

Nders at NTCIR-13 Short Text Conversation

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System Architecture



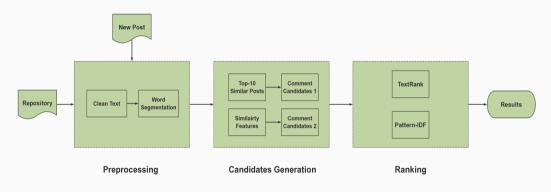


Figure 1: System Architecture

Preprocessing



- Traditional-Simplified Chinese conversion
- Convert Full-width characters into half-width ones
- Word segmentation (PKU standard)
- Replace number, time, url with token <_NUM>, <_TIME>, <_URL> respectively
- Filter meaningless words and special symbols

Onort Toxe 12	test pest 10.10			
Raw Text	去到美國,还是吃中餐!宮保雞丁家的感覺~			
	Go to the USA, still eat Chinese food, Kung Pao Chicken, feeling like at home			
Without T-S Conversion	去到美國,还是吃中餐! 宮保雞丁家的感覺~			
With T-S Conversion	去 到 美国,还 是 吃 中餐! 宫保鸡丁 家 的 感觉 ~			
Clean Result	去 到 美国 还 是 吃 中餐 宫保鸡丁 家 的 感觉			
Charles ID	10040			
Short Text ID	test-post-10640			
Raw Text	汶川大地震9周年: 29个让人泪流满面的瞬间。			
	9th Anniversary of Wenchuan Earthquake: 29 moments making people tearful			

汶川 大 地震 9 周年: 29 个 让 人 泪流满面 的 瞬间。

汶川 大 地震 <_NUM> 周年: <_NUM> 个 让 人 泪流满面 的 瞬间。

汶川 大 地震 <_NUM> 周年 <_NUM> 个 让 人 泪流满面 的 瞬间

test-nost-10440

Short Text ID

Without token replacement

With token replacement

Clean Result

Similarity Features



- TF-IDF
- LSA (Latent Semantic Analysis)
- LDA (Latent Dirichlet Allocation)
- Word2Vec (skip-gram)
- LSTM-Sen2Vec

We combine each post with its corresponding comments to be a document, then train LSA and LDA models on these documents.

LSTM



$$f_t = \sigma(W_f \cdot [h_{t-1}, x_t] + b_f) \tag{1}$$

$$i_t = \sigma(W_i \cdot [h_{t-1}, x_t] + b_i) \tag{2}$$

$$\tilde{C}_t = tanh(W_C \cdot [h_{t-1}, x_t] + b_C)$$
 (3)

$$C_t = f_t * C_{t-1} + i_t * \tilde{C}_t \tag{4}$$

$$o_t = \sigma(W_o \cdot [h_{t-1}, x_t] + b_o)$$
 (5)

$$h_t = o_t * tanh(C_t) \tag{6}$$

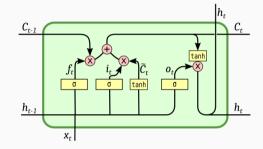


Figure 2: The LSTM Cell

Mikolov, Toma's. Statistical Language Models Based on Neural Networks. Ph.D. thesis, Brno University of Technology. (2012)

Zaremba, Wojciech, I. Sutskever, and O. Vinyals. Recurrent Neural Network Regularization. Eprint Arxiv (2014).

Attention weight



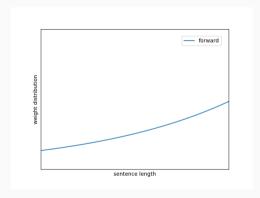


Figure 3: Unidirectional weight distribution

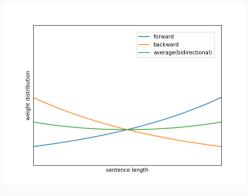


Figure 4: bidirectional weight distribution

LSTM-Sen2Vec



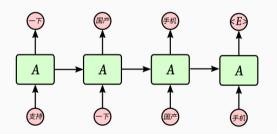


Figure 5: The Unidirectional LSTM

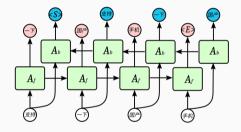
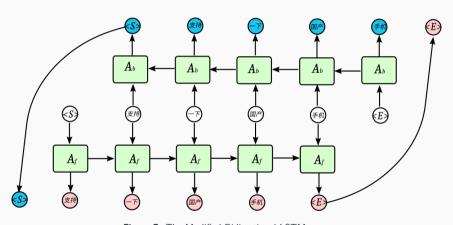


Figure 6: The Traditional Bidirectional LSTM

LSTM-Sen2Vec





 $\textbf{Figure 7:} \ \, \textbf{The Modified Bidirectional LSTM}$

Candidates Generation



Similar Posts

$$Score_{q,p}^{1}(q,p) = Sim_{LDA}(q,p) * Sim_{W2V}(q,p) * Sim_{LSTM}(q,p)$$
(7)

$$Score_{q,p}^{2}(q,p) = Sim_{LSA}(q,p) * Sim_{W2V}(q,p) * Sim_{LSTM}(q,p)$$
(8)

Comment Candidates

$$Score_{q,c}^{1}(q,c) = Sim_{LSA}(q,c) * Sim_{W2V}(q,c)$$
(9)

$$Score_{q,c}^{2}(q,c) = Sim_{LDA}(q,c) * Sim_{W2V}(q,c)$$
(10)

Ranking



- TextRank (Words as vertices)
- Pattern-IDF
- $\blacksquare \ \, \mathsf{Pattern}\text{-}\mathsf{IDF} \, + \, \mathsf{TextRank} \, \big(\mathsf{Sentences} \, \, \mathsf{as} \, \, \mathsf{vertices}\big)$

TextRank - A graph-based ranking model



Formally, let G = (V; E) be a undirected graph with the set of vertices V and and set of edges E, where E is a subset of $V \times V$. For a given V_i , let $link(V_i)$ be the set of vertices that linked with it. The score of a vertex V_i is define as follow:

$$WS(V_i) = (1 - d) + d * \sum_{j \in link(V_i)} w_{ij} * WS(V_j)$$
(11)

Where d is a damping factor 1 that is usually set to 0.85.

¹Brin, Sergey, and L. Page. The anatomy of a large-scale hypertextual Web search engine. International Conference on World Wide Web Elsevier Science Publishers B. V. 1998:107-117.

TextRank - Vertices and Edges



- Vertices: each unique word in candidates
- Edges: a co-occurrence relation
- Weighted by: word2vec similarity between two words and the number of their cooccurrences

TextRank - Calculate Iteratively



For N candidates, k words in total, we construct $k \times k$ matrix M. $M_{ij} = cnt * sim(D_i, D_j)$. Then we compute iteratively

$$R(t+1) = \begin{bmatrix} (1-d)/k \\ (1-d)/k \\ \vdots & \vdots & \ddots & \vdots \\ (1-d)/k \end{bmatrix} + d \begin{bmatrix} M_{11} & M_{12} & M_{13} & \dots & M_{1k} \\ M_{21} & M_{22} & M_{23} & \dots & M_{2k} \\ \vdots & \vdots & \vdots & \ddots & \vdots \\ M_{k1} & M_{k2} & M_{k3} & \dots & M_{kk} \end{bmatrix} R(t)$$

Stop when $|R(t+1) - R(t)| < \epsilon$, $\epsilon = 10^{-7}$.

Here, cnt refers to the number of co-ocurrences within a sentence for D_i and D_j .

TextRank - Ranking



Since we get the score $R(D_i)$ for each word D_i in candidates, the score for each comment candidate c is calculated as:

$$Rank_{TextRank}(c) = \frac{\sum_{D_i \in c} R(D_i)}{len(c)}$$
(12)

Here, $\operatorname{len}(c)$ refers to the number of words in comment c.



For word D_i (minor word) in corresponding comment given word D_j (major word) in the post, we define (D_j, D_i) as a pattern.

Inspired by the IDF, we calculate the Pattern-IDF as:

$$PI(D_i|D_j) = 1/\log_2 \frac{count_c(D_i) * count_p(D_j)}{count_{pair}(D_i, D_j)}$$
(13)

Here $count_c$ refers to the number of occurrence in comments, $count_p$ in posts, $count_{pair}$ in post-comment pair. The PI whose $count_{pair}(D_i, D_j)$ less than 3 are eliminated.

Pattern-IDF



Let
$$X = \frac{count_c(D_i)*count_p(D_j)}{count_{pair}(D_i,D_j)}$$
, then $X \in [1,\infty)$.

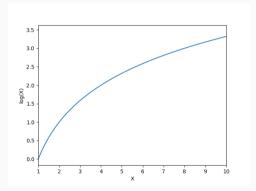


Figure 8: log(X)

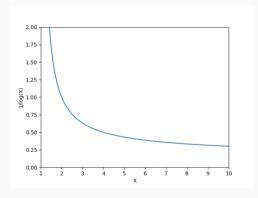


Figure 9: $1/\log(x)$

PI - Example



Table 1: The example of Pattern-IDF

MinorWord	PI
IVI EIEOT VV OT G	I^-I
接通 (connect)	0.071725
cmcc	0.067261
资费 (charges)	0.062408
营业厅 (business hall)	0.059949
漫游 (roamimg)	0.059234
我 (me)	0.028889
是 (be)	0.027642
的 (of)	0.026346
	cmcc 资费 (charges) 营业厅 (business hall) 漫游 (roamimg) … 我 (me) 是 (be)

Table 2: The entropy of Pattern-IDF for each Major Word

MajorWord	Н
眼病 (eye disease)	0.889971
丰收年 (harvest year)	0.988191
血浆 (plasma)	1.033668
脊椎动物 (vertebrate)	1.083438
水粉画(gouache painting)	1.180993
现在 (now)	9.767768
什么 (what)	10.219045
是 (be)	10.934950

$$PI_{norm}(D_i|D_j) = \frac{PI(D_i|D_j)}{\sum_{i=1}^{n} PI(D_i|D_j)}$$
(14)

$$H(D_j) = -\sum_{i=1}^{n} PI_{norm}(D_i|D_j) \log_2 PI_{norm}(D_i|D_j)$$

$$\tag{15}$$

PI - Ranking



For each comment c in candidates, given a query (new post) q, we calculate the score by PI as follow:

$$Score_{PI}(q,c) = \frac{\sum_{D_j \in q} \sum_{D_i \in c} PI(D_i|D_j)}{len(c) * len(q)}$$
(16)

Then we define rank score as follow:

$$Rank_{PI} = \left(1 + \frac{Score_{PI}(q, c)}{\max Score_{PI}(q, c)}\right) * Sim_{W2V}(q, c) * Sim_{LSA}(q, c)$$
(17)

TextRank + Pattern-IDF



In this method, We add each comment sentence in candidates as a vertex in the graph and use sentence Word2Vec similarity as edges between vertices in the graph.

For N candidates, we construct $N \times N$ matrix M.

 $M_{ij} = Sim_{w2v}(candidate_i, candidate_j).$

At time t=0, We initiate a N-dimension vector P, here N is the number of comment candidates. And each entry of P is defined as the score of Pattern-IDF between the query (new post) q and corresponding comment c_i in candidates:

$$P_i = Score_{PI}(q, c_i) \tag{18}$$

TextRank + Pattern-IDF



Then we compute iteratively

$$R(t+1) = \begin{bmatrix} (1-d)/N \\ (1-d)/N \\ \dots \\ (1-d)/N \end{bmatrix} + d \begin{bmatrix} M_{11} & M_{12} & M_{13} & \dots & M_{1N} \\ M_{21} & M_{22} & M_{23} & \dots & M_{2N} \\ \vdots & \vdots & \vdots & \ddots & \vdots \\ M_{N1} & M_{N2} & M_{N3} & \dots & M_{NN} \end{bmatrix} R(t)$$

Stop when
$$|R(t+1) - R(t)| < \epsilon$$
, $\epsilon = 10^{-7}$

Finally, we get the score P_i for each comment in candidates.

Experiment



- Nders-C-R5: LDA + Word2Vec + LSTM-Sen2Vec
- Nders-C-R4: LSA + Word2Vec + LSTM-Sen2Vec
- Nders-C-R3: R4 + TextRank (Words as vertices)
- Nders-C-R2: R4 + Pattern-IDF
- Nders-C-R1: R4 + Pattern-IDF + TextRank (Sentences as vertices)



Table 3: The official results of five runs for Nders team

Run	Mean nG@1	Mean P+	Mean nERR@10
Nders-C-R1	0.4593	0.5394	0.5805
Nders-C-R2	0.4743	0.5497	0.5882
Nders-C-R3	0.4647	0.5317	0.5768
Nders-C-R4	0.4780	0.5338	0.5809
Nders-C-R5	0.4550	0.5495	0.5868
R2 vs. R4	↓0.77%	†1.26%	†2.02%

