Object Oriented Programming

CSE-208(L)

Lab: 03

Using the global scope resolution operator, passing and returning objects to & from member functions

Agenda for Today

- The purpose of this lab is to make you acquainted with the concepts such as:
 - Defining member functions outside a class
 - Passing objects in function arguments
 - Returning objects from functions
 - ✓ Here we are just doing things other way around

Defining Member Functions Outside The Class Body

- Member functions defined inside a class are *inline* by default
- ➤ Declaration and definition can be separated from each other
 - Declaration inside the class
 - Definition outside the class

Defining Member Functions Outside The Class Body: Syntax

```
Return_Type Class_Name :: Ftn_Name (Parameters_List)
             Body of function
```

Scope Resolution Operator

:: operator is called scope resolution operator

> specifies what class something is associated with

Objects As Function Arguments

- ➤ A member function has direct access to all the other members of the class public or private
- A function has indirect access to other objects of the same class that are passed as arguments
- ➤ Indirect access: using object name, a dot, and the member name

Quick Example

```
#include <iostream.h>
class complex
{private:
 double re, im;
public:
complex();
complex(double r, double i);
void add(complex c1, complex c2);
void show(); };
```

Calling members through scope resolution

```
complex :: complex(): re(0), im(0)
{}
complex :: complex(double r, double i): re(r), im(i)
{}
void complex :: add(complex c1, complex c2)
        re=c1.re + c2.re;
        im=c1.im + c2.im;
void complex :: show()
{ cout<<"Complex no: "<<re<<"+"<<im<<"i"<<endl; }</pre>
```

Passing objects as arguments

```
void main()
       complex
                     c1(3, 4.3), c2(2, 4);
       complex c3;
       c3. add (c1, c2);
       c3.show();
```

Make changes in the program to allow for a call to add function as c3=c1.add(c2)

Returning Objects from functions

Objects can be returned from functions just like *normal primitive*type variables

Quick Example

```
#include <iostream.h>
class complex
private:
      double
                  re, im;
public:
      complex();
      complex(double r, double i);
      complex negate();
      void show();
```

Returning Object from function

```
complex :: complex(): re(0), im(0)
{}
complex :: complex(double r, double i): re(r), im(i)
{}
complex complex :: negate()
       complex temp;
       temp.re= - re;
       temp.im= - im;
       return temp;
void complex :: show()
    cout<<"Complex no: "<<re<<"+"<<im<<"i"<<endl; }
```

Passing object value

```
void main()
     complex c1(3, 4.3), c2(2, 4);
     c3 = c1.negate();
     c3 . show();
```

Activity No. 01

- ➤ Create a class **RationalNumber** that stores a fraction in its original form (i.e. without finding the equivalent floating pointing result). This class models a fraction by using two data members: an integer for numerator and an integer for denominator. For this class, provide the following functions:
- ✓ NOTE: Define all the member functions outside the class.

Activity No. 01 (A)

- A no-argument constructor that initializes the numerator and denominator of a fraction to some fixed values.
- ➤ A two-argument constructor that initializes the numerator and denominator to the values sent from calling function. This constructor should prevent a 0 denominator in a fraction, reduce or simplify fractions that are not in reduced form, and avoid negative denominators.

Activity No. 01 (B)

A function **AddFraction** for addition of two rational numbers.

Two fractions a/b and c/d are added together as:

$$\frac{a}{b} + \frac{c}{d} = \frac{(a*d)+(b*c)}{b*d}$$

Activity No. 01 (C)

A function **SubtractFraction** for subtraction of two rational numbers.

Two fractions a/b and c/d are subtracted from each other as:

$$\frac{a}{b} - \frac{c}{d} = \frac{(a*d) - (b*c)}{b*d}$$

Activity No. 01 (D)

A function **MultiplyFraction** for subtraction of two rational numbers.

Two fractions a/b and c/d are multiplied together as:

$$\frac{a}{b} * \frac{c}{d} = \frac{a * c}{b * d}$$

Activity No. 01 (E)

A function **DivideFraction** for division of two rational numbers.

If fraction a/b is divided by the fraction c/d, the result is:

$$\frac{a}{b} / \frac{c}{d} = \frac{a * d}{b * c}$$

Activity No. 01 (F)

Provide the following functions for comparison of two fractions

- i. **isGreater**: should return a variable of type **bool** to indicate whether 1st fraction is greater than 2nd or not.
- ii. **isSmaller**: should return a variable of type **bool** to indicate whether 1st fraction is smaller than 2nd or not.
- iii. **isGreaterEqual**: should return a variable of type **bool** to indicate whether 1st fraction is greater than or equal to 2nd or not.
- iv. **isSmallerEqual**: should return a variable of type **bool** to indicate whether 1st fraction is smaller than or equal to 2nd or not.

Activity No. 01 (G)

Provide the following functions to check the equality of two fractions:

- v. **isEqual:** should return a variable of type bool to indicate whether 1st fraction is equal to the 2nd fraction or not.
- vi. isNotEqual: should a true value if both the fractions are not equal and return a false if both are equal.