{Y} .
- y = f(x): The output of f for an input $x \in \mathcal{X}$ is $y \in \mathcal{Y}$.

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Vector:

- In this course, a vector is a column of numbers.
- Denoted by bold italic lowercase letters (e.g., v).
- $v \in \mathbb{R}^n$: an n-dimensional real vector.
- The *i*-th element is denoted as v_i .

$$oldsymbol{v} = egin{bmatrix} v_1 \ v_2 \ dots \ v_n \end{bmatrix}$$

- Matrix: Denoted by bold italic uppercase letters (e.g., A).
 - $A \in \mathbb{R}^{m,n}$: an $m \times n$ real matrix.
 - The element in the *i*-th row and *j*-th column is denoted as $a_{i,j}$.

$$\mathbf{A} = \begin{bmatrix} a_{1,1} & a_{1,2} & \cdots & a_{1,n} \\ a_{2,1} & a_{2,2} & \cdots & a_{2,n} \\ \vdots & \vdots & \ddots & \vdots \\ a_{m,1} & a_{m,2} & \cdots & a_{m,n} \end{bmatrix}$$

- Matrix Transpose: The transpose of A is denoted as A^{\top} .
 - If $A \in \mathbb{R}^{m,n}$, then $A^{\top} \in \mathbb{R}^{n,m}$.

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- Vector Transpose: A vector is a matrix with 1 column.
 - The transpose of a column vector is a row vector.

$$\boldsymbol{v}^{\top} = \begin{bmatrix} v_1 & v_2 & \cdots & v_n \end{bmatrix} \in \mathbb{R}^{1,n}$$

Tensor:

- In this lecture, we treat tensors as multidimensional arrays.
- A vector is a 1st-order tensor; a matrix is a 2nd-order tensor.
- Tensors of 3rd order or higher are denoted by an underlined, bold, italic, uppercase letter, e.g., \underline{A} .
- Note: For those familiar with abstract tensors, we assume a fixed standard basis, identifying a tensor with its component representation.

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Note on Implementation:

- Theoretically, we use real numbers (\mathbb{R}).
- In practice, computers use finite subsets (e.g., floating-point numbers).
- These subsets are approximations. Their discreteness and finiteness can cause different properties from \mathbb{R} .

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- Intelligence: No unified definition exists, even among experts.

From an engineering perspective, what is important is whether that technology can contribute to human society.

This course will not delve into any philosophical discussions, but will define AI in a very practical way as follows.

Definition (Definition of AI in This Lecture)

Artificial Intelligence (AI) is a procedure implemented on a computer that solves some task that humanity wants to solve.

Task Formulation: Problems as

Input-Output Relationships

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Many of the tasks that humans want computers to solve can be formulated as a problem of "returning an appropriate output given a certain input."

This is the idea of viewing a task as a kind of transformation rule, that is, a correspondence between input and output. Let's look at some examples.

4. Task Formulation: Examples

· Chat AI:

- Input: A question or command sentence. (e.g., "What's the weather like today?")
- Output: The Al's response text. (e.g., "The weather in Tokyo is sunny.")

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Autonomous Driving:

- Input: Sensor information (camera images, LiDAR, GPS, etc.).
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Autonomous Driving:

- Input: Sensor information (camera images, LiDAR, GPS, etc.).
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Text-to-Image (Image Generation AI):

- Input: A descriptive sentence (prompt). (e.g., "A cat flying in space, oil painting style")
- Output: Generated image data.

- Medical Diagnosis from Images:
 - Input: Medical image data (X-rays, CT scans, etc.).
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As can be seen from these examples, even tasks that seem completely different share a common structure of "input \to output."

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Therefore, to process the various inputs and outputs we saw in the previous section on a computer, they must first be converted into numerical data. This conversion rule is defined by humans according to the task.

5.1 Natural Language

A sentence is a sequence of characters. The rule that maps each character to a specific byte sequence is called a **character encoding**.

- ASCII (American Standard Code for Information Interchange):
 - Maps alphabets, numbers, symbols, etc., to 7-bit (usually 1-byte) integers.
 - For example, 'A' is 65, and 'B' is 66.

5.1 Natural Language: ASCII Table

Dec	Hex	Char	Dec	Hex	Char	Dec	Hex	Char	Dec	Hex	Char
32	20	(space)	56	38	8	80	50	Р	104	68	h
33	21	!	57	39	9	81	51	Q	105	69	i
34	22	"	58	ЗА	:	82	52	R	106	6A	j
35	23	#	59	3B	;	83	53	S	107	6B	k
36	24	\$	60	3C	<	84	54	Т	108	6C	1
37	25	%	61	3D	=	85	55	U	109	6D	m
38	26	&	62	3E	>	86	56	V	110	6E	n
39	27	,	63	3F	?	87	57	W	111	6F	0
40	28	(64	40	@	88	58	X	112	70	р
41	29)	65	41	Α	89	59	Υ	113	71	q
42	2A	*	66	42	В	90	5A	Z	114	72	r
43	2B	+	67	43	С	91	5B	[115	73	S
44	2C	,	68	44	D	92	5C	\	116	74	t
45	2D	-	69	45	E	93	5D]	117	75	u
46	2E		70	46	F	94	5E	٨	118	76	V
47	2F	/	71	47	G	95	5F	_	119	77	W
48	30	0	72	48	Н	96	60	1	120	78	X
49	31	1	73	49	- 1	97	61	а	121	79	У
50	32	2	74	4A	J	98	62	b	122	7A	Z
51	33	3	75	4B	K	99	63	С	123	7B	{
52	34	4	76	4C	L	100	64	d	124	7C	
53	35	5	77	4D	M	101	65	е	125	7D	}
54	36	6	78	4E	N	102	66	f	126	7E	~
55	37	7	79	4F	0	103	67	g			

5.1 Natural Language: UTF-8

- UTF-8 (Unicode Transformation Format-8):
 - · Includes characters from all over the world.
 - Uses a variable-length byte sequence (1 to 4 bytes).
 - e.g., 'A' is 1 byte, while ' \boxminus ' and ' \boxtimes \boxtimes ' are 3 and 4 bytes.

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Example (UTF-8 representations of letters and characters)

- ' \boxminus ' (U+65E5) \rightarrow UTF-8 (hex): E6 97 A5 (3 bytes)
- Greek ' Ω ' (U+03A9) \rightarrow UTF-8 (hex): CE A9 (2 bytes)
- Emoji '∑∑' (U+1F602) → UTF-8 (hex): F0 9F 98 82 (4 bytes)

With this rule, any text can be converted into a unique byte sequence.

Remark (On the Technical Significance of Emoji)

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For instance, people in the Chinese character culture sphere (China, Japan, Korea, Vietnam) have benefited from this, as it improved support for characters like Chinese characters. Before emoji became popular, supporting these character sets was not a high priority for the predominantly English-speaking tech world.

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The word Emoji comes from the Japanese word "絵文字" (e-moji), meaning "picture character," not from "emotion." The practice of assigning character codes to pictures dates back to the 1950s in Japan.

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Later, on Japanese mobile phones in the 2000s before the spread of smartphones, emoji were so abundant that one could communicate using them alone.

However, the contribution of the Gmail team in assigning Unicode points was also significant for the global spread of emoji.

5.2 Images

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Bitmap representation:

- An image of height H and width W can be represented as a 3rd-order integer tensor $\underline{I} \in \mathbb{Z}^{3 \times H \times W}$.
- Each of the three $H \times W$ matrices corresponds to the R, G, and B channels, with integer values from 0 to 255.

5.2 Images: Example

Consider a small 2×2 pixel image:

- Top-left: Red (R:255, G:0, B:0)
- Top-right: Green (R:0, G:255, B:0)
- Bottom-left: Blue (R:0, G:0, B:255)
- Bottom-right: White (R:255, G:255, B:255)

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- Bottom-right: White (R:255, G:255, B:255)

This image is represented as a $3 \times 2 \times 2$ tensor \underline{I} , where the channels $\underline{I}_R, \underline{I}_G, \underline{I}_B$ are:

$$\underline{\boldsymbol{I}}_R = \begin{bmatrix} 255 & 0 \\ 0 & 255 \end{bmatrix}, \quad \underline{\boldsymbol{I}}_G = \begin{bmatrix} 0 & 255 \\ 0 & 255 \end{bmatrix}, \quad \underline{\boldsymbol{I}}_B = \begin{bmatrix} 0 & 0 \\ 255 & 255 \end{bmatrix}$$

5.3 Video & 5.4 Audio

- Video: A sequence of time-varying images.
 - · Add a time dimension to the image tensor.
 - A video of T frames is a 4th-order tensor $\underline{\boldsymbol{V}} \in \mathbb{Z}^{3 \times T \times H \times W}$.

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 - Add a time dimension to the image tensor.
 - A video of T frames is a 4th-order tensor $\underline{V} \in \mathbb{Z}^{3 \times T \times H \times W}$.
- Audio: A time-varying wave.
 - PCM (Pulse Code Modulation): The analog signal is converted to a sequence of integers through:
 - Sampling: Measuring amplitude at regular time intervals.
 - Quantization: Approximating each measurement with an integer value.

5.4 Audio: PCM

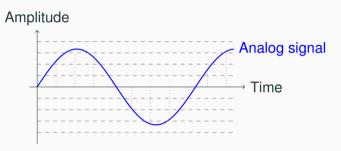


Figure 1: Schematic of sampling and quantization of an audio signal

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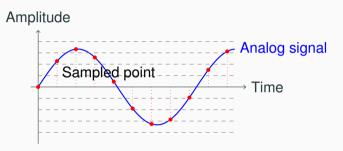


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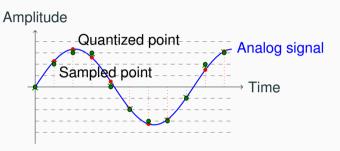


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5. Numerical Representation: Summary

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In this way, various real-world entities can be converted into numerical data (vectors or tensors) based on clear rules.

Redefining AI: The Function

Determination Problem

Now, let's summarize the discussion so far.

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- 1. The task we want to solve can be seen as a correspondence of "input entity \rightarrow output entity."
- 2. Input and output entities can be converted into "input numerical data \rightarrow output numerical data" according to appropriate rules.

Through these two steps, the problems we want AI to solve ultimately come down to the problem of "calculating the appropriate output numerical data given some input numerical data."

This is none other than the **problem of finding a function** from the set of all input numerical data (**input space**) to the set of all output numerical data (**output space**).

Definition (Engineering Goal of AI)

To solve a task is to construct a function f on a computer that mimics an unknown ideal function $f^*: \mathcal{X} \to \mathcal{Y}$ that represents the input-output relationship of that task.

· Chat AI:

- Input space \mathcal{X} : Set of UTF-8 byte strings.
- Output space $\mathcal{Y} \colon \mathsf{Set} \ \mathsf{of} \ \mathsf{UTF}\text{-8} \ \mathsf{byte} \ \mathsf{strings}.$

· Chat AI:

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Autonomous Driving:

- Input space $\mathcal{X} \subset \mathbb{R}^{D_{in}}$: Vectors of sensor readings.
- Output space $\mathcal{Y} \subset \mathbb{R}^{D_{out}}$: Vectors of control signals.

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Text-to-Image:

- Input space \mathcal{X} : Set of byte strings (prompts).
- Output space $\mathcal{Y} = \mathbb{Z}^{3 \times H \times W}$: Set of image tensors.

Medical Diagnosis from Images:

- Input space $\mathcal{X} \subset \mathbb{Z}^{C \times H \times W}$: Set of medical image tensors.
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Fraud Detection:

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Thus, we can see that any task can be uniformly described as a problem of determining a function f from an input space \mathcal{X} to an output space \mathcal{Y} .

Summary and Future Outlook

7.1 Today's Summary

In this lecture, we have organized the diverse tasks that AI tackles from a mathematical perspective.

• Formulating tasks as input-output: Many tasks can be formulated as determining an output for a given input.

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- Formulating tasks as input-output: Many tasks can be formulated as determining an output for a given input.
- **Numerical representation of entities:** Real-world entities are converted into computer-manageable numerical data (vectors and tensors).
- Al and the function determination problem: Solving a task with Al is equivalent to determining an appropriate function $f: \mathcal{X} \to \mathcal{Y}$.

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We have seen that solving a task can be equated with "determining a function." So, how can we realize this function f on a computer?

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In particular, when the ideal function f^* is unknown, how can we make f "learn" to be close to it?

In the upcoming lectures, we will learn about neural networks, which are the concrete components of this function f, and uncover how they learn complex input-output relationships.